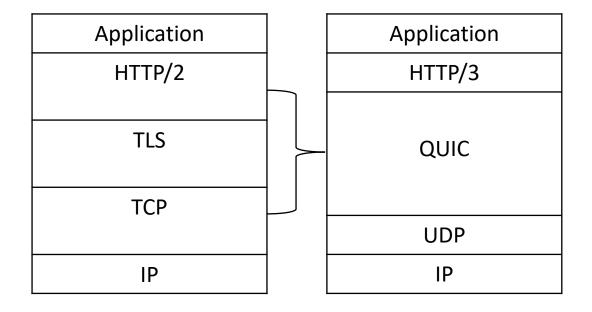
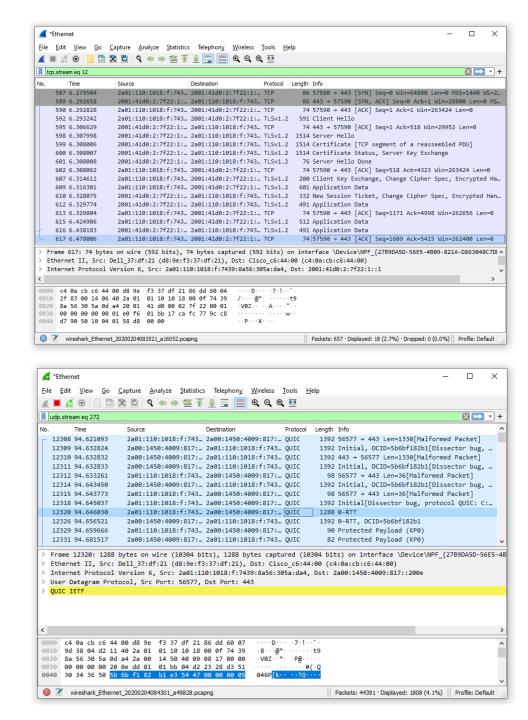
A Security Model & Verified Implementation of the QUIC Record Layer

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What is QUIC?

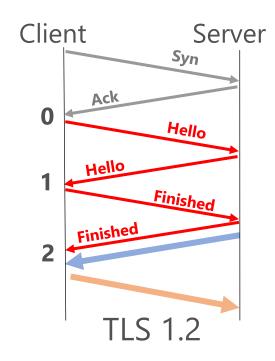


QUIC is a redesign of the Internet's networking protocol stack that trades off modularity for performance

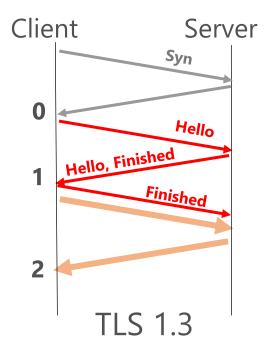


Connection Establishment Latency

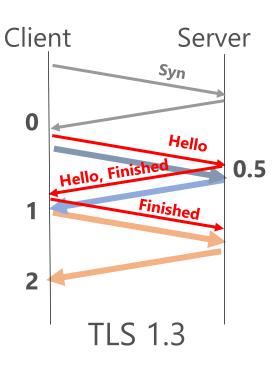
Current HTTPS stack over TCP



"Two" roundtrips before sending application data

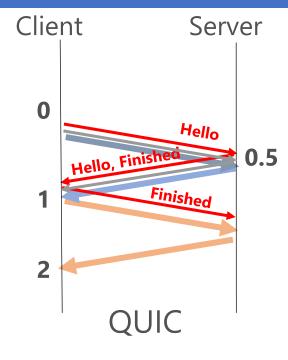


"One" roundtrip before sending application data



"Zero" roundtrip before sending application data

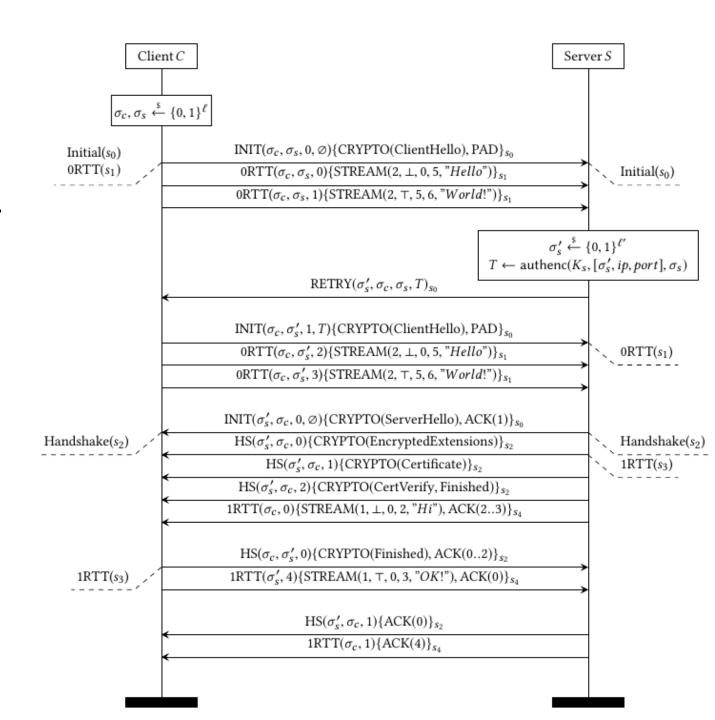
New networking stack: UDP, QUIC, HTTP/3



Cuts an extra roundtrip, enables more multiplexing

How QUIC works

- UDP datagrams contain one or more QUIC packets
- Packet types: INITIAL, ORTT, RETRY, HS, 1RTT
- Packets contain list of frames
- CRYPTO frames contain TLS handshake messages
- STREAM frames carry app data, ACK acknowledgements



QUIC Packet Format

```
+-+-+-+-+-+-+
|1|1| T |R R|P P| T: Type R: Reserved P: PN length
Version (32)
| DCID Len (8) | Dest. connection ID length
     Destination Connection ID (0..160)
SCID Len (8) | Source connection ID length
      Source Connection ID (0..160)
Payload Length (varint)
     Packet Number (8/16/24/32)
Payload
```

Long header packets (INIT, ORTT, HS, RETRY)

Version Negotiation

Connection multiplexing over same IP/port

Implicit length

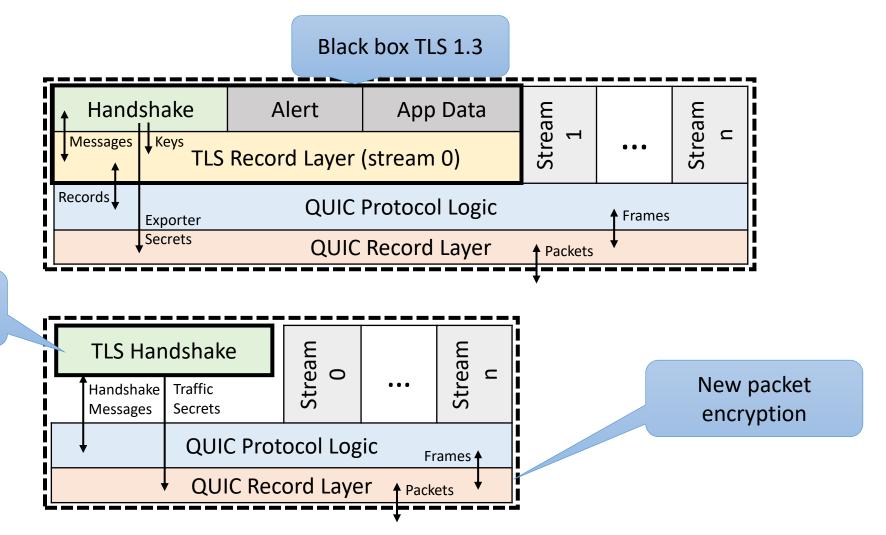
Variable length, truncated packet numbers

Internal QUIC Modularity

Before draft 17

Broken internal TLS abstractions

After draft 17



Some Open Security Problems in QUIC

- New custom construction for encrypting packets (replaces TLS record layer)
- Status of mixed 0-RTT/1-RTT data streams (no end_early_data)
- QUIC re-keying (replaces TLS re-keying)
- QUIC retry (duplicates TLS hello retry)
- Version negotiation (duplicates TLS version negotiation)
- CID negotiation (somewhat duplicates TLS nonces)
- Exporting handshake & 1-RTT traffic secrets

QUIC Record Layer: Verification Goals

Functional Correctness

- Write complete formal specification of QUIC packet encryption
- Prove non-malleability of packet formatting
- Prove correctness of decryption

Cryptographic Security

- Create ideal model of packet stream encryption functionality
- Prove type-based reduction to core crypto assumptions

Verified Implementation

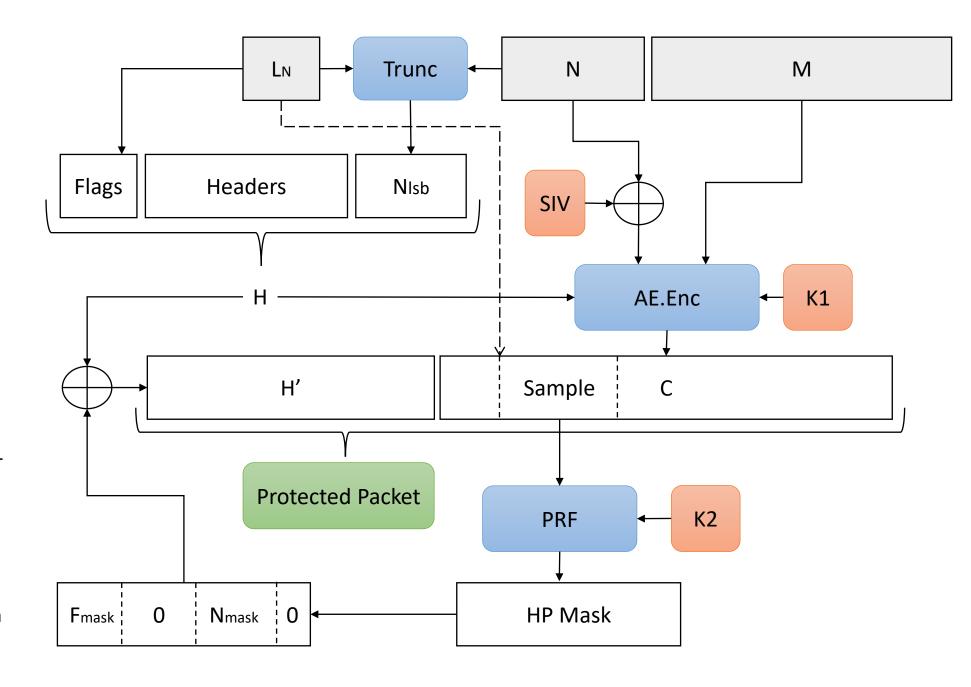
- Write implementation that extracts to highperformance C code
- Prove implementation is runtime safe
- Prove it is correct wrt the formal specification

Overview of QUIC Record Layer

- Payload (list of frames) is AEAD encrypted
- Header used as associated data
- What to do with the nonce?
 - No implicit sequence number (packets arrive out of order)
 - Explicit nonces are too long (12 bytes)
 - Sequential nonces correlate packets to connections
- Idea: use stateful encryption, send only least significant bits with packet and reconstruct most significant bits from state
 - Still, truncated packet number correlate packets to sessions
 - So, QUIC encrypts them without any space overhead

QUIC Packet Encryption

- The main idea is to use part of the payload ciphertext as an input to a PRF that generates a keystream block
- The construction is notably complicated by the fact that the truncated packet number is variable sized
- To model the security, we assume that the only goal is to protect the truncated packet number and its length



Modelling Single Packet Encryption

Standard AE security definition

Game AE1^b(SE1)
$$T \leftarrow \emptyset; \ k \leftarrow \text{SE1.gen}()$$
Oracle Decrypt(N, C, H)
$$if \ b = 1 \ then$$

$$M \leftarrow T[N, C, H]$$
else
$$M \leftarrow \text{SE1.dec}(k, N, C, H)$$
return M

```
Oracle Encrypt(N, M, H)
assert T[N, \_, \_] = \bot
if b = 1 then
  C \stackrel{\$}{\leftarrow} \{0,1\}^{|M|+SE1.\ell_T}
   T[N, C, H] \leftarrow M
else
   C \leftarrow SE1.enc(k, N, M, H)
return C
```

Idealized Version

Real Version

Modelling Single Packet Encryption

Nonce-hiding AE definition

Game $AE5^b(E)$

$$T \leftarrow \emptyset; \ k \xleftarrow{\$} \mathsf{E.gen}()$$

Oracle Decrypt(N_m , C, H)

if
$$b = 1$$
 then

$$M \leftarrow T[N, C, H] \text{ for } N$$

s.t. $msb(N) = N_m$

else

$$M \leftarrow \text{E.dec}(k, N_m, C, H)$$

return M

Oracle Encrypt(N, L_N, M, H)

assert
$$T[N, _, _] = \bot$$

if b = 1 then

$$C \stackrel{\$}{\leftarrow} \{0,1\}^{L_N + |M| + \mathbb{E} \cdot \ell_T}$$

$$T[N, C, H] \leftarrow M$$

else

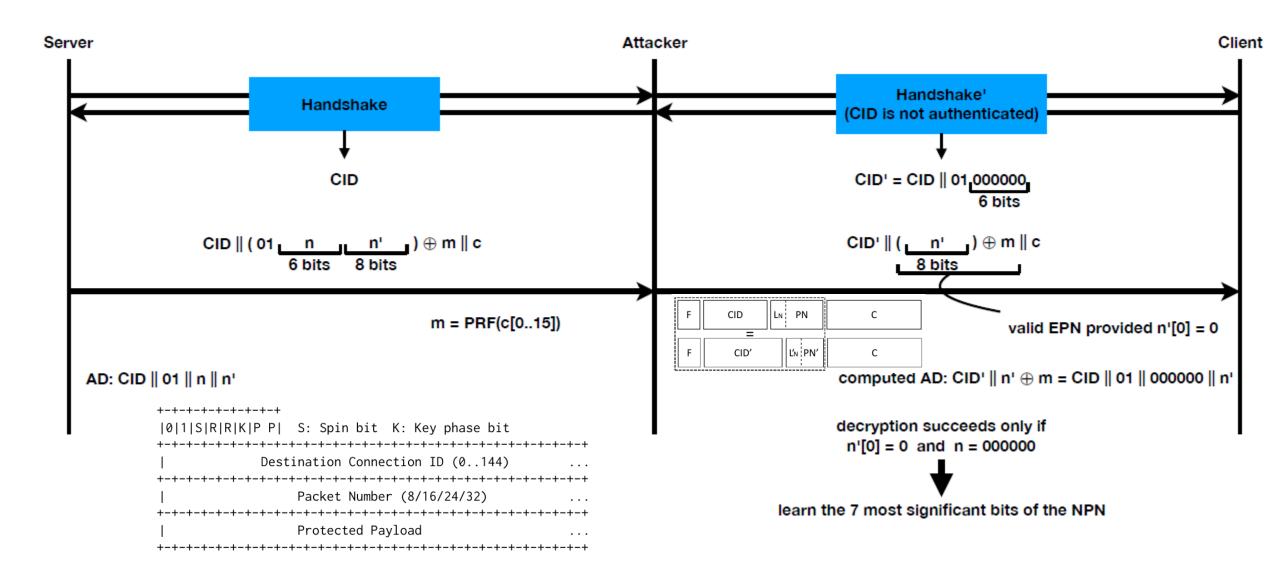
$$C \leftarrow \text{E.enc}(k, N, L_N, M, H)$$

return C

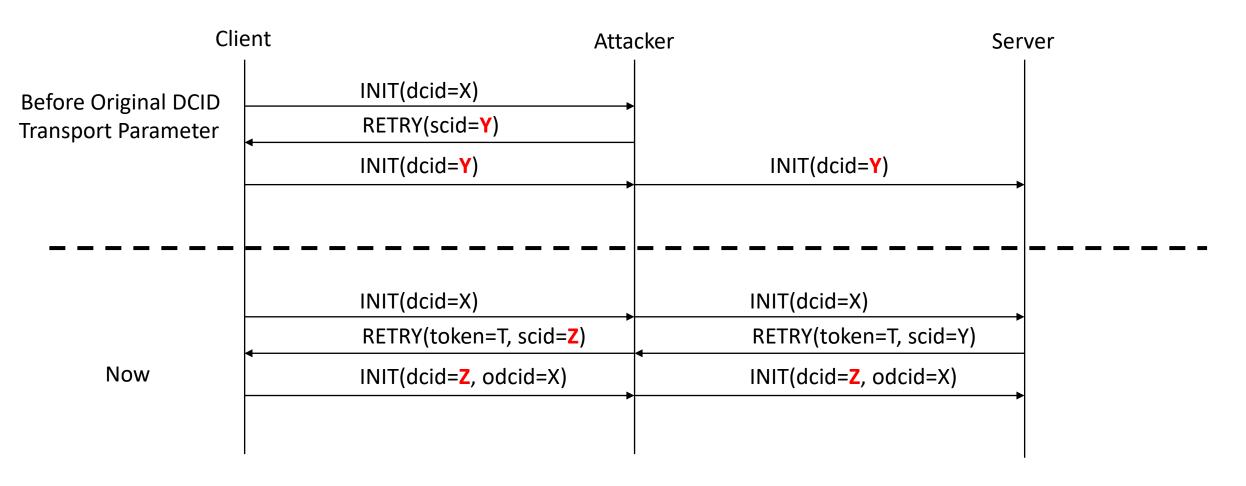
Ln extra bytes of ciphertext to represent encrypted truncated nonce

We store the full nonce in the ideal encryption table, but lookup is based on Nm

An attack on pre-draft 13 packet encryption



Digression: are CID Authenticated in QUIC?



N.B. some implementation use Y as IV for encryption of T, but this is not required by specification

Specifying QUIC Packet Formats **eVerp/rse**

We define combinators for correct parsers:

```
type parser t = b:bytes -> option (t * n:nat{n <= length b})
type serializer (p: parser t) = f:(t -> bytes) {
   forall x. p (f x) == Some (x, length (f x))
}
```

• With a well-known monadic structure:

```
val return: parser unit
val bind: parser t -> (t -> parser t') -> parser t'
val seq: parser t -> parser t' -> parser (t * t')
val map: f:(t -> t') -> parser t -> parser t'
```

New Bitfield & Bitsum combinators

- We can slice arbitrary integer types into a list of bit-aligned fields
- We can also define tagged unions based on a field of a bitfield
- For instance, a packet is long or short based on 2 msb bits of flags
- Similarly, we can express length dependencies, e.g. 2 lsb bits of flags encode the packet number length

```
let rec valid bitfield widths (lo: N) (hi: N { lo ≤ hi })
  (l: list N) : Tot bool (decreases l) =
  match l with
  | [] \rightarrow lo = hi
  | sz :: q → lo + sz ≤ hi && valid_bitfield_widths (lo + sz) hi q
noextract
let rec bitfields (#tot: pos) (#t: Typen) (cl: uint_t tot t)
  (lo: \mathbb{N}) (hi: \mathbb{N} { lo \leq hi \wedge hi \leq tot })
  (l: list N { valid bitfield widths lo hi l })
  : Tot Typen (decreases 1) =
  match 1 with
  | [] → unit
    [sz] → bitfield cl sz
    sz :: q → bitfield cl sz & bitfields cl (lo + sz) hi q
noextract
let rec bitsum' type'
  (#tot: pos)
  (#t: eqtype)
  (#cl: uint t tot t)
  (#bitsum' size: N)
  (b: bitsum' cl bitsum' size)
: Tot Type
  (decreases (bitsum' size))
= match b with
    BitStop → unit
    BitField sz rest → (bitfield cl sz & bitsum' type' rest)
    BitSum' key key size e payload →
    (key: enum key e & bitsum' type' (payload key))
```

Example: flags

```
inline for extraction
type header form t =
    Long
    Short
[@filter bitsum' t attr]
inline for extraction
noextract
let header form : enum header form t (bitfield uint<sub>8</sub> 1) = [
  Long, luy;
  Short, Ouy;
[@filter bitsum' t attr]
inline_for_extraction
noextract
let fixed_bit : enum unit (bitfield uint<sub>8</sub> 1) = [
  (), luy;
inline_for_extraction
type long packet type t =
    Initial
    ZeroRTT
    Handshake
    Retry
[@filter bitsum' t attr]
inline_for_extraction
noextract
let long packet type : enum long packet type t (bitfield uint<sub>8</sub> 2) = [
  Initial, Ouy;
  ZeroRTT, luy;
 Handshake, 2uy;
  Retry, 3uy;
```

```
inline_for_extraction
noextract
let reserved bits : enum unit (bitfield uintg 2) = [
  (), Ouy;
[@filter bitsum' t attr]
inline_for_extraction
noextract
let packet number length : enum packet number length t (bitfield uint<sub>8</sub> 2) = [
  1ul, 0uy;
  2ul, 1uy;
  3ul, 2uy;
  4ul, 3uy;
[@filter bitsum' t attr]
inline_for_extraction
noextract
let rrpp : bitsum' uint<sub>8</sub> 4 =
  BitSum' _ reserved_bits (λ _ →
    BitSum' _ _ packet_number_length (λ _ →
      BitStop ()))
[@filter bitsum' t attr]
inline_for_extraction
noextract
let first_byte : bitsum' uint<sub>8</sub> 8 =
  BitSum' _ _ header_form (function
      Short →
      BitSum'
                 fixed bit (\lambda \rightarrow
        BitField (* spin bit *) 1 (
           BitSum'
                        reserved bits (\lambda \rightarrow
             BitField (* key phase *) 1 (
               BitSum' _ _ packet_number_length (λ _ →
                 BitStop ()
    Long →
        itSum' _ _ fixed_bit (λ _ →
BitSum' _ _ long_packet_type (function
      BitSum'
             Retry → BitField (* unused *) 4 (BitStop ())
            _ → rrpp
```

Theorem: QUIC Header Format

Correctness of header parsing

(conditional)
 Non-malleability of modified draft 14
 format with PN length in flags

```
noeq
type h result =
H Success:
  h: header →
  c: bytes →
  h result
| H Failure
val parse header: cid_len: N { cid_len ≤ 20 } → last: N { last + 1 < pow<sub>2</sub> 62 } → b:bytes →
GTot (r: h result {
  match r with
    H Failure → T
   H Success h c →
    is valid header h cid len last A
    Seq.length c ≤ Seq.length b ∧
    c `Seq.equal` Seq.slice b (Seq.length b - Seq.length c) (Seq.length b)
})
val lemma header parsing correct:
  h: header →
  c: bytes →
  cid len: N { cid len ≤ 20 } →
  last: N { last + 1 < pow<sub>2</sub> 62 } →
  Lemma
  (requires (
    is valid header h cid len last
  (ensures (
    parse header cid len last S.(format header h @| c)
    == H Success h c))
// N.B. this is only true for a given DCID len
val lemma_header_parsing_safe: cid_len: N → last: N → b<sub>1</sub>:bytes → b<sub>2</sub>:bytes → Lemma
  (requires (
    cid len ≤ 20 ∧
    last + 1 < pow_2 62 A
    parse header cid len last b_1 == parse header cid len last b_2
  (ensures parse_header cid_len last b_1 == H_Failure v b_1 = b_2)
```

Theorem: QUIC Header Encryption Correctness

Inherited CID length condition

N.B. correctness is conditional on the state of the recipient

```
// Header protection only
val header encrypt: a:ea →
  hpk: lbytes (ae keysize a) →
  h: header →
  c: cbytes' (is retry h) →
  GTot packet
noeq
type h result =
| H Success:
  h: header →
  cipher: cbytes' (is_retry h) →
  rem: bytes →
 h result
 H Failure
// Note that cid len cannot be parsed from short headers
val header decrypt: a:ea →
 hpk: lbytes (ae keysize a) →
  cid len: N { cid len ≤ 20 } →
 last: N { last + 1 < pow<sub>2</sub> 62 } →
  p: packet →
  GTot (r: h result { match r with
   H Failure → T
   H Success h c rem →
    is valid header h cid len last A
    S.length rem ≤ S.length p ∧
    rem `S.equal` S.slice p (S.length p - S.length rem) (S.length p)
  })
// This is just functional correctness, but does not guarantee security:
// decryption can succeed on an input that is not the encryption
// of the same arguments (see QUIC.Spec.Old.*_malleable)
val lemma header encryption correct:
  a:ea →
  k:lbytes (ae keysize a) →
  h:header →
  cid len: N { cid len ≤ 20 Λ (MShort? h ⇒ cid len == dcid len h) } →
  last: \mathbb{N} { last + 1 < pow<sub>2</sub> 62 \Lambda ((¬ (is_retry h)) \Rightarrow in_window (U<sub>32</sub>.v (pn_length h) - 1)
last (U_{64}.v (packet_number h))) \} \rightarrow
  c: cbytes' (is retry h) { has payload length h \Rightarrow U<sub>64</sub>.v (payload length h) == S.length c
  Lemma (
    header decrypt a k cid len last (header encrypt a k h c)
    == H Success h c S.empty)
```

Decryption window condition

- Incorrectly specified in QUIC up to draft 23
- We corrected the reference packet number decoding function
- Patched in draft 24

```
let bound npn' (pn len:N { pn len < 4 })</pre>
  : Tot (y: \mathbb{N} \{ y == pow_2 (8 \circ p_Multiply (pn_len + 1)) \}) =
  assert_norm (pow<sub>2</sub> 8 == 256);
  assert_norm (pow<sub>2</sub> 16 == 65536);
  assert_norm (pow<sub>2</sub> 24 == 16777216);
  assert_norm (pow<sub>2</sub> 32 == 4294967296);
  match pn len with
    0 → 256
     1 → 65536
    2 → 16777216
     3 → 4294967296
let in window (pn len: \mathbb{N} { pn len < 4 }) (last pn:\mathbb{N}) =
  let h = bound_npn' pn_len in
  (last+1 < h/2 \land pn < h) \lor
  (last+1 ≥ U_{64}.v uint62_bound - h/2 \Lambda pn ≥ U_{64}.v uint62_bound - h) v
  (last+1 - h/2 < pn \land pn \leq last+1 + h/2)
```

Theorem: QUIC Packet Encryption Correctness

```
val lemma encrypt correct:
 a: ea →
  k: lbytes (AEAD.key length a) →
 siv: lbytes 12 →
 hpk: lbytes (ae keysize a) →
 h: header →
 cid len: N { cid len ≤ 20 ∧ (MShort? h ⇒ cid len == dcid len h) } →
 last: \mathbb{N}\{last+1 < pow_2 62\} →
 p: pbytes' (is retry h) { has payload length h \Rightarrow \cup_{64}.v (payload length h) == S.length p
+ AEAD.tag length a } → Lemma
  (requires (
    (\neg (is retry h)) \Rightarrow (
      in window (U_{32}.v (pn length h) - 1) last (U_{64}.v (packet number h))
  )))
  (ensures (
    decrypt a k siv hpk last cid len
      (encrypt a k siv hpk h p)
    == Success h p Seq.empty
```

Going back to Security Model

THEOREM 1 (QPE SECURITY). Given an adversary \mathcal{A} against the AE5^b(QPE[AE, PRF]) game, we construct adversaries \mathcal{A}' against AE1^b(AE) and \mathcal{A}'' against PRF^b(PRF) such that:

$$\epsilon_{\mathsf{AE5}}^{\mathsf{QPE}}(\mathcal{A}) \le \epsilon_{\mathsf{AE1}}^{\mathsf{AE}}(\mathcal{A}') + \epsilon_{\mathsf{PRF}}^{\mathsf{PRF}}(\mathcal{A}'') + \frac{q_e(q_e-1)}{2^{\mathsf{PRF}.\ell+1}}$$

where q_e is the number of encryptions performed, and PRF. ℓ is the output length of the PRF.

Packet stream security definition

$$\begin{array}{ll} \operatorname{Game} \, \mathsf{NHSE}^b(L_N,\,\mathsf{SE}) \\ \hline c_e \leftarrow 0; c_d \leftarrow 0; \ T \leftarrow \varnothing; \\ S \stackrel{\$}{\leftarrow} \, \mathsf{SE}.\mathsf{gen}() \\ \hline \\ \operatorname{Oracle} \, \mathsf{Encrypt}(M,H) \\ \operatorname{if} \, b = 1 \, \operatorname{then} \\ C \stackrel{\$}{\leftarrow} \, \{0,1\}^{L_N + |M| + \mathsf{E}.\ell_T} \\ T[C,H] \leftarrow (c_e,M) \\ c_e \leftarrow c_e + 1 \\ \operatorname{else} \\ C,S' \leftarrow \, \mathsf{SE}.\operatorname{enc}(S,M) \\ S \leftarrow S' \\ \end{array} \begin{array}{ll} \operatorname{Oracle} \, \mathsf{Decrypt}(C,H) \\ \operatorname{if} \, b = 1 \, \operatorname{then} \\ c,M \leftarrow T[C,H] \\ \operatorname{if} \, |c - c_d| >= 2^{L_N - 1} \\ \operatorname{else} \\ M,S' \leftarrow \operatorname{SE}.\operatorname{dec}(S,S) \\ S \leftarrow S' \\ \operatorname{return} \, M \\ \end{array}$$

```
c, M \leftarrow T[C, H]
  if |c - c_d| >= 2^{L_N - 1} then
                                                     In-window condition
     return ⊥
  c_d \leftarrow max(c, c_d)
                                            Decryption state
else
  M, S' \leftarrow SE.dec(S, C, H)
  S \leftarrow S'
return M
```

Proof: code-based assumptions

```
(* PRF: Idealized Interface *)
let len = 16 (* Block size *) let klen = 16 (* Key size *)
abstract type key (i:id)
val ideal: i:id{safe i} \rightarrow key i \rightarrow map (lbytes len) (lbytes len)
val real: i:id\{\neg (safe i)\} \rightarrow key i \rightarrow lbytes klen
val create: i:id{safe i} \rightarrow ST (key i)
val coerce: i:id\{\neg (safe i)\} \rightarrow lbytes klen \rightarrow ST (key i)
val compute: i:id \rightarrow k:key i \rightarrow x:lbytes len \rightarrow ST (lbytes len)
 (ensures fun mem0 y mem1 \rightarrow
   if safe i then r == lookup (ideal k) x mem1
   else r == Spec.Cipher.compute (real k) x)
(* PRF: Implementation *)
let key i = if safe i then lbytes klen else map (lbytes len) (lbytes len)
let compute i k x = if safe i then
   if lookup (ideal k) x = None then extend (ideal k) x (sample len);
   lookup (ideal k) x
 else Spec.Cipher.compute (real k) x
```

```
abstract type key (i:id)
val ideal: #i:id{safe i} \rightarrow key i \rightarrow
 map (nonce \times cipher \times header) (plain i)
val real: \#i:id\{\neg (safe i)\} \rightarrow key i \rightarrow lbytes klen
val keygen: i:id{fresh i} \rightarrow ST (key i)
 (ensures fun mem0 k h1 \rightarrow safe i \Rightarrow ideal k mem1 = \emptyset)
val encrypt: \#i:id \rightarrow k:key i \rightarrow
 n:nonce \rightarrow h:header \rightarrow p:plain i \rightarrow ST cipher
 (ensures fun mem0 c mem1 \rightarrow
   if safe i then ideal k mem 1 = extend (ideal k mem 0) (n,c,h) p
   else c == Spec.AEAD.encrypt (real k) n h p)
val decrypt: \#i:id \rightarrow k:key \rightarrow
 n:nonce \rightarrow h:header \rightarrow c:cipher \rightarrow ST (option plain)
 (ensures fun mem0 r mem1 →
   if safe i then r == lookup (ideal k mem0) (n,c,h)
   else r == Spec.AEAD.decrypt (real k) n h c)
```

Proof: code-based reduction

- We need a stronger AE assumption that guarantees that each sample is unique in the ciphertext table (paper step)
- Then, decryption can be implemented by a lookup to the PRF table based on the sample value for decrypting the header
- If the nonce and AAD match the result is a lookup in the AE table based on reconstructed nonce & plain header

```
val encrypt
(#k:id)
(w:stream_writer k)
(#hl:headerlen)
(hd:quic_header k hl)
(nl:pnlen \{hl + nl \le v AEAD.aadmax\})
(#I:plainlen {hI + nI + I + v AEAD.taglen ≤ pow2 32 - 1 ∧
  nl + l + v AEAD.taglen \ge samplelen + 4
(p:plain (fst k) l):
ST (quic_packet k hl (nl + l))
 (requires fun h0 →
  wincrementable w h0 ∧
  invariant w h0)
 (ensures fun h0 (ph,nec) h1 →
  let(i,j) = k in
  let aw = writer aead state w in
  let ps = writer_pne_state w in
  invariant w h1 A
  wctrT w h1 == wctrT w h0 + 1 \wedge
  (safe k \Rightarrow (
   let (ne,c) = split #k #(nl+l) nec nl in
   let rpn = rpn_of_nat (wctrT w h0) in
   let npn = npn_encode j rpn nl in
   let alg = ((AEAD.wgetinfo aw).AEAD.alg) in
   let nce = create_nonce #k #alg (writer_iv w) rpn in
   let ad = Bytes.append (bytes_of_quic_header hd) npn in
   let s : PNE.sample = sample_quic_protect nec in
   let nn = pne_plain_of_header_pn hd npn in
   let cc = pne_cipher_of_pheader_epn ph ne in
   AEAD.wlog aw h1 ==
    Seq.snoc
     (AEAD.wlog aw h0)
     (AEAD.Entry #i #(AEAD.wgetinfo aw) nce ad #l p c) ∧
      PNE.table ps h1 ==
        Seq.snoc
         (PNE.table ps h0)
         (PNE.Entry #j #pne_plain_pkg s #(nl+1) nn cc))) ∧
  modifies (loc union (footprint w) (loc ae region ())) h0 h1)
```

Remaining issues with QPE

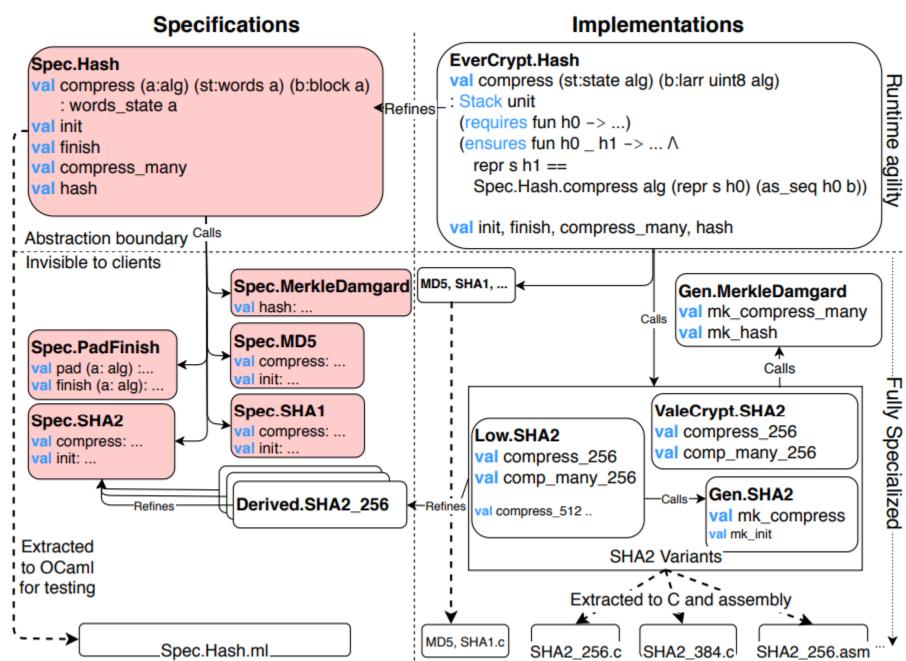
- Some implementations skip the payload decryption based on the value of the decrypted packet number
- Very tricky to implement constant-time decryption: first decrypt 2 lsb of flags, then truncate mask, then decrypt PN... unsafe
- Authentication of Ln still depends on the header formatting, we prefer to include Ln in nonce (2 msb are not used)

A simplified construction

Trunc M LN Idea: propose provably secure SIV nonce-hiding constructions to CFRG AE.Enc K1 Η Flags Headers C NIsb K2 **Protected Packet** PRF Flags C'' Headers

Low-level Verified Implementation

- We use the EverCrypt implementation & Specification for AEAD (EverCrypt.AEAD) and PRF (EverCrypt.Cipher)
- Abstract crypto state for stream encryption instances
- Abstract specifications
- Multiple implementations



Low* Interface

```
inline for extraction noextract
let create in st (i:index) =
  r:HS.rid →
  dst: B.pointer (B.pointer or null (state s i)) →
  initial pn:u<sub>62</sub> →
  traffic secret:B.buffer Ug.t {
    B.length traffic secret = Spec.Hash.Definitions.hash length i.hash alg
  } →
  ST error code
    (requires \lambda h_0 \rightarrow
      // JP: we could require that ``dst`` point to NULL prior to calling
      // ``create`` (otherwise, it's a memory leak). Other modules don't enforce
      // this (see AEAD) so for now, let's make the caller's life easier and not
      // demand anything.
      ST.is eternal region r A
      B.live h_{\Omega} dst \Lambda B.live h_{\Omega} traffic secret \Lambda
      B.disjoint dst traffic secret)
    (ensures (\lambda h<sub>0</sub> e h<sub>1</sub> \rightarrow
      match e with
       | UnsupportedAlgorithm →
                                                                 Memory Safety
           B. (modifies loc none h_0 h_1)
       | Success →
           let s = B.deref h_1 dst in
           not (B.g is null s) Λ
           invariant h<sub>1</sub> s Λ
                                                                        Functional
           B. (modifies (loc buffer dst) h_0 h_1) \Lambda
           B.fresh_loc (footprint h<sub>1</sub> s) h<sub>0</sub> h<sub>1</sub> Λ
           g_initial_packet_number (B.deref h_1 s) == U_{64}.v initial_pn
           ⊥))
```

Correctness

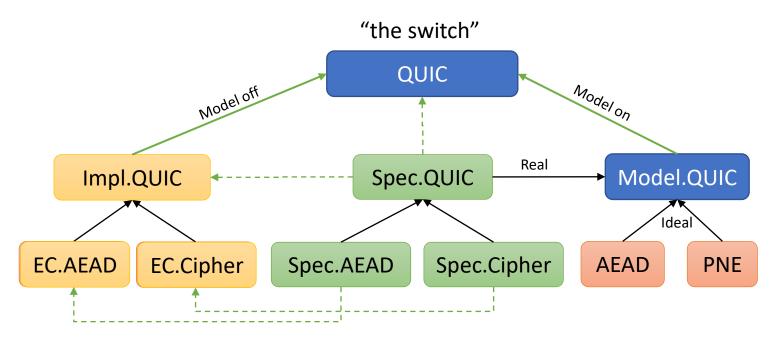
```
val encrypt: #i:G.erased index → (
  let i = G.reveal i in
  s: state i →
  dst: B.buffer Ug.t →
  dst pn: B.pointer u<sub>62</sub> →
  h: header →
  plain: B.buffer Ug.t →
  plain_len: U<sub>32</sub>.t →
  Stack error code
    (requires λ h<sub>0</sub> →
       // Memory & preservation
       B.live h<sub>θ</sub> plain Λ B.live h<sub>θ</sub> dst Λ B.live h<sub>θ</sub> dst pn Λ
       header live h ha A
       B.(all disjoint [ footprint h_0 s; loc buffer dst; loc buffer dst pn; header footprint
h; loc buffer plain ]) Λ
       invariant h<sub>θ</sub> s Λ
       incrementable s h_{\Theta} \Lambda
       B.length plain == U_{32}.v plain len \Lambda (
       let clen = if is_retry h then 0 else U32.v plain_len + Spec.Agile.AEAD.tag_length
i.aead alg in
       (if is_retry h then U_{32}.v plain_len == 0 else 3 \leq U_{32}.v plain_len \wedge U_{32}.v plain_len <
QSpec.max plain length) A
       (has_payload_length h \Rightarrow U<sub>64</sub>.v (payload_length h) == clen) \Lambda
       B.length dst == U_{32}.v (header len h) + clen
     (ensures \lambda h_0 r h_1 \rightarrow
       match r with
       | Success →
            // Memory & preservation
            B. (modifies (footprint s h_{\theta} (deref h_{\theta} s) `loc union` loc buffer dst `loc union`
loc buffer dst pn)) ha h1 A
            invariant h_1 s \Lambda
            footprint s h_1 (B.deref h_1 s) == footprint s h_0 (B.deref h_0 s) \Lambda (
            // Functional correctness
            let s_0 = q traffic secret (B.deref h_0 s) in
            let open QUIC.Spec in
            let k = derive secret i.hash alg s_{\Omega} label key (Spec.Agile.AEAD.key length
i.aead alg) in
            let iv = derive_secret i.hash_alg s<sub>0</sub> label_iv 12 in
            let pne = derive secret i.hash alg s_{\Omega} label hp (ae keysize i.aead alg) in
```

Extracted C interface

```
typedef struct QUIC Impl Base long header specifics s
  QUIC Impl Base long header specifics tags tag;
  union {
    struct {
     uint64 t payload length;
     uint32 t packet number length;
     uint8 t *token;
     uint32 t token length;
    } case BInitial;
    struct {
     uint64 t payload length;
     uint32 t packet number length;
   } case BZeroRTT;
    struct {
                                      typedef struct QUIC Impl Base header s
     uint64 t payload length;
     uint32 t packet number length;
                                        QUIC Impl Base header tags tag;
    } case BHandshake;
                                        union {
    struct {
                                          struct {
     uint8 t unused;
                                            uint32 t version;
     uint8 t *odcid;
     uint32 t odcil;
                                            uint8 t *dcid;
    } case BRetry;
                                            uint32 t dcil;
  };
                                            uint8 t *scid;
} QUIC Impl Base long header specifics;
                                            uint32 t scil;
                                            QUIC Impl Base long header specifics spec;
                                          } case BLong;
                                          struct {
                                            bool spin;
                                            bool phase;
                                            uint8 t *cid;
                                            uint32 t cid len;
                                            uint32 t packet number length;
                                          } case BShort;
                                      } QUIC Impl Base header;
```

```
// Opaque state
typedef struct QUIC Impl state s s QUIC Impl state s;
EverCrypt Error error code
QUIC Impl create in(
  QUIC Impl index i1,
  OUIC Impl state s **dst,
  uint64 t initial pn,
  uint8 t *traffic secret
EverCrypt Error error code
QUIC Impl encrypt(
  QUIC Impl state s *s,
  uint8 t *dst,
  uint64 t *dst pn,
  QUIC Impl Base header h1,
  uint8 t *plain,
  uint32 t plain len
typedef struct QUIC Impl result s
  uint64 t pn;
  QUIC Impl Base header header;
  uint32 t header len;
  uint32 t plain len;
  uint32 t total len;
QUIC Impl result;
EverCrypt Error error code
QUIC Impl decrypt(
  QUIC Impl state s *s,
  QUIC Impl result *dst,
  uint8 t *packet,
  uint32 t packet_len,
  uint8 t cid len
);
```

Proving security for the low-level implementation



Properties of the switch

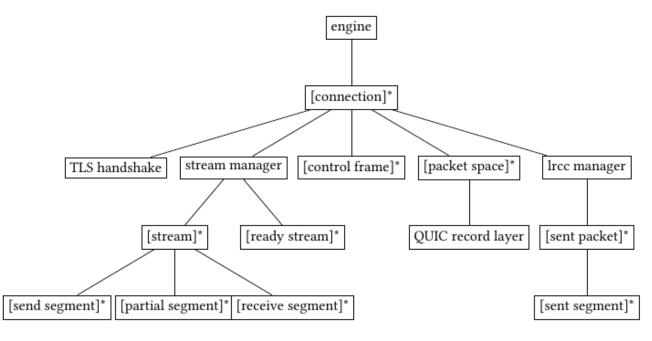
- Preserve perfect confidentiality of ideal plaintexts
- Preserve secret independence of concrete plaintexts

Properties of the concrete spec:

- Conditions for packet formal injectivity
- Conditions (+failure cases) for header encryption correctness
- Conditions for packet number decoding success (+errors)
- Conditions for packet decryption correctness

A safe implementation of the QUIC transport

- We want to integrate our QUIC verified record layer into a full stack implementation for benchmark & interop testing
- The implementation is verified for memory safety in Dafny (with assumed FFI for TLS & QPE)
- This lays the foundation for a fully verified reference implemention



Structure of Dafny modules in our QUIC implementation

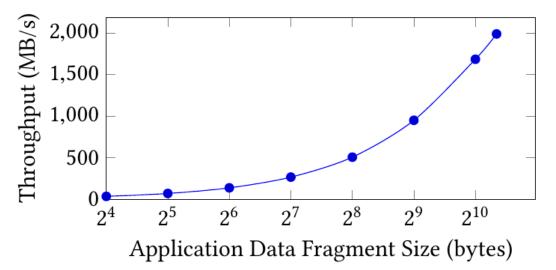
Evaluation

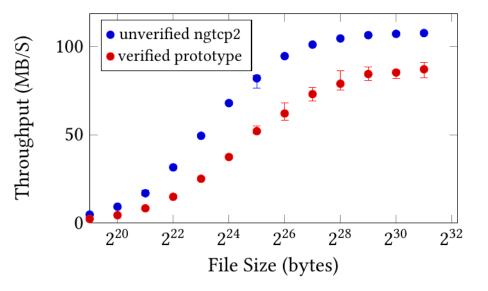
Modules	LoC	Verif.	C/C++ LoC	
Verified Record Layer (§4)				
QUIC.Spec.*	2,570	5m12s	-	
QUIC.Impl.*	2,011	6m32s	-	
QUIC.Model.*	1,317	1m12s	-	
LowParse.Bitfields.*	1,770	1m29s	-	
LowParse.Bitsum.*	2,168	2m05s	-	
Total	9,836	16m30s	-	

QUIC Reference Implementation (§5)

Connection mgmt	4,653	14m12s	-
Data Structures	651	9s	-
Frame mgmt	1,990	1m50s	-
LR & CC	758	11s	-
Stream mgmt	1,495	3m25s	-
Misc	118	2s	-
FFI	558	9s	1461
Server & Client	-	-	648
Total	10,223	19m46s	2,109

Performance of verified packet encryption





Performance of integrated QUIC implementation

Conclusions

- We have formally specified QUIC packet encryption, and proved its correctness & cryptographic security (in a nonce-hiding model)
- We have a safe, secure & correct low-level implementation
- Our fully verified packet stream encryption implementation can sustain ~2GB/s of QUIC payload throughput on a single core
- Our memory safe implementation of the QUIC protocol is within 20% of ngtcp2 in representative file download benchmarks