# Exam 2 Comments

It takes a really bad school to ruin a good student and a really fantastic school to rescue a bad student.

### **General Comments**

- **□** Write your answers in a technical/formal style.
- Do not prove by example. Do not use one instance or one execution sequence to show an algorithm satisfying a property. This is a repeated mistake.
- ☐ Present all key elements as grading is based on how many key elements are answered properly.
- ☐ Use instruction level execution sequences please.

  Some just didn't get it!
- ☐ Justify your answer. For example, if you claim there is a race condition, then show it with **TWO** execution sequences.

### Problem 1(a)

```
int flag[2];
int turn = 0 or 1;
Process i
repeat
   flag[i] = REQUESTING;
   while (turn!=i && flag[j]!=OUT CS)
   flag[i] = IN CS;
until flag[j] != IN CS;
turn = i;
// critical section
turn = j;
flag[i] = OUT CS;
```

```
P_0 is in CS if
flag[0] = IN_CS
flag[1] != IN_CS
```

```
P<sub>1</sub> is in CS if
flag[1] = IN_CS
flag[0] != IN CS
```

This is impossible!

The value of turn does not matter

### Problem 1(b)

```
bool flag[2]; // global flags
Process 0
                  Process 1
flag[0] = TRUE; \longleftrightarrow flag[1] = TRUE;
while (flag[1]) { while (flag[0]) {
  flag[0] = FALSE; flag[1] = FALSE;
  while (flag[1]) while (flag[0])
  flag[0] = TRUE; \longleftrightarrow flag[1] = TRUE;
                // in critical section
flag[0] = FALSE; flag[1] = FALSE;
```

If both processes are executing in a fully synchronized way, they will loop forever.

Thus, the finite decision time condition fails.

### **Problem 1(c): 1/9**

- □ A *race condition* is a situation in which more than one processes or threads access a shared resource concurrently, and the result depends on the order of execution.
- ☐ Use instruction level execution sequences for your examples.
- ☐ You must show sharing in your exe. sequences.
- ☐ It takes **two** execution sequences to justify the existence of a race condition, because **you need to show the results depend on the order of execution**.

### **Problem 1(c): 2/9**

This is not a valid example to show the existence of a race condition because variable **x** is not shared concurrently.

### **Problem 1(c): 3/9**

int Count = 10;

Process 1 Process 2

Count++; Count--;

**Higher-level language statements** are not atomic

Count = 9, 10 or 11?

Only say Count++ and Count-- would cause a race condition is inaccurate because the "sharing" and "concurrent access" conditions are not addressed.

### **Problem 1(c): 4/9**

```
Process 1
Process 2

LOAD Reg, Count LOAD Reg, Count
ADD #1
STORE Reg, Count STORE Reg, Count
STORE Reg, Count
```

The problem is that the execution flow may be switched in the middle. *Possible answers are 9, 10 or 11.* Show two execution sequences.

### **Problem 1(c): 5/9**

Inst	Process Reg	1 Memory	Inst	Process Reg	2 Memory	
LOAD	10	10		Neg	Without y	
			LOAD	10	10	
			SUB	9	10	
ADD	11	10				
STORE	11	11 ←	overwrite	s the previo	ous value 11	
			STORE	9	9	

### **Problem 1(c): 6/9**

	<b>Process</b>	1		Process	<b>2</b>
Inst	Reg	Memory	Inst	Reg	Memory
LOAD	10	10			
ADD	11	10			
			LOAD	10	10
			SUB	9	10
		444	STORE	9	<b>→</b> 9
STORE	11	11	overwrites	the previo	
					10

### **Problem 1(c): 7/9**

- You should use instruction level interleaving to demonstrate the existence of race conditions, because
  - a) higher-level language statements are not atomic and can be switched in the middle of execution
  - b) instruction level interleaving can show clearly the "sharing" of a resource among processes and threads.

### **Problem 1(c): 8/9**

int 
$$a[3] = \{ 3, 4, 5 \};$$

#### **Process 1**

**Process 2** 

$$a[1] = a[0] + a[1];$$

$$a[2] = a[1] + a[2];$$

**Execution Sequence 1** 

Process 1	Process 2	Array a[]
a[1]=a[0]+a[1]		{ 3, 7, 5 }
	a[2]=a[1]+a[2]	{ 3, 7, 12 }

There is no concurrent sharing, not a valid example for a race condition.

**Execution Sequence 2** 

Process 1	Process 2	Array a[ ]
	a[2]=a[1]+a[2]	{ 3, 4, 9 }
a[1]=a[0]+a[1]		{ 3, 7, 9 }

### **Problem 1(c): 9/9**

```
Int Count = 10;
Process 1
LOAD Reg, Count
ADD #1
STORE Reg, Count
STORE Reg, Count
STORE Reg, Count
```

variable count is shared concurrently here

	Process 1	Process 2	Memory
	LOAD Reg, Count		10
I		LOAD Reg, Count	10
		SUB #1	10
y\	ADD #1		10
	STORE Reg, Count		11
		STORE Reg, Count	9

### **Problem 2(a): 1/2**

#### $\square AABAB$ is possible.

$A_1$	$A_2$	$B_1$	$A_3$	$B_2$	Sem X	Sem Y
					2	0
Wait(X)					1	0
Signal(Y)					1	1
	Wait(X)				0	1
	Signal(Y)				0	2
		Wait(Y)			0	1
		Wait(Y)			0	0
		Signal(X)			1	0
		Signal(Y)			1	1
AAB finish	es here		Wait(X)		0	1
			Signal(Y)		0	2
				Wait(Y)	0	1
				Wait(Y)	0	0
				Signal(X)	1	0
				Signal(Y)	1	1

### **Problem 2(a): 2/2**

#### $\square AABBA$ is impossible.

$A_1$	$A_2$	$B_1$	$B_2$	$A_3$	Sem X	Sem Y
					2	0
Wait(X)					1	0
Signal(Y)					1	1
	Wait(X)				0	1
	Signal(Y)				0	2
		Wait(Y)			0	1
		Wait(Y)			0	0
		Signal(X)			1	0
		Signal(Y)			1	1
AAB finish	es here		Wait(Y)		0	0
			Wait(Y) <b>←</b>		0	-1
	can never r	each here	Signal(X)			
			Signal(Y)		•	
				B <sub>2</sub> blocks	here	

### **Problem 2(b): 1/8**

```
Waiting = Newcomers = 0;
 1 int
 2 int
              i;
 3 Semaphore Mutex = 1, Empty = 0;
   // Entry
  Mutex.Wait();
  if (Newcomers == n || Waiting > 0) {
      Waiting++;
   🥦 Mutex.Signal(); 🚤
         Empty.Wait();
        Mutex.Wait();
10
            Waiting--;
11
            Newcomers++;
12
        Mutex.Signal();
13 }
14 else {
      Newcomers++;
   Mutex.Signal();
17 }
   // do business
   // Exit
18 Mutex.Wait();
19
      Newcomers--;
      if (Newcomers == 0)
20
         for (i = 1; i < Waiting; i++)
21
            Empty.Signal();
22
23
24 Mutex.Signal()
```

pass-the-baton means the exiting thread that holds the baton (i.e., critical section) does not release the CS.
Instead, it hands the baton (i.e., CS) to the next entering thread.

In this way, the exiting thread does not call Signal and the entering thread does not cal Wait.

Thus, we should study the Mutex.Signal() calls to identify whether pass-the-baton is possible.

### **Problem 2(b): 2/8**

```
Waiting = Newcomers = 0;
 1 int
 2 int
              i;
 3 Semaphore Mutex = 1, Empty = 0;
   // Entry
  Mutex.Wait();
  if (Newcomers == n || Waiting > 0) {
      Waiting++;
   Mutex.Signal();
         Empty.Wait();*
        Mutex.Wait();
10
            Waiting--;
            Newcomers++;
11
12
        Mutex.Signal();
13 }
14 else {
      Newcomers++;
   Mutex.Signal();
17 }
   // do business
   // Exit
18 Mutex.Wait();
19
      Newcomers--;
      if (Newcomers == 0) {
20
         for (i = 1; i <= Waiting; i++)
21
            Empty.Signal();
22
23
```

24 Mutex.Signal();

Each Mutex.Signal() allows a thread waiting on Mutex.Wait() to be released.

If a thread has the baton (Mutex) and releases a thread from Empty, this released thread can have the baton.

a thread executing here has the baton (Mutex)

### **Problem 2(b): 3/8**

```
Waiting = Newcomers = 0;
  1 int
  2 int
                i;
  3 Semaphore Mutex = 1, Empty = 0;
    // Entry
  4 Mutex.Wait();
  5 if (Newcomers == n || Waiting > 0) {
  6
       Waiting++;
       Mutex.Signal();
          Empty.Wait();
– – 9- – – – – Muten -Wait-(+)
                                Because the released thread has the baton,
 10
              Waiting--;
                                the wait on Mutex is not needed!
              Newcomers++;
 11
 12
          Mutex.Signal();
 13 }
 14 else {
 15
       Newcomers++;
 16
       Mutex.Signal();
                                      baton is given to the released thread
 17 }
    // do business
    // Exit
 18 Mutex.Wait();
 19!
       Newcomers--;
       if (Newcomers == 0) {
 20
           for (i = 1; i <= Waiting; i++)
 21
              Empty.Signal();
 22
 23
```

24 Mutex.Signal();

### **Problem 2(b): 4/8**

```
Waiting = Newcomers = 0;
 1 int
 2 int
               i;
 3 Semaphore Mutex = 1, Empty = 0;
   // Entry
 4 Mutex.Wait();
 5 if (Newcomers == n || Waiting > 0) {
 6
      Waiting++;
                                         If Newcomers \neq 0, no thread waiting on Empty is released,
      Mutex.Signal();
          Empty.Wait();
                                         and no baton is passed. So, this thread just goes away:
— <del>9 — — — - Mutex -Wait-() ;- — — —</del> -
10
             Waiting--;
                                         18 Mutex.Wait();
             Newcomers++;
11
                                         19
                                                Newcomers--;
12
          Mutex.Signal();
                                         20
                                                if (Newcomers == 0) {
13 }
                                                    for (i = 1; i <= Waiting; i++)
                                         21
14 else {
                                         22
                                                       Empty.Signal();
                                         23
15
      Newcomers++;
16
      Mutex.Signal()
                                         24a
                                                 else
17 }
                                         24b
                                                     Mutex.Signal();
   // do business
   // Exit
18 Mutex.Wait();
19
      Newcomers--;
20
      if (Newcomers == 0) {
21
          for (i = 1; i \le Waiting; i++)
22
             Empty.Signal();
                                                                                   19
23
```

24 Mutex.Signal();

### **Problem 2(b): 5/8**

```
4 Mutex.Wait();
 5 if (Newcomers == n \mid \mid Waiting > 0) {
      Waiting++;
 6
     Mutex.Signal();
         Empty.Wait();
   10
            Waiting--;
11
            Newcomers++;
12
         Mutex.Signal();
13 }
14 else {
15
     Newcomers++;
16
     Mutex.Signal();
17 }
   // do business
   // Exit
18 Mutex.Wait();
19
     Newcomers--;
20
     if (Newcomers == 0) {
21
         for (i = 1; i <= Waiting; i++);
22
            Empty.Signal();
23
24a
      else
24b
         Mutex.Signal();
```

#### Is this solution correct?

No, this is an incorrect solution.

If Newcomers = 0, the exiting thread signals Waiting times. Therefore,

Waiting number of threads get the baton.

Oops! mutual exclusion is violated.

Only one baton can be passed to maintain mutual exclusion!

### **Problem 2(b): 6/8**

```
4 Mutex.Wait();
 5 if (Newcomers == n \mid \mid Waiting > 0) {
 6
      Waiting++;
      Mutex.Signal();
          Empty.Wait();
     – – – <del>Muten -Wait-()</del> ;
10
             Waiting--;
             Newcomers++;
11
12
          Mutex.Signal();
13 }
14 else {
15
      Newcomers++;
16
      Mutex.Signal();
17 }
   // do business
   // Exit
18 Mutex.Wait();
19
      Newcomers-
20
      if (Newcomers == 0)
   ----for-(i-='-l-;-i-<= Waiting--i++)-
22
             Empty.Signal();
23
24a
      else
24b
          Mutex.Signal();
```

Because only one baton can be passed, by removing the for loop, we get it done!

This is my expectation.

#### But, is there something wrong?

The original version allows Waiting threads to go; but, this modified version makes the release sequential.

This is the problem.

### **Problem 2(b): 7/8**

```
4 Mutex.Wait();
  5 if (Newcomers == n \mid \mid Waiting > 0) {
  6
        Waiting++;
        Mutex.Signal();
           Empty.Wait();
      — — — - Muten -Wait-(-) --
 10
              Waiting--;
 11
              Newcomers++;
 12
           Mutex.Signal();
 13 }
          release next thread her
 14 else {
 15
        Newcomers++:
 16
        Mutex.Signal();
 17 }
     // do business
     // Exit
 18 Mutex.Wait();
 19
        Newcomers--;
 20
        if (Newcomers == 0) {
-21----for-(i--1;-i-<- Waiting--i++)-
 22
              Empty.Signal();
 23
 24a
        else
           Mutex.Signal();
 24b
```

#### Return to the entry section.

A thread gets the baton can have access to Waiting and Newcomers.

Hence, this released can perform the task that was supposed to be done by the releasing thread in the exit section. Consequently, the released thread should continue releasing the threads blocked on Empty.

### **Problem 2(b): 8/8**

```
4 Mutex.Wait();
 5 if (Newcomers == n \mid \mid Waiting > 0) {
 6
      Waiting++;
      Mutex.Signal();
         Empty.Wait();
10
            Waiting--;
11 Newcomers++;
11a
            if (Waiting != 0)
11b
              Empty.Signal();
11c
            else
12
              Mutex.Signal();
13 }
14 else {
15
      Newcomers++;
16
      Mutex.Signal();
17 }
      do business
   // Exit
18 Mutex.Wait();
19
      Newcomers--;
20 if (Newcomers == 0) {
-21----for-(i-= 1, i-<=-Waiting, i++)
22
            Empty.Signal();
23
i24a
    else
        Mutex.Signal();
124b
```

Here, the group releasing using for is changed to cascading releases.

Upon exiting, the release thread who has the baton releases the next thread blocked by Empty.

If there is no thread blocked by Waiting, then release the baton.

### **Problem 2(c): 1/2**

☐ Two adults requires six signals to Center to leave completely. However, three children can only provide three signals, which are not enough to release both adults.

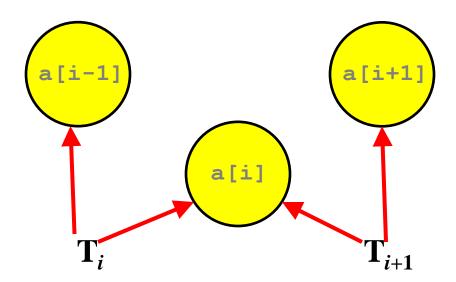
### **Problem 2(c): 2/2**

☐ Three children can only provide 3 signals to Center, insufficient to release the 2 adults.

Adult A <sub>1</sub>	Adult A <sub>2</sub>	Child C <sub>1</sub>	Child C <sub>2</sub>	Child C <sub>3</sub>	Enter	Center
					0	0
S Enter ×3	S Enter ×3				6	0
Wait C	Wait C				6	-2
		Wait Enter			5	-2
		Sig Center			5	-1
Wait C			Wait Enter		5	-2
			Sig Center		5	-1
	Wait C			Wait Enter	4	-1
				Sig Center	4	0
Wait C						

### **Problem 3(a): 1/3**

- Thread  $T_i$  accesses data a [i-1] and a [i], thread  $T_{i-1}$  accesses data a [i-2] and a [i-1], and thread  $T_{i+1}$  access data a [i] and a [i+1].
- ☐ This looks like the dining philosophers problem.
- ☐ Each a[i] requires a semaphore for protection.



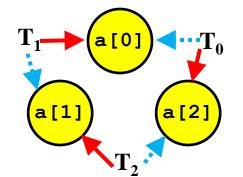
### **Problem 3(a): 2/3**

```
Semaphore s[1..n-1] = \{ 1, 1, ..., 1 \};
Thread<sub>i</sub> (1 \le i \le n-1)
while (not done) {
    s[i-1].Wait();
        in = a[i-1]; // copy a[i-1] to local memory
    s[i-1].Signal(); // to avoid locking it too long
// use in rather than a[i-1] directly
// it is also possible to have a race condition
    when testing the value of a[i-1] in an if statement
// it is safer to make a copy than having a race.
// other statements not involving a[i] and a[i-1]
    s[i].Wait();
        a[i] = in;
    s[i].Signal();
```

### **Problem 3(a): 3/3**

#### Some of you did something like this:

```
Semaphore s[1..n-1] = \{ 1, 1, ..., 1 \};
Thread<sub>i</sub> (1 \le i \le n-1)
while (not done) {
                                            left chopstick
    s[i-1].Wait();
        ...a[i-1]...; // lock a[i-1] right chopstick
       s[i].Wait(); // lock a[i]
          ...a[i]...
   other statements not involving a[i] and a[i-1]
        s[i].Signal(); // unlock s[i]
    s[i-1].Signal(); // unlock s[i-1]
```



Deadlock can occur.

Did you remember the dining philosophers problem?

### **Problem 3(b): 1/4**

```
Semaphore Mutex = 1, listProtection = 1; int Count = 0;
Searcher
                                 Deleter
while (1) {
                                 while (1) {
   Wait(Mutex);
                                   • Wait (listProtection)
      Count++;
                                     // delete a node
      if (Count == 1)
                                     Signal (listProtection)
                                   do something
         Wait(listProtection)
   Signal (Mutex);
   // do search work
                                          this is a writer
   Wait(Mutex);
      Count--;
      if (Count == 0)
         Signal(listProtection);
  Signal (Mutex);
   // use the data
```

### **Problem 3(b): 2/4**

- ☐ Thus, searchers and deleters are readers and writers in the readers-writers problem.
- ☐ Searchers search concurrently, while deleters must delete exclusively.
- ☐ Inserters run concurrently with searchers; but, inserters require exclusive access among inserters and deleters.
- ☐ Therefore, inserters are just searchers with exclusive access among all inserters!

### **Problem 3(b): 3/4**

```
Semaphore Mutex = 1, listProtection = 1; int Count = 0;
Semaphore insertProtection = 1;
while (1) {
   Wait(insertProtection); <-----exclusive use for inserters
      Wait(Mutex);
         Count++;
         if (Count == 1)
            Wait(listProtection);
      Signal (Mutex);
      // do insertion
      Wait(Mutex);
         Count--;
         if (Count == 0)
            Signal(listProtection);
      Signal (Mutex) ;
   Signal (insertProtection); 4.
```

### **Problem 3(b): 4/4**

```
Semaphore Mutex = 1, listProtection = 1; int Count = 0;
Semaphore insertProtection = 1;
while (1) {
  Wait(Mutex);
      Count++;
      if (Count == 1)
         Wait(listProtection);
                                   This one forces inserters to
  Signal(Mutex);
                                   compete with searchers
   Wait(insertProtection); 
                                   and can cause contention
      // do insertion
                                   clogging the Mutex.
   Signal (insertProtection); A
   Wait(Mutex);
      Count--;
      if (Count == 0)
         Signal(listProtection);
   Signal (Mutex) ;
```

### Summary: 1/4

- ☐ Problem 1(a) is very simple. You should get at least 8 points.
- □ Problem 1(b) is a variation of Attempt II. You should get10 points. So far, you should have 18pts.
- □ Problem 1(c) is a recycled problem. You should get at least8 points. So, you should have 26 points.
- □ Problem 2(a) is also easy. I expect you to receive at least 7 pts. Now, you should have 33 points.
- □ Problem 2(b) is a bit tricky, as it requires you to understand the *pass-the-baton* technique fully. I expect you to receive 5 points. So, you should have 38 points so far.

### Summary: 2/4

- □ Problem 2(c) is simple enough. Actually, by counting the number of waits and signals, you should have a good guess for how the deadlock can happen. I expect you to get 8 points. Thus, you should have about 46 points.
- □ Problem 3(a) is a variation of the Philosophers problem with a [i] and a [i+1] being chopsticks *i* and *i*+1. I expected you to get 10 pts. Now, you should have 56 pts.
- ☐ If you read carefully, Problem 3(b) is variation of the readers-writers problem with a little more complexity. Getting about 10 points would be reasonable. Thus, you should have at least 66 points.

### Summary: 3/4

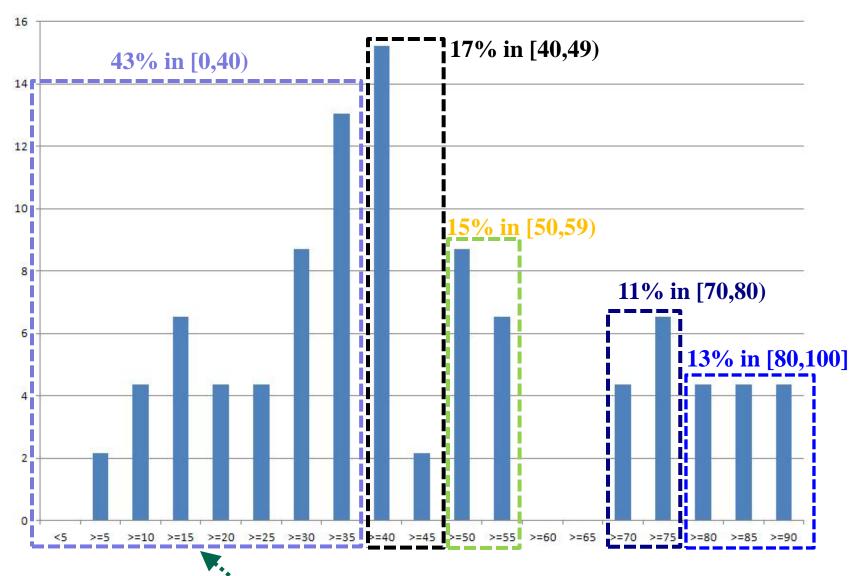
## □ I expected you to receive approximately 60 points as shown below.

edian	Me	Average	Expected	Possibl e	blem	Pro
11		9	8	15	A	1
5		7	10	15	В	
8		8	8	10	C	
7		6	7	10	A	2
0		3	5	10	В	
5		5	8	10	C	
0		4	10	15	A	3
5		6	10	15	В	
42		46	66	100	Total	,
		6	10 10	15 15	A B	

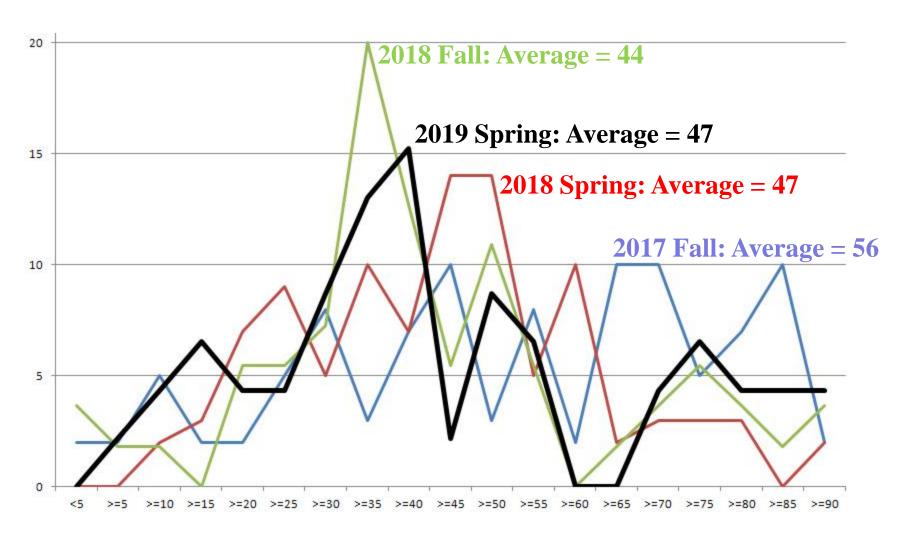
### Summary: 4|4

	1a	1b	1c	2a	2b	2c	3a	3b	Class
Min	0	0	0	0	0	0	0	0	9
Max	15	15	10	10	7	10	15	15	97
Median	11	5	8	7	0	5	0	5	42
Avg	9	7	8	6	3	5	4	6	46
St DEV	6	7	3	4	3	4	5	6	24

### **Grade Distribution**

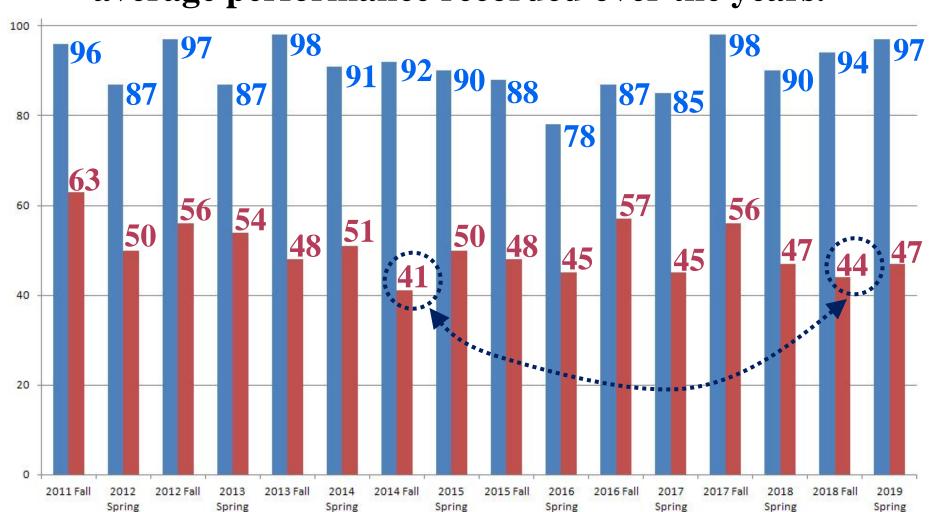


# Grade Distribution Compared with Last Few Semesters



### Comparison Over the Years

☐ The following is a comparison of Exam II class average performance recorded over the years.



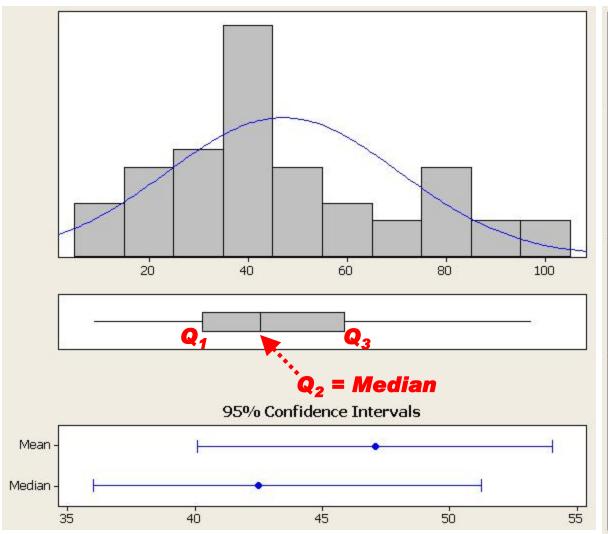
### **Grade Distributions: 2011-2019**

Worst Class and .Worst Evaluation Ever

Grade	11F	12S	12F	<b>13</b> S	13F	<b>14</b> S	14F	<b>15</b> S	15F	16S	16F	17S	17F	18S	18F
A	26	23	12	<b>25</b>	12	19	13	3	16	10	20	14	20	10	<b>25</b>
AB	20	9	4	33	19	21	15	3	6	10	22	7	16	24	4.2
В	11	20	16	17	14	12	9	5	22	12	5	10	14	16	10.4
ВС	6	14	16	8	2	21	15	30	12	17	15	12	11	16	10.4
C	9	6	4	6	7	5	9	14	14	8	5	12	9	9	20.8
CD	3	9	8	3	7	5	9	11	6	12	11	12	9	7	2.1
D	6	6	24	0	24	7	4	14	10	21	2	19	5	14	18.8
F	20	14	16	8	14	10	28	22	12	12	20	14	16	5	8.3
Size	35	35	25	36	42	42	47	37	49	<b>52</b>	<b>55</b>	42	<b>56</b>	<b>58</b>	48

<sup>■</sup> Data shown here only include students who completed this class. Students who did not take the final exam were not included.

### **More Information**



A-Squared	0.91
P-Value	0.019
Mean	47.065
StDev	23.501
Variance	552.285
Skewness	0.534085
Kurtosis	-0.590268
N	46
Minimum	9.000
1st Quartile	30.750
Median	42.500
3rd Quartile	59.500
Maximum	97.000
95% Confidence Ir	nterval for Mean
40.086	54.044
95% Confidence Int	terval for Median
36.000	51.248
95% Confidence In	nterval for StDev
19.492	29,600

### **Parting Thoughts**

- **■** Study our course material effectively.
- ☐ Problems usually require the most basic understanding. Their answers are usually short. If you could not finish all problems, make sure you will understand the subjects thoroughly and develop an efficient way to do your work.
- Exams test your level of understanding rather than how much time you spent on preparation.
- Most students improve in the final. Whether you will improve depends on your understanding.
- $\square$  Make sure your performance is higher than  $Q_1$ .

### The End