

Fractum ban-Elavim

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A. (DEFUN F2 (X, N)

(COND

((= N 1) x)

(> X 2) (- N 2)

(> X 1) (x)

(T (- X 1)))

)

)

(DEFUN F(N)

(F2 (F (- N 1)) N)

)

% ~~F2~~

% F(N) = F2(F(N-1), N)

% F2(X, N) = {

% 1, N=1

% N-2, X > 2 and N ≠ 1

% X, X > 1 and X <= 2 and N ≠ 1

% X-1, else

% }

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B.

~~split([H|T], L1, L2)~~

~~split(E, L1, L2)~~

split([H|T], [H|L1], L2) :-

split(T, L1, L2).

split([H|T], L1, [H|L2]) :-

split(T, L1, L2).

% split(L, L, L)

% split(i, o, o)

length([], C, C).

length([_ - 1 T], C, R) :-

C1 is C + 1,

length(T, C1, R).

main(L, E) :-
[L1 | [L2]]

split(L, L1, L2),

check([L1]),

check([L2]).

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or continuation B

~~check(L, Elavir)~~

check([H, T], E) :-

check(T, H).

check([H | T], E) :-

check2(H, E),

check(T, H).

check([], _).

gcd(0, X, X) :- X > 0, !.

gcd(X, Y, Z) :- X >= Y,

X1 is X - Y,

gcd(X1, Y, Z).

gcd(X, Y, Z) :- X < Y,

Y is Y - X,

gcd(X, Y1, Z).

check2(A, B) :- gcd(A, B, 1).

My solution used the split predicate to get 2 partitions. Then I check the two partitions with a check predicate to check that the list's ~~consecutive~~ elements are relatively prime.

(from the check function is wrong because it only checks consecutive numbers but) had no time to write another predicate. Page 3

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C. % enumerate(int, int)

% enumerate(i, o)

% this predicate returns successively $v, v-1$ down to 1

enumerate(1, 1) :- !.

enumerate(I, I).

enumerate(I, R) :-

I1 is I - 1,

enumerate(I1, R).

~~%~~ is_in([H|_], H) :- !.

~~%~~ is_in([_|T], E) :-

 is_in(T, E).

% this predicate returns true or false whether the integer is
inside the list

% is_in(list, int)

% is_in(i, i)

~~%~~ ith_elem([H|_], I1, I2, H) :- !.

~~%~~ ith_elem([_|T], I1, I2, R) :-

I is I1 + 1,

ith_elem(T, I, I2, R).

% this predicate returns the integer at position I inside the list
atm to l[I]

% ith_elem(list, int, int, int)

% ith_elem(s, i, i, o)

CRITICAL SECTION

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continuation C

% append(int, list, list)

% append(i, l, o)

append(H, T, [H, T]).

% length(list, int, int)

% length(i, i, o)

length([], C, C).

length([_ | T], C, R) :-

C is C + 1,

length(T, C, R).

% build-list(int, int, list)

% build-list(i, i, o)

% This predicate builds the list N, N+1.. 2N-1 in reverse order

build-list(I, N, [E]) :-

I is 0,

!,

E is N.

build-list(I, N, L) :-

I is I - 1,

X is I + N,

build-list(I, N, L2),

append(X, L2, L).

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continuation C

% permutations - aux(list, list, int, int, list, list, list)

% permutations - aux(i, i, i, i, i, 0, 0)

permutations - aux(-, -, 0, -, Col, Col, -) :- !.

permutations - aux(L, R), Rem, N, Col, Sol, Last) :-
enumerate(N, IDX),

\+ is_in(R, IDX),

ith_elem(L, 1, IDX, Elem),

check(Last, Elem),

append(IDX, R, R1),

append(Elem, Col, Col1),

Rem1 is Rem - 1,

permutations - aux(L, R1, Rem1, N, Col1, Sol, Elem).

% check(int, int)

% check(i, i)

% this function returns the T/F is different <= 202
first int is []

check([], _) :- !.

check(A, B) :-

~~A >= B - 2,~~

B >= A - 2.

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Or

continuation c

Main (N): -

$N_1 \leftarrow N - 1$,

build-list(N_1, N, L),

permutations-aux($L, [], N, N, [], Sol, []$).

% permutations-aux($L, R, Rem, N, [], last$) = {

$Col, Rem = 0$

{iter-Dem($L, []$, enumerate(N) as E) (+) permutations-aux($L, R+E, Rem-1, N, EC, last$ in (R, E))
check($last, EC$)}

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D. (DEFUN myreplace (l level t)
(cond

(~~atom l~~)

((and (oddp level) (~~numberp l~~) ($>$ l t)) (- l 1))

(atom l) l)

(t (mapcar #'(lambda (x) (myreplace x
(+ level 1) t)) l)))

)

)

~~myreplace~~

(DEFUN main (l t) (myreplace l 0 t))

% myreplace (l, level, t) = {

| l - 1, level % 2 == 1 and l is number and l > t

| l, atom and not number

| $\cup_{i=1}^n$ myreplace (l_i, level + 1, t), l is l₁ l₂ ... l_n

% } main (l t) = myreplace (l, 0, t)