

**Answer Template for Lab 1**  
**ENGR 232 – Dynamic Engineering Systems**

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**Lab #1**

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**Question 1:** The integral is:  $-\log(x^2 + 1) - x^2 + \frac{x^4}{2} + C$

**Paste code here:**

```
syms x C
f = (2*x^5)/(1+x^2);
intf = int(f,x)
intf = intf + C
```

**Question 2.** The general solution is:  $t + C_1 * e^t + 1$

**Paste your code here:**

```
syms y(t)
DE = diff(y,t) == y - t;
dsolve(DE)
```

**Question 3.** The solution satisfying  $y(0) = 1$  is:  $y(t) = t+1$

**Question 4.** The solution satisfying the initial condition  $V(0) = 1$  is:  $V(t) = 100 * e^{1n(-2*1n(10))-2*t}$

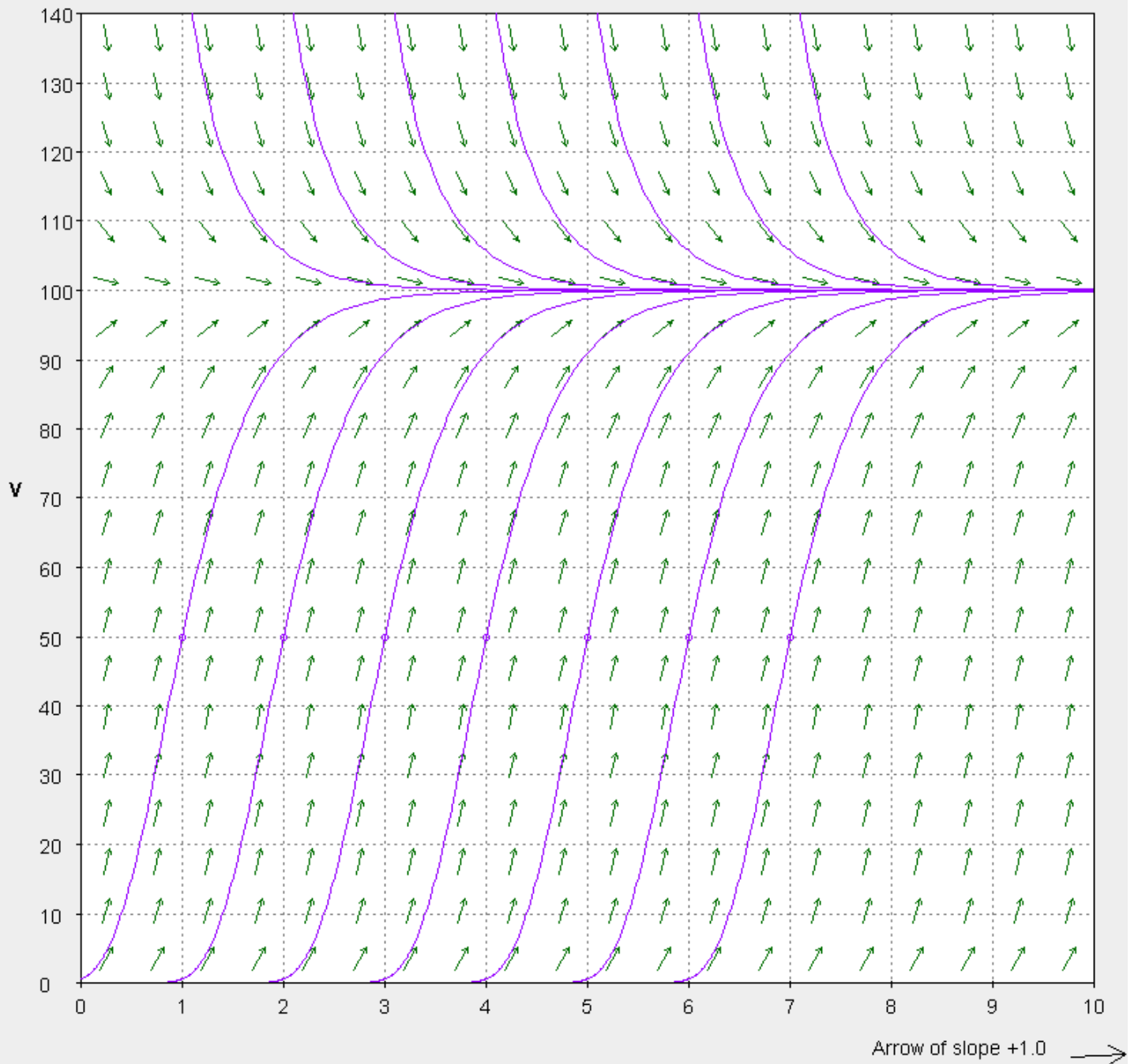
**Paste your code here:**

```
B = 2;
K = 100;
syms V(t);
DE = diff(V,t) == B*V*log(K/V);
dsolve(DE, V(0)==1)
```

**Question 5:** Paste your completed image here.

Stop

$$V' = B \cdot V \cdot \log(K/V), \quad B=2, \quad K=100$$



**Question 6.** Keep  $B = 2$ , and  $K = 100$ . It takes a tumor starting at  $V = 20$  about this long to double to  $V = 40$ :

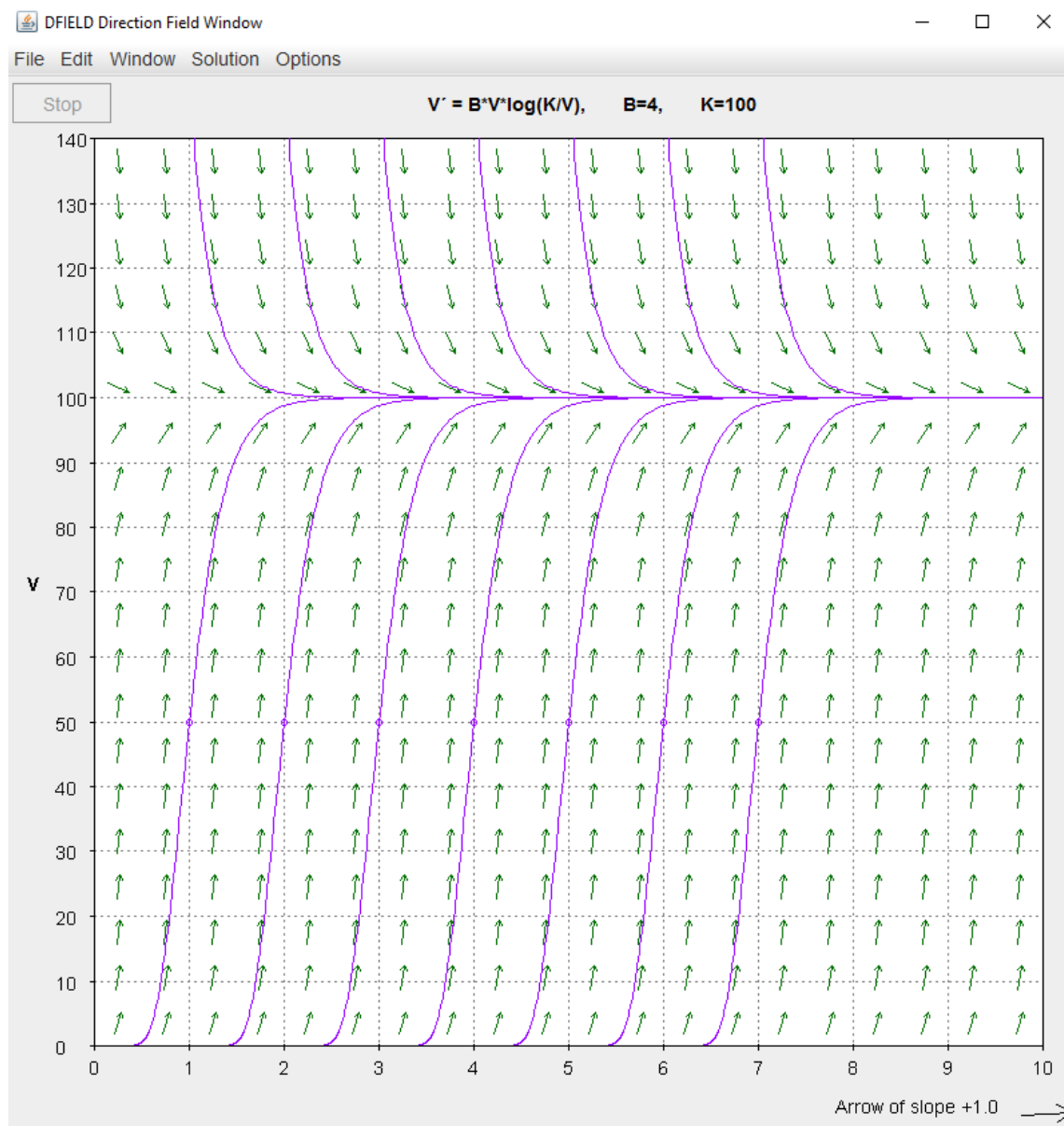
ANS: 0.27 time units

**Question 7: Stability**

The critical value  $V = K = 100$  is: Stable

The critical value  $V = 0$  is: Un-Stable

**Question 8: A More Aggressive Tumor!** Simply change  $B$  (beta) from 2 to 4 and leave the carrying capacity as  $K=100$ . Obtain a new direction field, and include multiple solutions curves passing through  $V = 50$  and 150 as before. Paste your completed plot below.



**Question 9.** The tumors are growing fastest when  $V =$  \_ \_ \_

**Autonomous Property:** Enter horizontal or vertical below.

**Question 10. Horizontal**

Be sure all ten questions are answered, then submit your Answer Template file as a single PDF before the submission window closes. Submission must be a single PDF file!