

Lesson 16: Describing Categorical Data; Proportions; Sampling  
Distribtion of a Sample Proportion

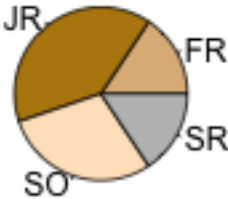
Homework

Solutions

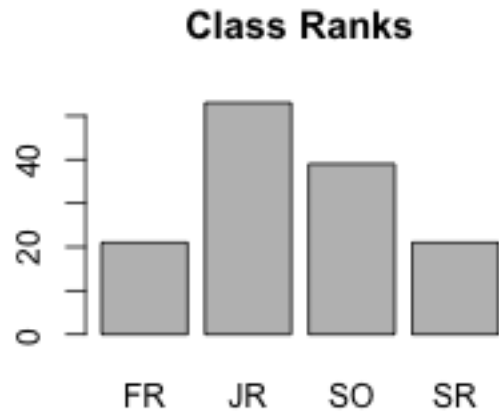
Please note that the steps show rounded numbers, but that the final answers to the problems are calculated without rounding.

Problem	Part	Solution
1	-	A pie chart is used for categorical data. Each slice represents a part of a whole. A histogram, on the other hand, is used for quantitative data. It is a visual representation of the spread of a set of data.

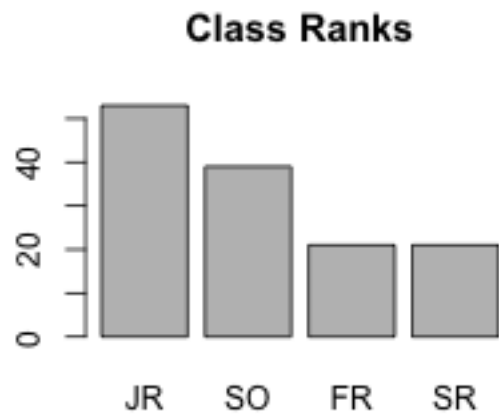
Class Ranks



2 -



3 -



4 -

5 - The sample proportion  $\hat{p}$  will be approximately normal when  $n$  is large. How do we know if  $n$  is large? We will conclude that  $n$  is large when  $np \geq 10$  and  $n(1 - p) \geq 10$

6 -  $n = 1000$

7 - The sample proportion  $\hat{p}$  will be approximately normal when:  
 $np \geq 10$  and  $n(1 - p) \geq 10$

$$1000(0.528) = 528 \geq 10 \text{ and } 1000(1 - 0.528) = 472 \geq 10$$

Since both conditions are true, we conclude that  $n$  is sufficiently large so that  $\hat{p}$  will be approximately distributed.

8 - The sampling distribution of  $\hat{p}$  is approximately normal with mean  $p = 0.528$  and standard deviation of 0.016.

9 -  $z = -1.774$

10 -  $P(Z = -1.774) = 0.038$

Problem	Part	Solution
11	-	<p>The sample proportion <math>\hat{p}</math> will be approximately normal when:  <math>np \geq 10</math> and <math>n(1 - p) \geq 10</math>  <math>4040(0.5) = 2020 \geq 10</math> and <math>4040(1 - 0.5) = 2020 \geq 10</math>  Since both conditions are true, we conclude that <math>n</math> is sufficiently large so that <math>\hat{p}</math> will be approximately distributed.</p>
12	-	<p>The sampling distribution of <math>\hat{p}</math> is approximately normal with mean <math>p = 0.5</math> and standard deviation of 0.008.</p>
13	-	<p><math>P(Z = 0.881 \text{ or } Z = -0.881) = 0.378</math></p>