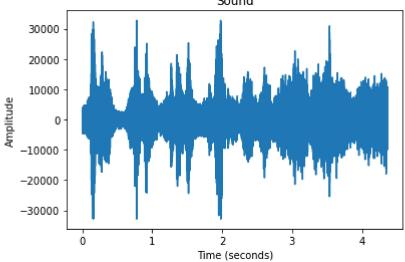
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## A4-Q5: Audio Enhancing

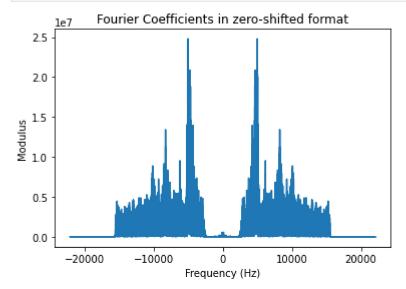
```
import numpy as np
In [1]:
         import matplotlib.pyplot as plt
         import scipy.io.wavfile
         from IPython.display import Audio
         from numpy.fft import fft, ifft, fft2, ifft2, fftshift, ifftshift
         from joSigProc import *
In [2]:
         # Load the audio recording
         Omega, f = scipy.io.wavfile.read('recording.wav')
         Audio(f, rate=Omega)
Out[2]:
              0:00 / 0:04
In [3]:
         # Some useful values
                       # total number of samples
         N = len(f)
         L = N / Omega # Length of sound clip (in seconds)
         t = np.arange(0,N) * L/N # array of time stamps for samples
         # Corresponding array of sampled frequencies
In [4]:
         omega = np.fft.fftshift(np.arange(-N/2, N/2)) / L
         plt.plot(t, f)
In [5]:
         plt.title('Sound')
         plt.xlabel('Time (seconds)')
         plt.ylabel('Amplitude');
                                       Sound
            30000
            20000
            10000
```



(a)

```
In [6]: F = fft(f)
    omega = ShiftedFreqSamples(f, Omega)
    plt.plot(omega, fftshift(abs(F)))
    plt.title('Fourier Coefficients in zero-shifted format')
```

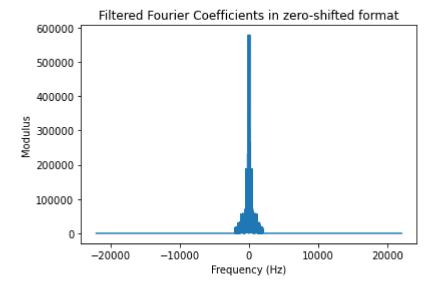
```
plt.xlabel('Frequency (Hz)')
plt.ylabel('Modulus');
```



## (b)

```
In [7]: T = 2000
    G = F
    G[abs(ifftshift(omega))>T] = 0.
```

```
In [8]: plt.plot(omega, fftshift(abs(G)))
    plt.title('Filtered Fourier Coefficients in zero-shifted format')
    plt.xlabel('Frequency (Hz)')
    plt.ylabel('Modulus');
```

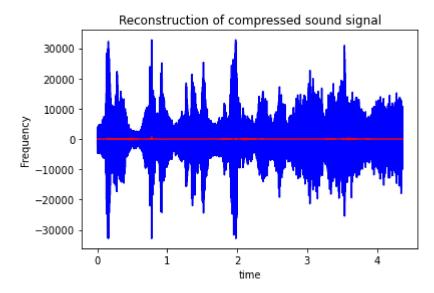


## (c)

```
In [9]: g = ifft(G)
    plt.plot(t, f, 'b')
    plt.plot(t, np.real(g), 'r')
    plt.title('Reconstruction of compressed sound signal')
    plt.xlabel('time')
    plt.ylabel('Frequency')
```

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Out[9]: Text(0, 0.5, 'Frequency')



In [10]: Audio(g.real, rate=Omega)

Out[10]:

0:00 / 0:04

(d)

James Carver: Robert is dead. I killed him.