583 Prime Factors

Webster defines prime as:

prime (prim) $n.[\mathbf{ME}, \text{ fr. } \mathbf{MF}, \text{ fem. of } prin \text{ first, } \mathbf{L} \text{ } primus; \text{ akin to } \mathbf{L} \text{ } prior] \mathbf{1} \text{ :first in time: } \mathbf{original} \mathbf{2} \mathbf{a} \text{ : having no factor except itself and one } \langle 3 \text{ is a } \text{ number } \rangle \mathbf{b} \text{ : having no common factor except one} \langle 12 \text{ and } 25 \text{ are relatively } \rangle \mathbf{3} \mathbf{a} \text{ : first in rank, authority or significance : } \mathbf{principal } \mathbf{b} \text{ : having the highest quality or value } \langle \text{ television time } \rangle \text{ [from } Webster's New Collegiate Dictionary]}$

The most relevant definition for this problem is 2a: An integer g > 1 is said to be *prime* if and only if its only positive divisors are itself and one (otherwise it is said to be *composite*). For example, the number 21 is composite; the number 23 is prime. Note that the decomposition of a positive number g into its prime factors, i.e.,

$$g = f_1 \times f_2 \times \ldots \times f_n$$

is unique if we assert that $f_i > 1$ for all i and $f_i \leq f_j$ for i < j.

One interesting class of prime numbers are the so-called *Mersenne* primes which are of the form $2^p - 1$. Euler proved that $2^31 - 1$ is prime in 1772 — all without the aid of a computer.

Input

The input will consist of a sequence of numbers. Each line of input will contain one number g in the range $-2^31 < g < 2^31$. The end of input will be indicated by an input line having a value of zero.

Output

For each line of input, your program should print a line of output consisting of the input number and its prime factors. For an input number $0 < g = f_1 \times f_2 \times \ldots \times f_n$, where each f_i is a prime number greater than unity (with $f_i \leq f_j$ for i < j), the format of the output line should be

$$\langle g \rangle = \langle f_1 \rangle \times \langle f_2 \rangle \times \ldots \times \langle f_n \rangle$$

If $0 > g = f_1 \times f_2 \times \ldots \times f_n$, the format of the output line should be

$$\langle g \rangle = -1 \times \langle f_1 \rangle \times \langle f_2 \rangle \times \ldots \times \langle f_n \rangle$$

Sample Input

- -190
- -191
- -192
- -193
- -194
- 195
- 196
- 197
- 198 199
- 200
- 0

Sample Output

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-190 = -1 x 2 x 5 x 19
-191 = -1 x 191
-192 = -1 x 2 x 2 x 2 x 2 x 2 x 2 x 2 x 3
-193 = -1 x 193
-194 = -1 x 2 x 97
195 = 3 x 5 x 13
196 = 2 x 2 x 7 x 7
197 = 197
198 = 2 x 3 x 3 x 11
199 = 199
200 = 2 x 2 x 2 x 5 x 5
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