

Dylla-Blaß  
ECON 2316

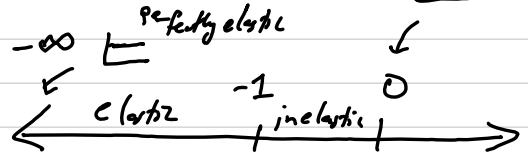
## Lecture 4: Consumer Behavior

perfectly  
inelastic

More Elasticities

$$PED = \frac{P}{Q_d} \frac{\partial Q_d}{\partial P}$$

$$PES = \frac{P}{Q_s} \frac{\partial Q_s}{\partial P}$$

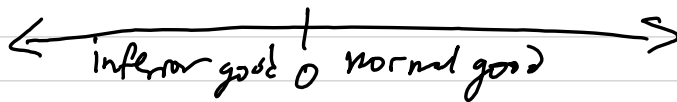


$$\text{Ex. } Q = 20, P = 10, E_P^D = -3$$

$$-3 = \frac{10}{20} \left( \frac{\partial Q}{\partial P} \right) \Rightarrow \frac{\partial Q}{\partial P} = -6$$

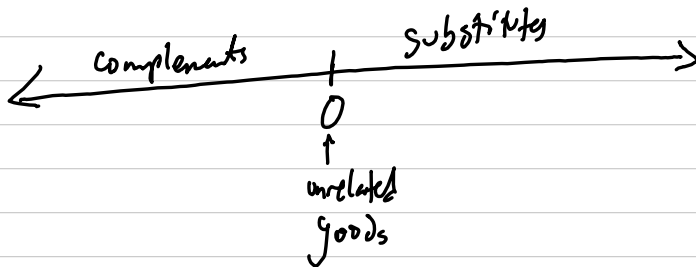
Income elasticity of demand

$$E_I = \frac{\% \Delta Q}{\% \Delta I} = \frac{I}{Q} \frac{\partial Q}{\partial I}$$



Cross Price Elasticity

$$E_{Q_b P_a} = \frac{\% \Delta Q_b}{\% \Delta P_a} = \frac{P_a}{Q_b} \cdot \frac{\partial Q_b}{\partial P_a}$$



Ex

$$Q^D = 10 - P + 2I$$

What is income elasticity when  $P=2$ ,  $I=5$ ?

$$\begin{aligned} E_I &= \frac{I}{Q} \frac{\partial Q}{\partial I} \\ &= \frac{5}{18} \cdot 2 = \frac{5}{9} \end{aligned}$$

Consumer Preferences + Utility

Math review pt. 3

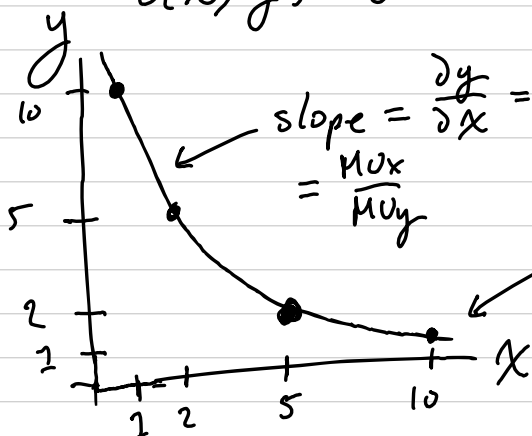
Illustrating multi-variable functions

- drawing in 3D is hard

- we can keep 1 var constant

ex.  $U(X, y) = X \cdot y$

$$U(X, y) = 10$$



sloping

$$\begin{aligned} \frac{dy}{dx} \cdot \frac{du}{dx} &= \frac{dy}{dx} \cdot \frac{du}{dx} \\ &= \frac{\text{der. wrt } x}{\text{der. wrt } y} \end{aligned}$$

$$\text{For us: } \frac{dy}{dx} = \frac{1}{\frac{du}{dy}} \cdot \frac{du}{dx} = \frac{1}{x} \cdot y = \frac{y}{x}$$

## Preferences + Utility

- ↳ consumers maximize utility subject to budget constraints
- utility maximization is about willingness
  - budget constraints concern ability

Utility - level of enjoyment from a market basket/  
bundle

Utility function - formula that assigns utility to individual  
market baskets (ex.  $u(x, y) = xy$ )

Preferences do NOT take into account income or prices

Marginal utility - satisfaction from an additional unit  
- derivative of the utility function

Diminishing marginal utility - less additional utility

## Quantifying marginal utility

$$u(x) = \sqrt{x}$$

Suppose I've already eaten 4 snickers bars - what's  $MU_x$ ?

$$\begin{aligned} MU_x &= \frac{du}{dx} = \frac{1}{2} x^{-\frac{1}{2}} = \frac{1}{2\sqrt{x}} = \frac{1}{2\sqrt{4}} \\ &= \frac{1}{4} \end{aligned}$$

## 4 Assumptions

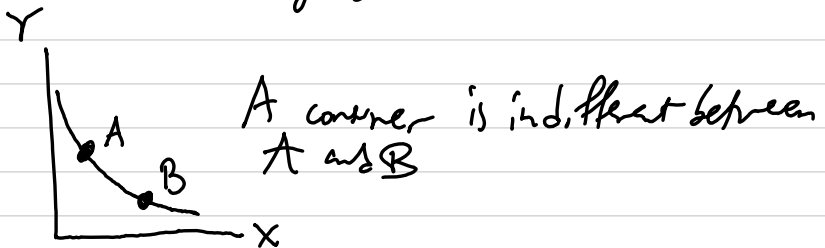
- Completeness
  - all baskets are rankable
- Transitivity
  - $A \succ B$  and  $B \succ C \Rightarrow A \succ C$  and vice versa
  - $A \sim B$  and  $B \sim C \Rightarrow A \sim C$

- Non-satiation
- more is better
- Convexity
- Diminishing MRS

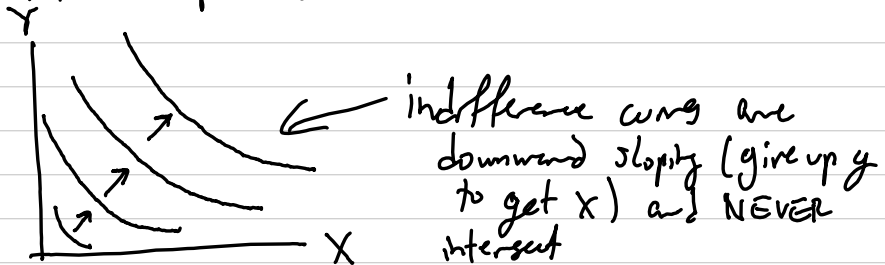


Indifference curves

- collection of bundles w/ same utility
- we fix  $u$
- AKA isoutility curves



Indifference map - a bunch of ICs



## Practice Question

$$Q^D = 30 - 2P + 0.5I + 0.5P_{\text{pepsi}}$$

a) Holding  $P_{\text{cola}}$  and  $I$  constant, an increase in the price of pepsi brings  $Q^D$  down, so they are substitutes

$$\text{b) } P=3, I=10, P_{\text{pepsi}}=2, E_I$$

$$E_I = \frac{I}{Q} \frac{\partial Q}{\partial I}$$

$$= \frac{10}{30} \cdot 0.5 = \frac{5}{30} = \frac{1}{6} \approx 0.167$$

