The ICON modelling framework of DWD and MPI-M

(Zängl et al. 2014)

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Outline

- Background and goals
- Horizontal and vertical grid
- Model equations
- Spatial discretization
- Temporal discretization
- Damping and diffusion
- Physics dynamics coupling
- Efficiency and scalability
- Applications
- Summary and References





Background

- ICON is developed by the German Weather Service (DWD) and the Max Planck Institute for Meteorology (MPI-M).
- Weaknesses of the existing models GME and ECHAM:
 - Hydrostatic dynamics
 - No local mass conservation
 - Limited parallelization / scalability
- Towards a "unified" model system to benefit from combining the expertise and applications fields of both institutions:
 - DWD: Assimilation system, weather time scale, resolution ~10 km,
 Global or regional atmospheric models
 - MPI-M: Boundary conditions, years to millennia, resolution ~100 km, Earth system model





Goals

- Non-hydrostatic atmospheric model for:
 - High resolution NWP
 - Research: interaction of clouds and circulation
- Domains
 - Global or regional
 - Option for grid refinement → Nested regions
- Local mass conservation for tracers and total air mass
- Numerical methods must be robust and fast and should not hinder high scalability (strong and weak) on large computers.
- Flexibility for operational and research application.





Horizontal grid

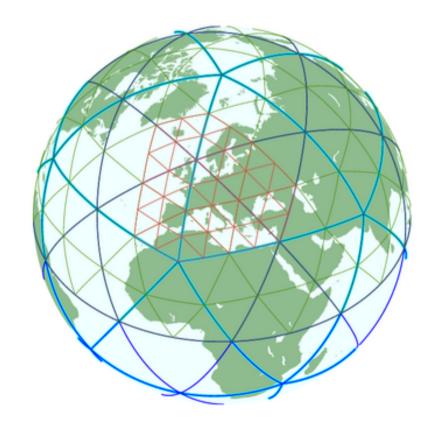
Icosahedral triangular grid

- Fairly uniform resolution on sphere
- Simple regional grid refinement

Example:

- Icosahedron
- Root division: 2 or more sections
- 1st follow-up bisection in NH
- 2nd follow-up bisection in Europe

Optimization by spring dynamics (Tomita et al. 2001)





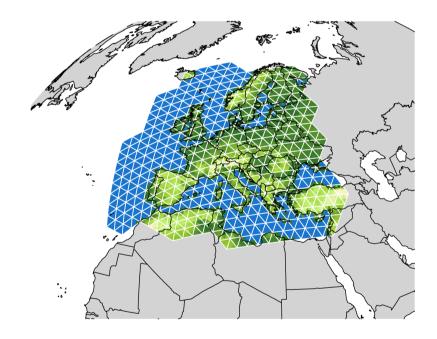


Example grids

Global grid + nested Europe region similar to NWP setup at DWD



Regional grid over Europe







Vertical grid

- Generalized height based coordinate
- Smooth-level terrain following (Leuenberger et al., 2010)

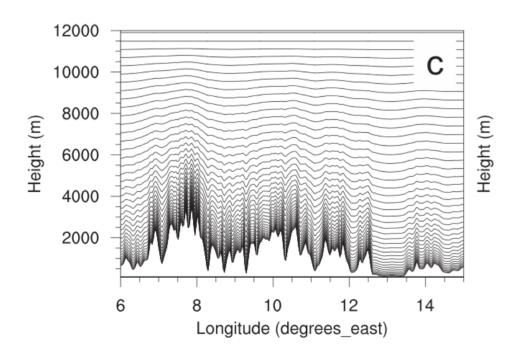


Fig. 6. Vertical cross section across the Alps.

Short/rough scales of the topography decay faster with altitude than smoothed scales.





Model equations

- Fully compressible equations for a shallow atmosphere
- Vector invariant (cf. Gassmann and Herzog, 2008)
- Prognostic variables: v_n , w, ρ , θ_v and π , q

$$\frac{\partial v_{n}}{\partial t} + \frac{\partial K_{h}}{\partial n} + (\zeta + f)v_{t} + w \frac{\partial v_{n}}{\partial z} = -c_{pd}\theta_{v} \frac{\partial \pi}{\partial n} + F(v_{n}),$$

$$\frac{\partial w}{\partial t} + \mathbf{v}_{h} \cdot \nabla w + w \frac{\partial w}{\partial z} = -c_{pd}\theta_{v} \frac{\partial \pi}{\partial z} - g,$$

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\mathbf{v}\rho) = 0,$$

$$\frac{\partial \rho \theta_{v}}{\partial t} + \nabla \cdot (\mathbf{v}\rho\theta_{v}) = \tilde{Q}. \qquad \pi = \left(\frac{R_{d}}{p_{00}}\rho\theta_{v}\right)^{R_{d}/c_{vd}}$$

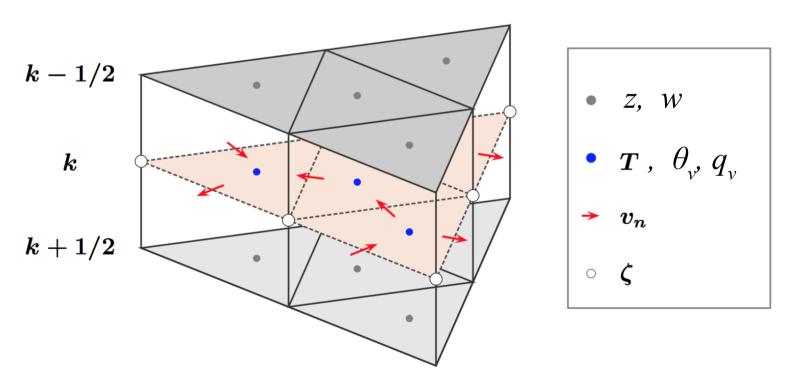
$$\frac{\partial \rho_{m}q}{\partial t} + \nabla \cdot (\rho_{m}q v) = P_{\rho_{m}q},$$





Spatial discretization: staggering

Arakawa C grid discretization:

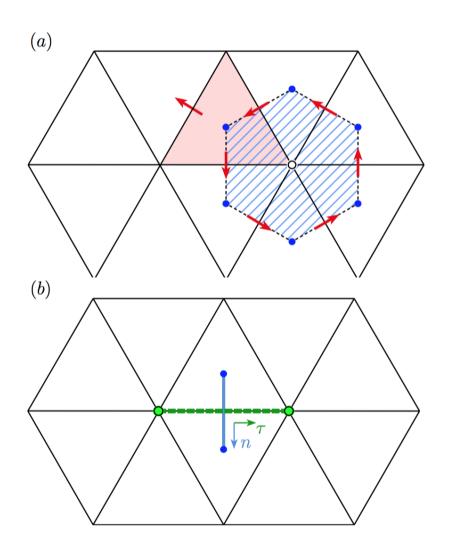


Adapted from Wan et al. (2013), Fig.1





Spatial discretization: operators



Divergence operator:
Gauss theorem on triangular control volume

Curl operator for vorticity: Stoke's theorem on dual cell (hexagon or pentagon)

Normal gradient operator: Finite difference

Tangential gradient operator: Central difference

Bonaventura and Ringler (2005), Wan et al. (2013), Fig. 2.





Temporal discretization

- Two-time-level predictor corrector scheme
- "HEWI": Explicit except for terms describing vertical sound wave propagation
- Time splitting between the dynamical core and horizontal diffusion + tracer advection + fast physics
- Mass-consistent transport is achieved by passing timeaveraged air-mass fluxes from the dynamical core to the transport scheme.
- Typical time step ratio:
 5 dynamics sub-steps: 1 transport/physics step





Damping and diffusion

Damping at dynamics time step

- 4th order divergence damping of v_n
- Rayleigh damping on w following Klemp et al. (2008) to prevent reflections of gravity waves at the model top.

Diffusion at physics time step

- 2nd order Smagorinsky diffusion of v_n and θ_v combined with
- 4th order background diffusion of v_n .
- (4th order diffusion on w for resolutions dx < 1km)

Used in "SCELL"





Physics dynamics coupling

- At constant density (volume) rather than constant pressure
 → Use c_v for temperature tendencies.
- Physics uses hydrostatically integrated pressure rather than a non-hydrostatic pressure derived directly from the prognostic model variables.
- For efficiency, a distinction is made between so-called fast-physics processes and slow-physics processes.
- Fast physics processes are treated with operator splitting, acting on the provisional atmospheric state that has already been updated by dynamics, diffusion, and transport.
- Slow physics processes provide forcing terms to the dynamical core that remain constant for all dynamic sub-steps.





Fast and slow physics for NWP

- Fast physics: updates sequentially after dynamics, using provisional states
 - 1) saturation adjustment
 - 2) surface transfer scheme
 - 3) land-surface scheme
 - 4) boundary-layer/turbulent vertical diffusion scheme
 - 5) microphysics scheme
 - 6) saturation adjustment
- Slow physics: provides forcing to dynamical core, using final state
 - Radiation
 - Convection
 - Subgrid scale orographic effects
 - Non-orographic gravity waves





DCMIP physics = fast physics

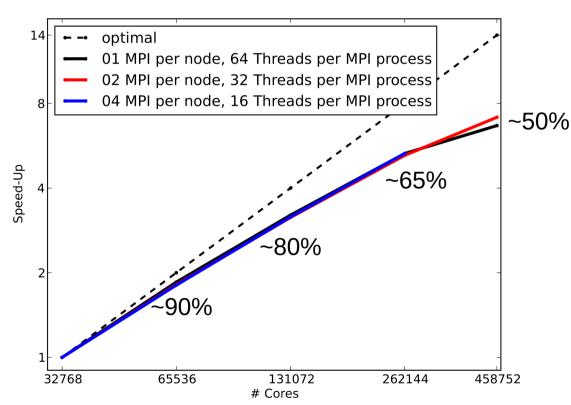
Efficiency and Scalability

- Use simple operators / procedures where possible
- Only next neighbor communication

Strong scaling test for a large eddy simulation on BlueGene/Q (JUQUEEN),

Timing excludes I/O.

Minimum of 32768 cores needed for memory.



www.fz-juelich.de/ias/jsc/EN/Expertise/High-Q-Club/ICON/_node.html





Applications

- Operational weather forecast at DWD
 - 13 km global resolution + 6.5 km in nested European region
- Climate research
 - Real world "AMIP" simulations for 1979-2008, at 160 km or 40 km res.
 - Aqua and Terra planet experiments
 - Radiative convective equilibrium on planet or double periodic plain
 - Large eddy simulations (~100 m resolution)
- Under development
 - Coupled model for climate simulations and seasonal to decadal forecasting ICON atmosphere + ICON ocean + YAC coupler





Summary

- Global non-hydrostatic atmosphere
- Icosahedral triangular C-grid + smoothed terrain following z coord.
- Locally mass conservation
- Flux form continuity equation with ρ as prognostic variable
- Flux form semi-Lagrangian tracer transport
- Two time level predictor corrector scheme, fully explicit except for terms describing vertical sound waves
- Time splitting between the dynamics and transport + horizontal diffusion + fast physics.
- Focus on efficiency and scalability





References

Zängl, G., D. Reinert, P. Ripodas, and M. Baldauf (2014), The ICON (ICOsahedral Non-hydrostatic) modelling framework of DWD and MPI-M: Description of the non-hydrostatic dynamical core, Q.J.R. Meteorol. Soc., 141, 563-579. http://onlinelibrary.wiley.com/doi/10.1002/qj.2378/full



