



DISCUSSION

Convolutions

2	0
0	2

2x2 convolution
matrix

1	1			
3	4			

100x100
image



DISCUSSION

Convolutions

$$\begin{aligned}\text{Result} &= 1 \times 2 + 1 \times 0 + \\ &\quad 3 \times 0 + 4 \times 2 \\ &= 10\end{aligned}$$

12	10			
30	42			

100x100
image



DISCUSSION

Convolutions

$$\begin{aligned}\text{Result} &= 1 \times 2 + 1 \times 0 + \\ &\quad 3 \times 0 + 4 \times 2 \\ &= 10\end{aligned}$$

10	2	0		
3	4	2		

100x100
image



DISCUSSION

Convolutions

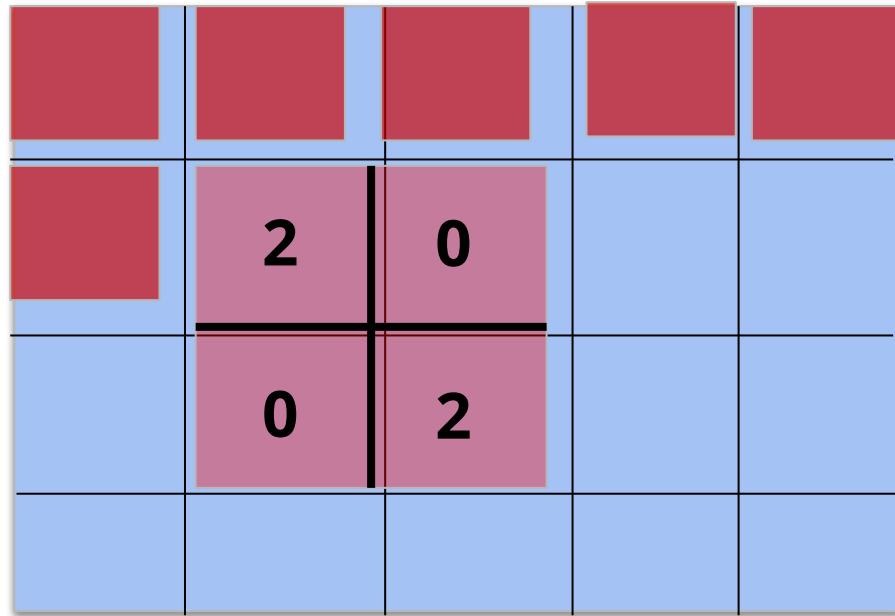
			2	0
			0	2

100x100
image



DISCUSSION

Convolutions



100x100
image

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Convolutions



Convolution



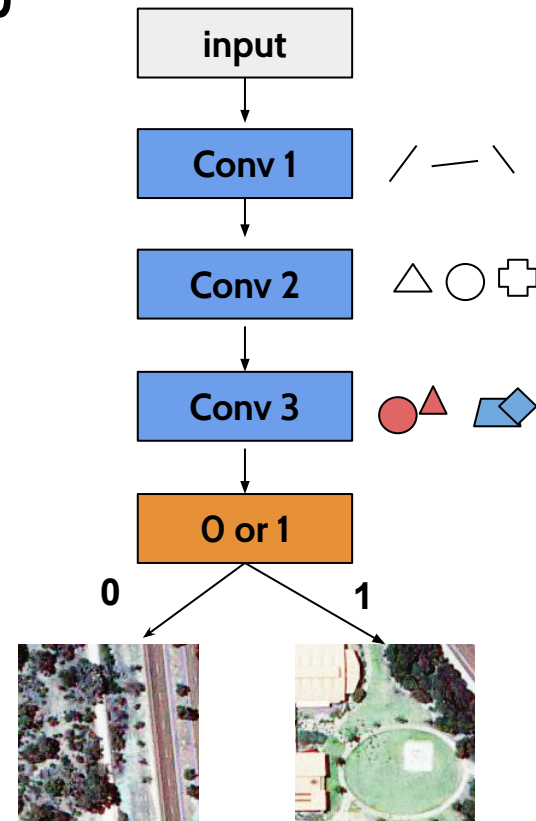
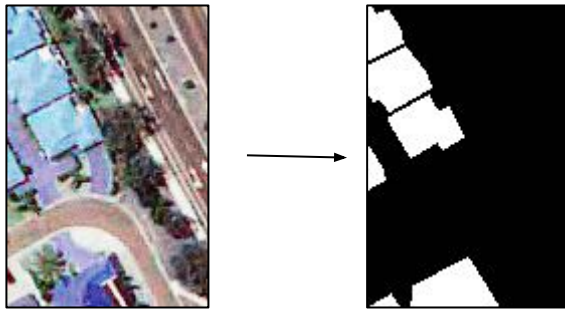
**Scale and Rotational
invariance**

Try building a 3 layer CNN in Ex. 3.1



DISCUSSION Convolutions

- Convolution matrix
- Role of max pooling
- Image based problem types:
 - Classification
 - Semantic Segmentation
 - Object detection

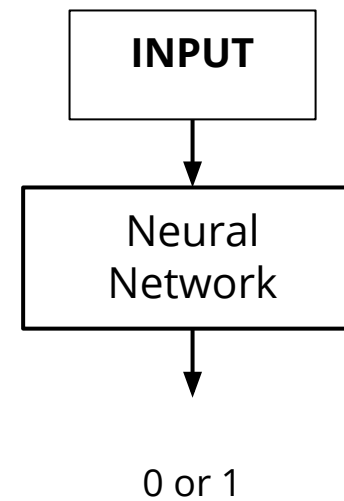
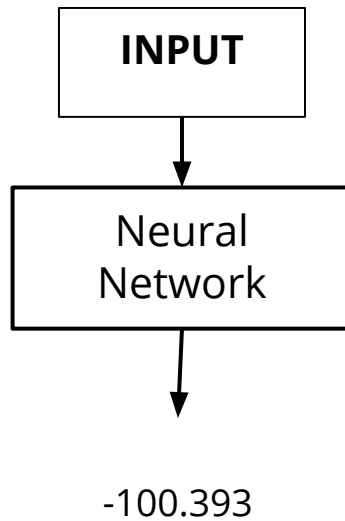




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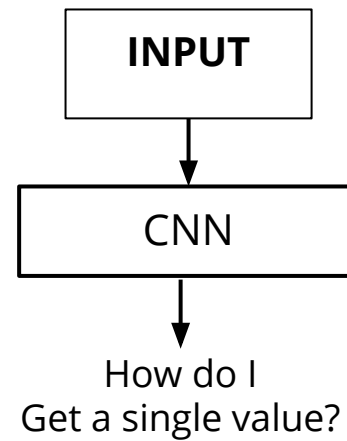
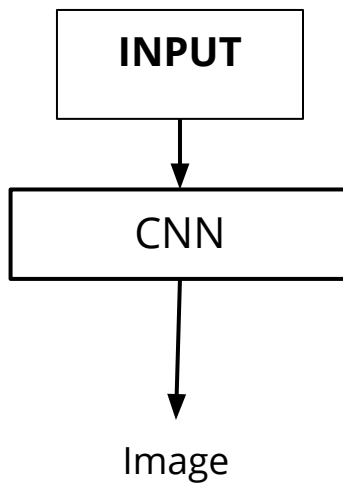
Supervised Learning problem types





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Convolutions



Try Ex. 3.3

Teaser

How do I solve yes/no problems where the output is constrained to lie between **zero** and **1** ?

Can I even have such an output?

Let us, using pyplot, plot this function:

$$1/(1+\exp(-x))$$

Can we, computationally, succeed getting a zero (not 0.0000*something*) or even a perfect 1(not 0.99999*something*) from the above expression

Why is having something close to one/zero (and not one/zero!) so important?
We'll revisit this question later...

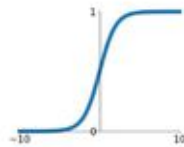
Curve Fitting - Activations

A word about activations. Why neural networks work even for highly non-linear predictions?

Activation Functions

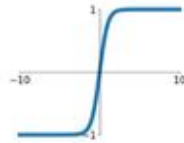
Sigmoid

$$\sigma(x) = \frac{1}{1+e^{-x}}$$



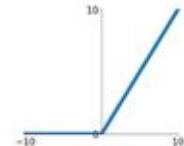
tanh

$$\tanh(x)$$



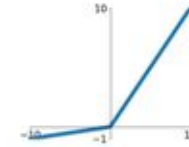
ReLU

$$\max(0, x)$$



Leaky ReLU

$$\max(0.1x, x)$$

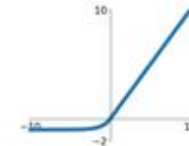


Maxout

$$\max(w_1^T x + b_1, w_2^T x + b_2)$$

ELU

$$\begin{cases} x & x \geq 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$



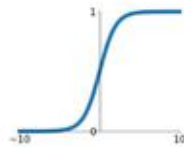
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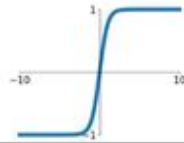
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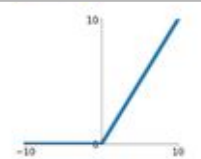
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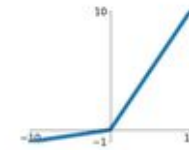
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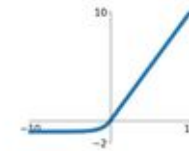


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$$\begin{cases} x & x \geq 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$



Curve Fitting - Logistic regression

How does the *traditional* loss - mse work for yes/no problems?

Ground truth	Predictor	MSE
1	0.02	0.96
1	0.002	0.996 ??
1	0.5	0.25
1	0.95	0.0025
1	0.4	0.36

Curve Fitting - Logistic regression

Which loss do you think is better?

Ground truth	Predictor	MSE	New loss
1	0.02	0.96	3.9
1	0.002	0.996	6.21
1	0.5	0.25	1.38
1	0.95	0.0025	0.05
1	0.4	0.36	0.91
1	1E-10	1	23

Curve Fitting - Logistic regression

Such a loss is termed as cross-entropy

Mathematically, loss =

$$-1*\{\text{prediction} * \log(\text{ground_truth}) + (1-\text{prediction})*\log(1-\text{ground_truth})\}$$

⚠ Don't worry about getting a $\log(0)$ ($1\text{E-}10$ is still not zero!).
