

Assignment 3: Promotions Management

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1 Promotional event planning

2 Estimating lift factors and promotion ROI analysis

In this part of the assignment, we analyze the effectiveness and ROI of different promotions for Hellman's 32 oz Mayonnaise. The analysis is based on account level data at Jewel-Osco and Dominick's Finer Foods in Chicago. Use the table (data frame) `hellmans_df` in the file `Hellmans.RData`. `hellmans_DF` contains the following variables:

• `account` • `product` • `week` • `units` • `dollars` • `feature_pctacv` • `display_pctacv`

2.1 Question

Create a price variable for Hellman's 32oz mayo. Then, although not strictly necessary (because the estimated coefficients will scale in a linear regression), you should divide the feature and display columns (variables) by 100. Examine the feature and display variables. Provide summary statistics (number of observations, mean, standard deviation) and histograms of these variables, separately for both accounts. To what extent do these two promotional instruments differ? Calculate the correlations between `feature_pctacv`, `display_pctacv`, and price (use the `cor` function in R). Comment on your findings. Do the correlations indicate a potential problem for your regression analysis to be performed below?

```
hellmans_df$price = hellmans_df$dollars / hellmans_df$units
hellmans_df$feature = hellmans_df$feature_pctacv / 100
hellmans_df$display = hellmans_df$display_pctacv / 100
```

```
my_summary <- function(df, account) {
  df_local = df[df$account == account,]
  list("Feature Summary" =
    list("count" = length(df_local$feature),
          "mean" = mean(df_local$feature),
          "sd" = sd(df_local$feature)),
        "Display Summary" =
    list("count" = length(df_local$display),
          "mean" = mean(df_local$display),
          "sd" = sd(df_local$display)))
}
```

```
D_summary = my_summary(hellmans_df, "Dominicks")
J_summary = my_summary(hellmans_df, "Jewel")
print(D_summary)
```

```
$`Feature Summary`
$`Feature Summary`$count
[1] 88
```

```
$`Feature Summary`$mean
[1] 0.1363636
```

```
$`Feature Summary`$sd
[1] 0.3451409
```

```
$`Display Summary`
$`Display Summary`$count
[1] 88
```

```
$`Display Summary`$mean
```

```
[1] 0.1206818
```

```
$`Display Summary`$sd
```

```
[1] 0.1762952
```

```
print(J_summary)
```

```
$`Feature Summary`
```

```
$`Feature Summary`$count
```

```
[1] 88
```

```
$`Feature Summary`$mean
```

```
[1] 0.1794318
```

```
$`Feature Summary`$sd
```

```
[1] 0.3834338
```

```
$`Display Summary`
```

```
$`Display Summary`$count
```

```
[1] 88
```

```
$`Display Summary`$mean
```

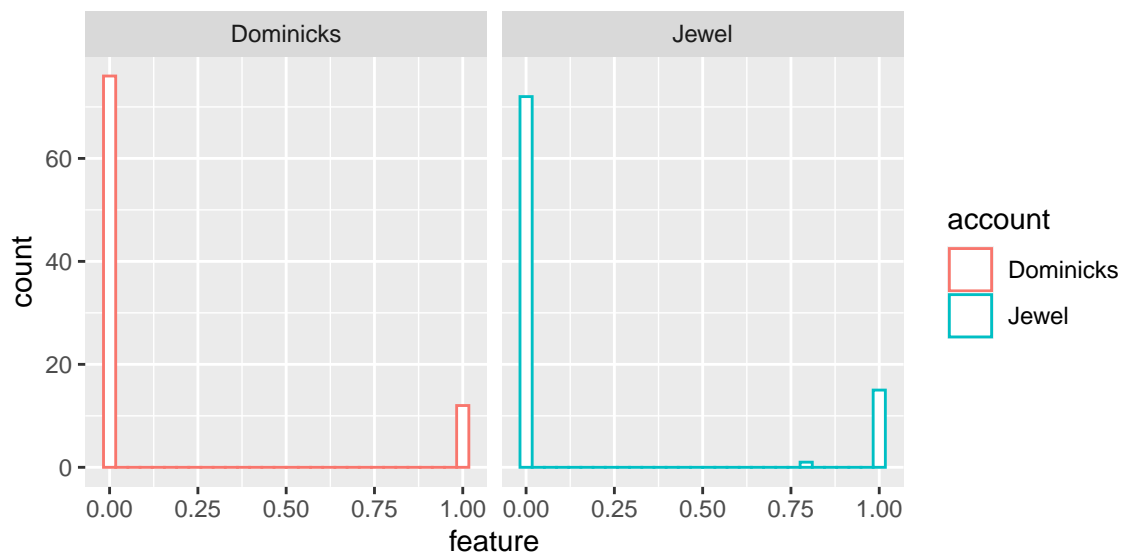
```
[1] 0.2298864
```

```
$`Display Summary`$sd
```

```
[1] 0.2581655
```

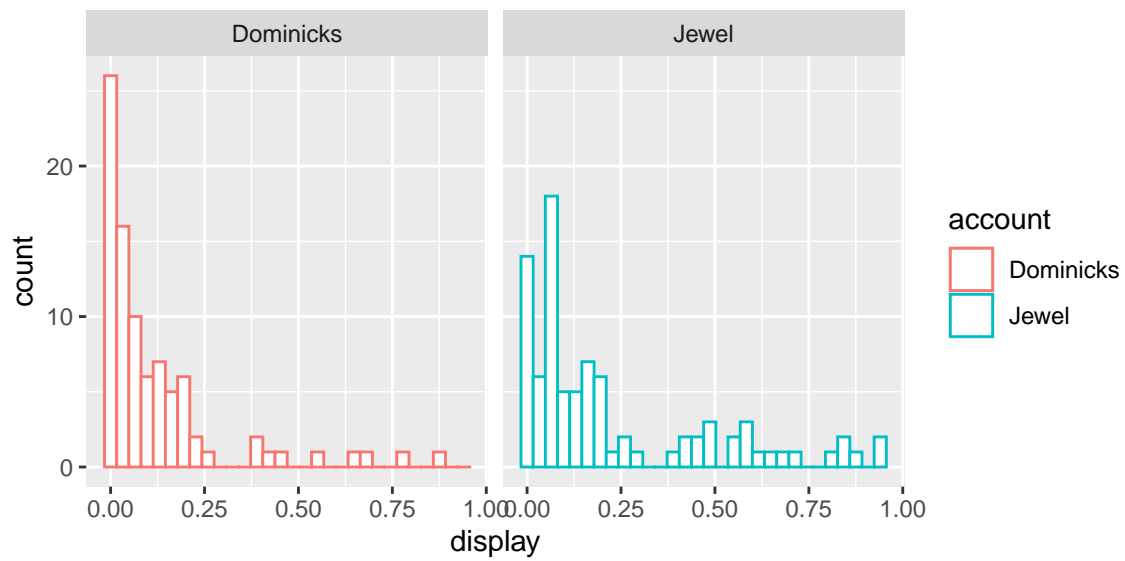
```
hellmans_df %>%
```

```
ggplot(data = ., aes(x=feature, color=account)) + geom_histogram(fill="white") + facet_grid(cols = vars
```



```
hellmans_df %>%
```

```
ggplot(data = ., aes(x=display, color=account)) + geom_histogram(fill="white") + facet_grid(cols = vars
```



```
#Correlations
```

```
cor(hellmans_df$feature_pctacv, hellmans_df$display_pctacv)
```

```
[1] 0.7599992
```

```
cor(hellmans_df$feature_pctacv, hellmans_df$price)
```

```
[1] -0.5747241
```

```
cor(hellmans_df$display_pctacv, hellmans_df$price)
```

```
[1] -0.6700056
```

2.2 Question

Estimate the log-linear demand model separately for each account, using price as the only explanatory variable. Then add the feature and display variables. Comment on the difference between the two regressions in terms of goodness of fit, and the price elasticity estimates. Is the change in price elasticity estimates as expected? What is the reason for this change? Are the coefficient estimates similar for both accounts?

```
D_lm =  
hellmans_df %>%  
filter(account == "Dominicks") %>%  
glm(log(units) ~ log(price), data = .)  
  
summary(D_lm)
```

Call:

```
glm(formula = log(units) ~ log(price), data = .)
```

Deviance Residuals:

Min	1Q	Median	3Q	Max
-0.63760	-0.17214	-0.01628	0.10558	0.79349

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	10.0368	0.0719	139.60	< 2e-16 ***
log(price)	-4.1665	0.4107	-10.15	2.3e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 0.06617719)

Null deviance: 12.5037 on 87 degrees of freedom
Residual deviance: 5.6912 on 86 degrees of freedom
AIC: 14.753

Number of Fisher Scoring iterations: 2

```
J_lm =  
hellmans_df %>%  
filter(account == "Jewel") %>%  
glm(log(units) ~ log(price), data = .)  
  
summary(J_lm)
```

Call:

```
glm(formula = log(units) ~ log(price), data = .)
```

Deviance Residuals:

Min	1Q	Median	3Q	Max
-0.59230	-0.16883	-0.03486	0.15152	0.81131

Coefficients:

	Estimate	Std. Error	t value	Pr(> t)
(Intercept)	10.60443	0.05259	201.66	<2e-16 ***
log(price)	-4.58359	0.42660	-10.74	<2e-16 ***

Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for gaussian family taken to be 0.06161774)

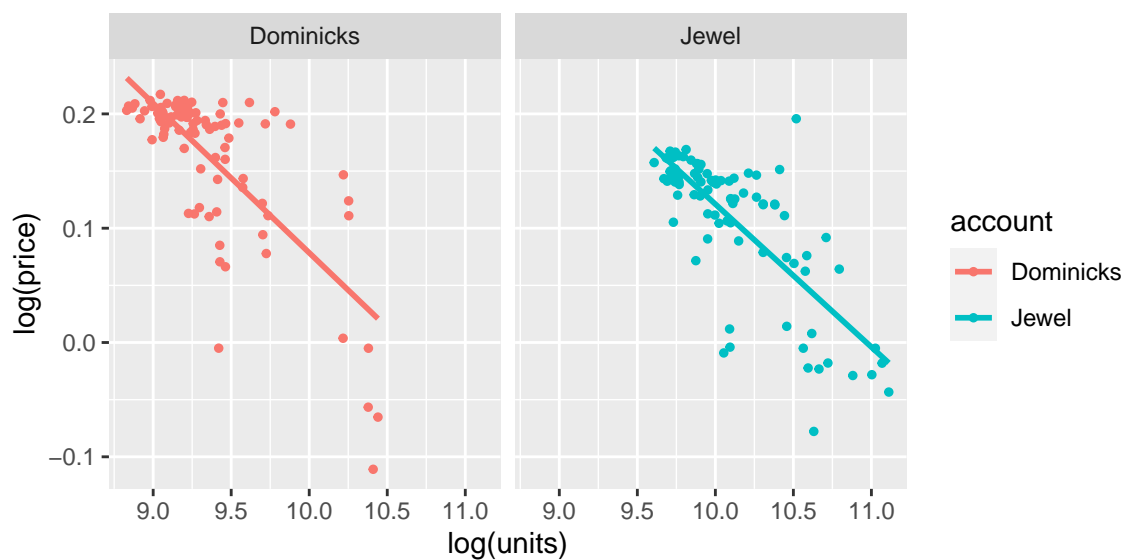
Null deviance: 12.4124 on 87 degrees of freedom
Residual deviance: 5.2991 on 86 degrees of freedom
AIC: 8.4712

Number of Fisher Scoring iterations: 2

#Two linear model demand-price graph

hellmans_df %>%

```
ggplot(data = ., aes(x= log(units), y = log(price), color=account)) + geom_point(size = 1, alpha = 1) +  
  facet_grid(cols = vars(account)) + geom_smooth(method = "lm", se = FALSE)
```



2.3 Question

Consider the following three promotions:

- (a) 15% TPR
- (b) 15% TPR, 70% display
- (c) 15% TPR, 70% display, 100% feature

Calculate the lift factors for each promotion for both accounts, based on the regression estimates in 2. Set estimates that are not statistically significant = 0.