LIST OF DEFINITIONS

∗1·01.	$p \supset q$
∗2·33.	$p \vee q \vee r$
∗3·01.	$p \,.\, q$
∗3·02.	$p \supset q \supset r$
∗4·01.	$p \equiv q$
∗4·02.	$p \equiv q \equiv r$
∗4·34.	$p \,.\, q \,.\, r$
∗9·01.	$\sim\{((x)).\phi x\}$
∗9·011.	$\sim((x)).\phi x$
∗9·02.	$\sim\{((\exists x)).\phi x\}$
∗9·021.	$\sim((\exists x)).\phi x$
∗9·03.	$((x)).\phi x \,.\vee.\, p$
∗9·04.	$p \,.\vee.((x)).\phi x$
∗9·05.	$((\exists x)).\phi x \,.\vee.\, p$
∗9·06.	$p \,.\vee.((\exists x)).\phi x$
∗9·07.	$((x)).\phi x \,.\vee.((\exists x)).\phi x$
∗9·08.	$((\exists x)).\phi x \,.\vee.((x)).\phi x$
∗10·01.	$((\exists x)).\phi x$
∗10·02.	$\phi x \supset_x \psi x$
∗10·03.	$\phi x \equiv_x \psi x$
∗11·01.	$((x,y)).\phi(x,y)$
∗11·02.	$((x,y,z)).\phi(x,y,z)$
∗11·03.	$((\exists x,y)).\phi(x,y)$
∗11·04.	$((\exists x,y,z)).\phi(x,y,z)$
∗11·05.	$\phi(x,y) \supset_{x,y} \psi(x,y)$
∗11·06.	$\phi(x,y) \equiv_{x,y} \psi(x,y)$
∗13·01.	$x = y$
∗13·02.	$x \neq y$
∗13·03.	$x = y = z$
∗14·01.	$[((\imath x))(\phi x)].\psi((\imath x))(\phi x)$
∗14·02.	$\mathrm{E!}((\imath x))(\phi x)$
∗14·03.	$[((\imath x))(\phi x),((\imath x))(\psi x)].f\{((\imath x))(\phi x),$ $((\imath x))(\psi x)\}$
∗14·04.	$[((\imath x))(\psi x)].f\{((\imath x))(\phi x),((\imath x))(\psi x)\}$
∗20·01.	$f\{\hat{z}(\psi z)\}$
∗20·02.	$x \,\epsilon\, \phi\mathbf{!}\hat{z}$
∗20·03.	Cl
∗20·04.	$x,y \,\epsilon\, \alpha$
∗20·05.	$x,y,z \,\epsilon\, \alpha$
∗20·06.	$x\sim \,\epsilon\, \alpha$
∗20·07.	$((\alpha)).f\alpha$
∗20·071.	$((\exists \alpha)).f\alpha$
∗20·072.	$[((\imath\alpha))(\phi\alpha)].f((\imath\alpha))(\phi\alpha)$
∗20·08.	$f\{\hat{\alpha}(\psi\alpha)\}$
∗20·081.	$\alpha \,\epsilon\, \psi\mathbf{!}\hat{z}$
∗21·01.	$f\{\hat{x}\hat{y}\phi(x,y)\}$
∗21·02.	$a\{\phi\mathbf{!}(\hat{x},\hat{y})\}b$
∗21·03.	Rel
∗21·07.	$((R)).fR$
∗21·071.	$((\exists R)).fR$
∗21·072.	$[((\imath R))(\phi R)].f((\imath R))(\phi R)$
∗21·08.	$f\{\hat{R}\hat{S}\psi(R,S\}$
∗21·081.	$P\{\phi\mathbf{!}(\hat{R},\hat{S})\}Q$
∗21·082.	$f\{\hat{R}(\psi R)\}$
∗21·083.	$R \,\epsilon\, \psi\mathbf{!}\hat{R}$
∗22·01.	$\alpha \,\epsilon\, \beta$
∗22·02.	$\alpha \cap \beta$

$*22{\cdot}03.$ $\alpha \cup \beta$

$*22{\cdot}04.$ $-\alpha$

$*22{\cdot}05.$ $\alpha - \beta$

$*22{\cdot}53.$ $\alpha \cap \beta \cap \gamma$

$*22{\cdot}71.$ $\alpha \cup \beta \cup \gamma$

$*23{\cdot}01.$ $R \subset S$

$*23{\cdot}02.$ $R \dot{\cap} S$

$*23{\cdot}03.$ $R \dot{\cup} S$

$*23{\cdot}04.$ $\dot{-}R$

$*23{\cdot}05.$ $R \dot{-} S$

$*23{\cdot}53.$ $R \dot{\cap} S \dot{\cap} T$

$*23{\cdot}71.$ $R \dot{\cup} S \dot{\cup} T$

$*24{\cdot}01.$ V

$*24{\cdot}02.$ Λ

$*24{\cdot}03.$ $\exists\,!\,\alpha$

$*25{\cdot}01.$ $\dot{\mathrm{V}}$

$*25{\cdot}02.$ $\dot{\Lambda}$

$*25{\cdot}03.$ $\dot{\exists}\,!\,R$

$*30{\cdot}01.$ $R`y$

$*30{\cdot}02.$ $R`S`y$

$*31{\cdot}01.$ Cnv

$*31{\cdot}02.$ $\breve{P}$

$*32{\cdot}01.$ $\overrightarrow{R}$

$*32{\cdot}02.$ $\overleftarrow{R}$

$*32{\cdot}03.$ $\mathrm{sg}`$

$*32{\cdot}04.$ $\mathrm{gs}`$

$*33{\cdot}01.$ D

$*33{\cdot}02.$ $\mathfrak{C}$

$*33{\cdot}03.$ C

$*33{\cdot}04.$ F

$*34{\cdot}01.$ $R \mid S$

$*34{\cdot}02.$ R^2

$*34{\cdot}03.$ R^3

$*35{\cdot}01.$ $\alpha \restriction R$

$*35{\cdot}02.$ $R \upharpoonright \beta$

$*35{\cdot}03.$ $\alpha \restriction R \upharpoonright \beta$

$*35{\cdot}04.$ $\alpha \uparrow \beta$

$*35{\cdot}05.$ $R`x \uparrow \beta$

$*35{\cdot}24.$ $\alpha \restriction R \mid S$

$*35{\cdot}25.$ $P \upharpoonright \alpha$

$*36{\cdot}01.$ $R \restriction \beta \upharpoonright$

$*37{\cdot}01.$ $R`\beta$

$*37{\cdot}02.$ R_ϵ

$*37{\cdot}03.$ $\breve{R}_\epsilon$

$*37{\cdot}04.$ $R```\kappa$

$*37{\cdot}05.$ $\mathrm{E}\,!!\,R``\beta$

$*38{\cdot}01.$ $x \,\mathrm{♀}$

$*38{\cdot}02.$ $\mathrm{♀}\, x$

$*38{\cdot}03.$ $\alpha \underset{''}{\mathrm{♀}} y$

$*40{\cdot}01.$ $p`\kappa$

$*40{\cdot}02.$ $s`\kappa$

$*41{\cdot}01.$ $\dot{p}`\lambda$

$*41{\cdot}02.$ $\dot{s}`\lambda$

$*43{\cdot}01.$ $R \,||\, S$

$*50{\cdot}01.$ I

$*50{\cdot}02.$ J

$*51{\cdot}01.$ ι

$*52{\cdot}01.$ 1

$*54{\cdot}01.$ 0

$*54{\cdot}02.$ 2

$*55{\cdot}01.$ $x \downarrow y$

$*55{\cdot}02.$ $R`x \downarrow y$

$*56{\cdot}01.$ $\dot{2}$

$*56{\cdot}02.$ 2_r

∗56·03.	0_r
∗60·01.	Cl
∗60·02.	Cl ex
∗60·03.	Cls^2
∗60·04.	Cls^3
∗61·01.	Rl
∗61·02.	Rl ex
∗61·03.	Rel^2
∗61·04.	Rel^3
∗62·01.	ϵ
∗63·01.	t‘x
∗63·011.	t_1‘x
∗63·02.	t^0‘α
∗63·03.	t^1‘κ
∗63·04.	t_2‘κ
∗63·041.	t_3‘κ
∗63·05.	t^2‘κ
∗63·051.	t^3‘κ
∗64·01.	t^{00}‘α
∗64·011.	t_{11}‘x
∗64·012.	t_{12}‘x
∗64·013.	t_{21}‘x
∗64·014.	t_{22}‘x
∗64·02.	t^{01}‘α
∗64·021.	t^{10}‘α
∗64·022.	t^{11}‘α
∗64·03.	${}^0t_1$‘α
∗64·031.	${}^1t_1$‘α
∗64·04.	$t_1{}^0$‘α
∗64·041.	$t_1{}^1$‘α
∗65·01.	α_x
∗65·02.	$\alpha(x)$
∗65·03.	R_x
∗65·04.	$R(x)$
∗65·1.	$R_{(x,y)}$
∗65·11.	$R(x_y)$
∗65·12.	$R(x,y)$
∗70·01.	$\alpha \to \beta$
∗73·01.	$\alpha\ \overline{\mathrm{sm}}\ \beta$
∗73·02.	sm
∗80·01.	P_Δ
∗84·01.	Cls^2 excl
∗84·02.	Cl excl ‘γ
∗84·03.	$\mathrm{Cls\,ex}^2$ excl
∗85·5.	$P \downarrow y$
∗88·01.	Rel Mult
∗88·02.	Cls^2 Mult
∗88·03.	Mult ax
∗90·01.	R_*
∗90·02.	$\breve{R}_*$
∗91·01.	R_{st}
∗91·02.	R_{ts}
∗91·03.	Pot‘R
∗91·04.	Potid‘R
∗91·05.	R_{po}
∗93·01.	B
∗93·02.	$\min_P$
∗93·021.	$\max_P$
∗93·03.	gen‘P
∗95·01.	$P{*}Q$
∗96·01.	I_R‘x
∗96·02.	J_R‘x
∗97·01.	$\overset{\leftrightarrow}{R}$‘$x$
∗100·01.	Nc