

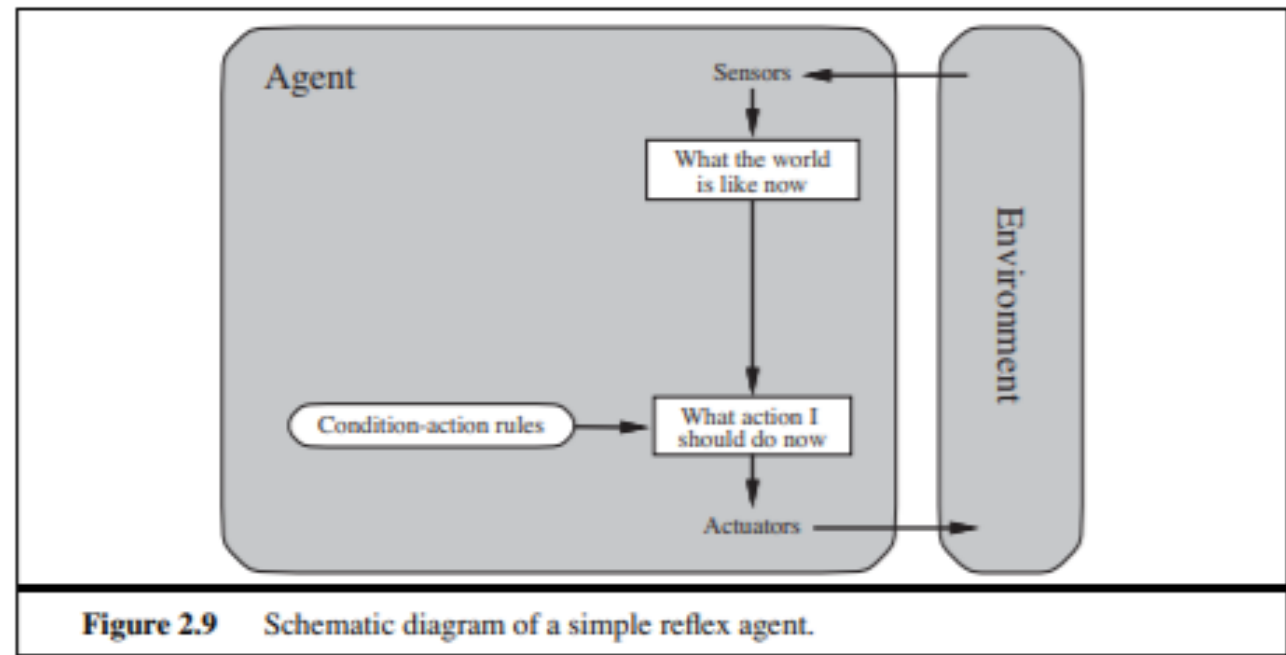


Structure of Agents

- Kinds of agents
 - Simple reflex agents
 - Model based reflex agents
 - Goal-based agents
 - Utility-based agents
 - Learning agents

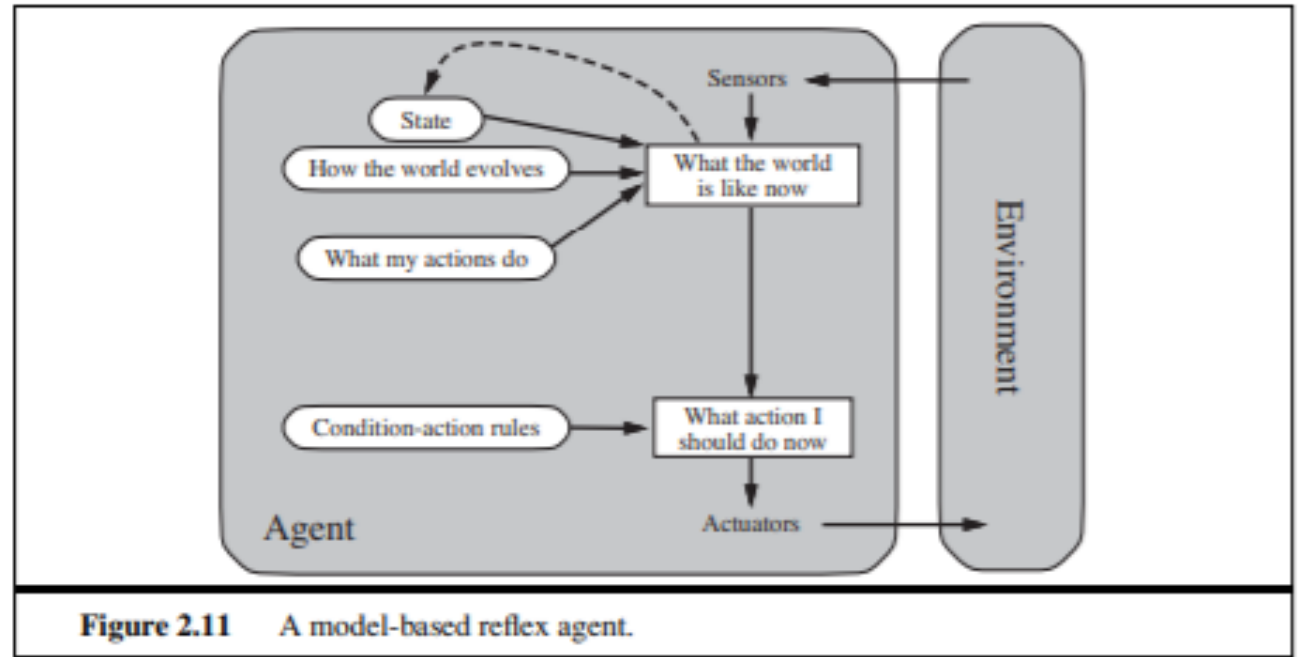
Simple Reflex Agent

- Use simple “if then” rules also called **condition-action rule**
- Can be short sighted
- These agents select actions on the basis of the current percept, ignoring the rest of the percept history.



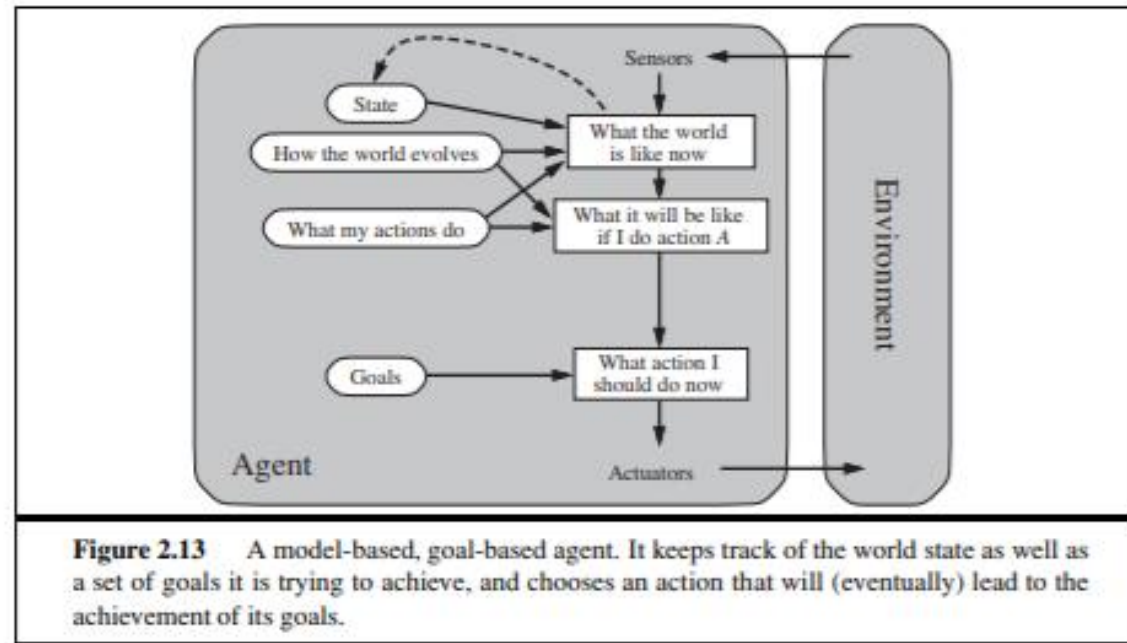
Model based reflex Agent

- Store previously-observed information
- Can reason about unobserved aspects of current state



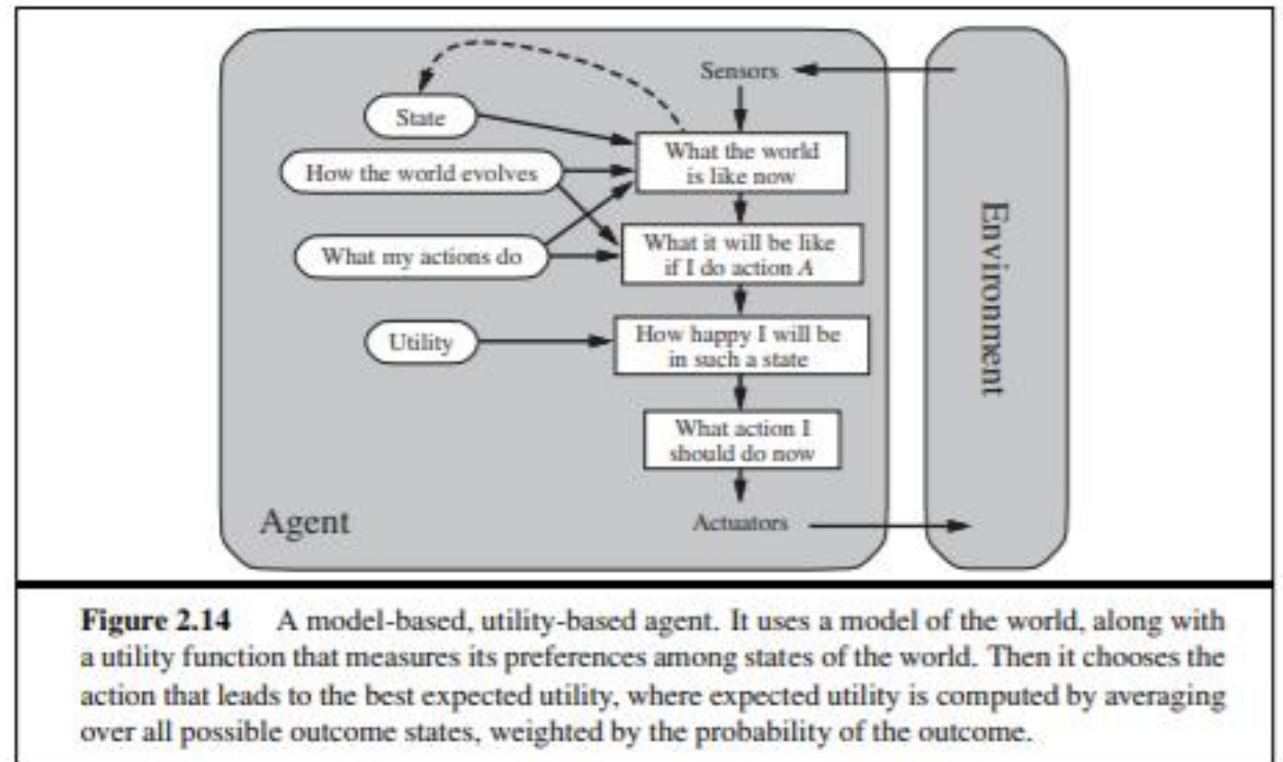
Goal-based Agent

- Goal reflects desires of agents
- May project actions to see if consistent with goals
- Takes time, world may change during reasoning
- They have specific goals or objectives that they try to achieve, and they take actions based on the current percepts and their internal state to reach those goals



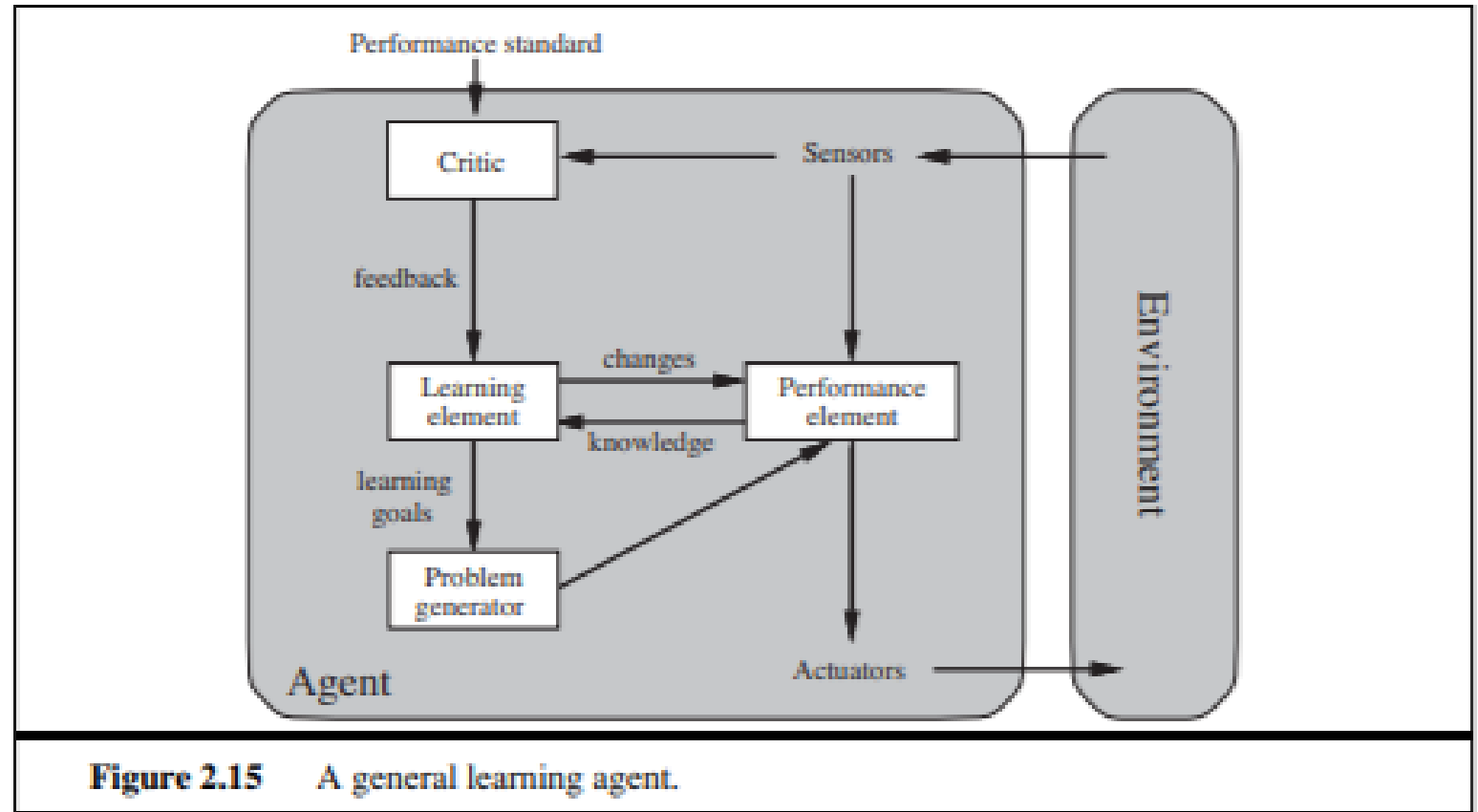
Utility-based Agent

- Goals alone are not enough to generate high-quality behavior in most environments
- Utility is a measure of the value or desirability of a particular state or outcome. The agent uses utility to determine the actions it should take in order to achieve its goals.
- They take into account the long-term consequences of their actions to maximize a specific utility function.



Learning Agent

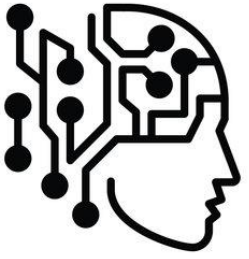
- They are able to improve their performance over time by learning from their experiences and adjusting their behavior accordingly
- The agent uses past experiences and feedback to continuously improve its decision-making and problem-solving abilities.





Homework

- Readings
 - CH 2- Intelligent Agent (Section 2.1 - 2.4)



Artificial Intelligence

CH-3: Solving Problem by Searching



Today's Topic

- Problem Solving Agent
- Problem formulation
 - – What to DO to get a GOAL {What agent type is it?}
- Example problems
- Basic search algorithms



Problem Solving Agent

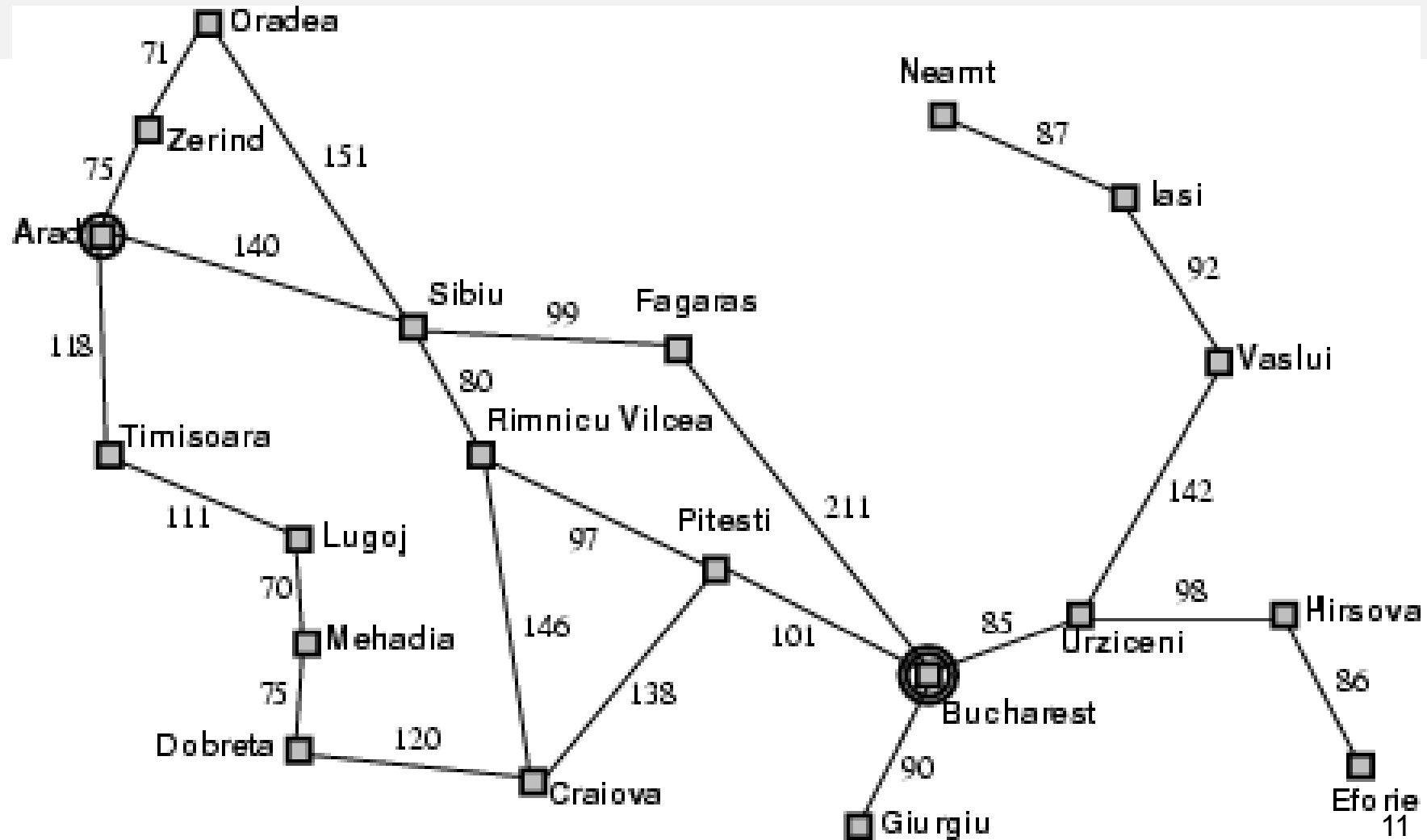
Steps: Goal formulation

Problem formulation

Search

Execute

Example: Romania





Example: Romania

- On holiday in Romania; currently in Arad.
- Flight leaves tomorrow from Bucharest
- **Formulate goal:**
 - be in Bucharest
- **Formulate problem:**
 - **states:** various cities
 - **actions:** drive between cities
- **Find solution:**
 - sequence of cities, e.g., Arad, Sibiu, Fagaras, Bucharest



Problem

A **problem** is defined by four items:

1. **initial state** e.g., "at Arad"
2. **Action, operator or successor function** $S(x)$ = set of action–state pairs
 - e.g., $S(\text{Arad}) = \{ \langle \text{Arad} \rightarrow \text{Zerind}, \text{Zerind} \rangle, \dots \}$

Initial state + successor function – state space

It defines the **possible actions and resulting states** that can be reached from the state "Arad".

The notation $\langle \text{Arad} \rightarrow \text{Zerind}, \text{Zerind} \rangle$ represents an action-state pair, where "Arad" is the current state, "Zerind" is the next state, and " $\rightarrow \text{Zerind}$ " represents the **action** that leads from "Arad" to "Zerind".



Problem

A **problem** is defined by four items:

3. **goal test**: defined in problem e.g. Bucharest

4. **path cost** (additive) : assigns cost to a path

- e.g., sum of distances, number of actions executed, etc.
- $c(x,a,y)$ is the **step cost**, assumed to be ≥ 0
- More than one solutions... select a preferable solution

A **solution** is a sequence of actions leading from the initial state to a goal state



Formulating Problem

- Formulation of Problem includes: initial state, actions, transition model, goal test and path cost---Model
- Real-World factors:
 - the traveling companions
 - the current radio program
 - the scenery out of the window,
 - the proximity of law enforcement officers,
 - the distance to the next rest stop, the condition of the road, the weather, and so on

The process of removing detail from a representation is called **abstraction**

Problem-solving agents

```
function SIMPLE-PROBLEM-SOLVING-AGENT(percept) returns an action
  persistent: seq, an action sequence, initially empty
               state, some description of the current world state
               goal, a goal, initially null
               problem, a problem formulation

  state  $\leftarrow$  UPDATE-STATE(state, percept)
  if seq is empty then
    goal  $\leftarrow$  FORMULATE-GOAL(state)
    problem  $\leftarrow$  FORMULATE-PROBLEM(state, goal)
    seq  $\leftarrow$  SEARCH(problem)
    if seq = failure then return a null action
  action  $\leftarrow$  FIRST(seq)
  seq  $\leftarrow$  REST(seq)
  return action
```

Figure 3.1 A simple problem-solving agent. It first formulates a goal and a problem, searches for a sequence of actions that would solve the problem, and then executes the actions one at a time. When this is complete, it formulates another goal and starts over.



Example Problems

- Toy Problems:
 - It is intended to illustrate various problem-solving methods
 - Use to compare performance of algorithms
- Real-world Problems:
 - Real-world problems are complex, real-life challenges that require a solution
 - It is the one whose solutions people actually care about

Example: The 8-puzzle

- states?
- actions?
- goal test?
- path cost?

7	2	4
5		6
8	3	1

Start State

	1	2
3	4	5
6	7	8

Goal State

Example: The 8-puzzle

- states? locations of tiles
- actions? move blank left, right, up, down
- goal test? = goal state (given)
- path cost? 1 per move

7	2	4
5		6
8	3	1

Start State

	1	2
3	4	5
6	7	8

Goal State

[Note: Optimal solution of n-family Puzzle is NP-hard]



- How many moves will be required to reach the goal state?

7	2	4
5		6
8	3	1

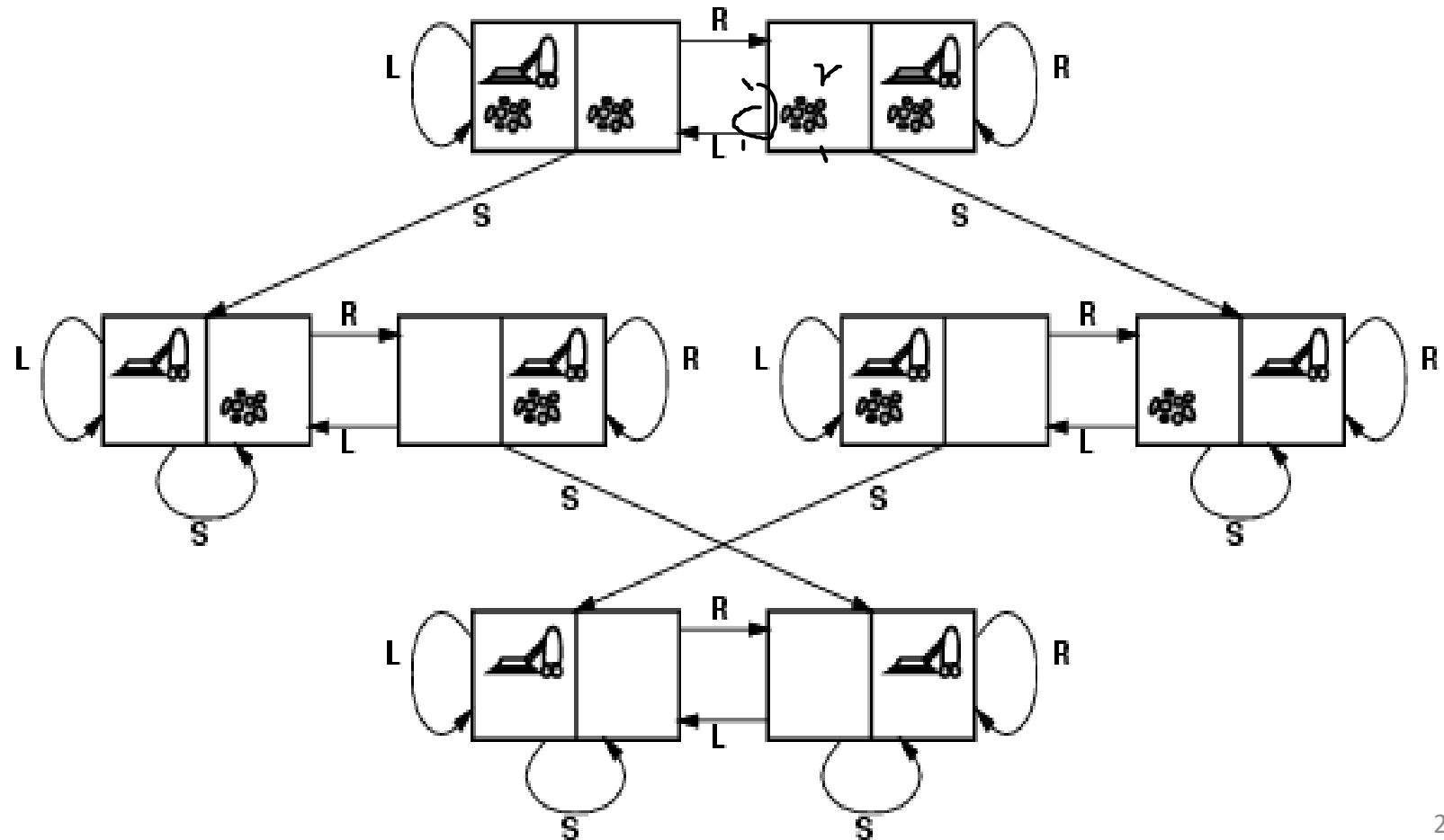
Start State

	1	2
3	4	5
6	7	8

Goal State

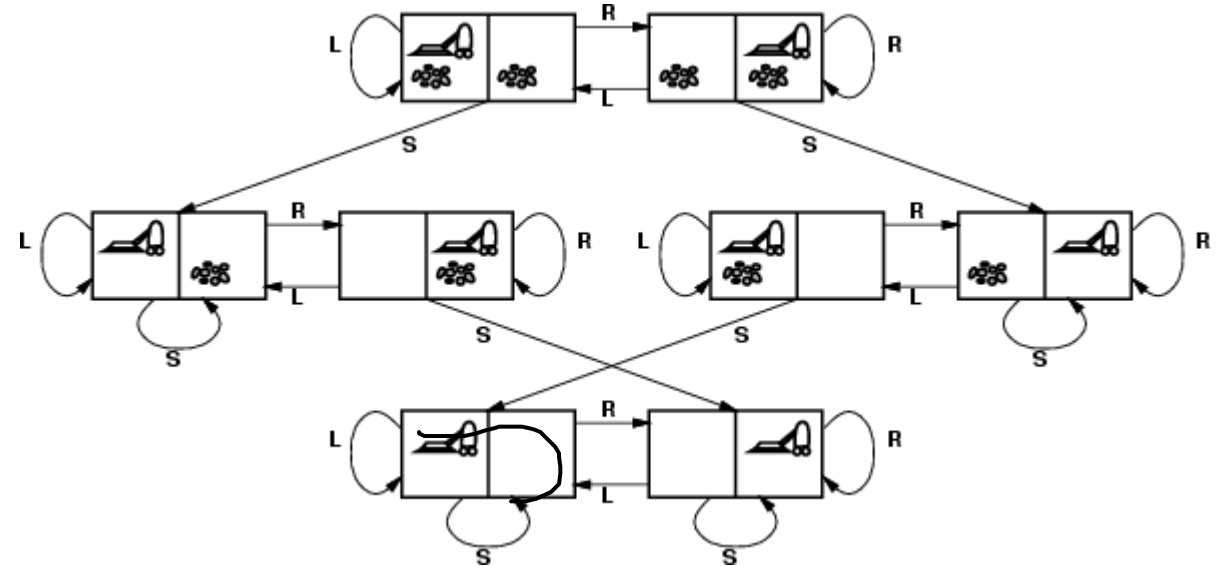
Vacuum world state space graph

- states?
- actions?
- goal test?
- path cost?



Vacuum world state space graph

- states? integer dirt and robot location
- actions? *Left, Right, Suck*
- goal test? no dirt at all locations
- path cost? 1 per action





Problem Formulation Examples

- Toy Problem (Vacuum Cleaner)=done
- 8-Puzzle=done
- 8-Queen Problem
- Route-finding Problem
 - Routing in networks; Operations research (military, business etc); air-line travel planning systems
- Touring Problem (TSP=traveling salesperson Problem)
 - State space include current city + set of cities already visited
 - Application to stocking machines on shop floors; automatic circuit drills

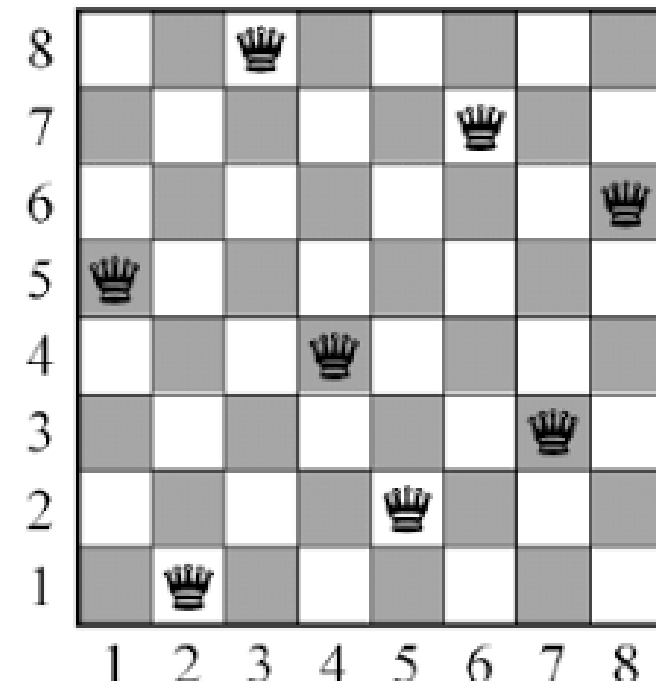


Real-life Examples

- Robot navigation (Ch.25),
- VLSI Layout
- Automatic assembly sequencing (Michie, 1972),
- Protein sequencing(Ch.10)
- Scheduling problems

8-Queen Problem

- Place 8 Queens on chessboard such that no queen attack any other
 - no two queens can be placed on the same row, column, or diagonal.
- Problem Formulation
 - **Complete-state:** all queens placed on the board
 - **Incremental:** maintaining a partially filled board and adding one queen at a time, so it does not threaten any of the previously placed queens





Complete State formulation

- Considers the entire state of the board as a single entity
- Starts with all 8 queens on the board and moves them around until a solution is found.
- **goal test:** 8 queens on board, none attacked
- **path cost:** irrelevant
- **states:** any arrangement of 0-8 queens on the board
- **operators:** add or remove a queen to/from any square
- 64^8 possible combinations to investigate??



Complete State formulation

A more sensible choice would use the fact that placing a queen where it is already under attack cannot work because subsequent placings will not undo the attack. So, try the following instead:

- **States:** Arrangement of n (0 to 8) queens on board, one per column in the leftmost n columns, with no queen attacking any other
- **Action:** Add queen in leftmost empty column such that queen is not attacking any other queen



Incremental formulation

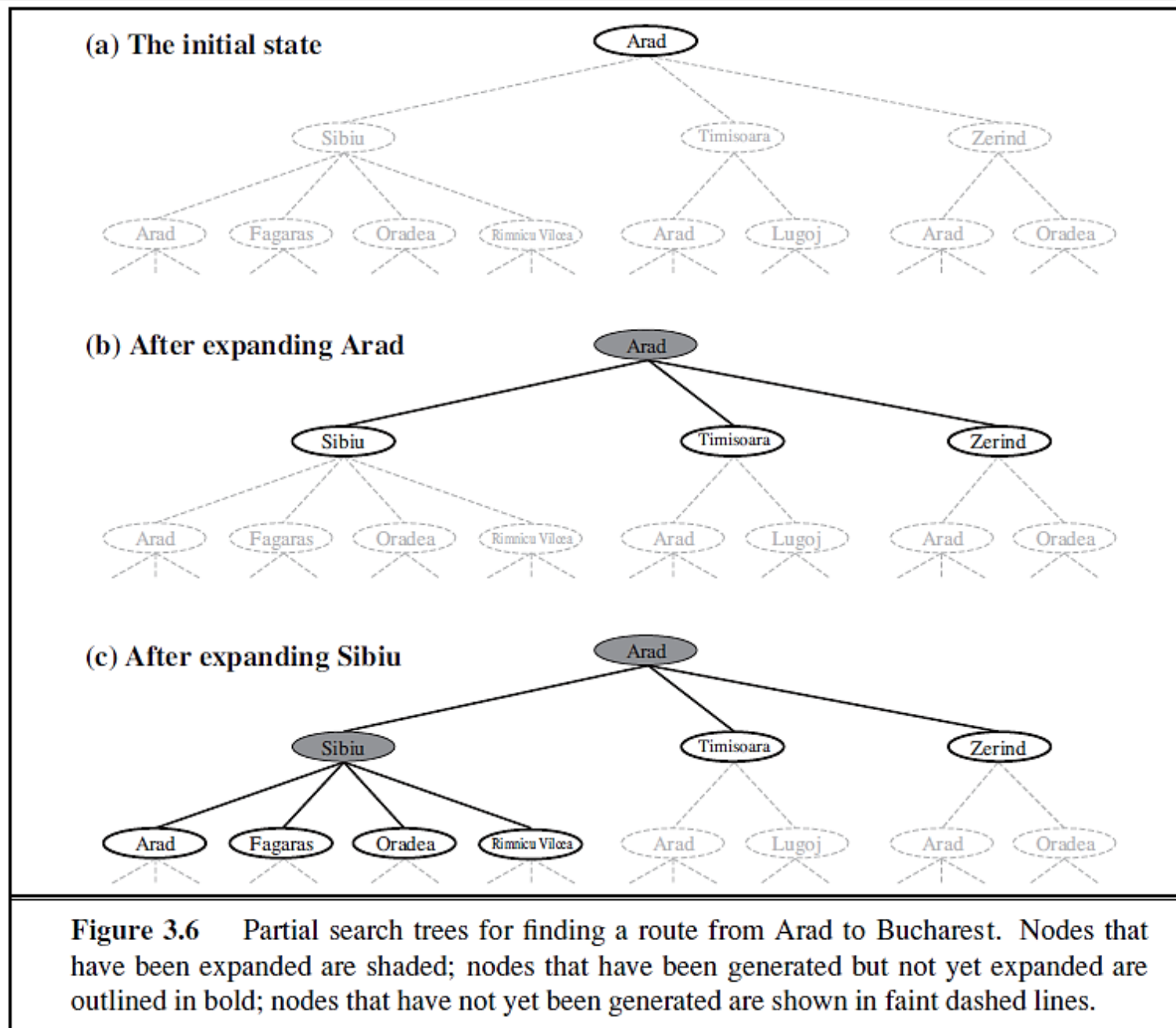
- States: Any arrangement of 0 to 8 queens on the board
- Initial state: No queens on board
- Action: Add queen to any empty cell(square)
- Goal Test: 8 queens on board and no attack
- Path cost: Not Interested
- multiplying the number of possibilities for each queen



Searching for Solutions

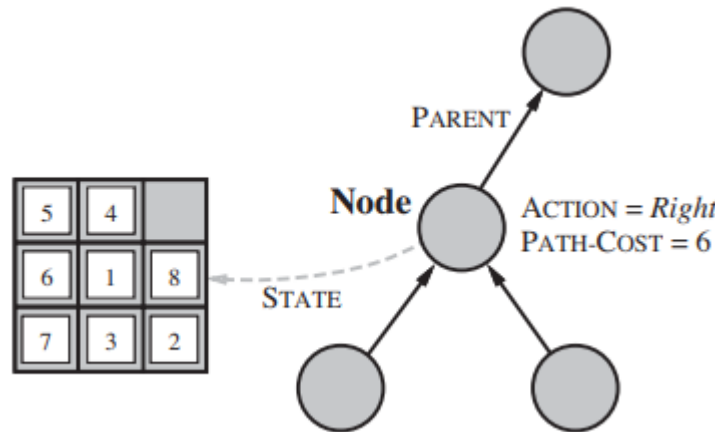
- Search the state space:
 - State space can be represented by a **search tree**
 - Root of the tree is the initial state also called **search node**
 - Children generated through successor function
 - The choice of which state to expand is determined by **search strategy**

Tree Search Example



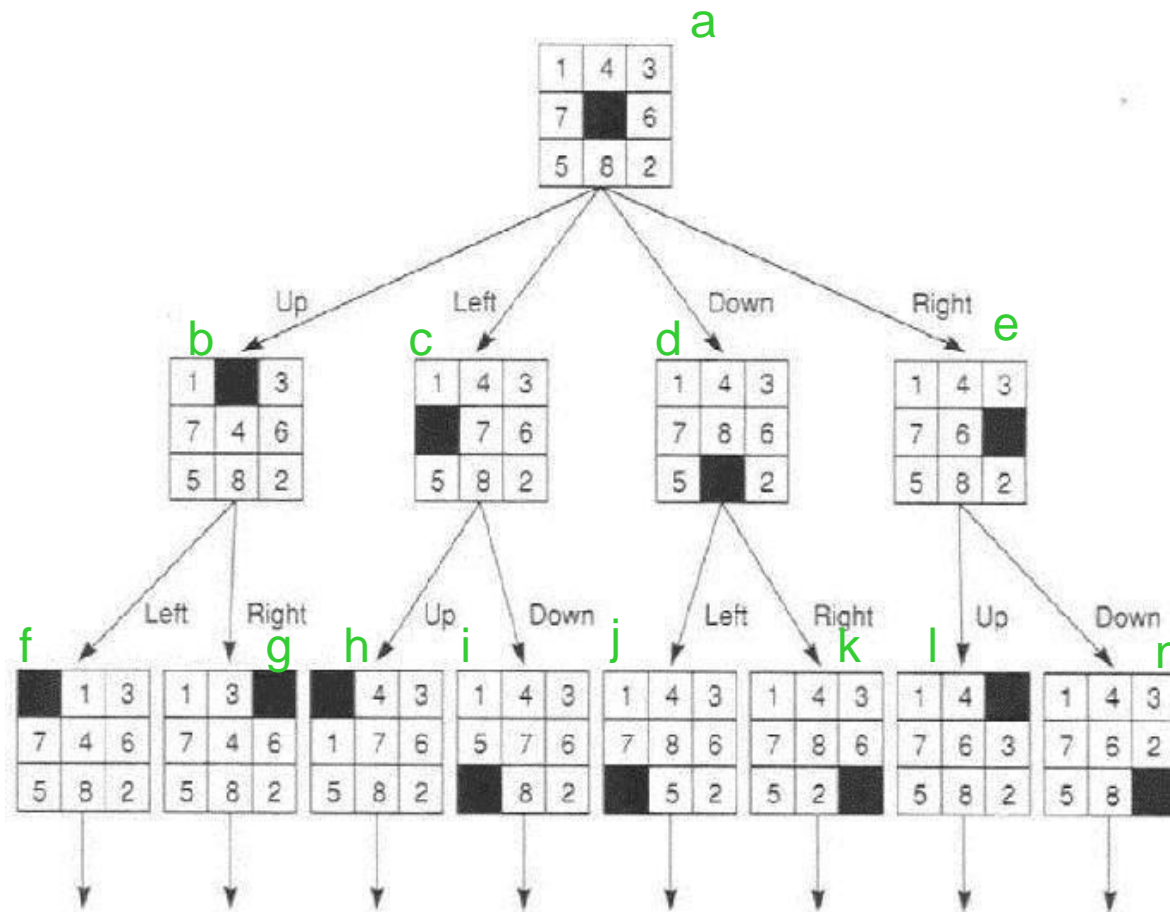
Implementation: states vs. nodes

- A **state** is a (representation of) a physical configuration
- A **node** is a data structure constituting part of a search tree includes **state**, **parent node**, **action**, **path cost** $g(x)$, **depth**



- The `Expand` function creates new nodes, filling in the various fields and using the `SuccessorFn` of the problem to create the corresponding states.

State-space to graph formulation & Searching





Search Graph

A **graph** consists of a set N of **nodes** and a set A of ordered pairs of nodes, called **arcs or edges**.

Node n_2 is a **neighbor** of n_1 if there is an arc from n_1 to n_2 . That is, if $\langle n_1, n_2 \rangle \in A$.

A **path** is a sequence of nodes $n_0, n_1, n_2, \dots, n_k$ such that $\langle n_{i-1}, n_i \rangle \in A$.

A **cycle** is a non-empty path such that the start node is the same as the end node

A **directed acyclic graph** (DAG) is a graph with no cycles

Given a start node and goal nodes, a **solution** is a path from a start node to a goal node.



Search strategies & Measuring Problem-solving Algorithm's Performance

- A search strategy is defined by picking the **order of node expansion**
- Strategies are evaluated along the following dimensions:
 - **Completeness**: Does it always find a solution if one exists?
 - **Time complexity**: How long does it take to solve the problem (number of nodes generated)
 - **Space complexity**: How much memory is needed to perform the search (maximum number of nodes in memory)
 - **Optimality**: does it always find a least-cost solution?



Measuring Problem-solving Algorithm's Performance

- In AI, graph is implicitly represented by initial state and successor function and complexities is expressed in terms of three quantities:
 - Branching factor (b) – maximum number of successors of any node
 - Depth (d) – depth of shallowest goal node
 - m – maximum length of any path in the state space
- Time is often measured in terms of no of nodes generated during the search and space in terms of maximum number of nodes stored in memory
- To assess the effectiveness of a search algorithm, we also consider search cost— which typically depends on the time complexity but can also include a term for memory usage—or we can use the total cost, which combines the **search cost** and **the path cost** of the solution found.



Branching Factor

The ***forward branching factor*** of a node is the number of arcs going out of the node

The ***backward branching factor*** of a node is the number of arcs going into the node

