

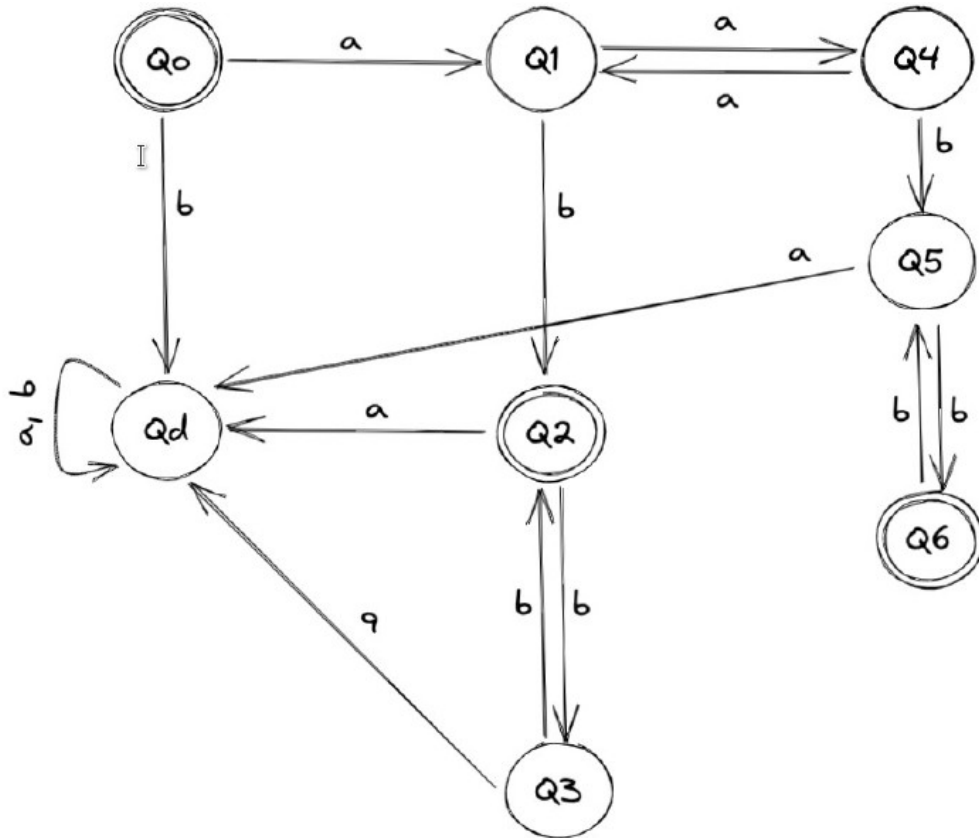
Theory Of Automata

Assignment # 1



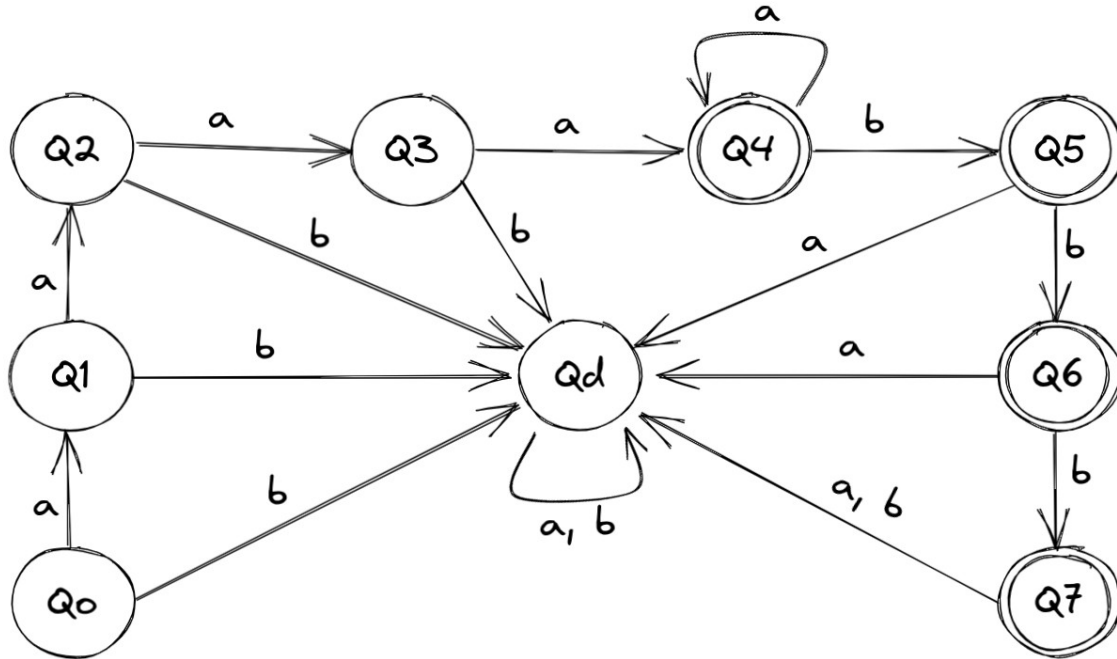
$$L_1 = \{ a^n b^m : (n+m) \text{ is even} \}$$

$$(a^2)^*(b^2)^* + a^*b^*$$



$$L_2 = \{ a^n b^m, n \geq 4, m \leq 3 \}$$

$$a^4 a^* (b^3 + b^2 + b + \lambda)$$

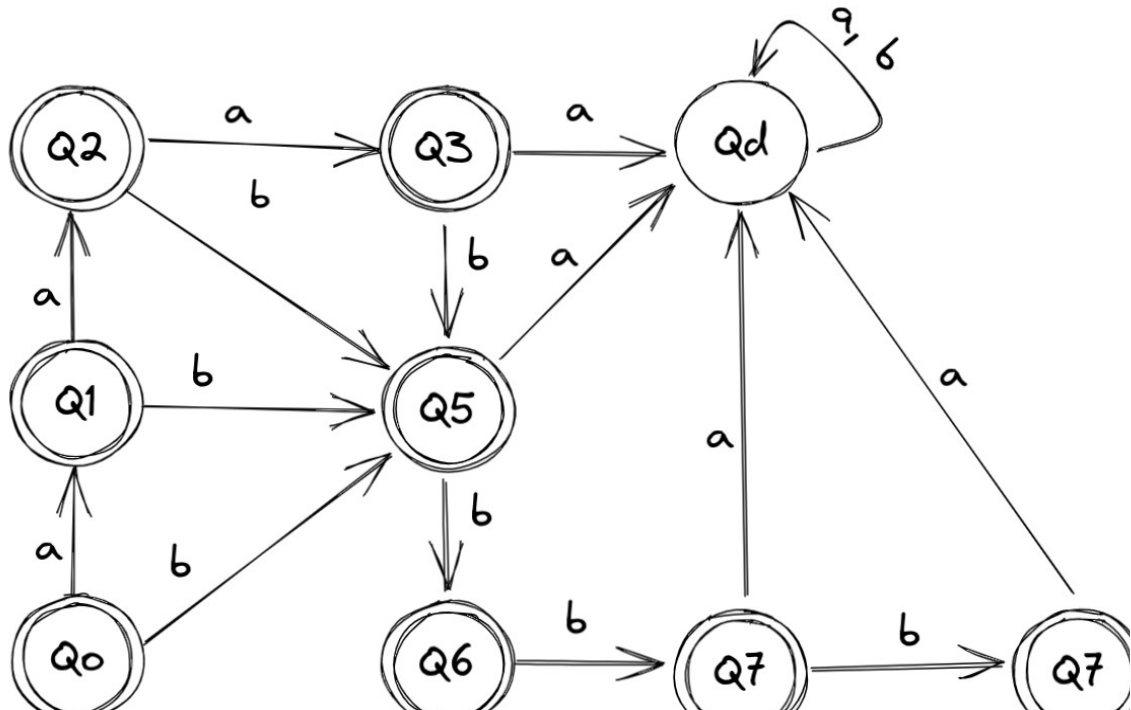


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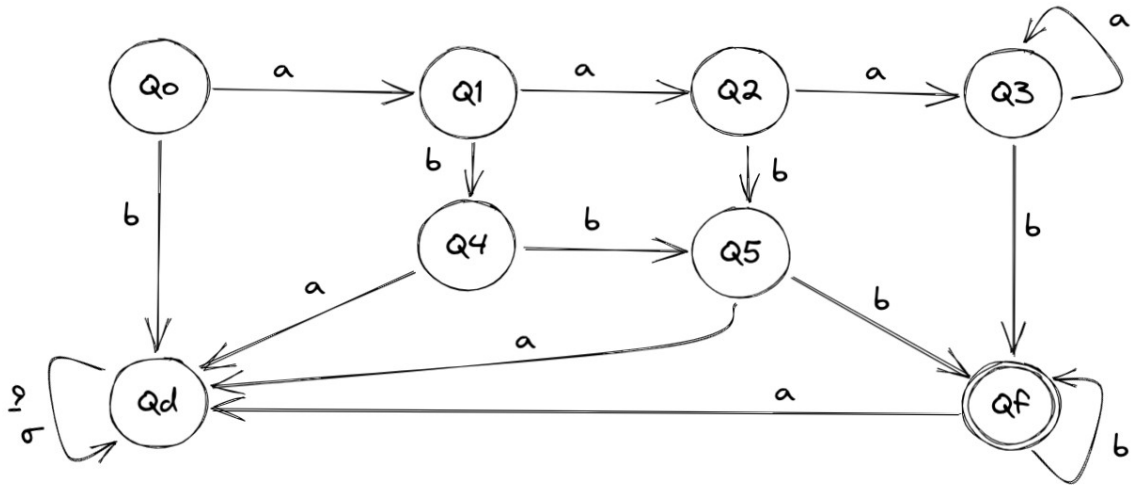
$$L_3 = \{ a^n b^m, n < 4, m \leq 4 \}$$

$$(a^3 + a^2 + a + \lambda)(b^4 + b^3 + b^2 + b + \lambda)$$



$$L_4 = \{ a^n b^m, n \geq 1, m \geq 1, nm \geq 3 \}$$

$$ab^3b^* + a^2b^2b^* + a^3a^*bb^*$$

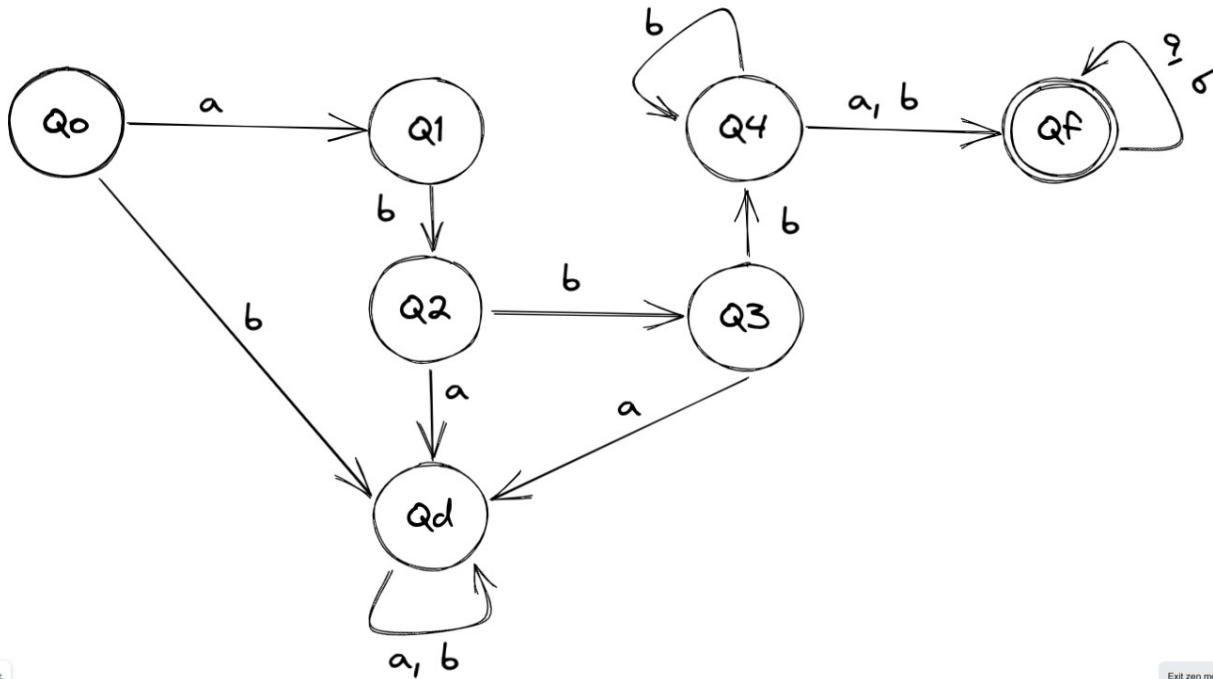


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$$L_5 = \{ ab^n w : n \geq 3, w \in \{a,b\}^+ \}$$

$$ab^3b^*(a+b)^+$$

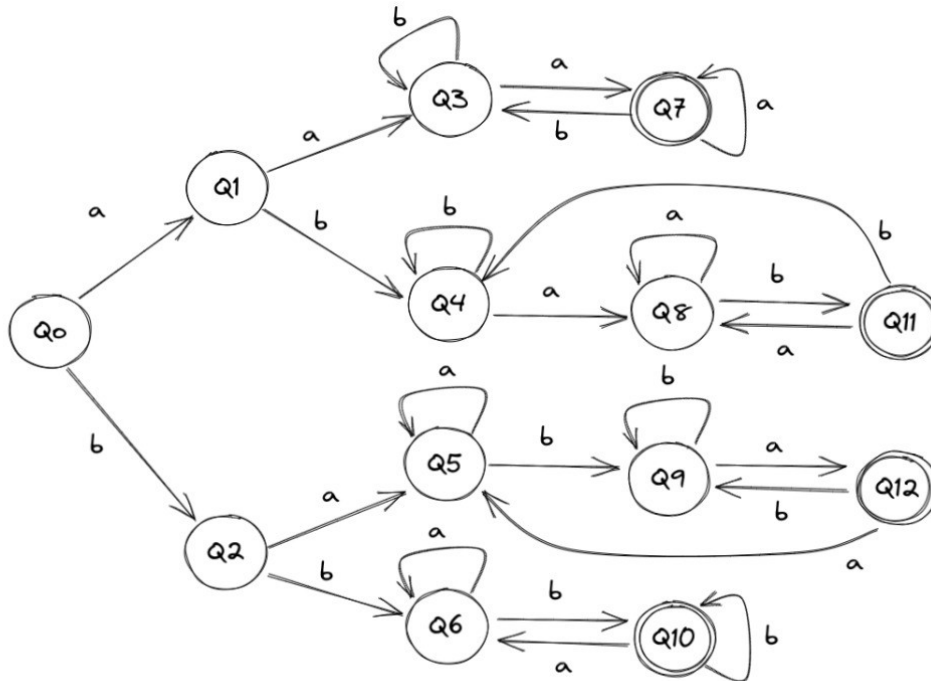


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$$L_6 = \{ vwv : v, w \in \{a, b\}^*, |v| = 2 \}$$

$$aa(a+b)^*aa + ab(a+b)^*ab + ba(a+b)^*ba + bb(a+b)^*bb$$

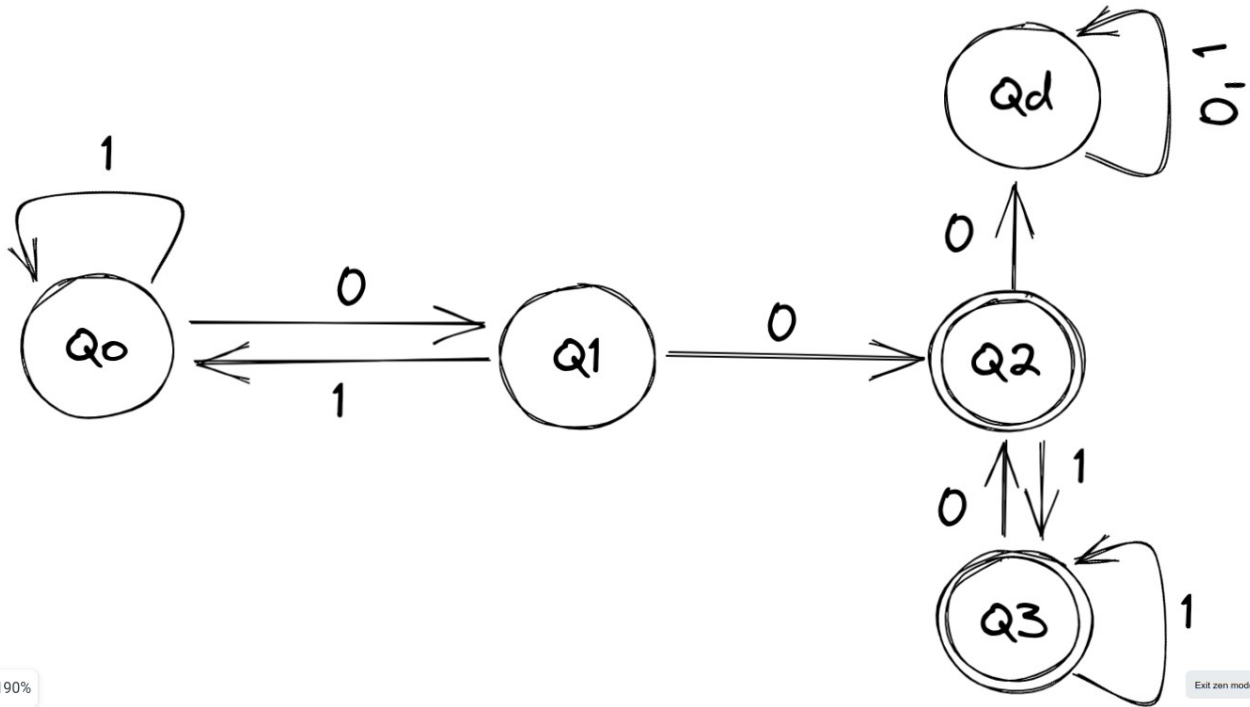


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$L_7 =$ having exactly one pair of consecutive zeros

$$(1+01)^*00(1+10)^*$$

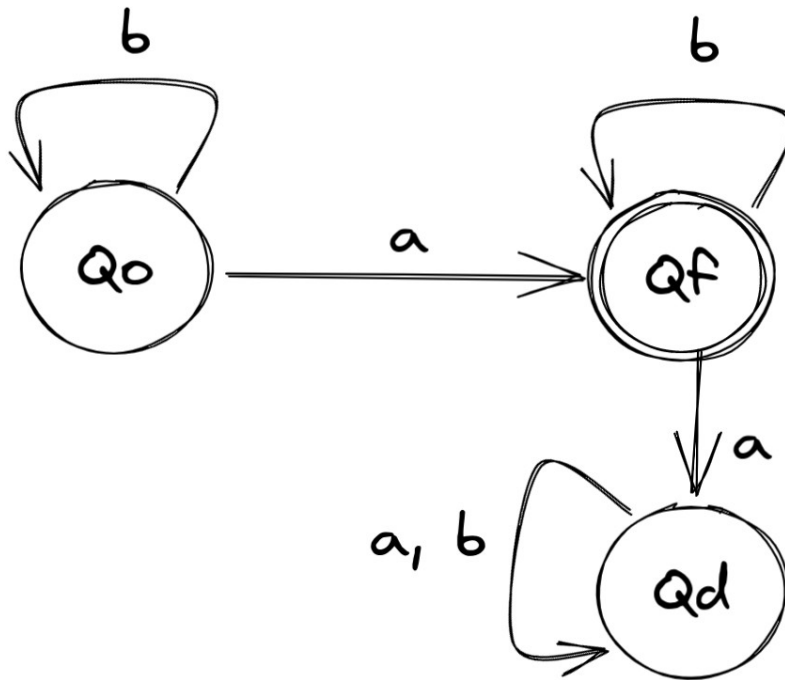


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$L_8 = \text{having exactly one } a$

b^*ab^*

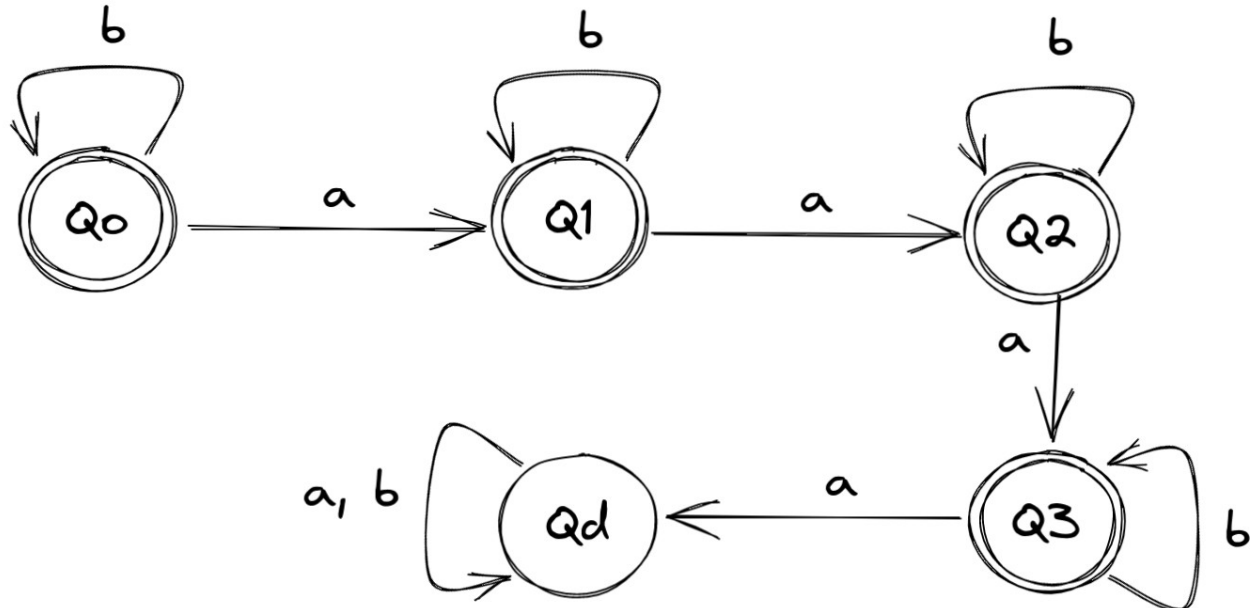


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$L_9 =$ strings containing no more than three a's

$$b^*ab^*ab^*ab^* + b^*ab^*ab^* + b^*ab^* + b^*$$

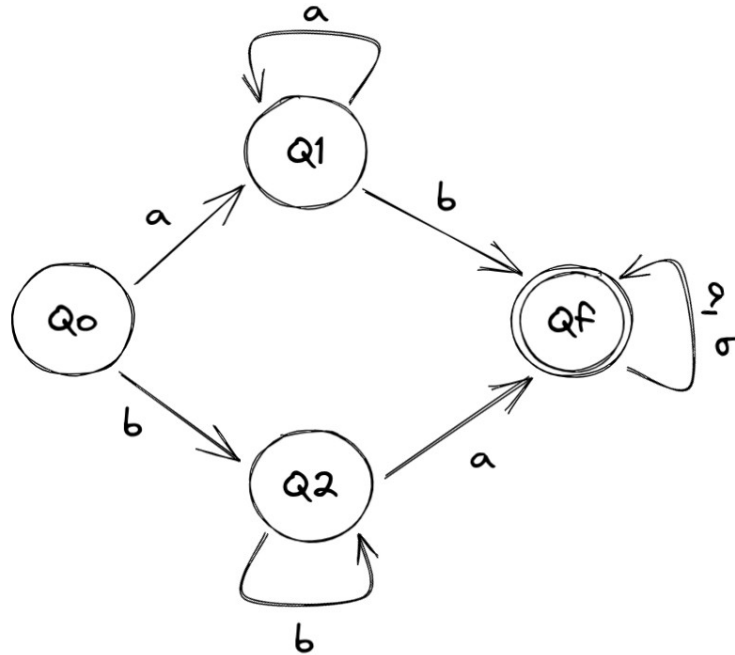


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L_{10} = all strings that contain at least one occurrence of each symbol in alphabet

$$(a+b)^*a(a+b)^*b(a+b)^* + (a+b)^*b(a+b)^*a(a+b)^*$$

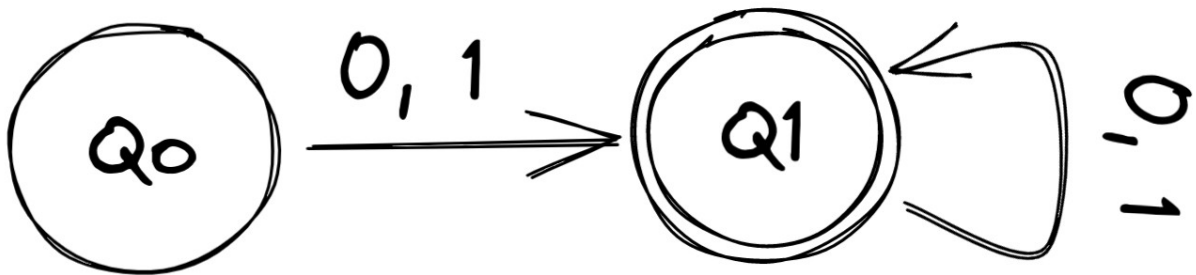


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$L_{11} = \text{all strings ending in } 0,1$

$(0+1)^*(0+1) \text{ or } (0+1)^+$

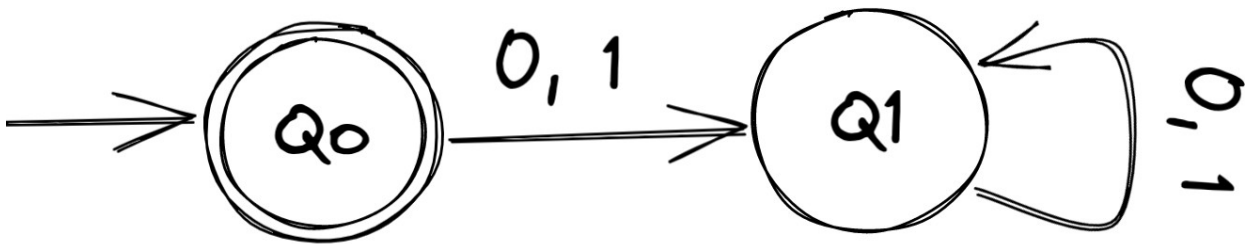


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$L_{12} = \text{all strings not ending in 0 or 1}$

λ

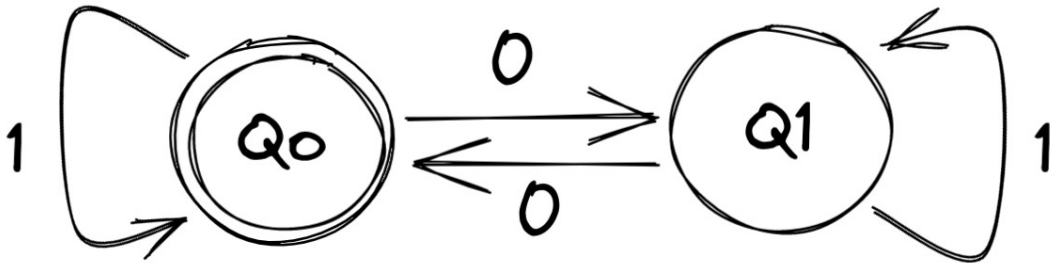


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$L_{13} = \text{all strings containing even number of zeros}$

$(1^*01^*01^*)^*$

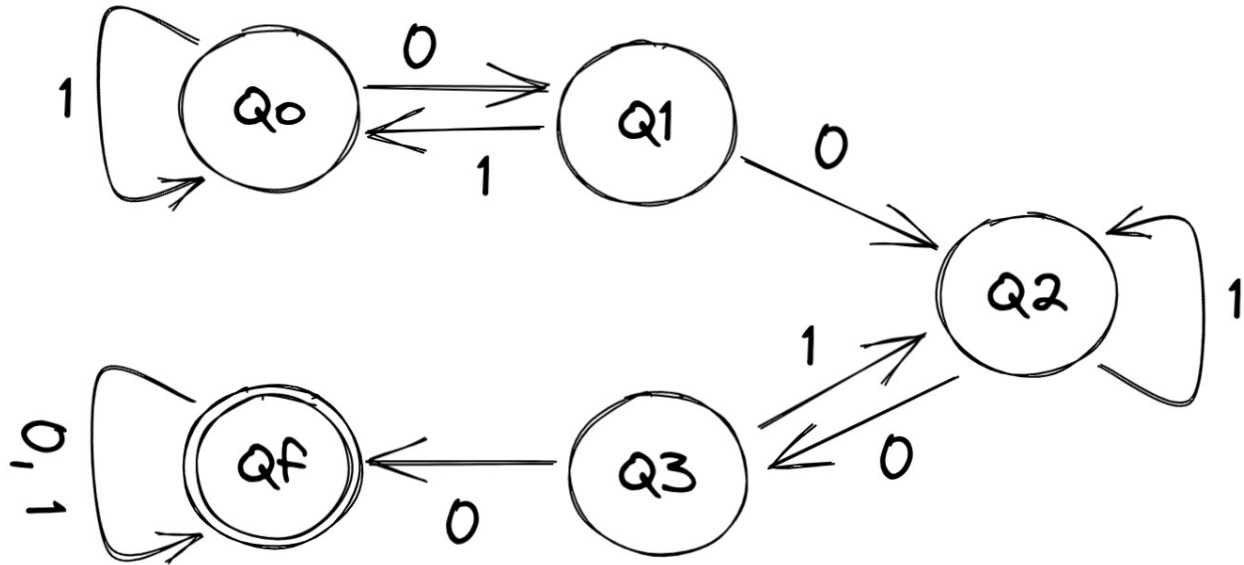


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$L_{14} = \text{all string having at least two occurrences of substring } 00$

$$(0+1)^*00(0+1)^*00(0+1)^*$$

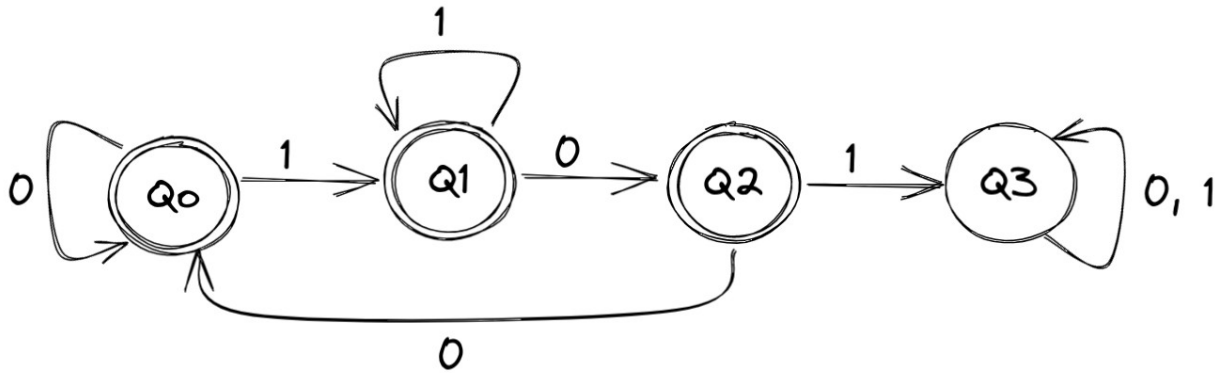


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$L_{15} = \text{all string not containing } 101$

$$(0+\lambda)(00+1)^*(0+\lambda)$$

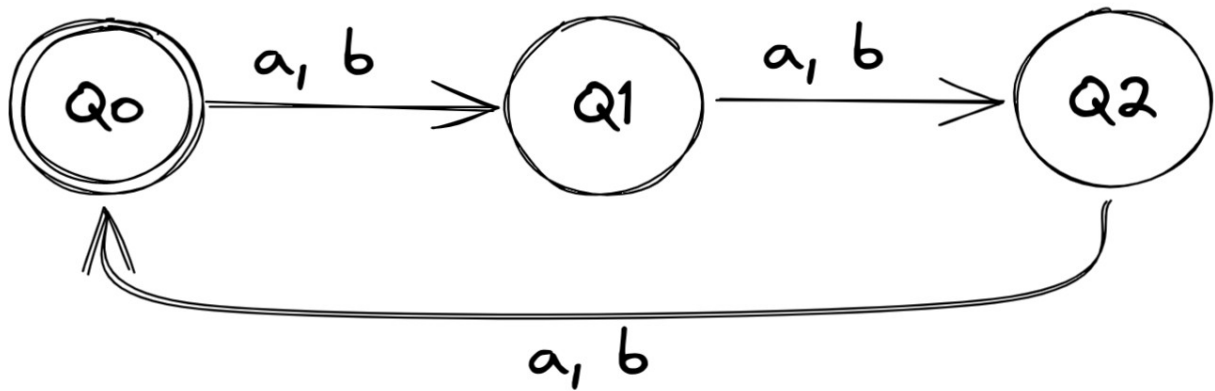


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$$L_{16} = \{ w : |w| \bmod 3 = 0 \}$$

$$((a+b)^3)^*$$

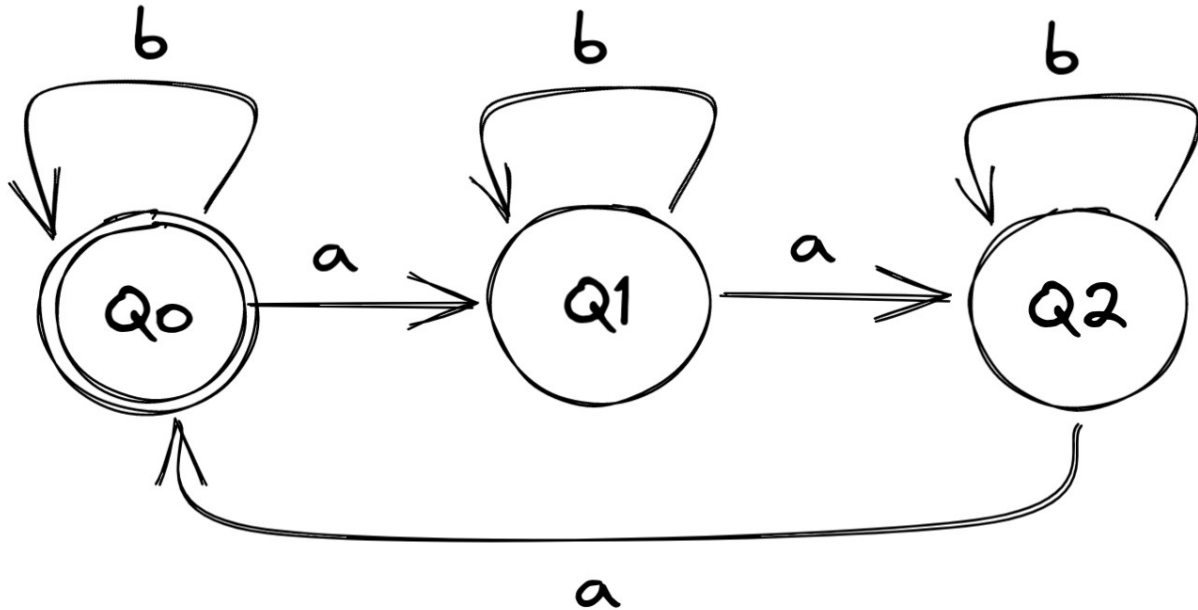


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$$L_{17} = \{ w : n_a(w) \bmod 3 = 0 \}$$

$$(b^*ab^*ab^*ab^*)^*$$

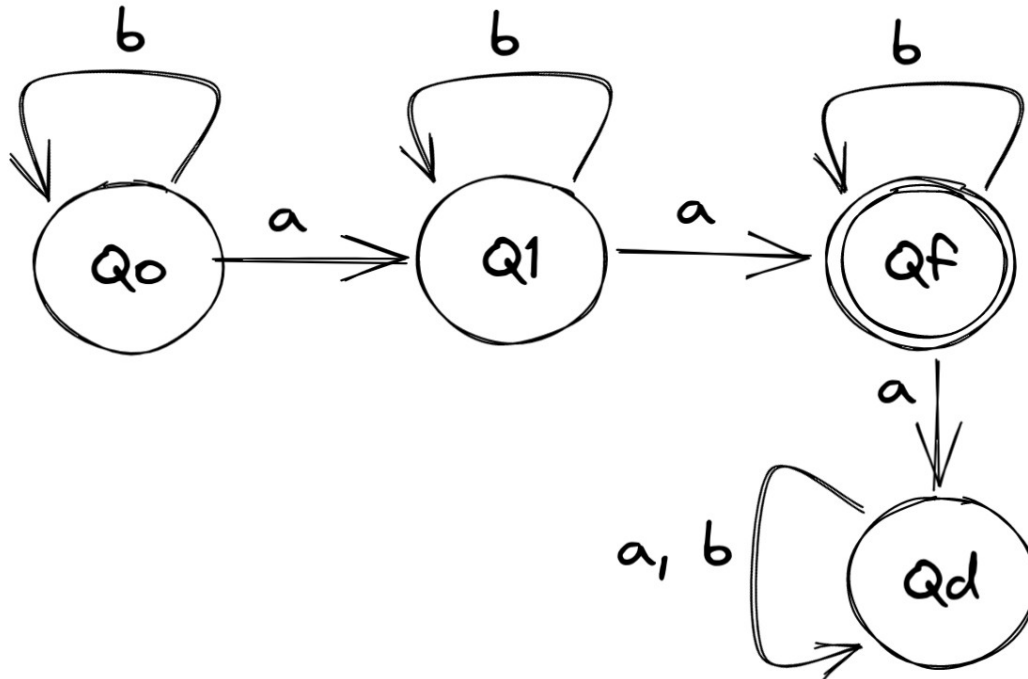


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$L_{18} =$ The language of all strings containing exactly two a's

$b^*ab^*ab^*$

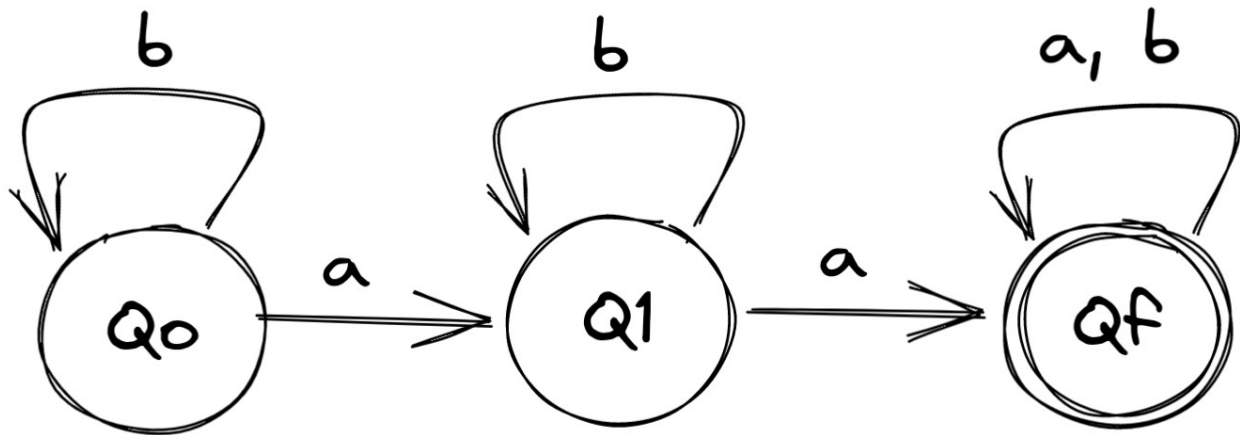


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L_{19} = The language of all strings containing at least two a's

$(a+b)^*a(a+b)^*a(a+b)^*$

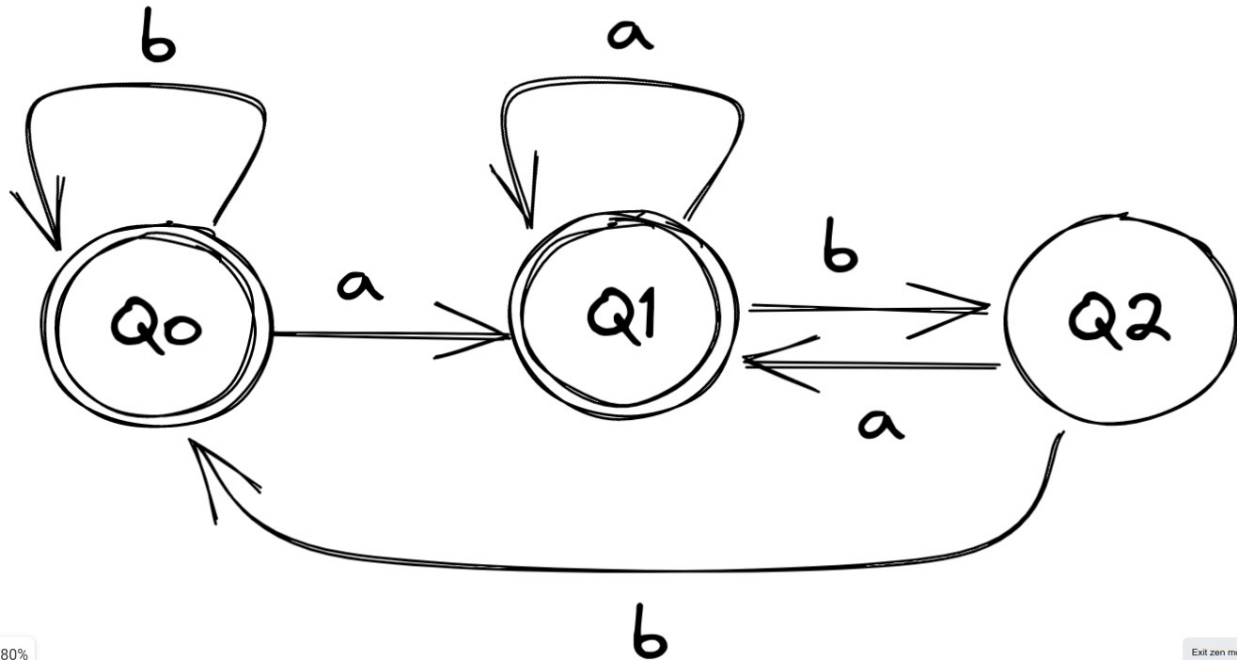


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L_{21} = The language of all strings that do not end with ab

$(a+b)^*(a+bb)$

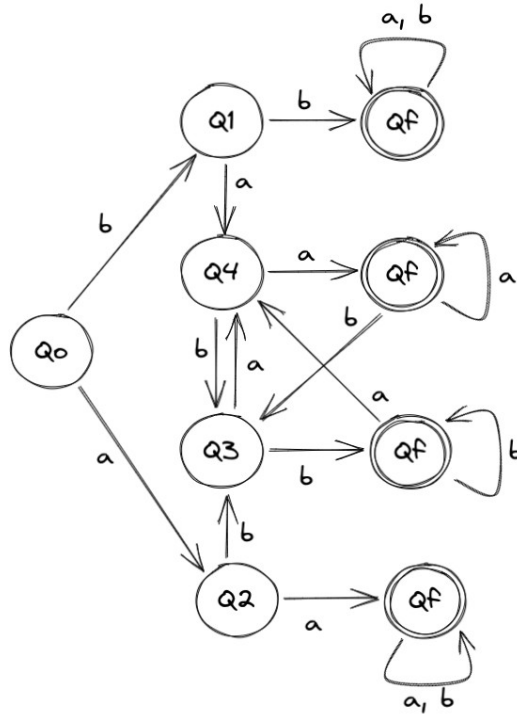


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L_{21} = The language of all strings that begin or end with aa or bb

$$aa(a+b)^* + (a+b)^*aa + bb(a+b)^* + (a+b)^*bb$$

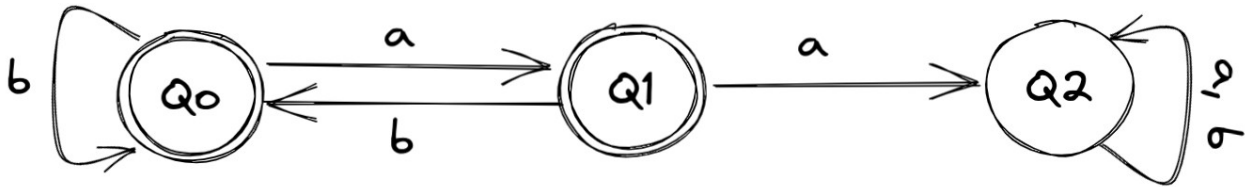


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L_{22} = The language of all strings not containing the substring aa

$(ab+ab)^*$

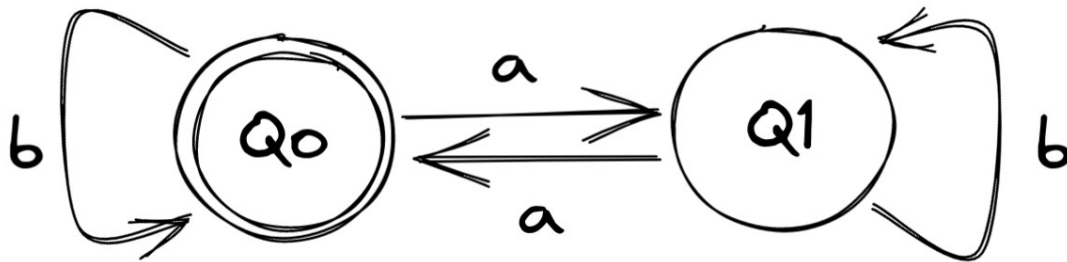


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L_{23} = The language of all strings in which number of a's is even

$(b^*ab^*ab^*)^*$

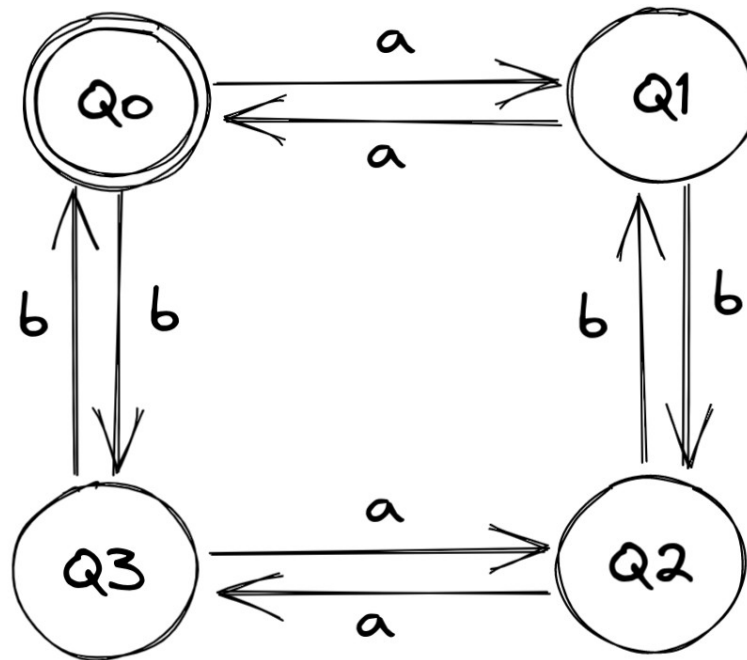


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L_{24} = The language of all strings in which both number of a's and number of b's are even

$$((ab+ba+aa+bb)^2)^*$$



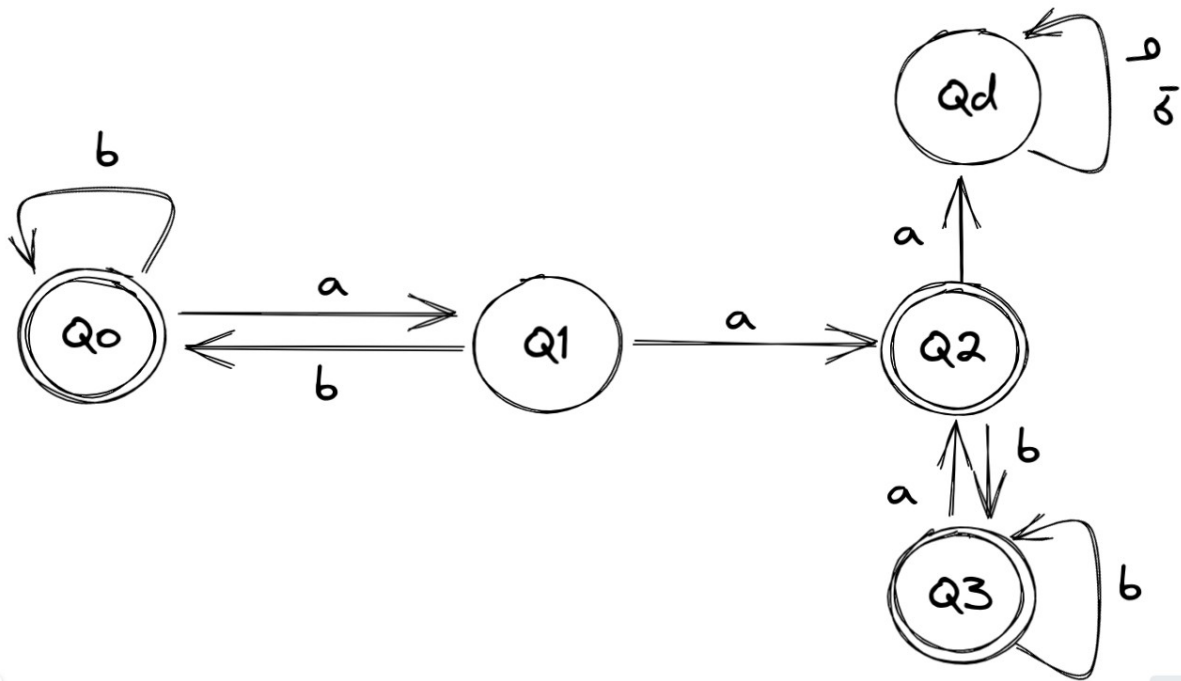
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L_{25} = The language of all strings containing no more than one occurrence of the string aa.

(The aaa string contains two occurrences of aa.)

$$(b+ab)^*aa(b+ba)^* + (b+ab)^*$$

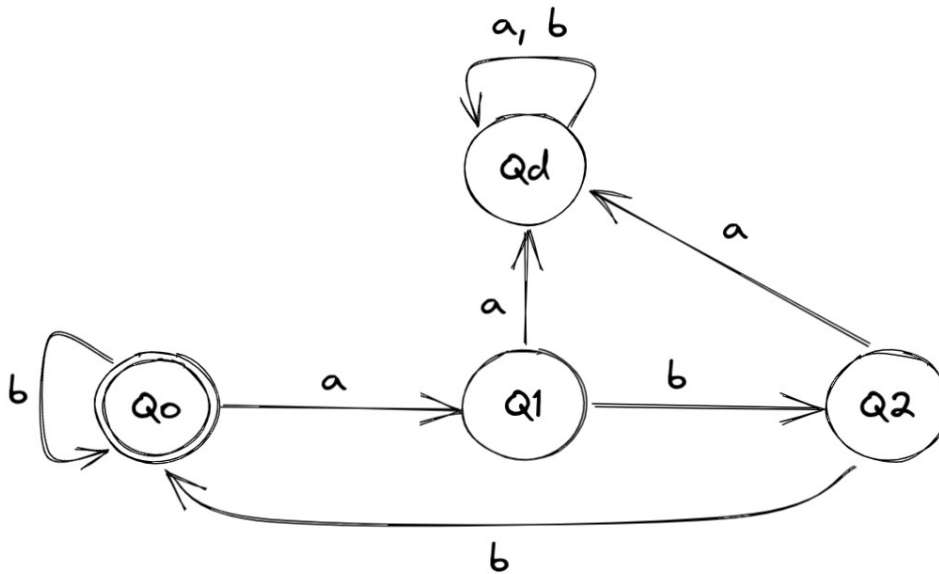


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L_{26} = The language of all strings in which every a (if there are any) is followed immediately by bb

$(abb + b)^*$

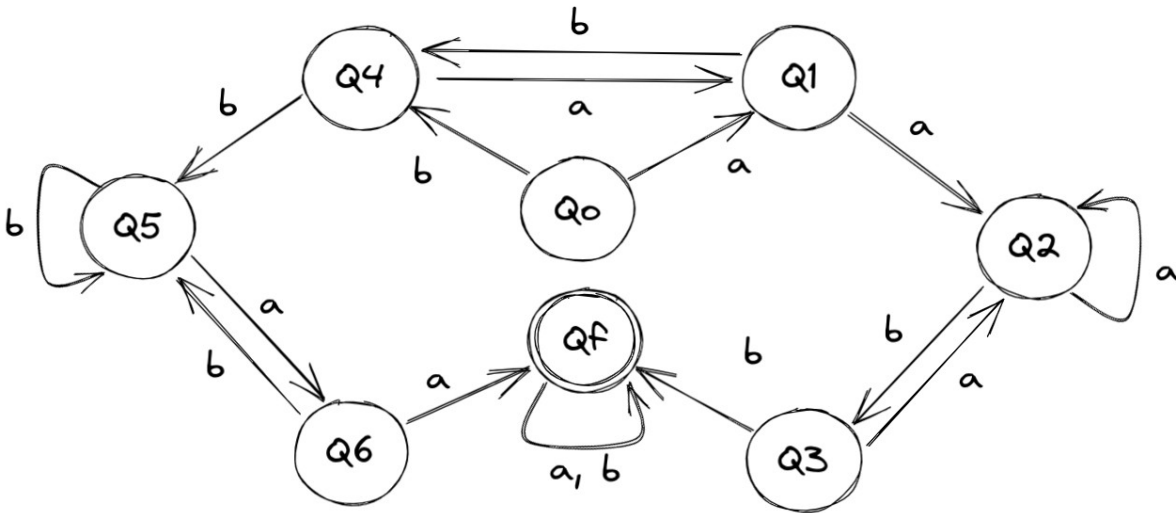


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L_{27} = The language of all strings containing both bb and aa as substrings

$(a+b)^*aa(a+b)^*bb(a+b)^*$

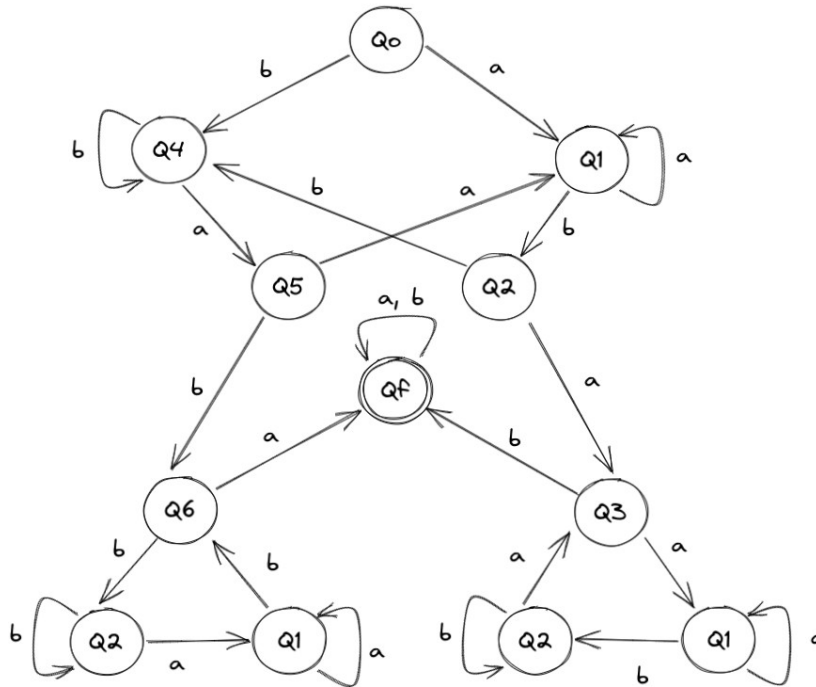


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$L_{28} =$ The language of all strings containing both bab and aba as substrings

$(a+b)^*aba(a+b)^*bab(a+b)^* + (a+b)^*bab(a+b)^*aba(a+b)^* + (a+b)^*(abab + baba)(a+b)^*$



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