BézierSketch: A generative model for scalable vector sketches

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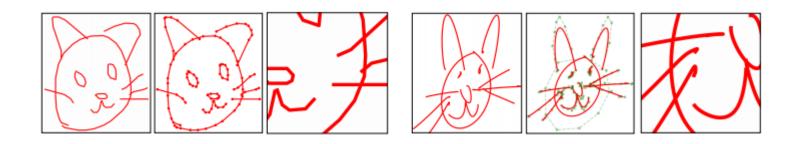
ECCV 2020

Sanghyeon Lee

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Introduction

Task: Generation scalable vector sketches & Translation raster image into vector sketches

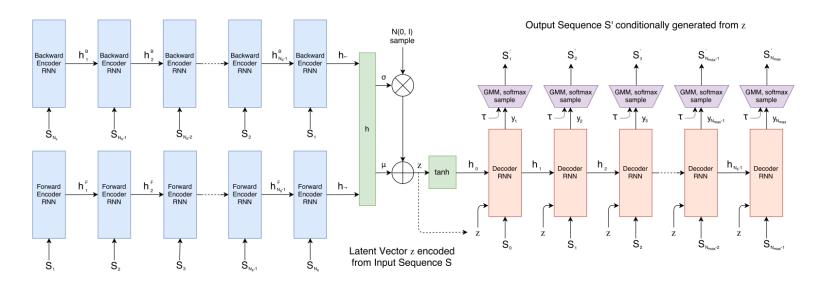


Contribution

- BézierEncoder: Inverse-graphics approach for mapping strokes to parameterized Bézier
- BézierSketch: A sequential generative model for sketches that produces high resolution and low-noise vector graphic samples
- Training model without supervision (Inverse Graphic)

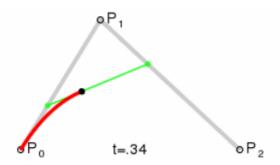
Background

Sketch RNN



Bézier curve

$$\mathbf{C}(t; \{\mathbf{P}_i\}) = \sum_{i=0}^n \mathcal{B}_{i,n}(t) \cdot \mathbf{P}_i \quad \mathcal{B}_{i,n}(t) \triangleq \binom{n}{i} t^i (1-t)^{n-i}$$



Method

1. Sketch Representation

Common format

$$\mathcal{S} = \left[(\mathbf{X}_i, q_i) \right]_{i=1}^L \quad \mathbf{X}_i \triangleq \left[x \ y \right]_i^T \in \mathbb{R}^2, \ q_i \in \{ \text{PenUp}, \text{PenDown} \}$$

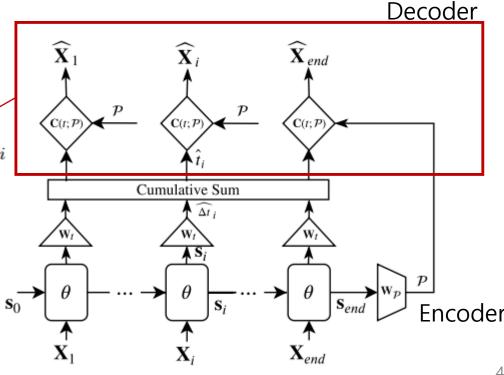
Stroke-Level Representation

$$\bar{\mathcal{S}} \triangleq \left[\mathbf{T}_j\right]_{j=1}^N$$
, with $\mathbf{T}_j \triangleq \left[\mathbf{X}_i^{(j)}\right]_{i=1}^{N_j}$

2. BézierEncoder: Stroke Embedding

$$\mathbf{C}(t; \{\mathbf{P}_i\}) = \sum_{i=0}^{n} \mathcal{B}_{i,n}(t) \cdot \mathbf{P}_i \quad \mathcal{B}_{i,n}(t) \triangleq \binom{n}{i} t^i (1-t)^{n-i}$$

$$\mathbf{P} \triangleq \begin{bmatrix} P_x P_y \end{bmatrix}^T \in \mathbb{R}^2$$
: Control points



Method

2. BézierEncoder: Stroke Embedding

$$\left[\overrightarrow{\mathbf{s}_{i}}, \overleftarrow{\mathbf{s}_{i}}\right] = \operatorname{BiRNN}(\mathbf{X}_{i-1}, \mathbf{s}_{i-1}; \theta)$$

$$\mathcal{P} = \mathbf{W}_{\mathcal{P}} \left[\overrightarrow{\mathbf{s}}_{end}; \overleftarrow{\mathbf{s}}_{end} \right]$$

$$\mathbf{W}_{\mathcal{P}} \in \mathbb{R}^{2(n+1) \times 2h}$$

$$\widehat{t}_i = \sum_{i'=1}^i \widehat{\Delta t}_{i'}, \text{ with } \widehat{\Delta t}_i = \text{SOFTMAX}_i(\mathbf{W}_t \cdot \left[\overrightarrow{\mathbf{s}}_i; \overleftarrow{\mathbf{s}}_i\right])$$

$$\mathcal{L}(\theta, \mathbf{W}_{\mathcal{P}}, \mathbf{W}_{t}) \triangleq \sum_{i} \left\| \mathcal{C}(\widehat{t}_{i}, \mathcal{P}) - \mathbf{X}_{i} \right\|^{2}$$

$\widehat{\mathbf{X}}_{1}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{i}$ $\widehat{\mathbf{X}}_{end}$ $\widehat{\mathbf{X}}_{end}$

Multi-Degree Representation Extension

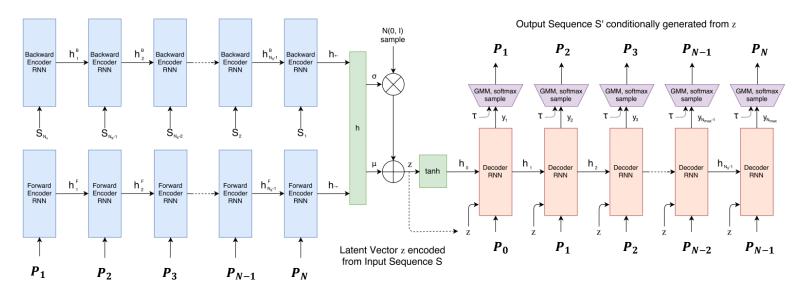
$$\mathcal{L}_{total} \triangleq \sum_{n=n_{min}}^{n_{max}} \mathcal{L}_n, \text{ with } \mathcal{L}_n(\theta, \mathbf{W}_{\mathcal{P}^n}, \mathbf{W}_t^n) \triangleq \sum_i \|\mathcal{C}(\widehat{t}_i^n, \mathcal{P}^n) - \mathbf{X}_i\|^2$$

Smoothness, Regularizer

$$\mathcal{R}_n(\mathcal{P}^n) \triangleq \sum_{i=1} \|\mathbf{P}_{i+1} - \mathbf{P}_i\|_2^2$$

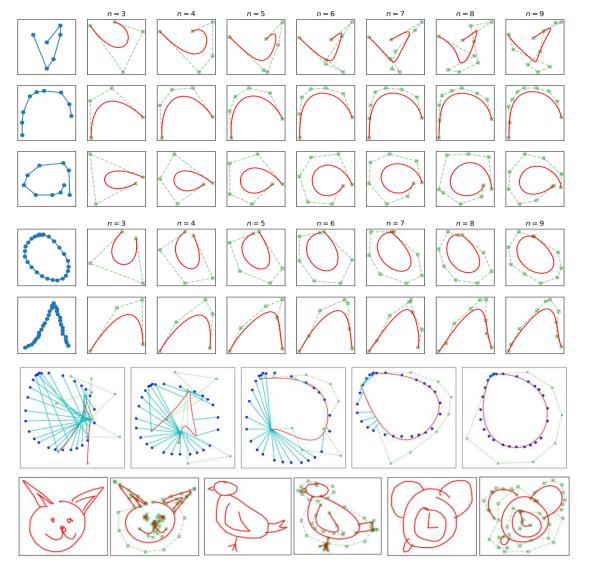
Method

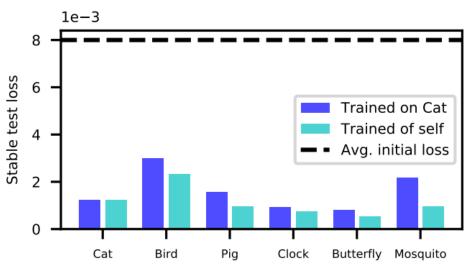
- 3. BézierSketch: Sketch Generation
- 1) Transform the set of strokes as $S_{st} = \{P_j\}_{j=1}^N$. Where $P_j = e(T_j)$
- 2) Training model via SketchRNN schema



Experiments

1. BézierEncoder





Experiments

2. BézierSketch

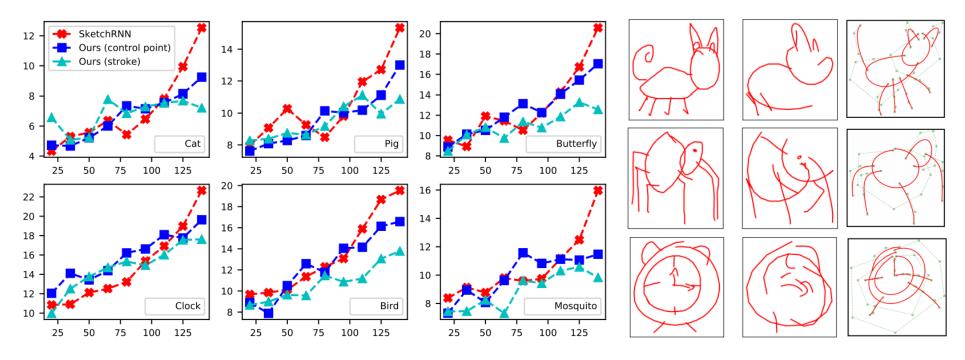
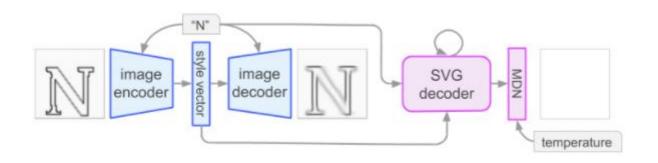


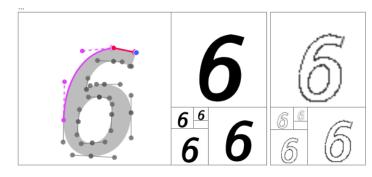
Fig. 7: Left: FID score (↓) vs length of sketch shows the effectiveness of our generative model on longer sketches. Right: Qualitative samples of long sketches. Three columns denote the original sketch, SketchRNN and our BézierSketch.

Other works

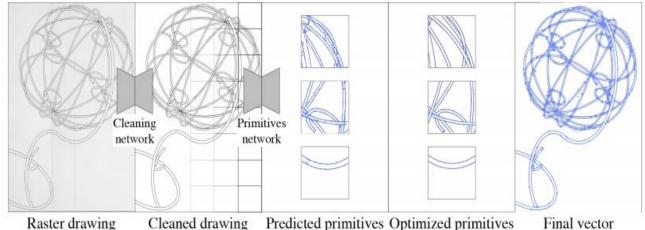
A Learned Representation for Scalable Vector Graphics (CVPR2019)



moveTo (15, 25) lineTo (-2, 0.3) cubicBezier (-7.4, 0.2) (-14.5, 11.7), (-12.1, 23.4)



Deep Vectorization of Technical Drawings(CVPR2020)



Predicted primitives Optimized primitives Raster drawing Cleaned drawing

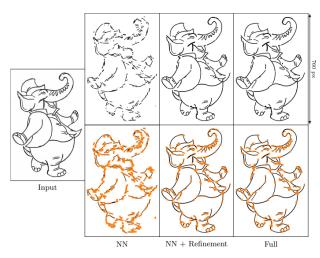


Fig. 16: Qualitative results of our system on clean cartoon drawings. Endpoints of primitives are shown in orange. The input image on the top is copyrighted by David Revoy www.davidrevoy.com under CC-by 4.0 license and on the bottom from www.easy-drawings-and-sketches.com, © Ivan Huska.

Thank you