

Date of the Session: \_\_\_\_/\_\_\_\_/\_\_\_\_

Time of the Session: \_\_\_\_ to \_\_\_\_

**EX – 5** Working with Greedy Method**Prerequisites:**

- Basics of Data Structures and C Programming.
- Basic knowledge about Arrays.

**Pre-Lab:**

- 1) Explain why 0-1 Knapsack problems cannot be solved using greedy method unlike fractional knapsack.

- **0-1 Knapsack:** Greedy method doesn't work because you can't break items into fractions; choosing the highest value-to-weight ratio may not lead to the optimal solution.
- **Fractional Knapsack:** Works with the greedy method because you can take fractions of items, ensuring optimality.

- 2) Categorize the Following as single source or multiple source shortest path algorithms.

Floyd-Warshall algorithm –

Dijkstra's algorithm –

Bellman-Ford algorithm –

- **Floyd-Warshall:** Multiple-source
- **Dijkstra's:** Single-source
- **Bellman-Ford:** Single-source

3) List down various shortest path greedy algorithms.

- **Dijkstra's Algorithm**
- **Prim's Algorithm**
- **Kruskal's Algorithm**

**In-Lab:**

- 1) Given an array of size n that has the following specifications:
  - a. Each element in the array contains either a police officer or a thief.
  - b. Each police officer can catch only one thief.
  - c. A police officer cannot catch a thief who is more than K units away from the police officer.

We need to find the maximum number of thieves that can be caught.

**Input**

arr [] = {'P', 'T', 'T', 'P', 'T'},  
k = 1.

**Output**

2

Here maximum 2 thieves can be caught; first police officer catches first thief and second police officer can catch either second or third thief.

**Source code:**

```
#include <stdio.h>
#include <stdlib.h>

#define MAX_SIZE 100

int maxThievesCaught(char arr[], int n, int k) {
    int police[MAX_SIZE], thieves[MAX_SIZE];
    int police_count = 0, thieves_count = 0, caught = 0;

    for (int i = 0; i < n; i++) {
        if (arr[i] == 'P') {
            police[police_count++] = i;
        } else if (arr[i] == 'T') {
            thieves[thieves_count++] = i;
        }
    }

    int i = 0, j = 0;
    while (i < police_count && j < thieves_count) {
        if (abs(police[i] - thieves[j]) <= k) {
            caught++;
            i++;
            j++;
        } else if (police[i] < thieves[j]) {
            i++;
        } else {
            j++;
        }
    }
}
```

```
}

return caught;
}

int main() {
    char arr[] = {'P', 'T', 'T', 'P', 'T'};
    int n = sizeof(arr) / sizeof(arr[0]);
    int k = 1;

    int result = maxThievesCaught(arr, n, k);
    printf("Maximum number of thieves caught: %d\n", result);

    return 0;
}
```

- 2) Given  $n$  non-negative integers  $a_1, a_2, \dots, a_n$ , where each represents a point at coordinate  $(i, a_i)$ .  $n$  vertical lines are drawn such that the two endpoints of the line  $i$  is at  $(i, a_i)$  and  $(i, 0)$ . Find two lines, which, together with the x-axis forms a container, such that the container contains the most water. Notice that you may not slant the container.

**Input**

height = [1,8,6,2,5,4,8,3,7]

**Output**

49

Explanation: The above vertical lines are represented by array [1,8,6,2,5,4,8,3,7]. In this case, the max area of water (blue section) the container

**Source code:**

```
#include <stdio.h>
```

```
int maxArea(int height[], int n) {
```

```
    int left = 0;
```

```
    int right = n - 1;
```

```
    int max_area = 0;
```

```
    while (left < right) {
```

```
        int width = right - left;
```

```
        int h = (height[left] < height[right]) ? height[left] : height[right];
```

```
        int area = h * width;
```

```
        if (area > max_area) {
```

```
            max_area = area;
```

```
        }
```

```
        if (height[left] < height[right]) {
```

```
            left++;
```

```
        } else {
```

```
            right--;
```

```
        }
```

```
    }
```

```
    return max_area;
```

```
}
```

```
int main() {
```

```
    int height[] = {1, 8, 6, 2, 5, 4, 8, 3, 7};
```

```
int n = sizeof(height) / sizeof(height[0]);  
  
int result = maxArea(height, n);  
printf("Maximum area: %d\n", result);  
  
return 0;  
}
```

**Post-Lab:**

- 1) Given an array of jobs where every job has a deadline and associated profit if the job is finished before the deadline. It is also given that every job takes a single unit of time, so the minimum possible deadline for any job is 1. How to maximize total profit if only one job can be scheduled at a time.

**Input**

4

Job ID Deadline Profit

a 4 20

b 1 10

c 1 40

d 1 30

**Output**

60

profit sequence of jobs is c, a

**Source code:**

```
#include <stdio.h>
#include <stdlib.h>
#include <string.h>
```

```
typedef struct {
    char job_id;
    int deadline;
    int profit;
} Job;
```

```
int compare(const void* a, const void* b) {
    return ((Job*)b)->profit - ((Job*)a)->profit;
}
```

```
void jobScheduling(Job jobs[], int n) {
    qsort(jobs, n, sizeof(Job), compare);
```

```
    int max_deadline = 0;
    for (int i = 0; i < n; i++) {
        if (jobs[i].deadline > max_deadline) {
            max_deadline = jobs[i].deadline;
        }
    }
```

```
    int slots[max_deadline];
```

```
memset(slots, -1, sizeof(slots));

char job_sequence[max_deadline];
int total_profit = 0;

for (int i = 0; i < n; i++) {
    for (int j = jobs[i].deadline - 1; j >= 0; j--) {
        if (slots[j] == -1) {
            slots[j] = i;
            job_sequence[j] = jobs[i].job_id;
            total_profit += jobs[i].profit;
            break;
        }
    }
}

printf("Maximum Profit: %d\n", total_profit);
printf("Job Sequence: ");
for (int i = 0; i < max_deadline; i++) {
    if (slots[i] != -1) {
        printf("%c ", job_sequence[i]);
    }
}
printf("\n");

int main() {
    Job jobs[] = {
        {'a', 4, 20},
        {'b', 1, 10},
        {'c', 1, 40},
        {'d', 1, 30}
    };
    int n = sizeof(jobs) / sizeof(jobs[0]);
    jobScheduling(jobs, n);
    return 0;
}
```



- 2) There are N Mice and N holes are placed in a straight line. Each hole can accommodate only 1 mouse. A mouse can stay at his position, move one step right from  $x$  to  $x + 1$ , or move one step left from  $x$  to  $x - 1$ . Any of these moves consumes 1 minute. Assign mice to holes so that the time when the last mouse gets inside a hole is minimized.

Example: positions of mice are: 4 -4 2

Positions of holes are: 4 0 5

**Input**

A: list of positions of mice

B: list of positions of holes

**Output**

single integer value

**Source code:**

```
#include <stdio.h>
#include <stdlib.h>

int compare(const void *a, const void *b) {
    return (*(int *)a - *(int *)b);
}

int assignMiceToHoles(int mice[], int holes[], int n) {
    qsort(mice, n, sizeof(int), compare);
    qsort(holes, n, sizeof(int), compare);

    int max_time = 0;
    for (int i = 0; i < n; i++) {
        int distance = abs(mice[i] - holes[i]);
        if (distance > max_time) {
            max_time = distance;
        }
    }

    return max_time;
}

int main() {
    int mice[] = {4, -4, 2};
    int holes[] = {4, 0, 5};
    int n = sizeof(mice) / sizeof(mice[0]);

    int result = assignMiceToHoles(mice, holes, n);
    printf("Minimum time required: %d\n", result);
    return 0;
}
```

Comments of the Evaluators (if Any)Evaluator's Observation

Marks Secured: \_\_\_\_\_ out of [50].

Signature of the Evaluator  
Date of Evaluation: