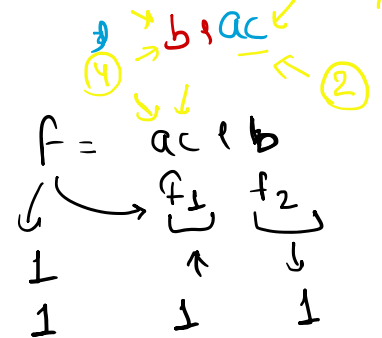
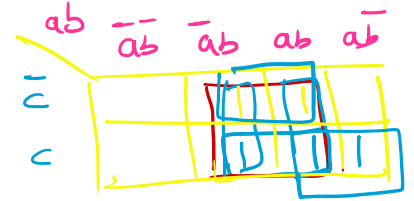


Implicants

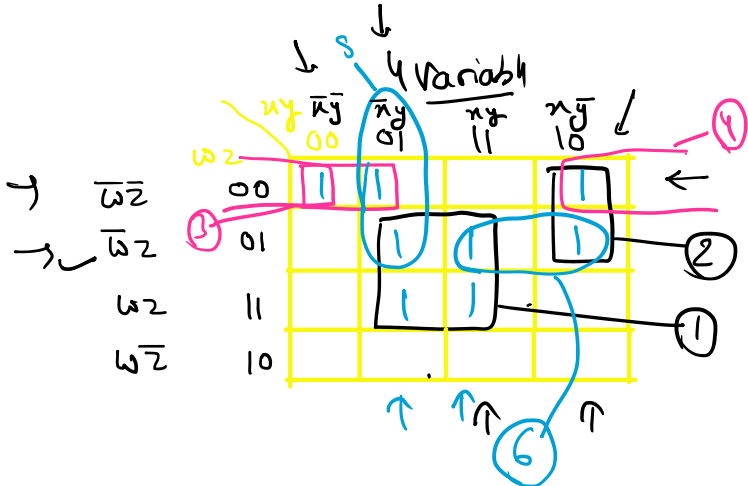
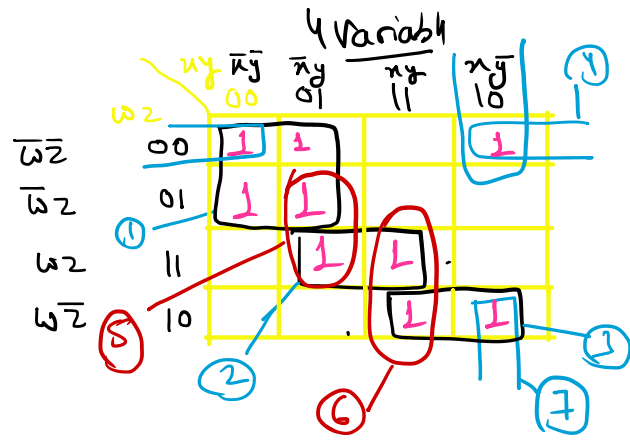
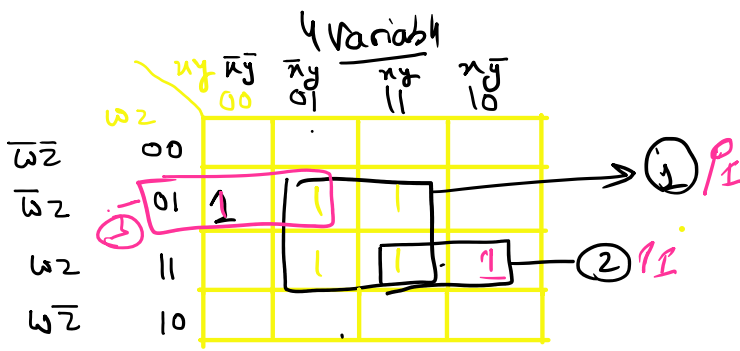
			f_1	f_2	F
a	b	c	ac	b	$ac + b$
0	0	0	0	0	0
0	0	1	0	0	0
0	1	0	0	1	1
0	1	1	0	1	1
1	0	0	0	0	0
1	0	1	1	0	1
1	1	0	0	1	1
1	1	1	1	1	1



Prime Implicants

→ Subcube (P is a product term)

→ Subcube Esa Cahiye jo Kis or Big Cube Cover blatly



→ C.P.I

→ (zy) , $(\bar{x}\bar{y}\bar{w})$, $(\bar{w}\bar{z}\bar{n})$

$(\bar{y}\bar{w}\bar{z})$, $(\bar{w}\bar{x}y)$, $(\bar{w}zn)$ Ans

∩ 0 1 1 1 1 1

∩ 1 1 1 1 1 1 is said to be prime implicants

Prime Implicant

An Implicant (P) of a function (f) is said to be prime implicant if

- i) P is Product term (i.e. Subcube)
- ii) Subcube cannot be part of any other subcubes

Essential Prime Implicant

A prime implicant (P) of a function (f) is said to be an essential prime implicant, if it covers at least one minterm of f which is not covered by any other prime implicant

4 Variables

	w_2	xy	$\bar{x}\bar{y}$	$\bar{x}y$	$x\bar{y}$
		00	01	11	10
\bar{w}_2	00			1	
\bar{w}_2	01	1	1	1	
w_2	11		1	1	1
w_2	10		1		

→ (4) E.P.I

→ (5) P.I

4 Variables

	w_2	xy	$\bar{x}\bar{y}$	$\bar{x}y$	$x\bar{y}$
		00	01	11	10
\bar{w}_2	00				
\bar{w}_2	01	1	1	1	
w_2	11		1		1
w_2	10				1

E.P.I

4 Variables

	w_2	xy	$\bar{x}\bar{y}$	$\bar{x}y$	$x\bar{y}$
		00	01	11	10

4 Variables

	wz	$w\bar{z}$	$\bar{w}z$	$\bar{w}\bar{z}$
$x\bar{y}$	00	01	11	10
$\bar{x}y$	00	01	11	10
$\bar{x}\bar{y}$	00	01	11	10
$x\bar{y}$	00	01	11	10
$\bar{x}y$	00	01	11	10
$\bar{x}\bar{y}$	00	01	11	10
$x\bar{y}$	00	01	11	10

$\therefore P.I \rightarrow 5$
 $\therefore \Sigma P.I \rightarrow 2$

K-MAP \rightarrow Generate K-MAP

\rightarrow Determine P.I

\rightarrow Select Σ P.I

\rightarrow Find minimal Cover (set of P.I's)

4 Variables

	wz	$w\bar{z}$	$\bar{w}z$	$\bar{w}\bar{z}$
$x\bar{y}$	00	01	11	10
$\bar{x}y$	00	01	11	10
$\bar{x}\bar{y}$	00	01	11	10
$x\bar{y}$	00	01	11	10
$\bar{x}y$	00	01	11	10
$\bar{x}\bar{y}$	00	01	11	10
$x\bar{y}$	00	01	11	10

$\therefore P.I \rightarrow Q_1, Q_2, Q_3, Q_4, Q_5$
 $\therefore \Sigma P.I \rightarrow Q_1, Q_2$

$\rightarrow (\bar{z}\bar{y}) + (\bar{w}zy) + (w\bar{x}y)$ Ans

$(2) \Sigma P.I \rightarrow 1(P.I)$
 \downarrow
 $Q_1, Q_2 \neq Q_3$