

# Insertion

In this lesson, we'll see how to insert a new key in a BST.

## We'll cover the following ^

- Algorithm
- Visualization
- Code

## Algorithm #

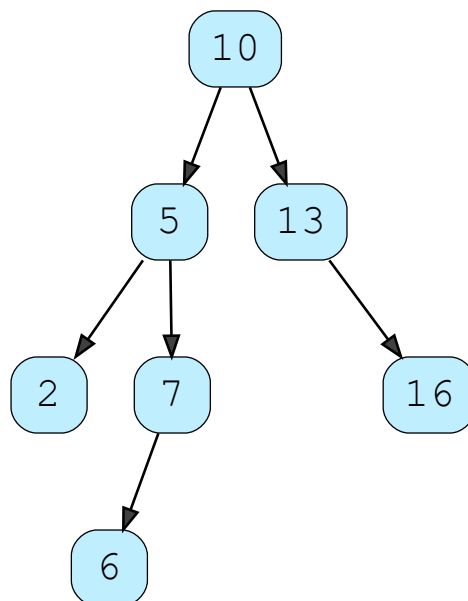
A new key is always inserted as a leaf. We search for the location for a new key as mentioned in the previous lesson and insert the new node when we reach the end.

**Time Complexity:** In the worst case, we traverse to the deepest node. So insertion time complexity is  $O(\text{height})$  or  $O(N)$ .

## Visualization #

Insert

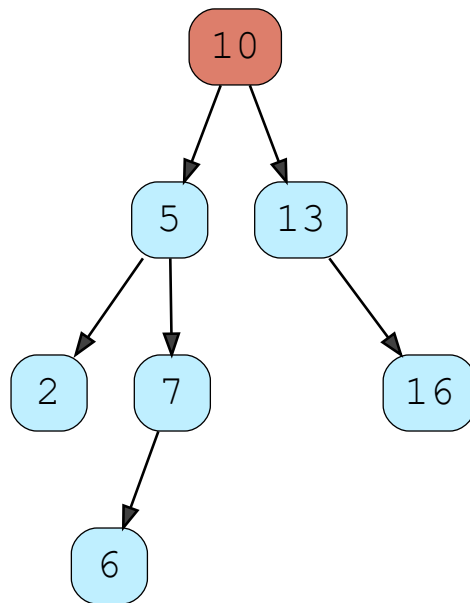
9



Insert 9

Insert

9

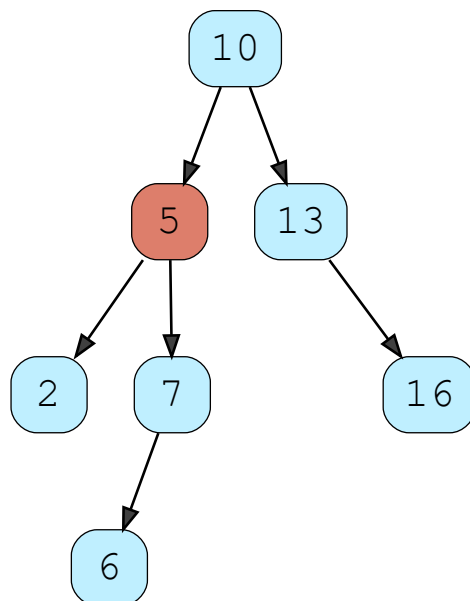


Compare with 10.  $9 < 10 \Rightarrow$  go left

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Insert

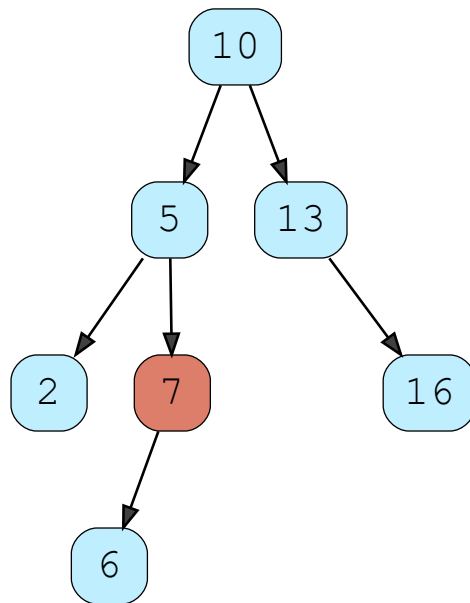
9



Compare with 5.  $9 > 5 \Rightarrow$  go right

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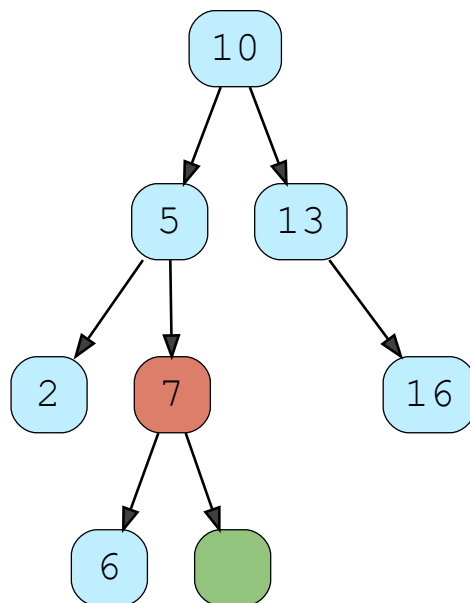
Insert 9



Compare with 7.  $9 > 7 \Rightarrow$  go right

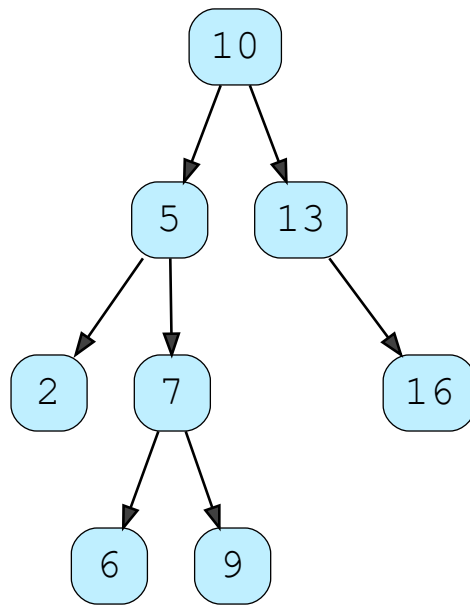
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Insert 9



7  $\rightarrow$  right is NULL. Add new node here

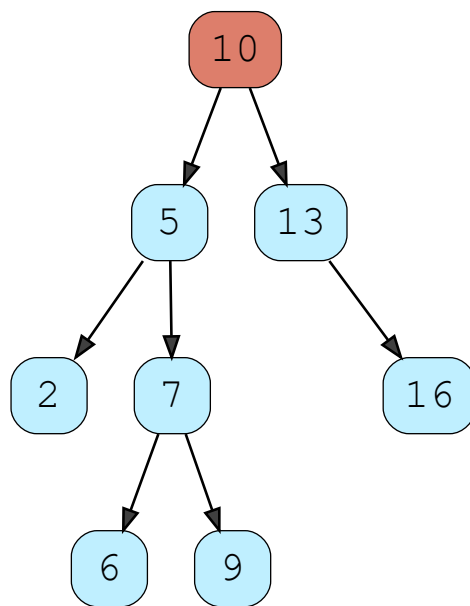
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Insert

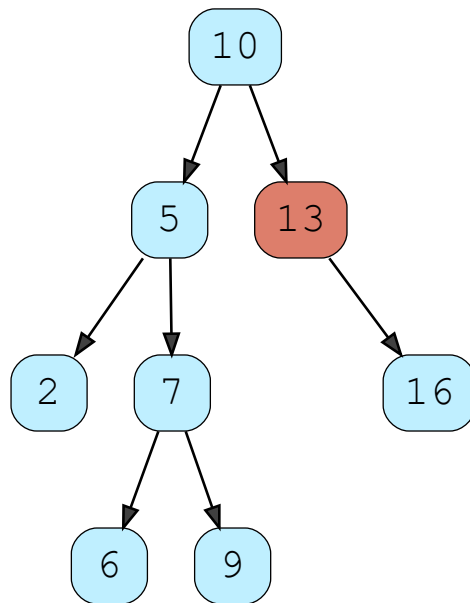
14



Compare with 10,  $14 > 10$ , go right

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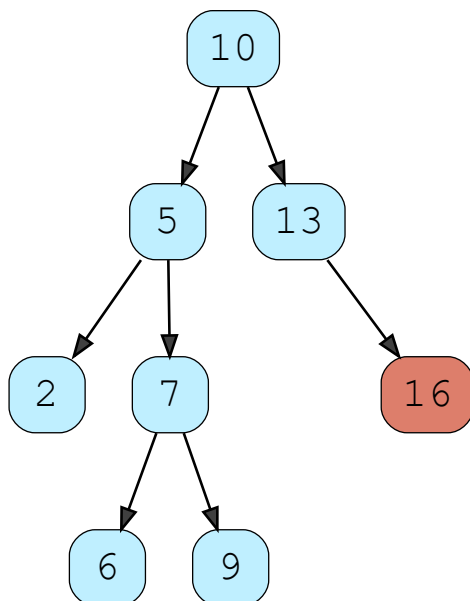
Insert 14



Compare with 13,  $14 > 13$ , go right

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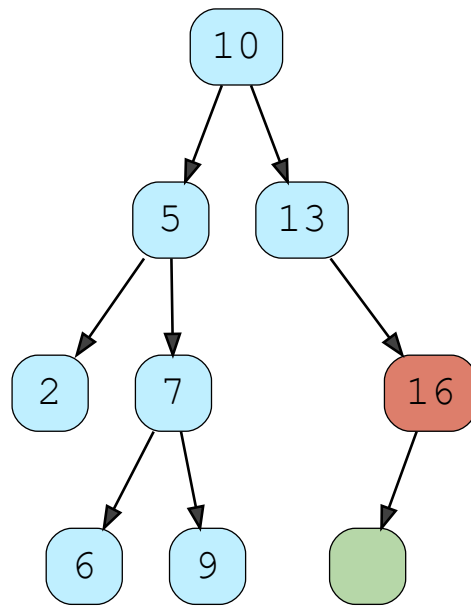
Insert 14



Compare with 16,  $14 < 16$ , go left

9 of 12

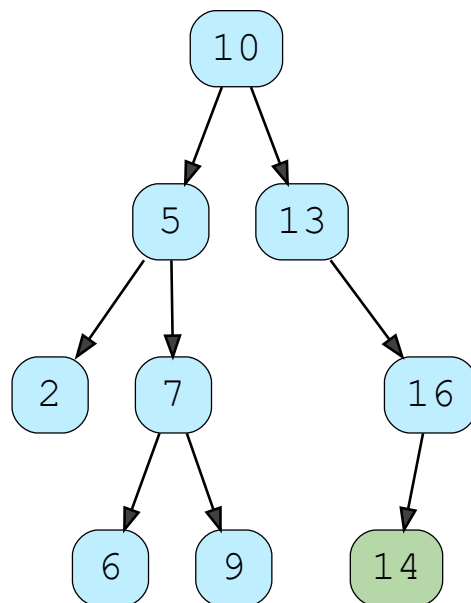
Insert 14



Compare with 16,  $14 < 16$ , go left

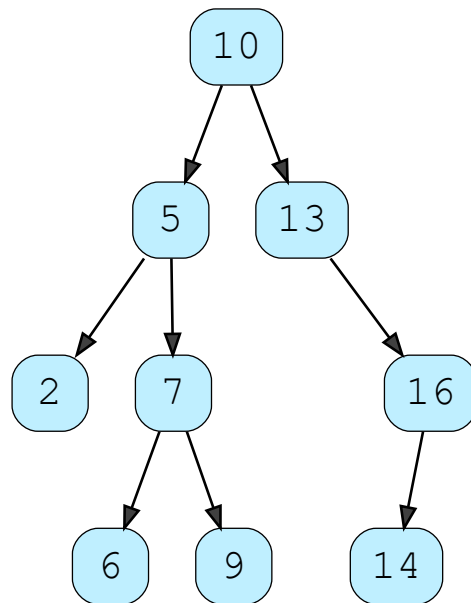
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Insert 14



Compare with 16,  $14 < 16$ , go left

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Compare with 16,  $14 < 16$ , go left

12 of 12

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[ ]

## Code #

```
void insert(struct Node* &root, int val) {
    if (root == NULL) {
        root = new Node(val);
        return;
    }

    Node* pCrawl = root;
    Node* pCrawlParent;
    while(pCrawl) {
        pCrawlParent = pCrawl;

        if (val < pCrawl->val)
            pCrawl = pCrawl->left;
        else
            pCrawl = pCrawl->right;
    }

    if (val < pCrawlParent->val)
        pCrawlParent->left = new Node(val);
    else
        pCrawlParent->right = new Node(val);
}
```



In the next lesson, we'll see different traversals of a BST and its properties.

