

# 神经网络中的「内省」 (“introspection” in neural networks)

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**Abstract.** 在本文中「内省」是指智能系统直接读 / 写知识的能力，此能力在经典 logic-based AI 是免费做到的，但神经网络内的「知识」素有「黑盒」的问题。解决办法是让神经网络直接作用在它自身的 weights 上。

## 0 Introduction

这篇文章说的「内省」的意思是指智能系统有能力读 / 写它内部的知识<sup>1</sup>。例如说，一个比较蠢的智能系统可以用 sequence-to-sequence 的方式将中文翻译成英文：

$$\text{“中文句子”} \xrightarrow{F} \text{“英文句子”} \quad (1)$$

$F$  代表系统的函数。但系统并不真的明白句子的意义，句子只是「水过鸭背」地流过系统。一个更聪明的系统是：句子可以进入到  $F$  里。我所说的「自省」就是这意思。

Introspection is useful in:

- learning by instructions, or “learn by being told”  
(a technique crucial to accelerating the learning of human knowledge)
- belief revision / truth maintenance  
(the most challenging and highest-level task in logic-based AI)

举例来说，小孩子的行为是由他内部的知识决定的，「知识决定行为」。

- 当小孩子看到一个成人做的动作，他会模仿那动作。



(2)

<sup>1</sup> 「内省」亦有 meta-reasoning 的意思，亦即除了外在的知识，系统还拥有关于系统自身状态的知识。本文中「内省」是指存取「普通知识」的能力。

- 或者小孩子听到一句说话：「不要吃污糟食物」，他明白了那句说话的意思而改变行为。

这两个例子都涉及到「感觉资料」进入  $F$  里面：

$$\boxed{\text{sensory input}} \hookrightarrow F \quad (3)$$

Introspection is related to the functional closure  $\mathbb{X} \simeq \mathbb{X}^{\mathbb{X}}$  which gives a **Cartesian-closed category** (CCC).

## 1 Architecture

For reference, the architecture for **visual recognition** is:

$$\text{eye} \rightarrow \text{DNN} \rightarrow \text{mouth} \quad (4)$$

Our basic AGI architecture is:

$$\text{eye} \rightarrow \text{Mental State} \xrightarrow{\text{DNN}} \text{mouth} \quad (5)$$

$\text{DNN}$  = [deep] neural network, trained via **reinforcement learning**

$\text{Mental State}$  = mental state / working memory

The main problems we need to solve for AGI:

- (A) How to enable a neural network to act on a graph structure (that does not easily fit into a fixed-length vector)?
- (B) How to solve the introspection problem?
- (C) How to incorporate **episodic memory** into the basic architecture (5)?  
Episodic memory may be essential for the learning of common-sense (eg. the need to process **stories**).

We can use a deep network to emulate logical inference:

$$\text{DNN} \iff \text{KB} \quad (6)$$

$\text{KB}$  means to perform a **single step** of logical inference, ie, the **consequence operator**.

In the past, the learning of  $\mathbb{KB}$  relied on **inductive logic learning**, based on combinatorial search, which was too slow. The new hope is for deep learning to learn this mapping in reasonable time.

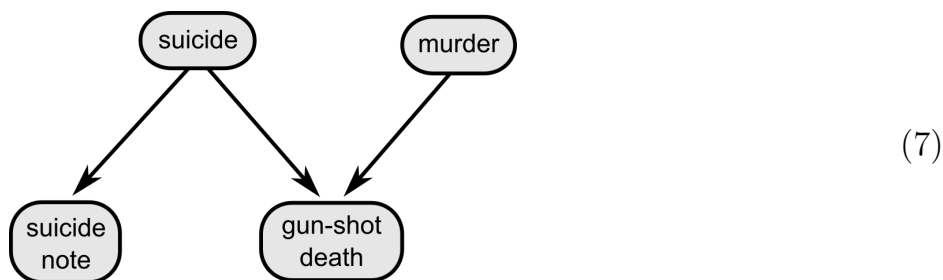
Deep learning 在 vision 中的成功，令我们相信它几乎可以 learn 出「任何 mapping」，除非那 mapping 具有 更深层 的结构；这时要用到 RNN。似乎 RNN 可以学习「任何结构」——“unreasonable effectiveness”。

An interesting idea is: would 2nd-order RNN's have even more advantages?

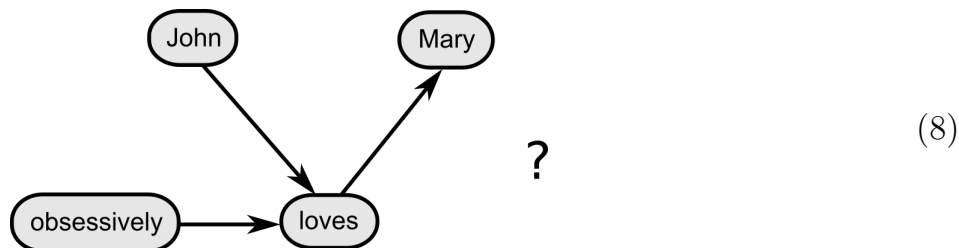
## 2 Structure of memories

### 2.1 Working memory

At the proposition level, memory is organized as a **Bayesian network**, where each node is a proposition:



At the sub-propositional level, every proposition may be represented as an entity-relation graph, where each node is a **concept atom**:



but we are still unsure about the exact construction mechanism of sub-propositional graphs.

### 2.2 Episodic memory

Episodic memory = an even-bigger graph?

## 3 NN acting on graphs

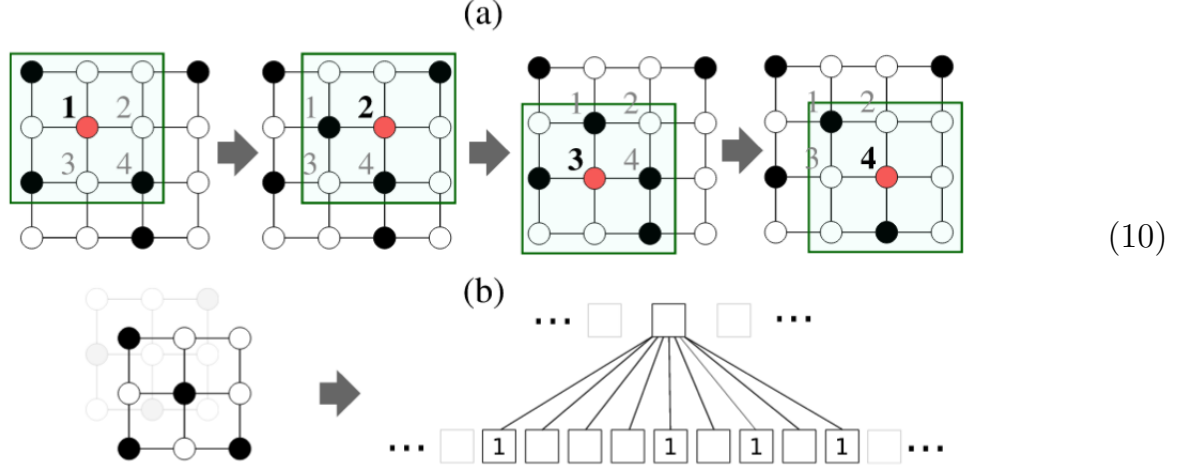
### 3.1 CNN

With this analogy:

$$\text{CNN for vision} \iff \text{CNN for graphs} \quad (9)$$



a new breed of algorithms have been developed, eg: [1] [2] [3]. For a nice introduction see the blog entry: <https://tkipf.github.io/graph-convolutional-networks/>.

As explained in [1], a CNN works as if a “receptive field” moves over an image:



and the idea is to let a similar receptive field traverse a graph.

## 4 Cartesian closure

举例来说,「吃了污糟的食物会肚痛」是一个句子, 它经由  进入 mental state  $x$ , 变成 proposition。但我们希望这逻辑命题变成  的一部分。With

$$x' = f(x) \quad (11)$$

where

$$f = \text{KB} = \text{XXX}$$

$x = \text{state}$


An individual logic rule is a restriction of  $f$  to a specific input.

$f \equiv \text{KB}$  is the sum of restrictions:

$$\text{KB} = \bigcup f_i \quad (12)$$

Or roughly speaking,  $f$  is the sum total of objects like  $x$ :

$$f = \bigcup x_i \quad (13)$$

However, the problem is that the structure of  $f$  (as the neural network ) is too complicated to be expressed as a sum of restricted functions. This remains an unsolved problem.

## Acknowledgements

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## Bibliography

- [1] Mathias Niepert, Mohamed Ahmed, and Konstantin Kutzkov. Learning convolutional neural networks for graphs. 2016. URL <http://arxiv.org/abs/1605.05273>.
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