Untitled

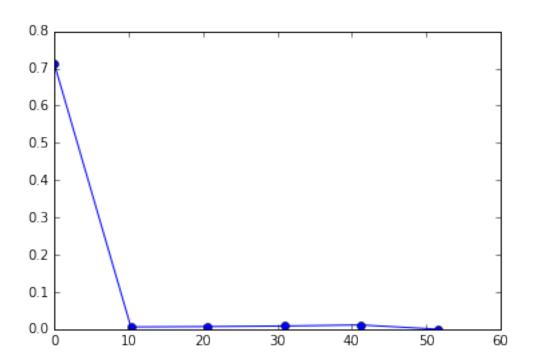
January 12, 2017

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In [39]: import numpy as np
                              import scipy as sp
                              import matplotlib.pyplot as plt
                              %matplotlib inline
                              %autosave 30
Autosaving every 30 seconds
In [40]: def section(s1,s2,N,k,L):
                                           a = (s2 - s1) / L
                                           return (a*(k-1)*L/N+a*k*L/N)/2.+s1
In [41]: def matrixA(E,N,L):
                                          A=np.zeros((N+1,N+1))
                                          h=L/N
                                           A[0,0]=E*section(s1,s2,N,1,L)/h
                                          A[1,0] = -E * section(s1,s2,N,1,L)/h
                                          A[0,1] = -E * section(s1,s2,N,1,L)/h
                                          A[1,1]=E*section(s1,s2,N,1,L)/h
                                           i=1
                                          while i<N:
                                                        A[i,i]=A[i,i]+E*section(s1,s2,N,i+1,L)/h
                                                        A[i+1,i] = -E * section(s1,s2,N,i+1,L)/h
                                                        A[i,i+1] = -E \times section(s1,s2,N,i+1,L)/h
                                                        A[i+1,i+1]=E*section(s1,s2,N,i+1,L)/h
                                                        i=i+1
                                           return A
In [42]: def vecteurB(rho, omega, N, L):
                                          B=np.zeros((N+1,1))
                                          h=L/N
                                          B[0,0]=rho*section(s1,s2,N,1,L)*omega**2*h*h/6.
                                          B[1,0]=rho*section(s1,s2,N,1,L)*omega**2*h*h/3.
                                           i=1
                                           while i<N:
                                                        B[i, 0] = B[i, 0] + rho*section(s1, s2, N, i+1, L)*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega**2*h*(h*i/3.+h*(i+1))*omega
                                                        B[i+1,0] = \text{rho} * \text{section} (s1,s2,N,i+1,L) * \text{omega} * * 2*h* (h*i/6.+h*(i+1)/3.)
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return B
In [43]: def u(E,L,rho,omega,N,s1,s2,r): #Solution analytique pour S variable.
             a = (s2 - s1) / L
             b=s1
             y = ((omega**2*rho) / (36*E*a**3))*(a*r*(-4*a**2*r**2-3*a*b*r+6*b**2)-6*(Ref)
             return y
In [44]: A=matrixA(E,N,L)
         B=vecteurB(rho,omega,N,L)
         A[0,0]=1
         A[0,1]=0
         B[0,0]=0
         uh=np.linalq.solve(A,B)
         ue=u(E,L,rho,omega,N,s1,s2,r)
In [45]: E=21300*10**6
         s1=16.2
         s2=6.7
         N=5
         L=51.5
         rho=1600
         omega=2*np.pi
In [46]: r=np.linspace(0,L,num=N+1)
         ue=u(E,L,rho,omega,N,s1,s2,r)
         error=np.zeros(N+1)
         for i in range (0,N):
             ue=u(E,L,rho,omega,N,s1,s2,r)
             error[i] = (np.absolute(ue[i]-uh[i])/ue[i])
         plt.plot(r,error,marker='o')
```

i=i+1

Out[46]: [<matplotlib.lines.Line2D at 0x8d70ef0>]



- In []:
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- In []:
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