제 1 Y'= e과 1 q =

$$A = -\frac{65x+56-1}{76}$$

$$\frac{\exists 0}{6\lambda} = e^{2\lambda - 1} \cdot y^{2}$$

$$S_{1/2} dy = S_{1/2} e^{2\lambda - 1} \cdot 4\lambda, \quad y(0) = 1$$

$$-\frac{1}{3} = \frac{1}{2} e^{2\lambda - 1} + C$$

$$1 = \frac{1}{2} e + C \quad C = 1 - \frac{1}{2} e$$

$$-\frac{1}{3} = \frac{1}{2} e^{2\lambda - 1} + 1 - \frac{1}{2} e$$

$$\frac{1}{3} = -\frac{1}{2} e^{2\lambda - 1} + 1 - \frac{1}{2} e$$

$$\frac{1}{3} = -\frac{1}{2} e^{2\lambda - 1} - 1 + \frac{1}{2} e$$

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$$\frac{1}{3} = -\frac{1}{2} e^{2\lambda - 1} - 1 + \frac{1}{2} e$$

면제 3

$$\frac{\exists 0}{\exists 0} y = 0 \lambda 7 \quad \left(\begin{array}{c} y' = 0 \cdot e^{\lambda 7} \\ y'' = 0^{2} \cdot e^{\lambda 7} \end{array} \right)$$

$$\Rightarrow \lambda^{2} - 3 \lambda - 4 = 0 \quad \left(\begin{array}{c} \lambda - 4 \right) (\lambda + 1) = 0 \end{array}$$

$$\frac{\exists 0}{\exists 0} y' = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

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$$C_{1} = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

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$$C_{3} = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

$$C_{1} = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

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$$C_{2} = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

$$C_{3} = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

$$C_{1} = 0 \cdot e^{\lambda 7} + C_{2} e^{\lambda 7}$$

문제 2

$$\frac{3y' = 34y}{y' = 14y'}, y(1) = 1$$

$$\frac{y}{y'} = 14y'$$

$$\frac{y}{y} = 2x(x) + c$$

$$\frac{y}{y} = 2x(x) + c$$

$$\frac{y}{y} = 3x(x) + c$$

문제 4 9"-6 4 4 44=0

$$\frac{1}{3} \int_{-1}^{1} \frac{1}{2} \int_{$$

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문제 5

411-144=0

甘 y= C, co 52x + c2 57n2x

 $\exists 0$ $y = e^{\lambda x} + \lambda^2 + 4 = 0. + \lambda = 12$ $y = P e^{2\lambda x} + B e^{-2\lambda x}$ $(e^{2\lambda} = cos x + 2 s t n x)$ $= C_1 cos 2x + C_2 s t n 2x$ $(y' = h e^{\lambda x})$ $y'' = \lambda^2 e^{\lambda x}$

문제 6 (깃³)"'+> ス゚4"- ス 1' 1 4 = 0.

답 y=C, x + c.x enx+c, 2-1

置り y= xm y'=mxm7 (1) y= xm y'= m(m-1) xm立 (1) = m(m-1)(m-2)なm-3

m(m-1)(m-2) + 2m(m-1) - m + 1 = 0 $(m-1)(m^2 + 2m + 2m - 1) = 0$

(m-1) 2 cm +1)=0.

y = C1 d + C2 x 2nx + C2x+

雪 y= c, x3+c223をn2.

y= C, x3+C2 x32nx

42= 23 S 26 EXP S 2 42) 42 = 25 24 25. 42

문제 8 지 9" - 424 +64=0

留 y= c, x2+c2x3

置の (20124-21) y'= n(n-1)2n-2 y''= n(n-1)2n-2 y''= n(n-1)(n-2)24-7

(m-2)(m-2)=0

 $y_1 = x^2, y_2 = x^3$

A= C' N = + C= N3

풀이
$$\frac{dy}{dx} = \frac{ye^{x}-e^{y}}{xe^{y}-e^{x}}$$

$$\frac{dy}{dx} = \frac{ye^{x}-e^{y}}{xe^{y}-e^{x}}$$

$$\frac{dy}{dx} = \frac{ye^{x}-e^{y}}{xe^{y}-e^{y}} = 0$$

$$\frac{dy}{dx} = \frac{(e^{x}-e^{y}) + dy}{(e^{x}-xe^{y}) = 0}$$

$$\frac{(e^{x}-e^{y}) = (e^{x}-e^{y}) + e^{y}}{(e^{x}-e^{y}) = 0}$$

$$U(3,4) = S(4e^{2}-e^{4})d3$$

 $= 4e^{2}-3e^{4}+c(4)=c$
 $\frac{\partial u}{\partial q} = e^{2}-3e^{4}+c(4)=e^{2}-3e^{4}$
 $U(3,4) = 4e^{2}-3e^{4}=c$

$$\exists 0$$
 $U = x + y$, $y = u - x$
 $\begin{cases} y' = u' - 1 \\ y' = u^2 + 3 \end{cases}$
 $u' = u^2 + 4$

$$S \frac{1}{u^{2}+u} du = S dx$$

$$u = 2 + anx$$

$$S \frac{1}{2} dx = x + C$$

$$du = 2 + anx$$

$$S \frac{1}{2} dx = x + C$$

$$\frac{dv = 2sec^2ydx}{5} + \frac{dv + (\frac{u}{2})}{3} = x + c$$

$$\frac{u}{3} = +an(2x + c_1)$$

문제 11 등급병

문제 12 경하기" - 52 3 1 41224 - 12 9 = 2-2

$$\frac{1}{2} = \frac{1}{2} \frac$$

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문제 13

$$\frac{\exists 0}{2} \qquad y' + ((-\frac{1}{3})y = 2\lambda y''$$

$$\frac{1}{2} = 4\lambda$$

$$\frac{1}{2} + (2-\frac{1}{3}) = 4\lambda$$

$$\frac{1}{2} = 2\lambda y''$$

$$= (2-\frac{1}{3}) = 4\lambda$$

$$= 2y((\frac{1}{3} - 1)y + 2\lambda y'') = \frac{2\lambda 1}{\lambda^2}$$

$$= (\frac{2}{3} - 2) = 4\lambda$$

$$\frac{1}{2} = \frac{2\lambda}{3} = \frac{2\lambda}{3} + \frac{2\lambda}{3} = \frac{2\lambda}{3} + \frac{1}{3} = \frac{2\lambda}{3} = \frac{2\lambda}{3} + \frac{1}{3} = \frac{2\lambda}{3} =$$

제 14

置り
$$y = e^{2\lambda} \rightarrow h^2 - 2h + 1 = 0$$

 $(n+1)^2 = 0$
 $y_1 = c_1 e^{2\lambda} + c_2 x - e^{2\lambda}$
 $y_2 = a_1 x^2 + b_2 + c_3$
 $y_3 = 2a_2 x + b_3 + c_4$
 $y_4 = 2a_2 x + b_4 + b_5 x + c_5 = x^2$
 $x^2 + 2 - 4x - 2b + b_2 + c_5 = x^2$
 $x^2 + 2 - 4x - 2b + b_3 + c_5 = x^2$
 $x^2 + 2 - 4x - 2b + b_3 + c_5 = x^2$
 $x^2 + 2 - 4x - 2b + b_3 + c_5 = x^2$
 $x^2 + 2 - 4x - 2b + b_3 + c_5 = x^2$

문제 15

$$\frac{\exists 0}{(50)24240} \frac{y_{k}}{y_{k}} = \frac{1}{(12)} = \frac{1}{(12)}$$

$$w = \left(\frac{3}{7}, \frac{2^{-1}}{2^{-1}}\right) = -\frac{2}{7} \cdot \frac{1}{(12)} = \frac{1}{(12)}$$

$$y_{p} = -\alpha S \frac{2^{-1}}{2^{-1}} \frac{(6^{7})^{2}}{4^{7}} + \frac{1}{7} S \frac{2^{-1}(6^{7})^{2}}{2^{-1}} + \frac{1}{7}$$

문제 16

$$\frac{\exists 0}{\exists 0} y = e^{\lambda x} + \lambda^{2} + (=0 \rightarrow \lambda = \pm 2)$$

$$y_{h} = C_{1} \cos x + C_{2} \sin x$$

$$y_{p} = f e^{\lambda} + \beta (f \cos x + \beta \sin x + x(-h \sin x))$$

$$y_{p}' = f e^{\lambda} + \beta (f \cos x + \beta \cos x + x(-h \sin x))$$

$$y_{p}'' = f e^{\lambda} - 2A \sin x + 2\beta \cos x$$

$$+ \beta (-\beta \cos x - \beta \cos x)$$

$$y_{p}'' + y_{p} = 2 f e^{\lambda} - 2A \sin x + 2\beta \cos x$$

$$f = 4, f = -\frac{1}{2}, g = 0$$

$$y_{p} = 4 e^{\lambda} + \lambda (-\frac{1}{2} \cos x)$$

$$y_{p} = 4 e^{\lambda} + \lambda (-\frac{1}{2} \cos x)$$

$$y_{p} = 4 e^{\lambda} + \lambda (-\frac{1}{2} \cos x)$$

문제 17

답 (2M

置の M=2, y(0)=4, y(0)=0, y(0)=0, y(0)=0, y(0)=0 y(0

문제 19

답 2

置り えいせっ (のならのなり)

1) fa: $F_{3} \cdot \frac{24}{3} = -F_{3}' \cdot \frac{24}{3}$ $F_{3}' = -\frac{1}{3}$ かい $F_{3} = -\frac{1}{3}$ かい $F_{3} = -\frac{1}{3}$

문제 18

目 y = 8-ス(c,cos=ス+c25mシス) - たいらとももちなとも

 $\frac{\exists 0}{2} = \frac{2}{11} + 4 \cdot 1 + 3 \cdot 1 = 2(0524)$ $\frac{21}{11} + 2 \cdot 1 + 1 \cdot 5 \cdot 1 = (0524)$ $\frac{2}{11} + 2 \cdot 1 + 1 \cdot 5 \cdot 1 = (0524)$ $\frac{2}{11} + 2 \cdot 1 + 1 \cdot 5 \cdot 1 = 0 - 4 + \sqrt{16-24}$ $\frac{2}{16-24} +$

+ CB(052E +1.5A (05 LE +1.5H Sinze

문제 20

 $y = -x + \lambda \ln |t| + 1$

풀이 기=기 기 - 구기 기 + 구기 나=0

 $92 = \chi S \frac{1}{\sqrt{2}} \left(\exp S(+\frac{1}{\sqrt{2}}) dx \right) dx$ $= \chi S \frac{1}{\sqrt{2}} \cdot (2\sqrt{2}) dx$

= 25 (\$-\$=)47

= 2 ent/+1

y = C1 x+ C2 (x2nx+1)

6 (c(+(5)+c)=1 c(+c)+6=6

C1+C5 X7=1

J (5=11 c1=-1

J= - a+ zentt1

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= - alacoszt -amstrazt - alastrazt

I"+2I1 +1.5I

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