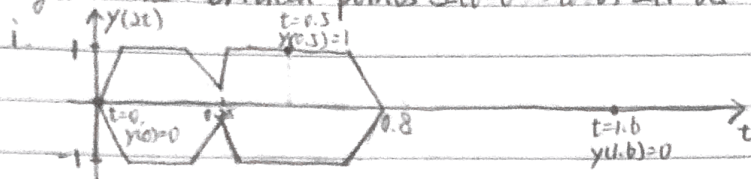


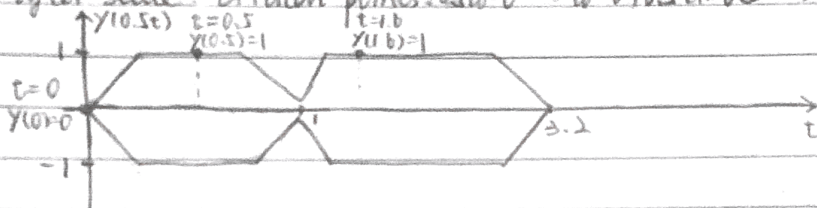
## Pre-lab 2:

1. a. after scale: critical points:  $t_0=0 \rightarrow t_0=0$ ,  $t_1=0.5 \rightarrow t_1=0.5$ ,  $t_2=1.6 \rightarrow$



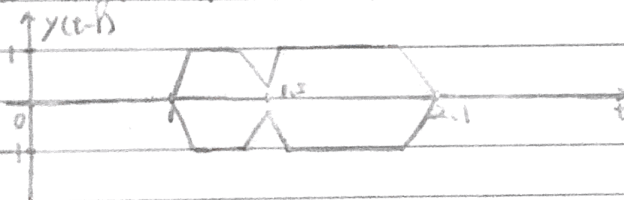
ii.  $y(2t)$  would sound like  $y(t)$  with higher frequency.

b. after scale: critical points:  $t_0=0 \rightarrow t_0=0$ ,  $t_1=0.5 \rightarrow t_1=1$ ,  $t_2=1.6 \rightarrow t_2=3.2$

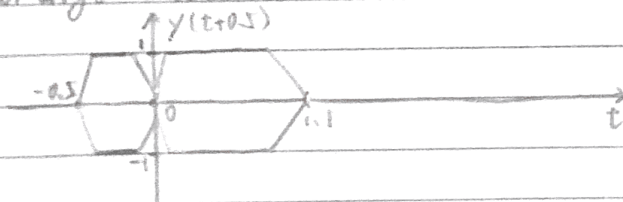


playing  $y(0.5t)$  would have sound that sounds like  $y(t)$  with lower frequency.

c. after shift 1:  $t_0-1=0 \rightarrow t_0=1$ ,  $t_1-1=0.5 \rightarrow t_1=1.5$ ,  $t_2-1=1.6 \rightarrow t_2=2.6$



after shift 2:  $t_0+0.5=0 \rightarrow t_0=-0.5$ ,  $t_1+0.5=0.5 \rightarrow t_1=0$ ,  $t_2+0.5=1.6 \rightarrow t_2=1.1$



2. Since we are using  $[0, 3]$  window, from graph in 1, we can observe that we would lose info of signal  $y(0.5t)$  from  $t=3$  to  $t=3.2$ , and lose info of signal  $y(t+0.5)$  from  $t=-0.5$  to  $t=0$ .

3. a. The parameters are  $x$ ,  $f_s$ , and  $a$ .

To return them simultaneously we can simply write:

return  $y, t$

3. b. `def timescale(x, fs, z):`  
    `n, d = decimal.Decimal(z).as_integer_ratio()`  
    `y = sig.resample_poly(x, d, n)`  
    `t = np.arange(0, len(y), 1) * (1/fs)`  
    `return y[1:], t-y[1:]`

4.  $x(t) = y(\frac{1}{z}(t+1))$