AirIndex: Versatile Index Tuning Through Data and Storage

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> 2024. 09. 11 Presentation by ZHU YONGJIE harasho2015@dankook.ac.kr





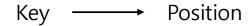
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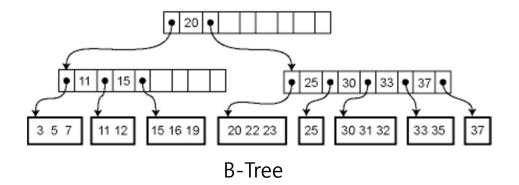
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- 3. AirIndex Overview
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- 6. Conclusion

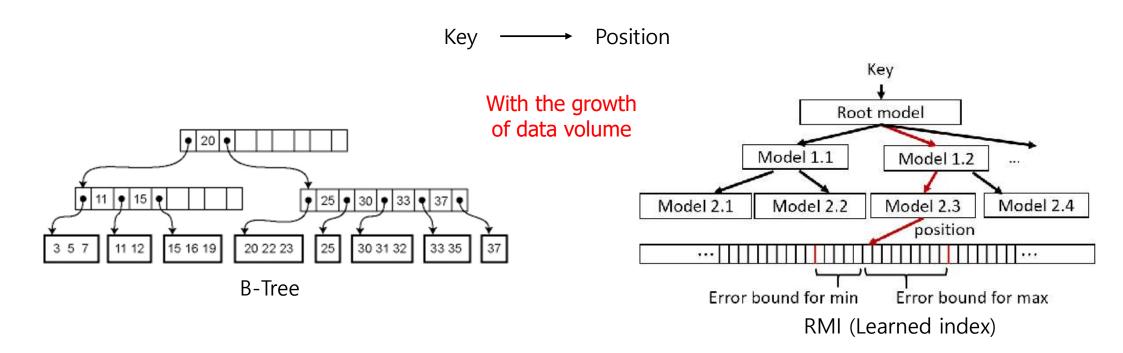


Introduction to Index Structures



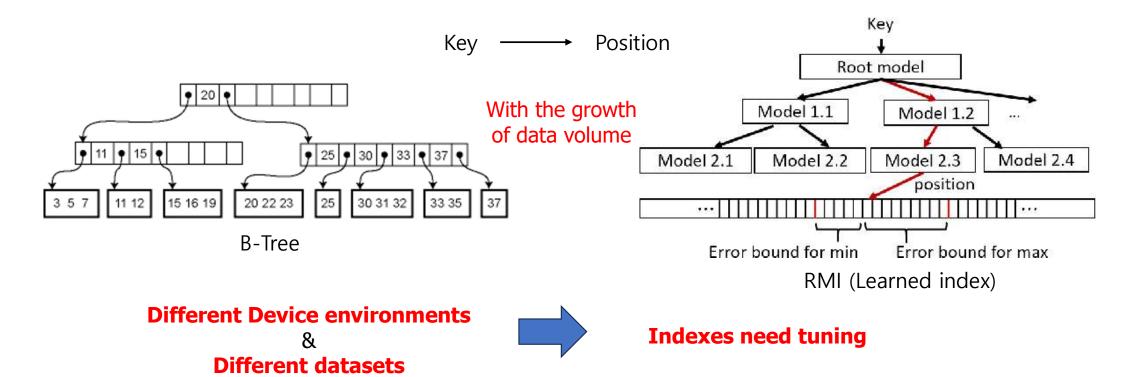


Introduction to Index Structures



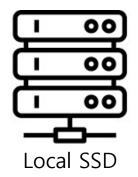


Introduction to Index Structures





Limitations of Existing Indexes



Fast I/O latencyRelatively smaller bandwidth

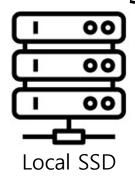


High I/O latency

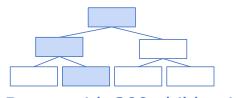
Larger bandwidth



Limitations of Existing Indexes



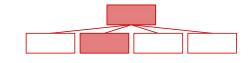
Fast I/O latencyRelatively smaller bandwidth



B200: B-tree with 200 child pointers



High I/O latency Larger bandwidth



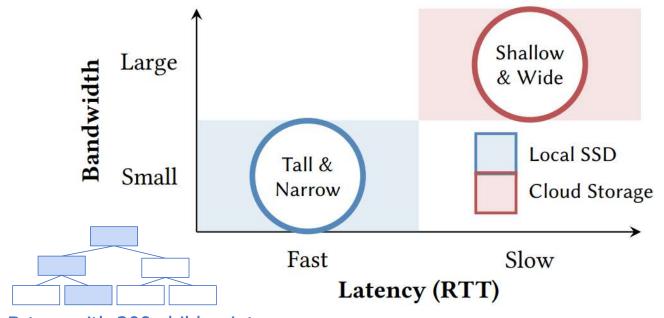
B5000: B-tree with 5000 child pointers



Limitations of Existing Indexes



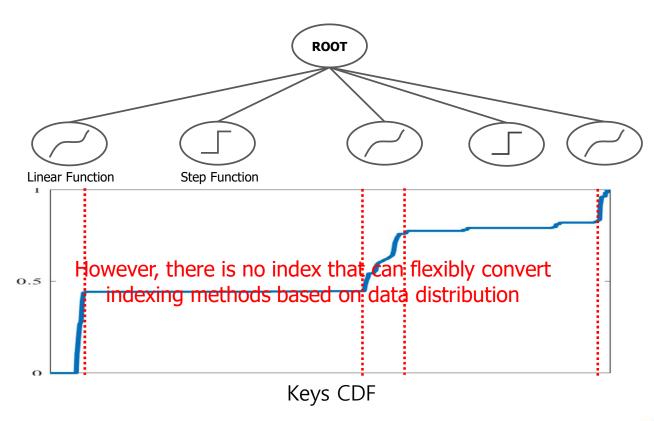
B5000: B-tree with 5000 child pointers



B200: B-tree with 200 childtheieter no index that can adapt to the storage profile



Limitations of Existing Indexes



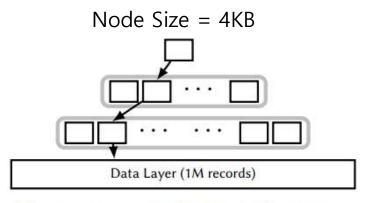




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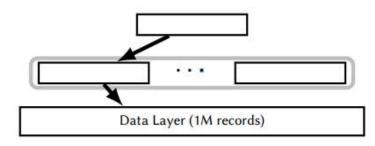
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Why does the index need to adapt to different storage profiles



(a) B200: B-tree with 200 child pointers



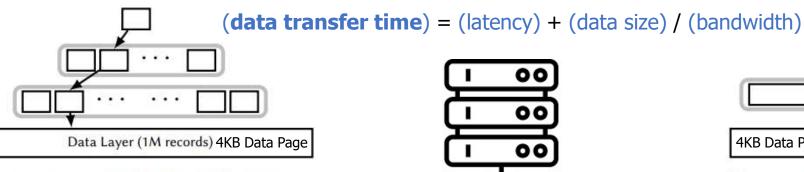


(b) B5000: B-tree with 5,000 child pointers

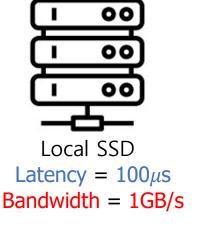
$$5000*5000 = 25M > 1M$$

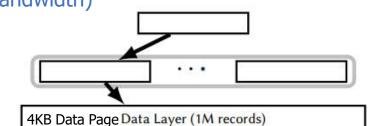
(data transfer time) = (latency) + (data size) / (bandwidth)

Why does the index need to adapt to different storage profiles



(a) B200: B-tree with 200 child pointers





(b) B5000: B-tree with 5,000 child pointers

$$3 \times (100\mu s + 4KB / (1GB/s)) + (100\mu s + 4KB / (1GB/s))$$

=416 μs

$$2 \times (100\mu s + 100KB / (1GB/s)) + (100\mu s + 4KB / (1GB/s))$$

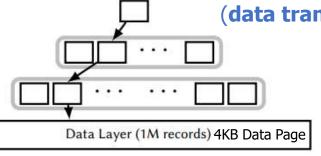
=504 μs

Why does the index need to adapt to different storage profiles

Node Size = 4KB

Node Size = 100KB

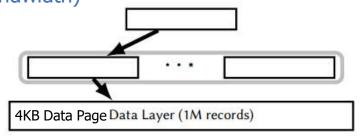
(data transfer time) = (latency) + (data size) / (bandwidth)



(a) B200: B-tree with 200 child pointers



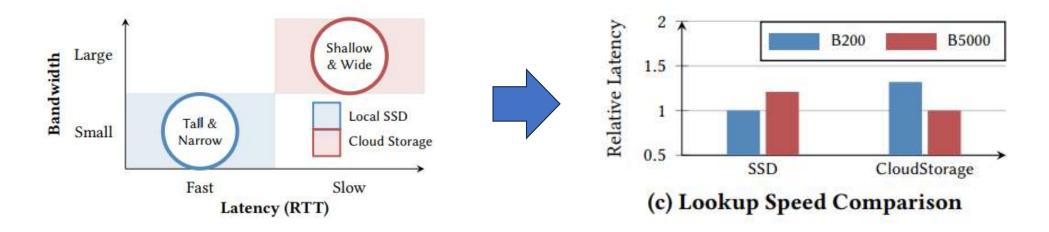
Cloud Server



(b) B5000: B-tree with 5,000 child pointers

$$3 \times (100 \text{ms} + 4 \text{KB} / (100 \text{MB/s})) + (100 \text{ms} + 4 \text{KB} / (100 \text{MB/s}))$$
 $2 \times (100 \text{ms} + 100 \text{KB} / (100 \text{MB/s})) + (100 \text{ms} + 4 \text{KB} / (100 \text{MB/s}))$ = 302.04 ms

Why does the index need to adapt to different storage profiles

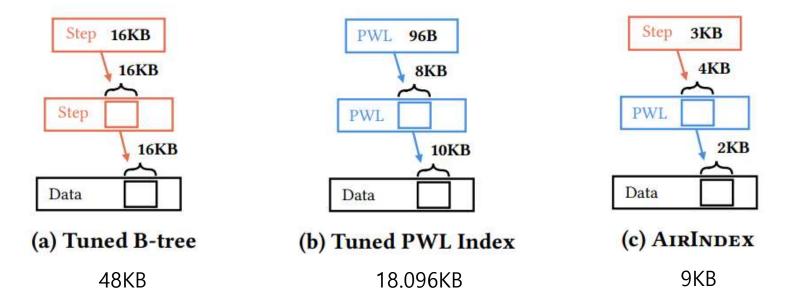


In **local SSDs**, the impact of index depth is not as significant as index width, but the opposite is true in **cloud storage**



Why does the index need to adapt to different data distributions

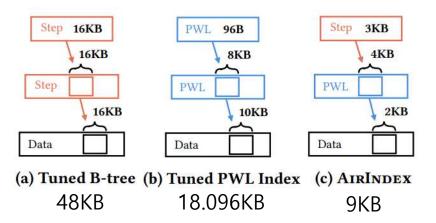
Gmm dataset, SSD(250 μ s latency, 175MB/s bandwidth)

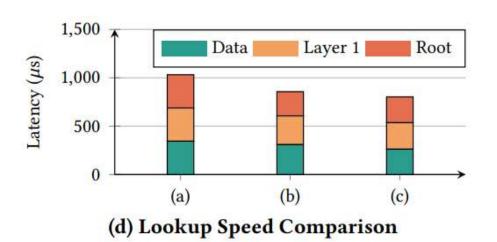




Why does the index need to adapt to different data distributions

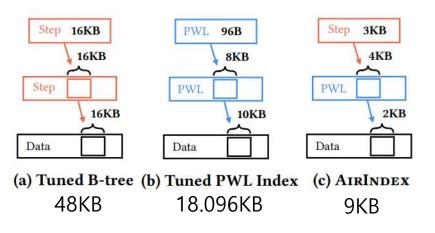
Gmm dataset, SSD(250 μ s latency, 175MB/s bandwidth)

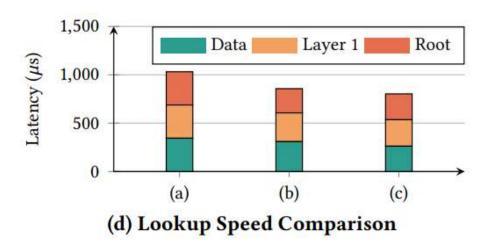




Why does the index need to adapt to different data distributions

Gmm dataset, SSD(250 μ s latency, 175MB/s bandwidth)





Index needs to be optimized layer by layer based on data distribution



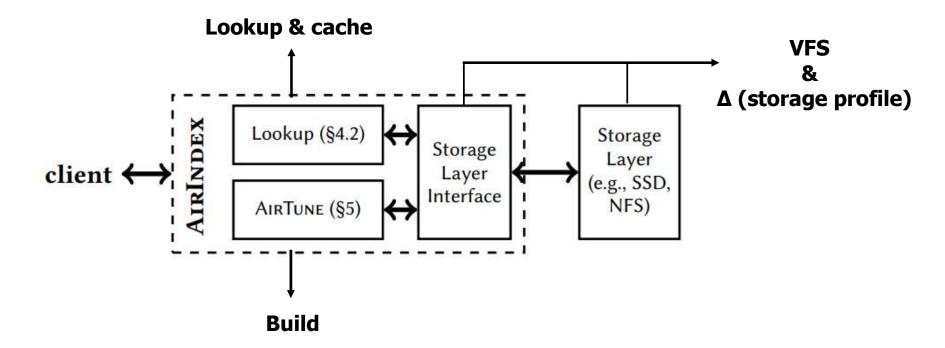
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AirIndex Overview

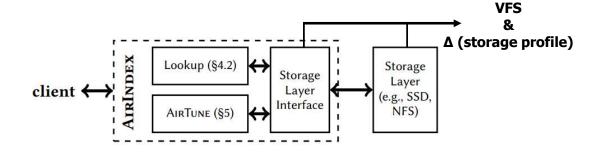
Architecture





AirIndex Overview

Storage Model



$$T_{aff}(\Delta) = l + \frac{\Delta}{B}$$

l: latency; B: bandwidth;

△ : Storage layer reads

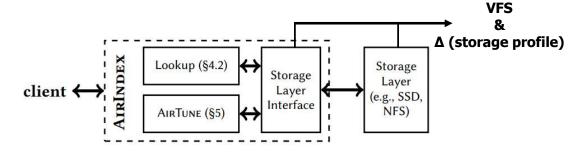
Using latency to represent storage profile

$$T_{ ext{aff-uniform}}(\Delta) = rac{\ell_1 + \ell_0}{2} + \Delta rac{\ln B_1 - \ln B_0}{B_1 - B_0}$$

The calculation of the expected value of 1/B involves logarithms

AirIndex Overview

Storage Model



$$T_{aff}(\Delta) = l + \frac{\Delta}{B}$$

 $T_{ ext{aff-uniform}}(\Delta) = rac{\ell_1 + \ell_0}{2} + \Delta rac{\ln B_1 - \ln B_0}{B_1 - B_0}$

l: latency; B: bandwidth;

△: Storage layer reads

Using latency to represent storage profile

The calculation of the expected value of **1/B** involves logarithms

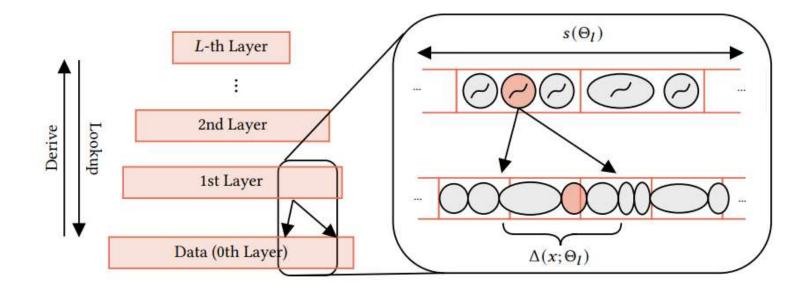
It is more convenient for AirIndex to self tune without considering too many low relational variables

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Hierarchical Indexes

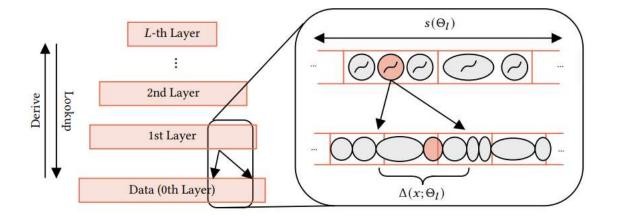


Multi layer & Single layer multiple nodes with multi type nodes





Query Process



Latency Under Storage Model

L-th Layer in the second of t

Design variables Θ:

L Number of layers

Node Type $l \in \{1, ..., L\}$

 n_l Number of nodes in layer $l \in \{1, ..., L\}$

 $\theta_{l,i}$ Parameters of the *i*-th node in layer $l, i \in \{1, ..., n_l\}$

Fixed variables:

T Storage profile

$$\mathcal{L}_{SM}(x;\Theta,T) = T(s(\Theta_L)) + \sum_{l=1}^{L} T(\Delta(x;\Theta_l))$$



Latency Under Storage Model

L-th Layer : 2nd Layer 1st Layer Data (0th Layer)

Design variables Θ:

L Number of layers

NodeType₁ Node type in layer $l \in \{1, ..., L\}$

 n_l Number of nodes in layer $l \in \{1, ..., L\}$

 $\theta_{l,i}$ Parameters of the *i*-th node in layer $l, i \in \{1, ..., n_l\}$

Fixed variables:

T Storage profile

X Query key distribution

D Key-position collection $D = \{(x_i, y_i)\}_{i=1}^n$

$$\mathcal{L}_{SM}(x; \boldsymbol{\Theta}, T) = \mathop{\mathbb{E}}_{x \sim \mathcal{X}} \left[T(s(\boldsymbol{\Theta}_L)) + \sum_{l=1}^{L} T(\Delta(x; \boldsymbol{\Theta}_l)) \right]$$

Latency Under Storage Model

E-th Layer in the second of t

Design variables Θ:

L Number of layers

Node Type $l \in \{1, ..., L\}$

 n_l Number of nodes in layer $l \in \{1, ..., L\}$

 $\theta_{l,i}$ Parameters of the *i*-th node in layer $l, i \in \{1, ..., n_l\}$

Fixed variables:

T Storage profile

X Query key distribution

D Key-position collection $D = \{(x_i, y_i)\}_{i=1}^n$

$$\Theta^* = \underset{\Theta}{\operatorname{arg\,min}} \ \underset{x \sim \mathcal{X}}{\mathbb{E}} \left[T(s(\Theta_L)) + \sum_{l=1}^{L} T(\Delta(x; \Theta_l)) \right]$$

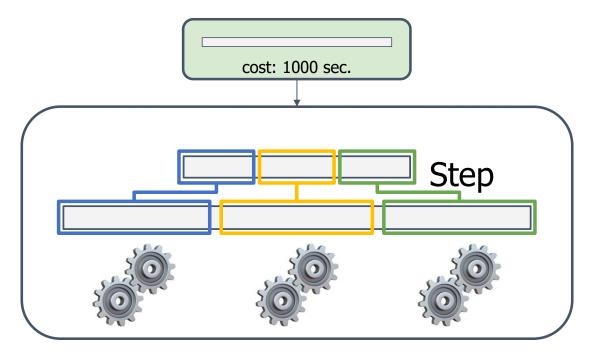
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AirTune

Guided Graph Search

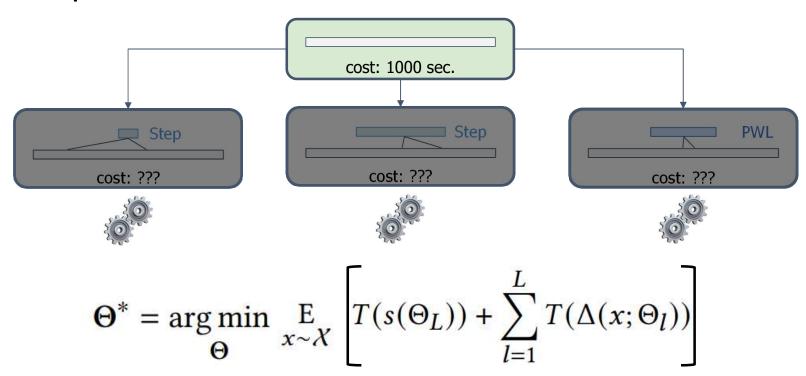






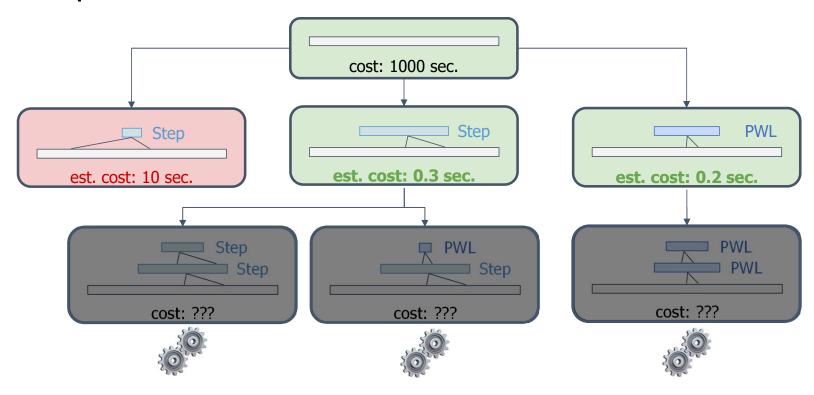
AirTune

Guided Graph Search



AirTune

Guided Graph Search





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Setup

- System Environment:
 - Azure cloud platform (8 vCPUs, 32 GiB RAM)
 - NFS: Azure network file system
 - SSD: Azure Premium SSD (256 GiB, 2300 IOPS, 150 MBps, read/write host caching).
 - HDD: Azure Standard HDD (1024 GiB, 500 IOPS, 60 MBps, no host caching)
- Baselines:
 - LMDB: B-tree database
 - RMI, PGM, ALEX/APEX, PLEX: Learned indexes
 - Data Calculator: Index tuner
 - B-TREE: AirIndex's tuned B-Tree



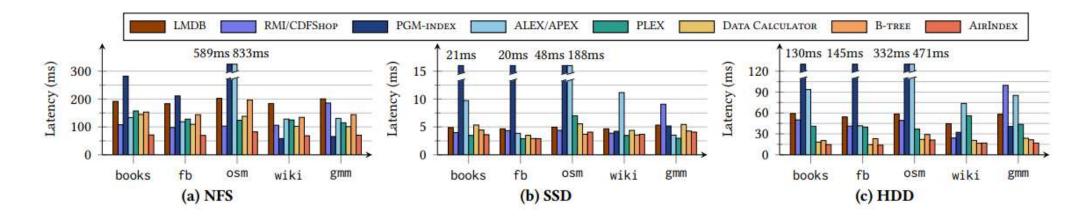


- Setup
 - Dataset
 - BOOKS(800M)
 - FB(200M)
 - OSM(800M)
 - WIKI(200M)
 - GMM(Gaussian mixture model of 100 normal distribution clusters over 800M keys)





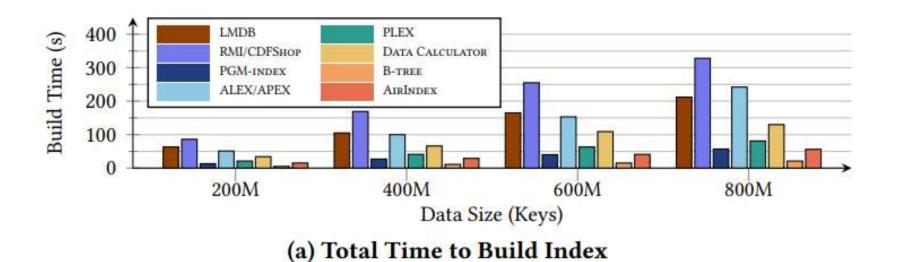
Faster End-to-end Lookup Speed – Cold-state Latency



AirIndex is consistently one of the fastest methods at searching the first query, across datasets and storage



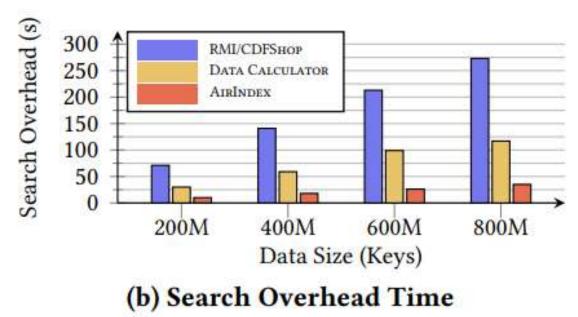
Competitive Build Time



Despite the default tuning overhead of AirIndex's Airturn, it still has excellent build time performance



Competitive Build Time



The tuning cost of Airindex is the lowest among existing tuning methods





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Conclusion

AirIndex

- AirIndex is the first to build high-speed hierarchical indexes by learning data and I/O characteristics
- AirIndex uses a specially constructed graph search method (AirTune) to explore the search optimization space
- Compared to indexes that have not undergone specific optimization, AirIndex's data and I/O aware optimization can achieve significantly faster search speeds.





Thank you



