Moth 1A: lecture:

Introduction 1:1:5 vays to depleent a function lo each elemente n'é to a cet Devaethyone element f(n) of another eertinput -> R-> range D -> domain Write: f: D -> R [Each input has exactly autput]

(1) Kepereentation 1: Norbal En1:

n=time D+ $f(n) \rightarrow (-\infty, \infty) = \mathbb{R}$ mortide lul f(u) = tide level $\mathbb{R} + f(u) \rightarrow [0,100]^{k}$ in wintoly

mintide VI

En2:

n= elauditeum D+H2i) > eet of all woords f(ri) = Google lite R+J(ri) -> \ge 0.... all webspagee ?

 $n=\# \text{ of quantum } D+J(n) \longrightarrow \{0,1,2,3,4\}$ $f(n)= \text{ dery ing time } R+J(n) \longrightarrow \{0,15,30,45,3$

The description specifies a unique output, depending

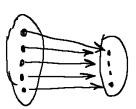
Kopenentation 2: Toble EN1:

Tune / Tide level (st) 21345 lam 6-2345 2am 17.3456 3am

Euz: # qualle \ alexing time

Note: No reputions of domains

entation 3: Arrow Diagram



Notice that I date an have one vange value flien

Nucle exactly one arrow

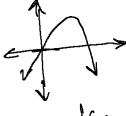
emanating from every dat on the lift.

Repleentation 4: Formulaic (Algebraic)

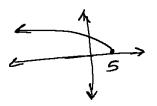
En1:

$$f(n) = 80 - (n-2)^2$$

$$f(n) = 60 - (n-2)^2$$
 R+ $f(n) \rightarrow [0,20]$



En2:



Ens: f(v)= u2+2n n(2+2)

D+ f(n) = (-0,00)021R R+E (+,00)

For which numbers y er y=f(u) for one UER

Representation 4 continued:

Another way book is graphically sowere you are eventially finding the mid point of the graph.

For every not, the formula needs to make ever and produce f(n).

Reprentation 5:

Every westical tous interests
they capt at most once
[Newtical line text]

Domain D: eet of all the u-coardinates for which the meetical line intercept the line

Range R: eet of y-coordinaters which the houizontal line intermet the graph.

En1:

f(n)= 15-n f(0)=5

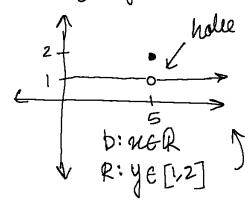
domain: NE (-0,5]

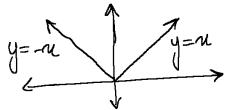
Range: y \([0,00)

Other important functions:

1) Piecewier fructions

$$f(u) = \begin{cases} 1ifu \neq 5 \\ 2ifu = 5 \end{cases}$$

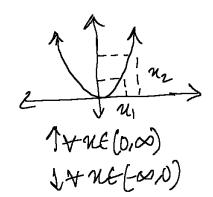




Domain: ner Range: yt [0,00)

Increating 1 decreating functions:

f(n) < f(n) whenever n, < n, f(n) < f(n) whenever n, < n,



Even oold functions:

Even: f(n)=f(n) 0 and : f(-u) = -f(u)

En:
$$f(u) = u^2$$
 $f(u) = u^3$

$$f(n)$$
 $f(n)$
 n

$$f(u) = u^3$$

