### Digital Image Processing Lab

#### **Experiment 7**

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**Aim:** To enhance the contrast of low light image. Evaluate the effectiveness of implementation by applying it to a variety of images with different lighting and Homomorphic filtered image.

#### **Software Tool Used:**

Matlab

#### Matlab Code:

clc:

close all

clear all

% Set parameters

d = 10; % Cutoff frequency for the Gaussian filter

 $d2 = d^2$ ; % Square of the cutoff frequency

% Read and preprocess the image

f1 = double(rgb2gray(imread("DP.jpg"))); % Convert image to grayscale and double precision

f = f1 + 100; % Brighten the image

% Logarithmic transformation

 $1 = \log(1 + f)$ ; % Apply log transformation for dynamic range compression

% Fourier transform of the log-transformed image

z = fft2(1); % Compute the 2D Fourier transform of the image

% Get image size

[m, n] = size(f); % Dimensions of the image

% Initialize filter variables

b = zeros(m, n); % Distance matrix (for Euclidean distance)

h = zeros(m, n); % Gaussian filter matrix

% Create the Gaussian filter in frequency domain

for i = 1:m

for j = 1:n

% Compute the Euclidean distance from the center

$$b(i, j) = sqrt((i - m / 2)^2 + (j - n / 2)^2);$$

% Gaussian low-pass filter equation

$$h(i, j) = \exp(-b(i, j)^2 / (2 * d2));$$

end

end

% Gamma values for homomorphic filtering

L = 0.5; % Gamma low value

H = 1.5; % Gamma high value

% Create the homomorphic filter

filter = 
$$L + (H - L) * h;$$

% Apply the filter in the frequency domain

$$s = z$$
.\* filter;

% Perform inverse Fourier transform

g = abs(ifft2(s)); % Inverse FFT to get the filtered image back

% Inverse the logarithmic transformation

$$e = \exp(g) - 1;$$

% Display results

figure;

subplot(1, 3, 1); % Display the original image

imshow(f1, []);

title("Original Image");

subplot(1, 3, 2); % Display the homomorphic filtered image

imshow(e, []);

title('Homomorphic Filtered Image');

## Output -

# Original Image Homomorphic Filtered Image





# Original Image Homomorphic Filtered Image





Original Image Homomorphic Filtered Image





Original Image Homomorphic Filtered Image





Original Image Homomorphic Filtered Image





### **Result:**

Hence we have performed the objectives and observed the outputs.