

<sup>1</sup> Searches for Supersymmetry using the  $\alpha_T$   
<sup>2</sup> variable with the CMS detector at the LHC

<sup>3</sup> Darren Burton

<sup>4</sup> Imperial College London  
<sup>5</sup> Department of Physics

<sup>6</sup> A thesis submitted to Imperial College London  
<sup>7</sup> for the degree of Doctor of Philosophy

<sup>8</sup>

# Abstract

## Declaration

I, the author of this thesis, declare that the work presented within this document to be my own. The work presented in Chapters 3.4.1, 4 and 5 is a result of the authors own work or that of which I have been a major contributor unless explicitly stated otherwise, and is carried out within the context of the Imperial College London and CERN SUSY groups, itself a subsection of the greater CMS collaboration. All figures and studies taken from external sources are referenced appropriately throughout this document.

Darren Burton

## Acknowledgements

19

20 Of the many people who deserve thanks, some are particularly prominent....

# Preface

# Contents

22

23	<b>1. Introduction</b>	<b>2</b>
24	<b>2. A Theoretical Overview</b>	<b>5</b>
25	2.1. The Standard Model . . . . .	5
26	2.1.1. Gauge Symmetries of the SM . . . . .	7
27	2.1.2. The Electroweak Sector and Electroweak Symmetry Breaking . . . . .	9
28	2.2. Motivation for Beyond the Standard Model Physics . . . . .	13
29	2.3. Supersymmetry . . . . .	13
30	2.3.1. R-Parity . . . . .	13
31	2.3.2. Supersymmetry Breaking . . . . .	13
32	2.4. Searching for SUSY at the LHC . . . . .	13
33	2.4.1. Simplified Models . . . . .	13
34	<b>3. The LHC and the CMS Detector</b>	<b>15</b>
35	3.1. The LHC . . . . .	15
36	3.2. The CMS detector . . . . .	17
37	3.2.1. Detector Subsystems . . . . .	19
38	3.2.2. Tracker . . . . .	19
39	3.2.3. Electromagnetic Calorimeter . . . . .	20
40	3.2.4. Hadronic Calorimeter . . . . .	21
41	3.2.5. Muon Systems . . . . .	23
42	3.3. Event Reconstruction and Object Definition . . . . .	23
43	3.3.1. Jets . . . . .	23
44	3.3.2. B-tagging . . . . .	25
45	3.4. Triggering System . . . . .	27
46	3.4.1. The Level-1 Trigger . . . . .	28
47	3.4.2. L1 Trigger Jet Algorithm . . . . .	30
48	3.4.3. Measuring L1 Jet Trigger Efficiencies . . . . .	31
49	3.4.4. Effects of the L1 Jet Seed . . . . .	33

---

50	3.4.5. Robustness of L1 Jet Performance against Pile-up . . . . .	36
51	3.4.6. Summary . . . . .	39
52	<b>4. Searches for SUSY at the LHC</b>	<b>40</b>
53	4.1. The $\alpha_T$ search . . . . .	40
54	4.1.1. Search Strategy . . . . .	40
55	4.2. Searches for Natural SUSY with B-tag templates. . . . .	40
56	<b>5. Results</b>	<b>41</b>
57	5.1. Statistical Interpretation . . . . .	41
58	5.2. Interpretation in Simplified Signal Models . . . . .	41
59	<b>A. Miscellaneous</b>	<b>42</b>
60	A.1. Noise Filters . . . . .	42
61	A.2. Primary Vertices . . . . .	43
62	<b>B. L1 Jets</b>	<b>44</b>
63	B.1. Leading Jet Energy Resolution . . . . .	44
64	B.2. Resolution for Energy Sum Quantities . . . . .	47
65	<b>Bibliography</b>	<b>53</b>
66	<b>List of Figures</b>	<b>58</b>
67	<b>List of Tables</b>	<b>61</b>

*“The Universe is about 1,000,000 years old.”*

— Matthew Kenzie, 1987-present : Discoverer of the Higgs Boson.



# Chapter 1.

## Introduction

During the 20th century great advances have been made in our understanding of the universe, where it comes from, where it is going and what it is made of. The Standard Model (SM) first formulated in the 1960's is one of the crowning achievements in science's quest to explain the most fundamental processes and interactions that make up our universe. It has provided a highly successful explanation of a wide range of phenomena in Particle Physics and has stood up to extensive experimental scrutiny [1].

Despite its successes it is not a complete theory, with significant questions remaining unanswered. It describes only three of the four known forces with gravity not incorporated within the framework of the SM. Cosmological experiments infer that just  $\sim 4\%$  of the observable universe exists as matter, with elusive "Dark Matter" accounting for a further  $\sim 23\%$  [2]. However no particle predicted by the SM is able to account for it. At higher energy scales and small distances the (non-)unification of the fundamental forces point to problems with the SM at least at higher energies not yet probed experimentally.

Many theories exist as extensions to the SM and predict a range of observables that can be detected at the Large Hadron Collider (LHC) of which SuperSYmmetry (SUSY) is one such example. It predicts a new symmetry of nature in which all current particles in the SM would have a corresponding supersymmetric partner. Common to most Supersymmetric theories is a stable, weakly interacting Lightest Supersymmetric Partner (LSP), which has the properties of a possible dark matter candidate. The SM and the main principles of Supersymmetric theories are outlined in Chapter 2, with emphasis on placed on how experimental signatures of SUSY may reveal themselves at the LHC.

The experimental goal of the **LHC** is to further test the framework of the **SM**, exploring the TeV mass scale for the first time, and to seek a connection between the particles produced in proton collisions and dark matter. The first new discovery by this extraordinary machine was announced on the 4th of July 2012. The long-awaited discovery was the culmination decades of experimental endeavours in the search for the Higgs boson, providing an answer to the mechanism of electroweak symmetry breaking within the **SM**.

This discovery was made possible through data taken by the two multi purpose detectors (Compact Muon Solenoid (**CMS**) and A Toroidal LHC ApparatuS (**ATLAS**)) located on the **LHC** ring. An experimental description of the **CMS** detector and the **LHC** is described in Chapter 3, including some of the object reconstruction used by **CMS** in searches for **SUSY** signatures. The performance of the **CMS** Level-1 calorimeter trigger, benchmarked by the author is also included within this chapter.

The analysis conducted by the author is detailed within Chapter 4. This chapter contains a description of the search for evidence of the production of Supersymmetric particles at the **LHC**. The main basis of the search centres around the kinematic dimensionless  $\alpha_T$  variable, which provides strong rejection of backgrounds with fake missing energy signatures whilst maintaining good sensitivity to a variety of **SUSY** topologies. The author's work as an integral part of the analysis group is documented in detail, which has culminated in numerous publications over the past two years. The latest of which was published in the European Physical Journal C (**EPJC**) [3] and contains the results which are discussed within this and the sequential Chapter.

The author in particular has played a major role in the extension of the  $\alpha_T$  analysis into the additional b-tagged and jet multiplicity dimensions increasing the sensitivity of the analysis to a range of **SUSY** topologies. Additionally the author has worked extensively in both increasing the statistical precision of electroweak predictions measured from simulation through analytical techniques, and the derivation of a data driven systematic uncertainty through the establishment of closure tests within the control samples of the analysis.

Also included within this Chapter is a method to search for **SUSY** signatures which are rich in top and bottom flavoured jet final states. A parametrisation of the b-tagging distribution for different Electroweak processes is used to establish templates, which are then used to estimate the expected number of 3 or 4 b-tagged jet events from **SM**

126 processes. The  $\alpha_T$  search is used as a cross check for this template method to establish  
127 it's functionality.

128 Finally the interpretation of such results within the framework of a variety of Simplified  
129 Model Spectra (**SMS**), which describe an array of possible **SUSY** event topologies is  
130 documented in Chapter 5. A description of the statistical model used to derive these  
131 interpretations and the possible implications of the results presented in this thesis is  
132 discussed within this Chapter. Natural units are used throughout this thesis in which  $\hbar$   
133  $= c = 1$ .

# Chapter 2.

## A Theoretical Overview

Within this chapter, a brief introduction and background to the **SM** is given. Its success as a rigorously tested and widely accepted theory is discussed as well as the deficiencies with this theory that hint there this theory is not a complete description of our universe. The motivations for new physics at the TeV scale and in particular Supersymmetric theories are outlined within Section 2.3, with the chapter concluding with how an experimental signature of such theories can be produced and observed at the **LHC**, Section 2.4.

### 2.1. The Standard Model

The **SM** is the name given to the relativistic Quantum Field Theory (**QFT**), where particles are represented as excitations of fields, which describes the interactions and properties of all the known elementary particles [4][5][6][7]. It is a renormalisable field theory which contains three symmetries:  $SU(3)$  for colour charge,  $SU(2)$  for weak isospin and  $U(1)$  relating to weak hyper charge, which require its Lagrangian  $\mathcal{L}_{SM}$  to be invariant under local gauge transformation.

Within the **SM** theory, matter is composed of spin  $\frac{1}{2}$  fermions, which interact with each other via the exchange of spin-1 gauge bosons. A summary of the known fundamental fermions and bosons is given in Table 2.1.

Fermions are separated into quarks and leptons of which only quarks interact with the strong nuclear force. Quarks unlike leptons are not seen as free particles in nature, but rather exist only within baryons, composed of three quarks with an overall integer charge, and quark-anti-quark pairs called mesons. Both leptons and quarks are grouped

Particle	Symbol	Spin	Charge	Mass (GeV)
<b>First Generation Fermions</b>				
Electron Neutrino	$\nu_e$	$\frac{1}{2}$	0	$< 2.2 \times 10^{-6}$
Electron	e	$\frac{1}{2}$	-1	$0.51 \times 10^{-3}$
Up Quark	u	$\frac{1}{2}$	$\frac{2}{3}$	$2.3^{+0.7}_{-0.5} \times 10^{-3}$
Down Quark	d	$\frac{1}{2}$	$-\frac{1}{3}$	$4.8^{+0.7}_{-0.3} \times 10^{-3}$
<b>Second Generation Fermions</b>				
Muon Neutrino	$\nu_\mu$	$\frac{1}{2}$	0	-
Muon	$\mu$	$\frac{1}{2}$	-1	$1.05 \times 10^{-3}$
Charm Quark	c	$\frac{1}{2}$	$\frac{2}{3}$	$1.275 \pm 0.025$
Strange Quark	s	$\frac{1}{2}$	$-\frac{1}{3}$	$95 \pm 5 \times 10^{-3}$
<b>Third Generation Fermions</b>				
Tau Neutrino	$\nu_\tau$	$\frac{1}{2}$	0	-
Tau	$\tau$	$\frac{1}{2}$	-1	1.77
Top Quark	t	$\frac{1}{2}$	$\frac{2}{3}$	$173.5 \pm 0.8$
Bottom Quark	b	$\frac{1}{2}$	$-\frac{1}{3}$	$4.65 \pm 0.03$
<b>Gauge Bosons</b>				
Photon	$\gamma$	1	0	0
W Boson	$W^\pm$	1	$\pm 1$	$80.385 \pm 0.015$
Z Boson	$Z$	1	0	$91.187 \pm 0.002$
Gluons	g	1	0	0
Higgs Boson	H	0	0	$125.3 \pm 0.5$ [8]

**Table 2.1.:** The fundamental particles of the **SM**, with spin, charge and mass displayed. Latest mass measurements taken from [1].

into three generations which have the same properties, but with ascending mass in each subsequent generation.

The gauge bosons mediate the interactions between fermions. The field theories of Quantum Electro-Dynamics (**QED**) and Quantum Chromo-Dynamics (**QCD**), yield massless mediator bosons, the photon and eight coloured gluons which are consequences of the gauge invariance of those theories, detailed in Section 2.1.1.

The unification of the electromagnetic and weak-nuclear forces into the current Electroweak theory yield the weak gauge bosons,  $W^\pm$  and  $Z$  through the mixing of the associated gauge fields. The force carriers of this theory were experimentally detected by the observation of weak neutral current, discovered in 1973 in the Gargamelle bubble

chamber located at European Organization for Nuclear Research (CERN) [9], with the masses of and the weak gauge bosons measured by the UA1 and U2 experiments at the Super Proton Synchrotron (SPS) collider in 1983 [10][11].

### 2.1.1. Gauge Symmetries of the SM

Symmetries are of fundamental importance in the description of physical phenomena. Noether's theorem states that for a dynamical system, the consequence of any symmetry is an associated conserved quantity [12]. Invariance under translations, rotations, and Lorentz transformations in physical systems lead to conservation of momentum, energy and angular momentum.

In the SM, a quantum theory described by Lagrangian formalism, the weak, strong and electromagnetic interactions are described in terms of “gauge theories”. A gauge theory possesses invariance under a set of “local transformations”, which are transformations whose parameters are space-time dependent. The requirement of gauge invariance within the SM necessitates the introduction of force-mediating gauge bosons and interactions between fermions and the bosons themselves. Given the nature of the topics covered by this thesis, the formulation of Electroweak Sector (EWK) within the SM Lagrangian is reviewed within this section.

The simplest example of the application of the principle of local gauge invariance within the SM is in Quantum Electro-Dynamics (QED), the consequences of which require a massless photon field [13][14].

Starting from the free Dirac Lagrangian written as

$$\mathcal{L} = \bar{\psi}(i\gamma^\mu\partial_\mu - m)\psi, \quad (2.1)$$

where  $\psi$  represents a free non interacting fermionic field, with the matrices  $\gamma^\mu, \mu \in 0, 1, 2, 3$  defined by the anti commutator relationship  $\gamma^\mu\gamma^\nu + \gamma^\nu\gamma^\mu = 2\eta^{\mu\nu}I_4$  where  $\eta^{\mu\nu}$  is the flat space-time metric  $(+, -, -, -)$  and  $I_4$  is the  $4 \times 4$  identity matrix.

Under a local U(1) abelian gauge transformation in which  $\psi$  transforms as:

$$\psi(x) \rightarrow \psi'(x) = e^{i\theta(x)}\psi(x) \quad \bar{\psi}(x) \rightarrow \bar{\psi}'(x) = e^{i\theta(x)}\bar{\psi}(x) \quad (2.2)$$

the kinetic term of the Lagrangian does not remain invariant, due to the partial derivative interposed between the  $\bar{\psi}$  and  $\psi$  yielding,

$$\partial_\mu \psi \rightarrow e^{i\theta(x)}\partial_\mu \psi + ie^{i\theta(x)}\psi\partial_\mu \theta. \quad (2.3)$$

To ensure that  $\mathcal{L}$  remains invariant, a modified derivative,  $D_\mu$ , that transforms covariantly under phase transformations is introduced. In doing this a vector field  $A_\mu$  with transformation properties that cancel out the unwanted term in (2.3) must also be included,

$$D_\mu \equiv \partial_\mu - ieA_\mu, \quad A_\mu \rightarrow A_\mu + \frac{1}{e}\partial_\mu \theta. \quad (2.4)$$

Invariance of the Lagrangian is then achieved by replacing  $\partial_\mu$  by  $D_\mu$ :

$$\begin{aligned} \mathcal{L} &= i\bar{\psi}\gamma^\mu D_\mu \psi - m\bar{\psi}\psi \\ &= \bar{\psi}(i\gamma^\mu \partial_\mu - m)\psi + e\bar{\psi}\gamma^\mu \psi A_\mu \end{aligned} \quad (2.5)$$

An additional interaction term is now present in the Lagrangian, coupling the Dirac particle to this vector field, which is interpreted as the photon in QED. To regard this new field as the physical photon field, a term corresponding to its kinetic energy must be added to the Lagrangian in (2.5). Since this term must also be invariant under (2.4), it is defined in the form  $F_{\mu\nu} = \partial^\mu A^\nu - \partial^\nu A^\mu$ .

This then leads to the Lagrangian of QED:

$$\mathcal{L}_{QED} = \overbrace{i\bar{\psi}\gamma^\mu\partial_\mu\psi - \frac{1}{4}F_{\mu\nu}F^{\mu\nu}}^{\text{kinetic term}} + \overbrace{m\bar{\psi}\psi}^{\text{mass term}} + \overbrace{e\bar{\psi}\gamma^\mu\psi A_\mu}^{\text{interaction term}} \quad (2.6)$$

Within the Lagrangian there remains no mass term of the form  $m^2 A_\mu A^\mu$ , which is prohibited by gauge invariance. This implies that the gauge particle, the photon, must be massless.

### 2.1.2. The Electroweak Sector and Electroweak Symmetry Breaking

The same application of gauge symmetry and the requirement of local gauge invariance can be used to unify QED and the Weak force in the Electroweak Sector (EWK). The nature of EWK interactions is encompassed within a Lagrangian invariant under transformations of the group  $SU(2)_L \times U(1)_Y$ .

The weak interactions from experimental observation [15], are known to violate parity and are therefore not symmetric under interchange of left and right helicity fermions. Thus within the SM the left and right handed parts of these fermion fields are treated separately. A fermion field is then split into two left and right handed chiral components,  $\psi = \psi_L + \psi_R$ , where  $\psi_{L/R} = (1 \pm \gamma^5)\psi$ .

The  $SU(2)_L$  group is the special unitary group of  $2 \times 2$  matrices  $U$  satisfying  $UU^\dagger = I$  and  $\det(U) = 1$ . It may be written in the form  $U = e^{-i\omega_i T_i}$ , with the generators of the group  $T_i = \frac{1}{2}\tau_i$  where  $\tau_i$ ,  $i \in 1, 2, 3$  being the  $2 \times 2$  Pauli matrices

$$\tau_1 = \begin{pmatrix} 0 & 1 \\ 1 & 0 \end{pmatrix} \quad \tau_2 = \begin{pmatrix} 0 & -i \\ i & 0 \end{pmatrix} \quad \tau_3 = \begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}, \quad (2.7)$$

which form a non Abelian group obeying the commutation relation  $[T^a, T^b] \equiv if^{abc}T^c \neq 0$ . The gauge fields that accompany this group are represented by  $\hat{W}_\mu = (\hat{W}_\mu^1, \hat{W}_\mu^2, \hat{W}_\mu^3)$  and act only on the left handed component of the fermion field  $\psi_L$ .



One additional generator  $Y$  which represents the hypercharge of the particle under consideration is introduced through the  $U(1)_Y$  group acting on both components of the fermion field, with an associated vector boson field  $\hat{B}_\mu$ .

The  $SU(2)_L \times U(1)_Y$  transformations of the left and right handed components of  $\psi$  are summarised by,

$$\begin{aligned}\chi_L &\rightarrow \chi'_L = e^{i\theta(x) \cdot T + i\theta(x)Y} \chi_L, \\ \psi_R &\rightarrow \psi'_R = e^{i\theta(x)Y} \psi_R,\end{aligned}\tag{2.8}$$

where the left handed fermions form isospin doubles  $\chi_L$  and the right handed fermions are isosinglets  $\psi_R$ . For the first generation of leptons and quarks this represents

$$\begin{aligned}\chi_L &= \begin{pmatrix} \nu_e \\ e \end{pmatrix}_L, & \begin{pmatrix} u \\ d \end{pmatrix}_L \\ \psi_R &= e_R, & u_R, d_R\end{aligned}\tag{2.9}$$

Imposing local gauge invariance within  $\mathcal{L}_{EWK}$  is once again achieved by modifying the covariant derivative

$$D_\mu = \partial_\mu - \frac{ig}{2} \tau^i W_\mu^i - \frac{ig'}{2} Y B_\mu,\tag{2.10}$$

where  $g$  and  $g'$  are the coupling constant of the  $SU(2)_L$  and  $U(1)_Y$  groups respectively. Taking the example of the first generation of fermions defined in Equation.2.9, with input hypercharge values of -1 and -2 for  $\chi_L$  and  $e_R$  respectively, would lead to a Lagrangian  $\mathcal{L}_1$  of the form,

$$\begin{aligned}\mathcal{L}_1 &= \bar{\chi}_L \gamma^\mu [i\partial_\mu - g\frac{1}{2} \tau \cdot W_\mu - g'(-\frac{1}{2})B_\mu] \chi_L \\ &+ \bar{e}_R \gamma^\mu [i\partial_\mu - g'(-1)B_\mu] e_R - \frac{1}{4} W_{\mu\nu} \cdot W^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu}.\end{aligned}\tag{2.11}$$

236 As in **QED**, these additional gauge fields introduce field strength tensors  $B_{\mu\nu}$  and  
 237  $W_{\mu\nu}$ ,

$$\hat{B}_{\mu\nu} = \partial_\mu \hat{B}_\nu - \partial_\nu \hat{B}_\mu \quad (2.12)$$

$$\hat{W}_{\mu\nu} = \partial_\mu \hat{W}_\nu - \partial_\nu \hat{W}_\mu - g \hat{W}_\mu \times \hat{W}_\nu \quad (2.13)$$

238 corresponding to the kinetic energy and self coupling of the  $W_\mu$  fields and the kinetic  
 239 energy term of the  $B_\mu$  field.

240 None of these gauge bosons are physical particles, and instead linear combinations of  
 241 these gauge bosons make up  $\gamma$  and the W and Z bosons, defined as

$$W^\pm = \frac{1}{\sqrt{2}} (W_\mu^1 \mp i W_\mu^2) \quad \begin{pmatrix} Z_\mu \\ A_\mu \end{pmatrix} = \begin{pmatrix} \cos\theta_W & -\sin\theta_W \\ \sin\theta_W & \cos\theta_W \end{pmatrix} \begin{pmatrix} W_\mu^3 \\ B_\mu \end{pmatrix} \quad (2.14)$$

242 where the mixing angle,  $\theta_w = \tan^{-1} \frac{g'}{g}$ , relates the coupling of the neutral weak and  
 243 electromagnetic interactions.

244 As in the case of the formulation of the **QED** Lagrangian there remains no mass term  
 245 for the photon. However this is also the case for the W, Z and fermions in the Lagrangian,  
 246 contrary to experimental measurement. Any explicit introduction of mass terms would  
 247 break the symmetry of the Lagrangian and instead mass terms can be introduced through  
 248 spontaneous breaking of the **EWK** symmetry via the Higgs mechanism.

249 The Higgs mechanism induces spontaneous symmetry breaking through the intro-  
 250 duction of a complex scalar SU(2) doublet field  $\phi$  which attains a non-zero Vacuum  
 251 Expectation Value (**VEV**) [16][17][18][19].

$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} \quad \text{with} \quad \begin{aligned} \phi^+ &\equiv (\phi_1 + i\phi_2)/\sqrt{2} \\ \phi^0 &\equiv (\phi_3 + i\phi_4)/\sqrt{2} \end{aligned} \quad (2.15)$$

252 The Lagrangian defined in Equation 2.11 attains an additional term  $\mathcal{L}_{Higgs}$  of the  
 253 form

$$\begin{aligned}\mathcal{L}_{Higgs} &= \overbrace{(D_\mu \phi)^\dagger (D^\mu \phi)}^{\text{kinetic}} - \overbrace{\mu^2 \phi^\dagger \phi - \lambda (\phi^\dagger \phi)^2}^{\text{potential } V(\phi)} \quad (\mu^2, \lambda) > 0 \in \mathbb{R}, \\ \mathcal{L}_{SM} &= \mathcal{L}_{EWK} + \mathcal{L}_{Higgs},\end{aligned}\tag{2.16}$$

254 where the covariant derivative  $D_\mu$  is that defined in Equation 2.10. The last two  
 255 terms of  $\mathcal{L}_{Higgs}$  correspond to the Higgs potential, in which positive real positive values  
 256 of  $\mu^2$  and  $\lambda$  are required to ensure the generation of masses for the bosons and leptons.  
 257 The minimum of this potential is found at  $\phi^\dagger \phi = \frac{1}{2}(\phi_1^2 + \phi_2^2 + \phi_3^2 + \phi_4^2) = \mu^2/\lambda = v^2$ ,  
 258 where  $v$  represents the **VEV**.

259 Defining the ground state of the  $\phi$  field to be consistent with the  $V(\phi)$  minimum, and  
 260 then expanding around a ground state chosen to maintain an unbroken electromagnetic  
 261 symmetry thus preserving a zero photon mass [20] leads to

$$\phi_0 = \sqrt{\frac{1}{2}} \begin{pmatrix} 0 \\ v \end{pmatrix}, \quad \phi(x) = e^{i\tau \cdot \theta(x)/v} \sqrt{\frac{1}{2}} \begin{pmatrix} 0 \\ v + h(x) \end{pmatrix}, \tag{2.17}$$

262 where the fluctuations from the vacuum  $\phi_0$  are parametrized in terms of four real  
 263 fields,  $\theta_1, \theta_2, \theta_3$  and  $h(x)$ .

264 Choosing to gauge away the three massless Goldstone boson fields by setting  $\theta(x)$  to  
 265 zero and substituting  $\phi(x)$  back into  $\mathcal{L}_{Higgs}$  from Equation 2.16 leads to mass terms for  
 266 the  $W^\pm$  and Z bosons,

$$\mathcal{L}_{Higgs} = . \tag{2.18}$$

## 2.2. Motivation for Beyond the Standard Model Physics

As previously described, the **SM** is a successful theory, predicting the existence of the  $W^\pm$  and  $Z$  bosons and the top quark long before they were experimentally observed. However the theory does not fully explain.

## 2.3. Supersymmetry

What is this theory that doesn't exist all about?

### 2.3.1. R-Parity

R-Parity stuff here innit.

### 2.3.2. Supersymmetry Breaking

Why are supersymmetric particles not the same mass.

## 2.4. Searching for SUSY at the LHC

### 2.4.1. Simplified Models

With such a variety of different way for a **SUSY** signal to manifest itself, it is necessary to be able to interpret experimental reach through the masses of gluinos and squarks which can excluded by experimental searches rather than on a model specific basis. This is accomplished through Simplified Model Spectra (**SMS**) models, which are **SUSY** decays which contain only one process. For example the production of a pair of gluinos which then decay via **SM** processes, to a set decay topology with a 100% branching ratio, shown in .

Searching and interpreting **SUSY** searches in this way.

288

The convention for the naming of these SMS models is via the prefix...

## Chapter 3.

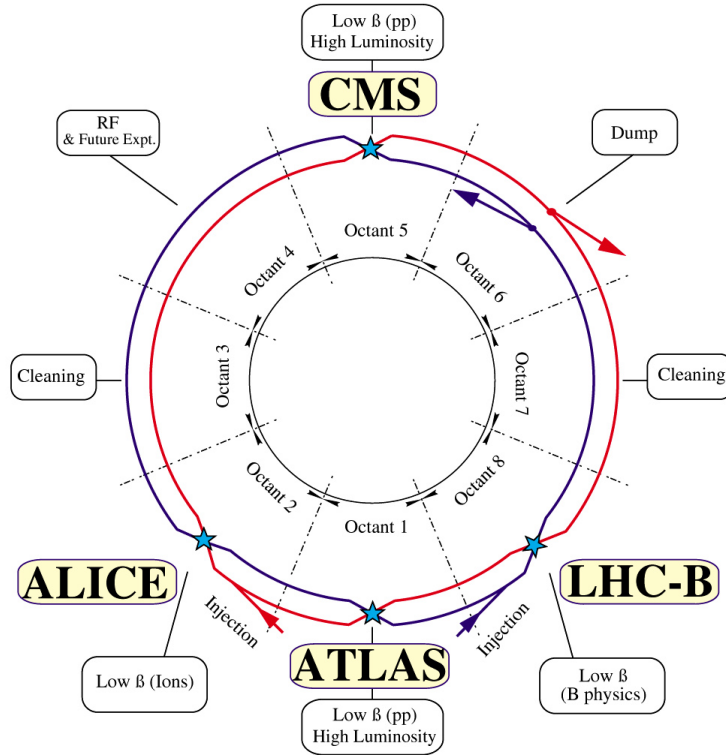
# The LHC and the CMS Detector

Probing the **SM** for signs of new physics would not be possible without the immensely complex electronics and machinery that makes the TeV energy scale accessible for the first time. This chapter will cover the **LHC** based at European Organization for Nuclear Research (**CERN**) and the Compact Muon Solenoid (**CMS**) detector, being the experiment the author is a member of. Section 3.2 serves to introduce an overview of the different components of the CMS detector, with more detail spent on those that are relevant in the search for Supersymmetric particles. Section 3.3 will focus on event and object reconstruction again with more emphasis on jet level quantities which are most relevant to the author's analysis research. Finally Section 3.4 will cover work performed by the author, as service to the **CMS** Collaboration, in measuring the performance of the Global Calorimeter Trigger (**GCT**) component of the L1 trigger during the 2012-2013 run period.

### 3.1. The LHC

The **LHC** is a storage ring, accelerator, and collider of circulating beams of protons or ions. Housed in the tunnel dug for the Large Electron-Positron collider (LEP), it is approximately 27 km in circumference, 100 m underground, and straddles the border between France and Switzerland outside of Geneva. It is currently the only collider in operation that is able to study physics at the TeV scale. A double-ring circular synchrotron, it was designed to collide both proton-proton (pp) and heavy ion (PbPb) with a centre of mass energy  $\sqrt{s} = 14$  TeV at a final design luminosity of  $10^{34}\text{cm}^{-2}\text{s}^{-1}$ .

These counter-circulating beams of protons/Pb ions are merged in four sections around the ring to enable collisions of the beams, with each interaction point being home to one of the four major experiments; A Large Ion Collider Experiment (**ALICE**) [21], A Toroidal LHC ApparatuS (**ATLAS**) [22], Compact Muon Solenoid (**CMS**) [23] and Large Hadron Collider Beauty (**LHCb**) [24] which record the resultant collisions. The layout of the **LHC** ring is shown in Figure 3.2. The remaining four sections contain acceleration, collimation and beam dump systems. In the eight arc sections, the beams are steered by magnetic fields of up to 8 T provided by super conduction dipole magnets, which are maintained at temperatures of 2 K using superfluid helium. Additional magnets for focusing and corrections are also present in straight sections within the arcs and near the interaction regions where the detectors are situated.



**Figure 3.1.:** A top down layout of the LHC. [25]

Proton beams are formed inside the Proton Synchrotron (**PS**) from bunches of protons 50 ns apart with an energy of 26 GeV. The protons are then accelerated in the Super Proton Synchrotron (**SPS**) to 450 GeV before being injected into the **LHC**. These **LHC** proton beams consists of many “bunches” i.e. approximately  $1.1 \times 10^{11}$  protons localized

into less than 1 ns in the direction of motion. Before collision the beams are ramped to 4 TeV (2012) per beam in a process involving increasing the current passing through the dipole magnets. Once the desired  $\sqrt{s}$  energy is reached then the beams are allowed to collide at the interaction points. The luminosity falls regularly as the run progresses as protons are lost in collisions, and eventually the beam is dumped before repeating the process again.

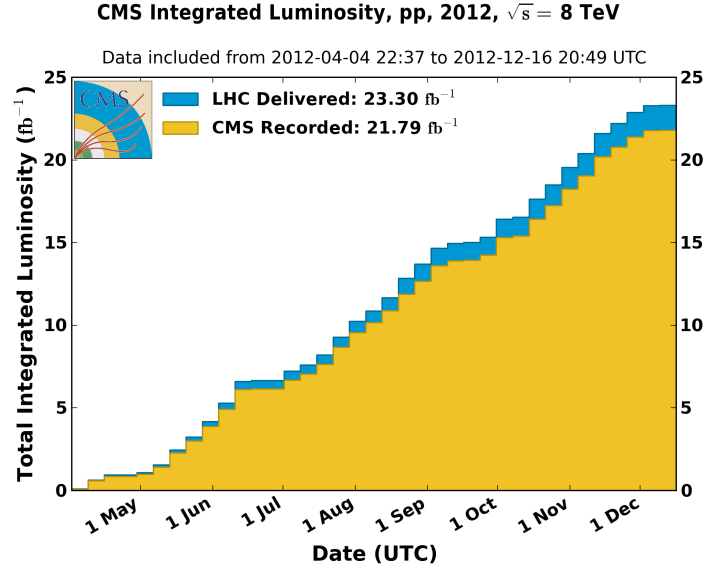
Colliding the beams produced an instantaneous luminosity of approximately  $5 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$  during the 2012 run. The high number of protons in each bunch increases the likelihood of multiple interactions with each crossing of the counter-circulating beams. This leads to isotropic energy depositions within the detectors positioned at these interaction points, increasing the energy scale of the underlying event. This is known as pile-up and the counteracting of it's effects are important to the many measurements performed at the LHC.

In the early phase of prolonged operation after the initial shutdown the machine operated in 2010-2011 at 3.5 TeV per beam,  $\sqrt{s} = 7 \text{ TeV}$ , delivering  $6.13 \text{ fb}^{-1}$  of data [26]. During the 2012-2013 run period, data was collected at an increased  $\sqrt{s} = 8 \text{ TeV}$  improving the sensitivity of searches for new physics. Over the whole run period  $23.3 \text{ fb}^{-1}$  of data was delivered of which  $21.8 \text{ fb}^{-1}$  was recorded by the CMS detector [26]. A total of  $12 \text{ fb}^{-1}$  of 8 TeV certified data was collected by October 2012, and it is this data which forms the basis of the results discussed within this thesis.

## 3.2. The CMS detector

The Compact Muon Solenoid (CMS) detector is one of two general purpose detectors at the LHC designed to search for new physics. The detector is designed to provide efficient identification and measurement of many physics objects including photons, electrons, muons, taus, and hadronic showers over wide ranges of transverse momentum and direction. Its nearly  $4\pi$  coverage in solid angle allows for accurate measurement of global transverse momentum imbalance. These design factors give CMS the ability to search for direct production of SUSY particles at the TeV scale, making the search for Supersymmetric particles one of the highest priorities among the wide range of physics programmes at CMS.





**Figure 3.2.:** The total integrated luminosity delivered to and collected by CMS during the 2012 8 TeV  $pp$  runs.

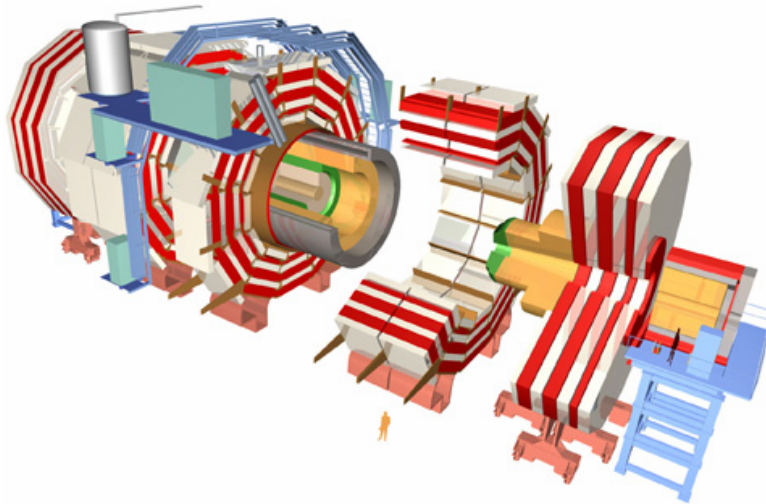
CMS uses a right-handed Cartesian coordinate system with the origin at the interaction point and the z-axis pointing along the beam axis, the x-axis points radially inwards to the centre of the collider ring, with the y-axis points vertically upward. The azimuthal angle,  $\phi$  ranging between  $[-\pi, \pi]$  is defined in the x-y plane starting from the x-axis. The polar angle  $\theta$  is measured from the z axis. The common convention in particle physics is to express an out going particle in terms of  $\phi$  and its pseudorapidity defined as

$$\eta = -\log \tan \left( \frac{\theta}{2} \right). \quad (3.1)$$

The variable  $\Delta R = \sqrt{\Delta\phi^2 + \Delta\eta^2}$  is commonly used to define angular distance between objects within the detector and additionally energy and momentum is typically measured in the transverse plane perpendicular to the beam line. These values are calculated from the x and y components of the object and are denoted as  $E_T = E \sin \theta$  and  $p_T = \sqrt{p_x^2 + p_y^2}$ .

### 3.2.1. Detector Subsystems

As the range of particles produced in  $pp$  collisions interact in different ways with matter, CMS is divided into subdetector systems, which perform complementary roles to identify the identity, mass and momentum of the different physics objects present in each event. These detector sub-systems contained inside CMS are wrapped in layers around a central 13 m long 4 T super conducting solenoid as shown in Fig 3.3. With the endcaps closed, CMS is a cylinder of length 22 m, diameter 15 m, and mass 12.5 kilotons. A more detailed complete description of the detector can be found elsewhere [23].



**Figure 3.3.:** A pictorial depiction of the CMS detector with the main detector subsystems labelled. [27]

### 3.2.2. Tracker

The inner-most subdetector of the barrel is the multi-layer silicon tracker, formed of a pixel detector component encased by layers of silicon strip detectors. The pixel detector consists of three layers of silicon pixel sensors providing measurements of the momentum, position coordinates of the charged particles as they pass, and the location of primary and secondary vertices between 4cm and 10cm transverse to the beam. Outside the pixel detector, ten cylindrical layers of silicon strip detectors extend the tracking system out to a radius of 1.20m from the beam line. The tracking system provides efficient and precise determination of the charges, momenta, and impact parameters of charged particles with

the geometry of the tracker extending to cover a rapidity range up to  $|\eta| < 2.5$ .

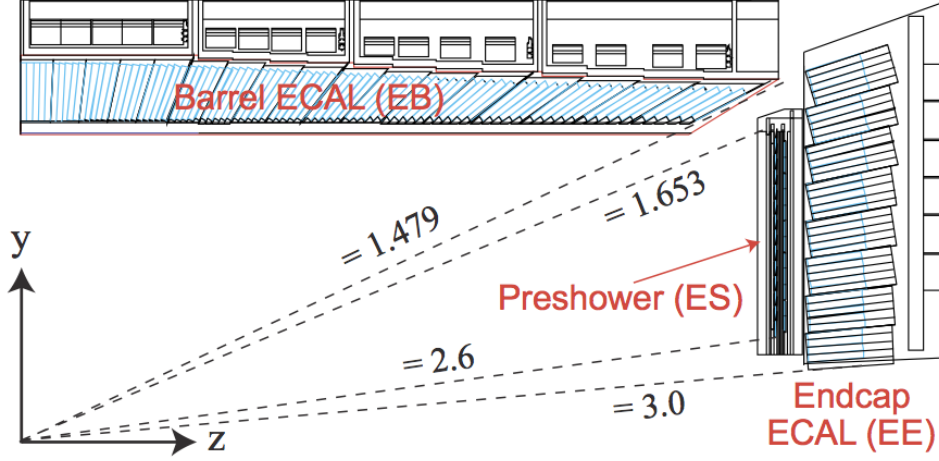
The tracking system also plays a crucial part in the identification of jets originating from b-quarks through measurement of displaced secondary vertices, which is covered in more detail in Section 3.3.2. The identification of b-jets is important in many searches for natural SUSY models and forms an important part of the inclusive search strategy described within Section 4.1.1.

### 3.2.3. Electromagnetic Calorimeter

Immediately outside of the tracker, but still within the magnet core, sits the Electromagnetic CALorimeter (ECAL). Covering a pseudorapidity up to  $|\eta| < 3$  and comprising of over 75,000 PbWO<sub>4</sub> (lead tungstate) crystals that scintillate as particles deposit energy, the ECAL provides high resolution measurements of the electromagnetic showers from photons, electrons in the detector.

Lead tungstate is used because of its short radiation length ( $X_0 \sim 0.9\text{cm}$ ) and small Molière radius ( $\sim 2.1\text{cm}$ ) leading to high granularity and resolution. Its fast scintillation time ( $\sim 25\text{ns}$ ) reduces the effects of pile-up due to energy from previous collisions still being read out, and its radiation hardness gives it longevity. The crystals are arranged in modules which surround the beam line in a non-projective geometry, angled at  $3^\circ$  with respect to the interaction point to minimise the risk of particles escaping down the cracks between the crystals.

The ECAL is primarily composed of two sections, the Electromagnetic CALorimeter Barrel (EB) which extends in pseudo-rapidity to  $|\eta| < 1.479$  with a crystal front cross section of  $22 \times 22 \text{ mm}^2$  and a length of 230 mm corresponding to 25.8 radiation lengths, and the Electromagnetic CALorimeter Endcap (EE) covering a rapidity range of  $1.479 < |\eta| < 3.0$ , which consists of two identical detectors on either side of the EB. A lead-silicon sampling ‘pre-shower’ detector Electromagnetic CALorimeter pre-Shower (ES) is placed before the endcaps to aid in the identification of neutral pions. Their arrangement are shown in Figure 3.4.



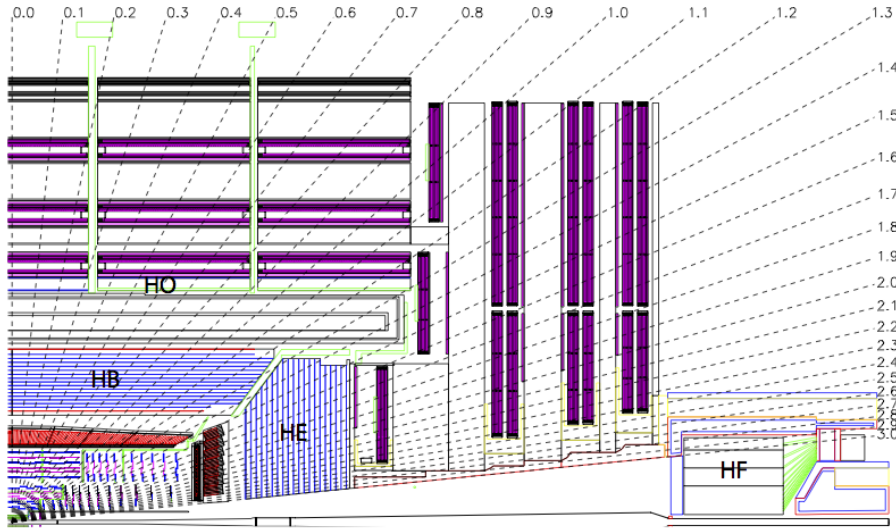
**Figure 3.4.:** Illustration of the CMS ECAL showing the arrangement of the lead tungstate crystals in the EB and EE. The ES is also shown and is located in front of the EE [28].

Scintillation photons from the lead tungstate crystals are instrumented with Avalanche Photo-Diodes (APD) and Vacuum Photo-Triodes (VPT) located in the EB and EE respectively, converting the scintillating light into an electric signal which is consequently used to determine the amount of energy deposited within the crystal. These instruments are chosen for their resistance under operation to the strong magnetic field of CMS. The scintillation of the ECAL crystals as well as the response of the APDs varies as a function of temperature and so cooling systems continually maintain an overall constant ECAL temperature  $\pm 0.05^\circ\text{C}$ .

### 3.2.4. Hadronic Calorimeter

Beyond the ECAL lies the Hadronic CALorimeter (HCAL) which is responsible for the accurate measurement of hadronic showers, crucial for analyses involving jets or missing energy signatures. The HCAL is a sampling calorimeter which consists of alternating layers of brass absorber and plastic scintillator, except in the hadron forward ( $3.0 < |\eta| < 5.0$ ) region in which steel absorbers and quartz fibre scintillators are used because of their increased radiation tolerance. Hadron showers are initiated in the absorber layers inducing scintillation in the plastic scintillator tiles. These scintillation photons are converted by wavelength shifting fibres for read-out by hybrid photodiodes.

The **HCAL**'s size is constrained to a compact size by the presence of the solenoid, requiring the placement of an additional outer calorimeter on the outside of the solenoid to increase the sampling depth of the **HCAL**. A schematic of the **HCAL** can be seen in Figure 3.5.



**Figure 3.5.:** Schematic of the hadron calorimeters in the  $r$ - $z$  plane, showing the locations of the **HCAL** components and the **HF**. [23].

The **HCAL** covers the range  $|\eta| < 5$  and consists of four subdetectors: the Hadron Barrel (**HB**)  $|\eta| < 1.3$ , the Hadron Outer (**HO**), the Hadron Endcaps (**HE**)  $1.3 < |\eta| < 3.0$  and the Hadron Forward (**HF**). The **HB** is contained between the outer edge of the **ECAL** and the inner edge of the solenoid, formed of 36 azimuthal wedges it is split between two half-barrel segments. The relatively short number of interaction lengths ( $\lambda_l$ , the distance a hadron will travel through the absorber material before it has lost  $\frac{1}{e}$  of its energy) within the **HB**, the lowest being  $\lambda_l = 5.82$  for  $|\eta| = 0$ , facilitates the need for the ‘tail catching’ **HO** to increase the sampling depth in the central barrel rapidity region  $|\eta| < 1.3$  to 11 interaction lengths. Significant fractions of the hadrons energy will be deposited in the **ECAL** as it passed through the detector. Therefore measurements of hadron energies in the central regions  $|\eta| < 3.0$  use both the **ECAL** and **HCAL** to reconstruct the true energy from showering hadrons.

### 3.2.5. Muon Systems

Muons being too massive to radiate away energy via Bremsstrahlung, interact little in the calorimeters and mostly pass through the detector until they reach the system of muon detectors which forms the outer most part of the CMS detector.

Outside of the superconducting solenoid are four muon detection layers interleaved with the iron return yokes which measure the muons energy via ionisation of gas within detector elements. Three types of gaseous chamber are used. The Drift Tube (DT), Cathode Stripe Chamber (CSC), and Resistive Plate Chamber (RPC) systems provide efficient detection of muons with pseudo-rapidity  $|\eta| < 2.4$ . The best reconstruction performance is obtained when the muon chamber is combined with the inner tracking information to determine muon trajectories and their momenta [29].

## 3.3. Event Reconstruction and Object Definition

The goal of event reconstruction is to take the raw information recorded by the detector and to compute from it higher-level quantities which can be used at an analysis level. These typically correspond to an individual particle's energy and momenta, or groups of particles which shower in a narrow cone and the overall global energy and momentum balance of the event. The reconstruction of these objects are described in great detail in [30], however covered below are brief descriptions of those which are most relevant to the analysis detailed in Section 4.

### 3.3.1. Jets

Quarks and gluons are produced copiously at the LHC in the hard scattering of partons. As these quarks and gluons fragment, they hadronise and decay into a group of strongly interactive particles and their decay products. These streams of particles travel in the same direction, as they have been "boosted" by the momentum of the primary hadron. These collections of decay products are reconstructed and identified together as a "jet".

At CMS jets are reconstructed from energy deposits in the detector using the anti-kt algorithm [31] with size parameter  $\Delta R = 0.5$ . The anti-kt jet algorithm clusters jets by defining a distance between hard (high  $p_T$ ) and soft (low  $p_T$ ) particles such that soft

particles are preferentially clustered with hard particles before being clustered between themselves. This produces jets which are robust to soft particle radiation from the pile-up conditions experienced at the LHC.

There are two main type of jet reconstruction used at CMS, Calorimeter (Calo) and Particle Flow (PF) jets [32]. Calorimeter jets are reconstructed using both the ECAL and HCAL cells, combined into calorimeter towers. These calorimeter towers consist of geometrically matched HCAL cells and ECAL crystals. Electronics noise is suppressed by applying a threshold to the calorimeter cells, with pile-up effects reduced by a requirement placed on the tower energy [33]. Calorimeter jets are the jets used within the analyses described in this thesis.

PF jets are formed from combining information from all of the CMS subdetectors systems to determine which final state particles are present in the event. Generally, any particle is expected to produce some combination of a track in the silicon tracker, a deposit in the calorimeters, or a track in the muon system. The PF jet momentum and spatial resolutions are greatly improved with respect to calorimeter jets, as the use of the tracking detectors and of the high granularity of ECAL allows resolution and measurement of charged hadrons and photons inside a jet, which together constitute  $\sim 85\%$  of the jet energy [34].

The jets reconstructed by the clustering algorithm in CMS typically have an energy that differs to the ‘true’ energy measured by a perfect detector. This stems from the non-linear and nonuniform response of the calorimeters as well as other residual effects including pile-up and underlying events, and therefore additional corrections are applied to recover a uniform relative response as a function of pseudo-rapidity. These are applied as separate sub corrections [35].

- A PU correction is first applied to the jet. It subtracts the average extra energy deposited in the jet that comes from other vertices present in the event and is therefore not part of the hard jet itself.
- $p_T$  and  $\eta$  dependant corrections derived from Monte Carlo simulations are used to account for the non-uniform response of the detector.
- $p_T$  and  $\eta$  residual corrections are applied to data only to correct for difference between data and Monte Carlo. The residual is derived from QCD dijet samples and the  $p_T$  residual from  $\gamma + \text{jet}$  and  $Z + \text{jets}$  samples in data.

### 3.3.2. B-tagging

The decays of b quarks are suppressed by small CKM matrix elements. As a result, the lifetimes of b-flavoured hadrons, produced in the fragmentation of b quarks, are relatively long;  $\mathcal{O}$  1ps. The identification of jets origination from b quarks is very important for searches for new physics and for measurements of standard model processes.

Many different algorithms developed by CMS select b-quark jets based on variables such as the impact parameters of the charged-particle tracks, the properties of reconstructed decay vertices, and the presence or absence of a lepton, or combinations thereof. One of the most efficient of which is the Combined Secondary Vertex (CSV) which operates based on secondary vertex and track-based lifetime information, benchmarked in ‘Loose’, ‘Medium’ and ‘Tight’ working points, of which the medium point is the tagger used within the  $\alpha_T$  search detailed in Section 4.1.

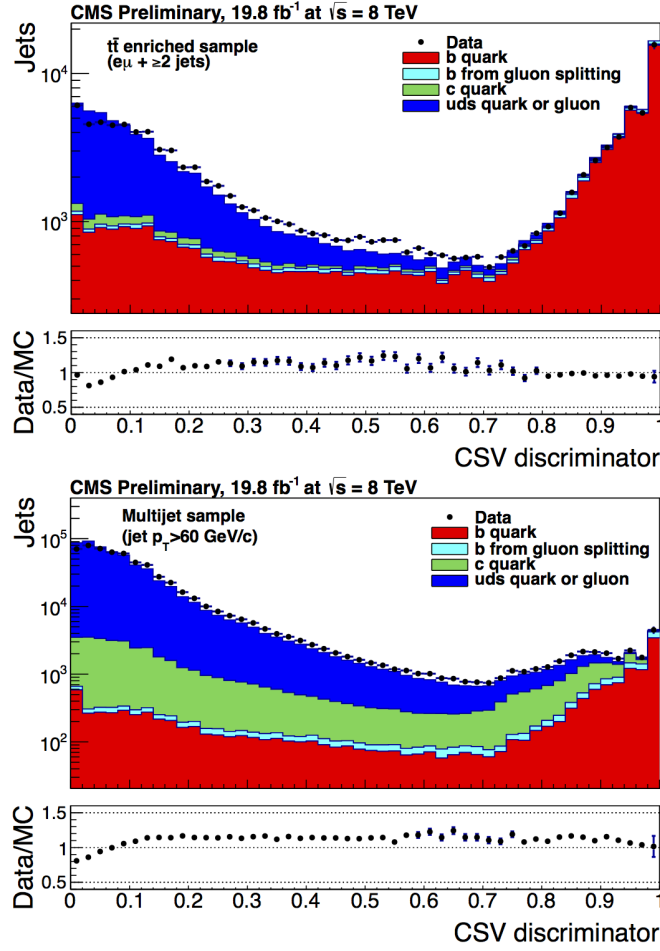
Using the CSV tagger, a likelihood-based discriminator distinguishes between jets from b-quarks, and those from charm or light quarks and gluons, which is shown in Figure 3.6. The minimum thresholds on the discriminator for each working point correspond to the misidentification probability for light-parton jets of 10%, 1%, and 0.1%, respectively, in jets with an average  $p_T$  of about 80 GeV.

The b-tagging performance is evaluated to measure the b-jet tagging efficiency  $\epsilon_b$ , and the misidentification probability of charm  $\epsilon_c$  and light-parton jets  $\epsilon_s$ . The tagging efficiencies for each of these three jet flavours are compared between data and MC simulation, from which a series of  $p_T$  and  $|\eta|$  binned jet corrections are determined,

$$SF_{b,c,s} = \frac{\epsilon_{b,c,s}^{data}}{\epsilon_{b,c,s}^{MC}}. \quad (3.2)$$

These are collectively named ‘Btag Scale Factors’ and allow MC simulation to accurately reflect the running conditions and performance of the tagging algorithm in data. Understanding of the b-tagging efficiency is essential in order to minimise systematic uncertainties in physics analyses that employ b-tagging.

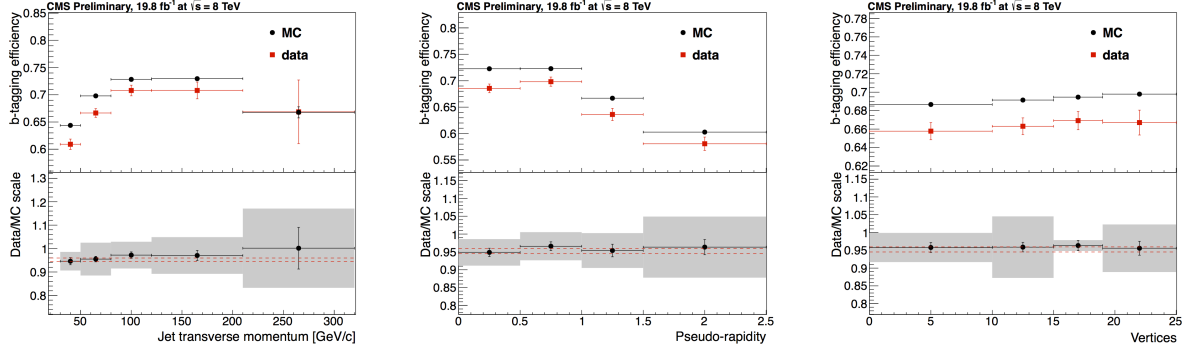




**Figure 3.6.:** CSV algorithm discriminator values in enriched  $t\bar{t}$  (top) and inclusive multi jet samples (bottom) for b,c and light flavoured jets [36]. Working points are determined from the misidentification probability for light-parton jets to be tagged as a b-jet and are given as 0.244, 0.679 and 0.898 for L,M and T working points respectively.

The b-tagging efficiency is measured in data using several methods applied to multi jet events, primarily based on a sample of jets enriched in heavy flavour content. One method requires the collection of events with a soft muon within a cone  $\Delta R < 0.4$  around the jet axis. Because the semileptonic branching fraction of b hadrons is significantly larger than that for other hadrons, these jets are more likely to arise from b quarks than from another flavour, with the resultant momentum component of the muon transverse to the jet axis larger for muons from b-hadron decays than from light or charm jets. Additionally the performance of the tagger can also be benchmarked in  $t\bar{t}$  events where in the SM, the top quark is expected to decay to a W boson and a b quark about 99.8% of the time [1]. Further selection criteria is applied to these events to further enrich the b quark content of these events. The methods to identify b-jets in data are discussed

in great detail at [37]. The jet flavours are determined in simulation using truth level information and are compared to data to determine the correction scale factors ( $SF_b$ ), which are displayed for the Combined Secondary Vertex Medium Working Point (CSVM) tagger in Figure 3.7.



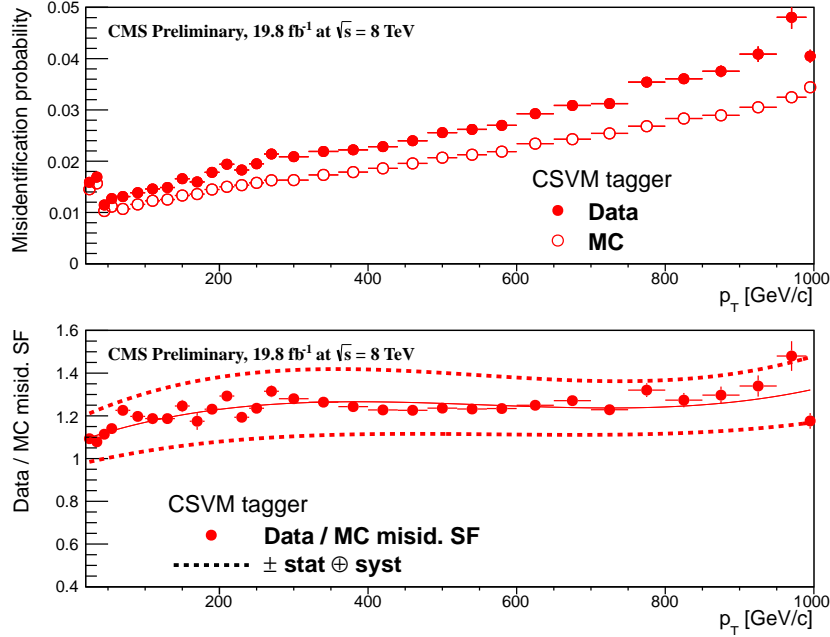
**Figure 3.7.:** Measured in  $t\bar{t} \rightarrow$  di-lepton events using the CSVM tagger: (upper panels) b-tagging efficiencies and (lower panels) data/MC scale factor  $SF_b$  as a function of (left) jet  $p_T$ , (middle) jet  $|\eta|$  and (right) number of primary vertices. In the lower panels, the grey filled areas represent the total statistical and systematic uncertainties, whereas the dotted lines are the average  $SF_b$  values within statistical uncertainties.

The measurement of the misidentification probability for light-parton jets relies on the inversion of tagging algorithms, selecting non-b jets using the same variables and techniques used in benchmarking the b-tagging efficiency. The scale factors ( $SF_s$ ) to be applied to MC are shown in Figure 3.8 for the CSVM tagger.

### 3.4. Triggering System

With bunch crossings separated by just 25 ns, the rate at which data from all collisions would have to be written out and processed would be unfeasible. A two-tiered triggering system is applied at CMS in order to cope with the high collision rate of protons. The CMS trigger is designed to use limited information from each event to determine whether to record the event, reducing the rate of data taking to manageable levels whilst ensuring a high efficiency of interesting physics object events are selected.

The Level 1 Trigger (L1) is a pipelined, dead-timeless system based on custom-built electronics [38], and is a combination of several sub systems which is shown pictorially in Figure 3.9. The L1 system is covered in more detail within the following section



**Figure 3.8.:** For the CSV tagging criterion: (top) misidentification probability in data (filled circles) and simulation (open circles); (bottom) scale factor for the misidentification probability. The last  $p_T$  bin in each plot includes all jets with  $p_T > 1000$  GeV. The solid curve is the result of a polynomial fit to the data points. The dashed curves represent the overall statistical and systematic uncertainties on the measurements.

along with a description of the service work undertaken by the author to benchmark the performance of the L1 calorimeter trigger during the 2012 8 TeV run period.

The Higher Level Trigger (HLT) is a large farm of commercial computers [39]. The HLT processes events with software reconstruction algorithms that are more detailed, giving performance more similar to the reconstruction used offline. The HLT reduces the event rate written to disk by a factor of  $\sim 500$  ( $\sim 200$ Hz). The recorded events are transferred from CMS to the CERN computing centre, where event reconstruction is performed, and then distributed to CMS computing sites around the globe for storage and analysis.

### 3.4.1. The Level-1 Trigger

The L1 trigger reduces the rate of events collected from 40 MHz to  $\sim 100$  kHz using information from the calorimeters and muon chambers, but not the tracker. A tree system of triggers is used to decide whether to pass on an event to the HLT for further reconstruction. Firstly the calorimeter and muon event information is kept separate,

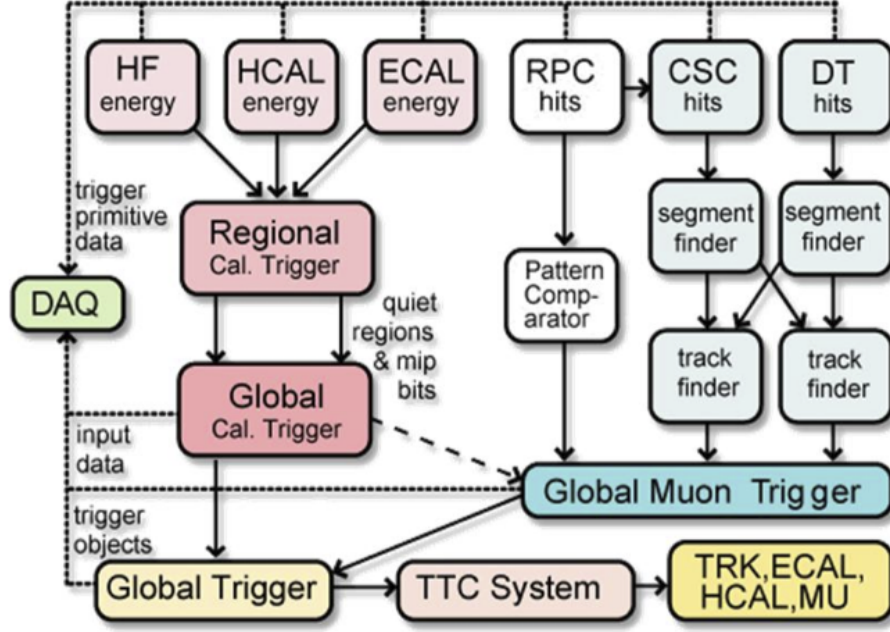


Figure 3.9.: The CMS L1 Trigger system.

with local reconstruction of objects ( $\mu, e, \gamma, \text{jets}$ ) performed by the Regional Calorimeter Trigger (RCT) and Regional Muon Trigger (RMT) respectively. The RCT generates up to 72 isolated and non-isolated electromagnetic objects. These are sorted by rank, which is equivalent to transverse energy  $E_T$ , with the four highest ranked electromagnetic objects being passed via the Global Calorimeter Trigger (GCT) and Global MuonTrigger (GMT) to the Global Trigger (GT).

In the L1 GCT, coarse measurements of the energy deposited in the electromagnetic and hadronic calorimeters are combined and by using sophisticated algorithms the following physics objects are formed:

- isolated and non-isolated electromagnetic objects ( $e$  and  $\gamma$ );
- hadronic jets in the central and forward sections of the hadronic calorimeters;
- hadronically decaying tau leptons;
- total transverse energy ( $E_T$ ) and missing transverse energy ( $\cancel{E}_T$ ) are calculated from uncorrected L1 jets;

- total transverse jet energy ( $H_T$ ) and missing transverse jet energy ( $\cancel{H}_T$ ) are calculated from uncorrected L1 jets.

In addition quantities suitable for triggering minimum bias events, forward physics and beam background events are calculated. Additionally relevant muon isolation information is also passed on to the **GMT** for decisions involving the muon triggers where it is combined with information from across the three muon sub-systems. The resultant final accept/reject decision at **L1** is then performed by the **GT** based on the objects received from the **GCT** and **GMT** ( $e/\gamma$ ,  $\mu$ , jets,  $E_T$ ,  $\cancel{E}_T$ ,  $H_T$ ).

The L1 trigger is therefore of upmost importance to the functioning of the detector. Without a high-performing trigger and a good understanding of it's performance, there would be no data to analyse. Observations of how the L1 trigger performance is affected by changing **LHC** running conditions over the 2012 run period and also the introduction of a jet seed threshold to the L1 jet trigger algorithm is presented in the following Sections **3.4.2** - **3.4.6**.

### 3.4.2. L1 Trigger Jet Algorithm

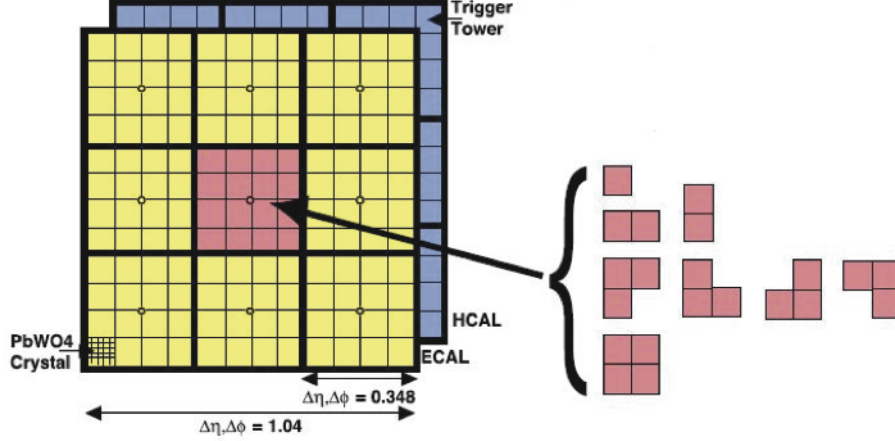
The L1 jet trigger uses the transverse energy sums computed in the calorimeter (both hadronic and electromagnetic) trigger regions. Each region consists of  $4 \times 4$  trigger tower windows, spanning a region of  $\Delta\eta \times \Delta\phi = 0.087 \times 0.087$  in pseudorapidity-azimuth. The jet trigger uses a  $3 \times 3$  calorimeter region (112 trigger towers) sliding window technique which spans the full  $(\eta, \phi)$  coverage of the **CMS** calorimeter as shown in Figure **3.10**.

In forming a L1 jet is it required that the central region to be higher than the eight neighbouring regions  $E_{T_{central}} > E_{T_{surround}}$ . Additionally a minimum threshold of 5 GeV on  $E_{T_{central}}$  was introduced during the 2012 run period to suppress noise from pile-up, the effects of which are shown in Section **3.4.4**.

The L1 jets are characterised by the  $E_T$ , summed over the  $3 \times 3$  calorimeter regions, which corresponds to  $12 \times 12$  trigger towers in barrel and endcap or  $3 \times 3$  larger **HF** towers in the **HF**. The  $\phi$  size of the jet window is the same everywhere, whilst the  $\eta$  binning gets somewhat larger at high  $\eta$  due to calorimeter and trigger tower segmentation. The jets are labelled by  $(\eta, \phi)$  indexes of the central calorimeter region.

Jets with  $|\eta| > 3.0$  are classified as forward jets, whereas those with  $|\eta| < 3.0$  are classified as central. The four highest energy central, forward and  $\tau$  jets in the calorimeter

are passed through Look Up Table (LUT)'s, which apply a programmable  $\eta$ -dependent jet energy scale correction. These are then used to make L1 trigger decisions.



**Figure 3.10.:** Illustration of the Level-1 jet finding algorithm.

The performance of the L1 jets is evaluated with respect to offline jets, which are taken from the standard Calo jet and the PF jet reconstruction algorithms of CMS. Jets are corrected for pile-up and detector effects as described in 3.3.1. A moderate level of noise rejection is applied to the offline jets by selecting jets passing the “loose identification criteria for both Calo and PF. These criteria are summarised in Appendix A.1.

### 3.4.3. Measuring L1 Jet Trigger Efficiencies

The L1 jet efficiency is defined as the fraction of leading offline jets which were matched with a L1 tau or central jet above a certain trigger threshold, divided by all the leading offline jets in the event. This quantity is then plotted as a function of the offline jet  $E_T$ ,  $\eta$  and  $\phi$ .

The efficiency is determined by matching the L1 and reconstructed offline jets spatially in  $\eta - \phi$  space. This is done by calculating the minimum separation in  $\Delta R$  between the highest offline reconstructed jet in  $E_T$  ( $E_T > 10$  GeV,  $|\eta| < 3$ ) and any L1 jet. A jet will be matched if this value is found to be  $< 0.5$ . Should more than one jet satisfy this, the jet closest in  $\Delta R$  is taken as the matched jet.

Trigger	Calo		PF	
	$\mu$	$\sigma$	$\mu$	$\sigma$
L1.SingleJet16	9.75 $\pm$ 0.02	1.97 $\pm$ 0.02	7.39 $\pm$ 0.01	0.80 $\pm$ 0.01
L1.SingleJet36	41.34 $\pm$ 0.02	5.52 $\pm$ 0.01	36.76 $\pm$ 0.01	7.87 $\pm$ 0.01
L1.SingleJet92	96.15 $\pm$ 0.04	5.95 $\pm$ 0.03	91.27 $\pm$ 0.06	11.46 $\pm$ 0.03

**Table 3.1.:** Results of a cumulative **EMG** function fit to the turn-on curves for L1 single jet triggers in run 2012 Run Period C, measured in an isolated  $\mu$  data sample. The turn-on point,  $\mu$ , and resolution,  $\sigma$ , of the L1 jet triggers are measured with respect to offline Calo Jets (left) and PF Jets (right).

Each efficiency curve is fitted with a function which is the cumulative distribution function of an Exponentially Modified Gaussian (**EMG**) distribution:

$$f(x; \mu, \sigma, \lambda) = \frac{\lambda}{2} \cdot e^{\frac{\lambda}{2}(2\mu + \lambda\sigma^2 - 2x)} \cdot \text{erfc}\left(\frac{\mu + \lambda\sigma^2 - x}{\sqrt{2}\sigma}\right) \quad (3.3)$$

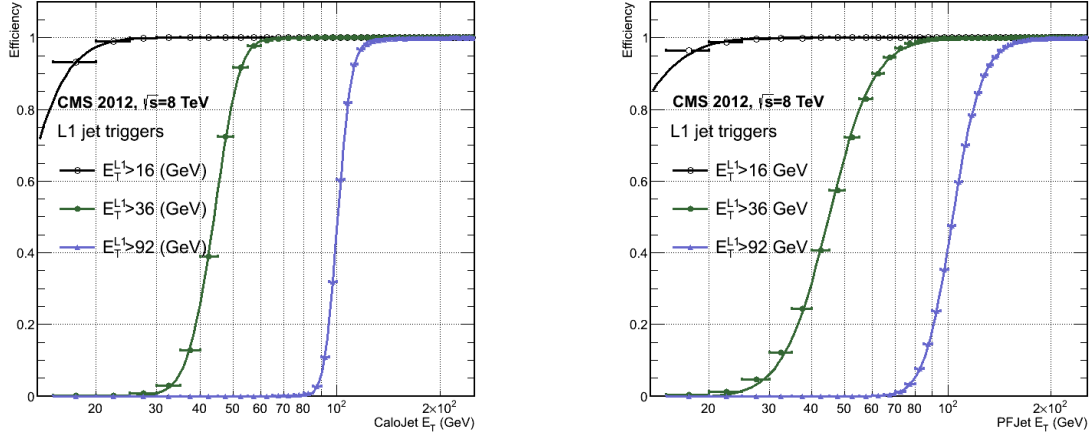
where  $\text{erfc}$  is the complementary error function defined as:

$$\text{erfc}(x) = 1 - \text{erf}(x) = \frac{2}{\sqrt{\pi}} \int_x^\infty e^{-t^2} dt.$$

In this functional form, the parameter  $\mu$  determines the point of 50% of the plateau efficiency and the  $\sigma$  gives the resolution. This parametrisation is used to benchmark the efficiency at the plateau, the turn-on points and resolution for each L1 Jet trigger. The choice of function is purely empirical. Previous studies used the error function alone, which described the data well at high threshold values but could not describe the efficiencies well at lower thresholds [40].

The efficiency turn-on curves for various L1 jet thresholds are evaluated as a function of the offline reconstructed jet  $E_T$  for central jets with  $|\eta| < 3$ . These are measured using single isolated  $\mu$  triggers which have high statistics, and are orthogonal and therefore unbiased to the hadronic triggers under study. The efficiency is calculated with respect to offline Calo and PF Jets in Figure 3.11. Table 3.1 shows the values of these parameters for three example L1 single jet triggers, from the 2012 8 TeV data.

The results from the L1 single jet triggers shows good performance for both Calo and PF jets. A better resolution for Calo jets with respect to L1 jets quantities is observed. This effect is due to Calo jet reconstruction using the same detector systems as in L1 jets,



**Figure 3.11.:** L1 jet efficiency turn-on curves as a function of the offline CaloJet  $E_T$  (left) and PFJet  $E_T$  (right), measured in 2012 Run Period C data and collected with an isolated single  $\mu$  data sample.

whereas with PF jet construction using tracker and muon information, a more smeared resolution when compared to L1 is expected.

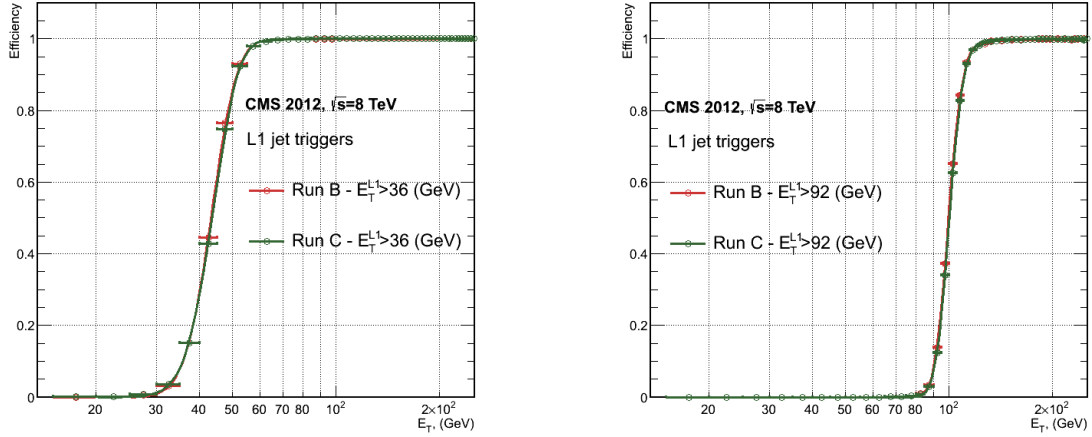
#### 3.4.4. Effects of the L1 Jet Seed

Between run period B and C of the 2012 data taking period, a jet seed threshold was introduced into the L1 trigger jet algorithm. There was previously no direct requirement made on the energy deposited in the central region. The introduction of a jet seed threshold required that the central region have  $E_T \geq 5\text{GeV}$ , and was introduced to counteract the effects of high pile up running conditions which create a large number of soft non-collimated jets, that are then added to the jets from the primary interaction or other soft jets from other secondary interactions [41]. This in turn causes a large increase in trigger rate due to the increase in the likelihood that the event causes the L1 trigger to fire. This was implemented to maintain trigger thresholds by cutting the rate of events recorded without significant reduction in the efficiency of physics events of interest.

The effect of the introduction of this jet seed threshold between these two run periods is benchmarked through a comparison of the efficiency of the L1 jet triggers with respect to offline Calo jets shown in Fig. 3.12, and the L1  $H_T$  trigger efficiency in Figure 3.14 which is compared to offline  $H_T$  constructed from Calo jets with  $E_T \geq 40\text{GeV}$ .



To negate any effects from different pile-up conditions in the run periods, the efficiencies are measured in events which contain between 15 and 20 primary vertices as defined in Appendix A.2.



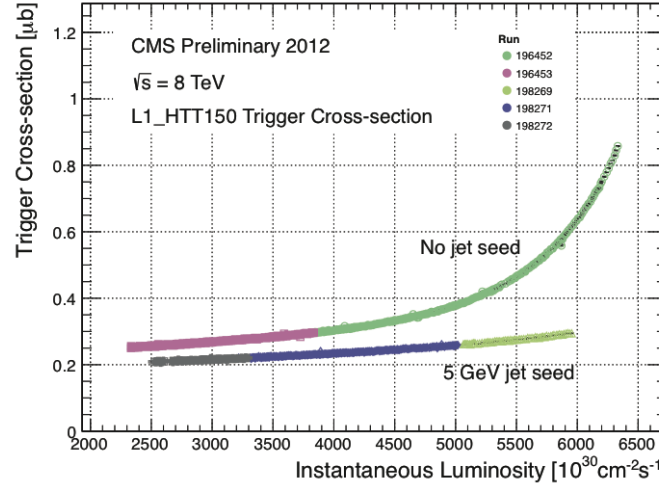
**Figure 3.12.:** L1 jet efficiency turn-on curves as a function of the offline CaloJet  $E_T$ , measured for the L1 SingleJet 36 and 92 trigger in 2012 run period B and C collected with an isolated single  $\mu'$  sample.

It can be seen that the performance of the  $E_T > 36, 92$  single jet are almost identical, with the jet seed having no measurable effect on these triggers as shown in Table 3.2 .

Trigger	2012B		2012C	
	$\mu$	$\sigma$	$\mu$	$\sigma$
L1.SingleJet36	$40.27 \pm 0.04$	$5.28 \pm 0.02$	$40.09 \pm 0.05$	$5.69 \pm 0.02$
L1.SingleJet92	$95.04 \pm 0.09$	$5.91 \pm 0.06$	$95.64 \pm 0.09$	$5.97 \pm 0.05$

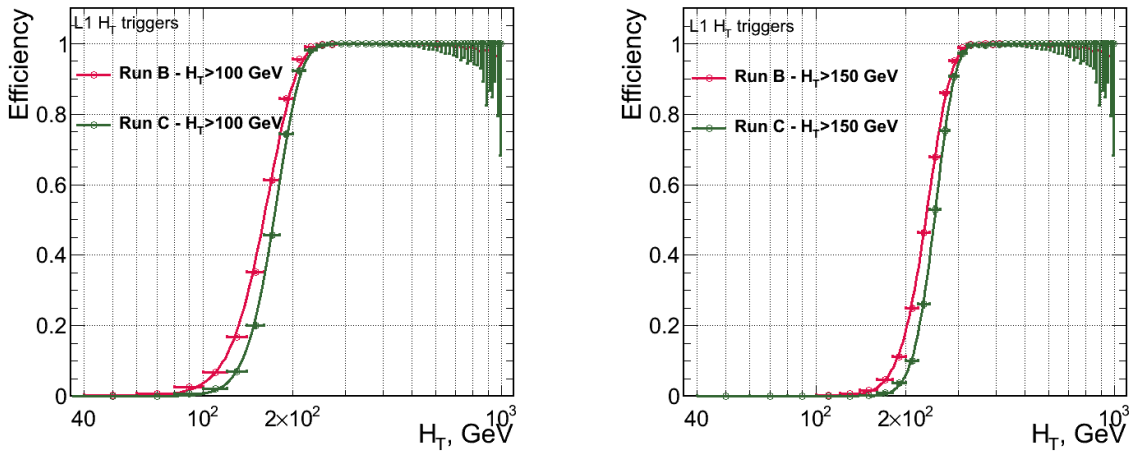
**Table 3.2.:** Results of a cumulative EMG function fit to the turn-on curves for L1 single jet triggers in the 2012 run period B and C, preselected on an isolated muon trigger. The turn-on point  $\mu$  and resolution  $\sigma$  of the L1 jet triggers are measured with respect to offline Calo Jets in run B (left) and run C (right).

For the  $H_T$  triggers, a large increase in rate during high pile-up conditions is expected. This is due to the low energy threshold required for a jet to be added to the L1  $H_T$  sum, which is compiled from all uncorrected L1 jets formed in the RCT. The introduction of the jet seed threshold removes the creation of many of these soft low  $E_T$  jets, thus lowering the  $H_T$  calculation at L1. The effect on the trigger cross section for L1  $H_T$  150 trigger can be seen in Figure 3.13.



**Figure 3.13.:** Trigger cross section for the L1HTT150 trigger path. Showing that a 5 GeV jet seed threshold dramatically reduces the dependance of cross section on the instantaneous luminosity for L1  $H_T$  triggers [42].

Different behaviours for the trigger turn ons between these run periods are therefore expected. The turn on point is observed to shift to higher  $H_T$  values after the introduction of the jet seed threshold, whilst having a sharper resolution due to less pile-up jets being included the  $H_T$  sum, the results are shown in Table 3.3.



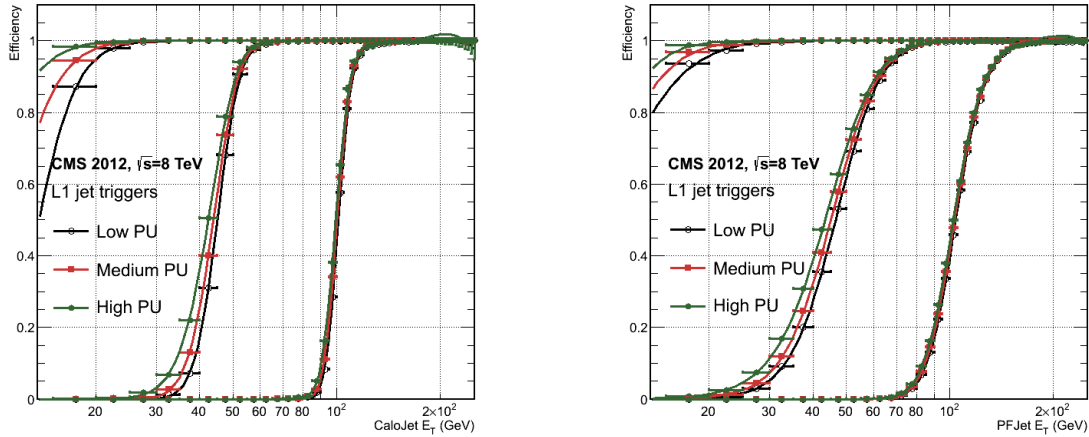
**Figure 3.14.:** L1  $H_T$  efficiency turn-on curves as a function of the offline CaloJet  $H_T$ , measured for the L1  $H_T$  100 and 150 trigger during the run 2012 B and C collected using an isolated single  $\mu$  triggered sample.

Trigger	2012B		2012C	
	$\mu$	$\sigma$	$\mu$	$\sigma$
HTL1 100	$158.5 \pm 0.09$	$33.3 \pm 0.08$	$171.7 \pm 0.08$	$29.3 \pm 0.01$
HTL1 150	$231.6 \pm 0.01$	$36.9 \pm 0.01$	$248.4 \pm 0.16$	$31.8 \pm 0.14$

**Table 3.3.:** Results of a cumulative **EMG** function fit to the turn-on curves for  $H_T$  in run 2012 B and C, preselected on an isolated single  $\mu$  trigger. The turn-on point  $\mu$ , resolution  $\sigma$  of the L1  $H_T$  triggers are measured with respect to offline  $H_T$  formed from CaloJets with a  $E_T \geq 40$  in run period B (left) and C (right).

### 3.4.5. Robustness of L1 Jet Performance against Pile-up

The performance of the L1 single jet triggers is evaluated in different pile-up conditions to benchmark any dependence on pile-up. Three different pile-up bins of 0-10, 10-20 and  $>20$  vertices are defined, reflecting the low, medium and high pile-up running conditions at CMS in 2012. This is benchmarked relative to Calo and PF jets for the run 2012 C period where the jet seed threshold is applied, with L1 single jet thresholds of 16, 36 and 92 GeV, shown in Figure 3.15. The results of fits to these efficiency turn-on curves are given in Table 3.4 and Table 3.5 for Calo and PF jets respectively.



**Figure 3.15.:** L1 jet efficiency turn-on curves as a function of the leading offline  $E_T$  Calo (left) and PF (right) jet, for low, medium and high pile-up conditions.

No significant drop in efficiency is observed in the presence of a high number of primary vertices. The increase in hadronic activity in higher pile-up conditions, combined with the absence of pile-up subtraction for L1 jets, results in the expected observation of

Vertices	0-10		11-20		> 20	
	$\mu$	$\sigma$	$\mu$	$\sigma$	$\mu$	$\sigma$
L1_SingleJet16	11.4 $\pm$ 0.1	1.8 $\pm$ 0.1	9.5 $\pm$ 0.1	1.2 $\pm$ 0.1	7.4 $\pm$ 0.2	0.7 $\pm$ 0.1
L1_SingleJet36	42.1 $\pm$ 0.1	4.7 $\pm$ 0.1	41.1 $\pm$ 0.1	5.4 $\pm$ 0.1	42.2 $\pm$ 0.1	6.7 $\pm$ 0.1
L1_SingleJet92	96.5 $\pm$ 0.2	5.5 $\pm$ 0.1	95.7 $\pm$ 0.1	5.7 $\pm$ 0.1	95.1 $\pm$ 0.1	6.4 $\pm$ 0.2

**Table 3.4.:** Results of a cumulative **EMG** function fit to the efficiency turn-on curves for L1 single jet triggers in the 2012 run period C, measured from isolated  $\mu$  triggered data. The turn-on point,  $\mu$ , and resolution,  $\sigma$ , of the L1 jet triggers are measured with respect to offline Calo jets in low (left), medium (middle) and high (right) pile-up conditions.

Vertices	0-10		11-20		> 20	
	$\mu$	$\sigma$	$\mu$	$\sigma$	$\mu$	$\sigma$
L1_SingleJet16	7.2 $\pm$ 0.1	0.8 $\pm$ 0.1	7.4 $\pm$ 0.1	0.8 $\pm$ 0.1	7.4 $\pm$ 0.1	0.8 $\pm$ 0.1
L1_SingleJet36	38.8 $\pm$ 0.1	8.6 $\pm$ 0.1	37.3 $\pm$ 0.1	8.8 $\pm$ 0.1	35.3 $\pm$ 0.1	9.3 $\pm$ 0.1
L1_SingleJet92	92.0 $\pm$ 0.1	11.4 $\pm$ 0.1	91.1 $\pm$ 0.1	11.4 $\pm$ 0.1	90.2 $\pm$ 0.2	11.6 $\pm$ 0.1

**Table 3.5.:** Results of a cumulative **EMG** function fit to the efficiency turn-on curves for Level-1 single jet triggers in the 2012 run period C, measured from isolated  $\mu$  triggered data. The turn-on point,  $\mu$ , and resolution,  $\sigma$ , of the L1 jet triggers are measured with respect to offline PF jets in low (left), medium (middle) and high (right) pile-up conditions.

a decrease in the  $\mu$  value of the efficiency turn-ons as a function of pile-up, while the resolution,  $\sigma$  of the turn-ons are found to gradually worsen as expected with increasing pile-up.

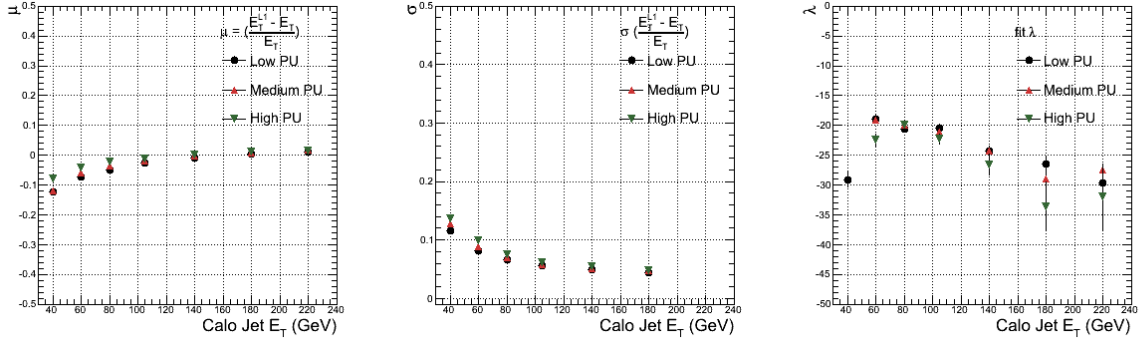
These features are further emphasised when shown as a function of

$$\frac{(\text{L1 } E_T - \text{Offline } E_T)}{\text{Offline } E_T} \quad (3.4)$$

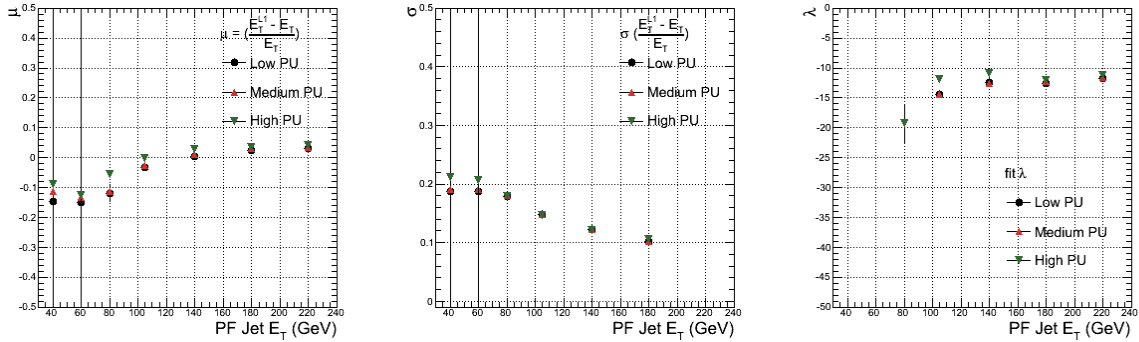
in bins of matched leading offline jet  $E_T$ , of which the individual fits can be found in Appendix B.1. Each of these distributions are fitted with an **EMG** function as defined in Eq. 3.3.

The  $\mu$ ,  $\sigma$  and  $\lambda$  values extracted for the low, medium and high pile-up conditions are shown for Calo and PF jets in Figure 3.16 and Figure 3.17 respectively. The central value

of  $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$  is observed to increase as a function of jet  $E_T$ , whilst the resolution is also observed to improve at higher offline jet  $E_T$ .



**Figure 3.16.:** Fit values from an **EMG** function fitted to the resolution plots of leading Calo jet  $E_T$  measured as a function of  $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$  for low and medium pile-up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (middle) of the Gaussian as well as the decay term  $\lambda$  (right) of the exponential.



**Figure 3.17.:** Fit values from an **EMG** function fitted to the resolution plots of leading PF jet  $E_T$  measured as a function of  $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$  for low and medium pile-up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (middle) of the Gaussian as well as the decay term  $\lambda$  (right) of the exponential.

The resolution of other L1 energy sum quantities,  $H_T$ ,  $\cancel{E}_T$  and  $\sum E_T$  parameterised as in Equation 3.4, can be found in Appendix B.2. The same behaviour observed for the single jet triggers is also found for these quantities, where in the presence of higher pile-up the  $\mu$  values are shifted to higher values, with a worsening resolution,  $\sigma$  again due to the increase in soft pile-up jets and the absence of pile-up subtraction at L1.

### 3.4.6. Summary

The performance of the CMS Level-1 Trigger has been studied and evaluated for jets and energy sum quantities using data collected during the 2012 LHC 8TeV run. These studies include the effect of introduction of a 5 GeV jet seed threshold into the jet algorithm configuration, the purpose of which is to mitigate the effects of pile-up on the rate of L1 triggers whilst not adversely affecting the efficiency of these triggers. No significant change in performance is observed with this change and good performance is observed for a range of L1 quantities.

# Chapter 4.

## 733 Searches for SUSY at the LHC

734 Generic susy searches. What we look for etc

### 735 4.1. The $\alpha_T$ search

736 Stuff about the  $\alpha_T$  variable

#### 737 4.1.1. Search Strategy

### 738 4.2. Searches for Natural SUSY with B-tag 739 templates.

740 Btag Templates blah blah

# Chapter 5.

## Results

Results at 12fb 8TeV

### 5.1. Statistical Interpretation

Likelihood stuff

### 5.2. Interpretation in Simplified Signal Models

Result interpretation



# Appendix A.

## Miscellaneous

### A.1. Noise Filters

For Calo jets the following criteria were applied:

- $N_{90} \text{ hits} > 1$ ,
- $HBHE > 0.01$ ,
- $fHPD < 0.98$ ,

For PF jets the following criteria were applied:

- Neutral hadron fraction  $< 0.99$ ,
- Neutral EM fraction  $< 0.99$ ,
- Number of constituents  $> 1$ ,
- Charged hadron fraction  $> 0$ ,
- Charged multiplicity  $> 0$ ,
- Charged EM fraction  $< 0.99$ .

The following noise filters are applied, to remove events with spurious, non-physical jets or missing transverse energy.

- CSC tight beam halo filter,
- HBHE noise filter with isolated noise rejection,

- 765     • HCAL laser filter,
- 766     • ECAL dead cell trigger primitive (TP) filter,
- 767     • Tracking failure filter,
- 768     • Bad EE Supercrystal filter,
- 769     • ECAL Laser correction filter.

## 770   A.2. Primary Vertices

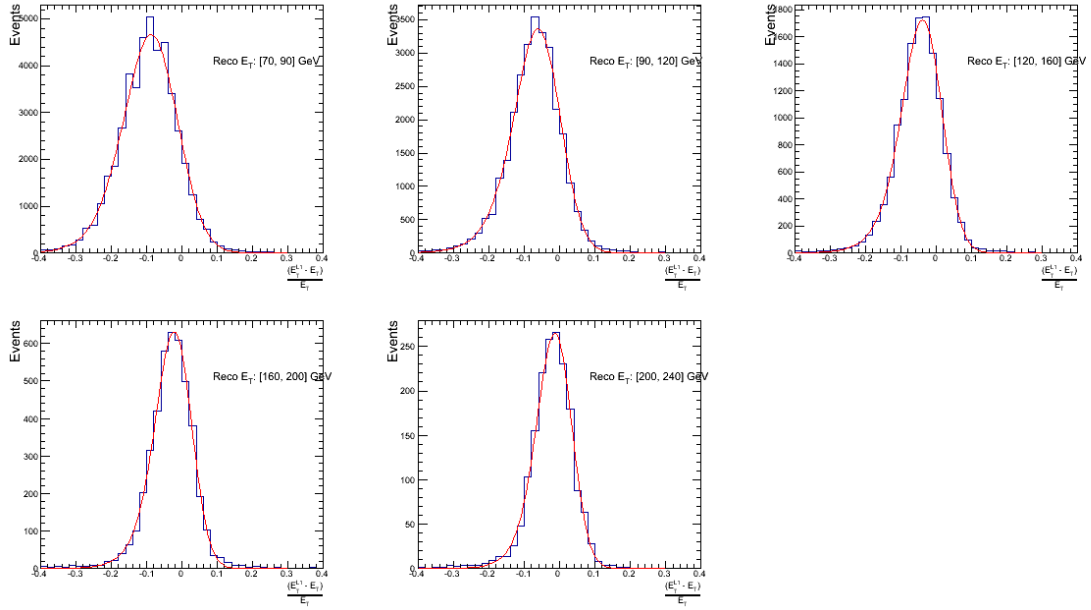
771   The pileup per event is defined by the number of 'good' reconstructed primary vertices  
772   in the event, with each vertex satisfying the following requirements

- 773     •  $N_{dof} > 4$ ;
- 774     • vertex position along the beam direction of  $|z_{vtx}| < 24\text{cm}$ ;
- 775     • vertex position perpendicular to the beam of  $\rho < 2\text{cm}$ .

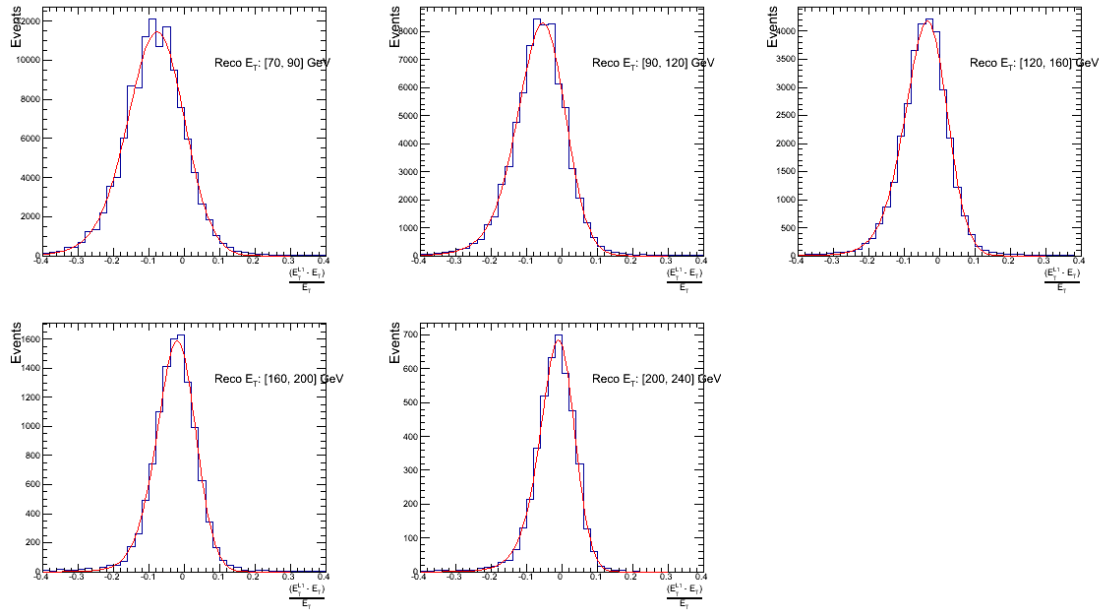
# Appendix B.

## L1 Jets

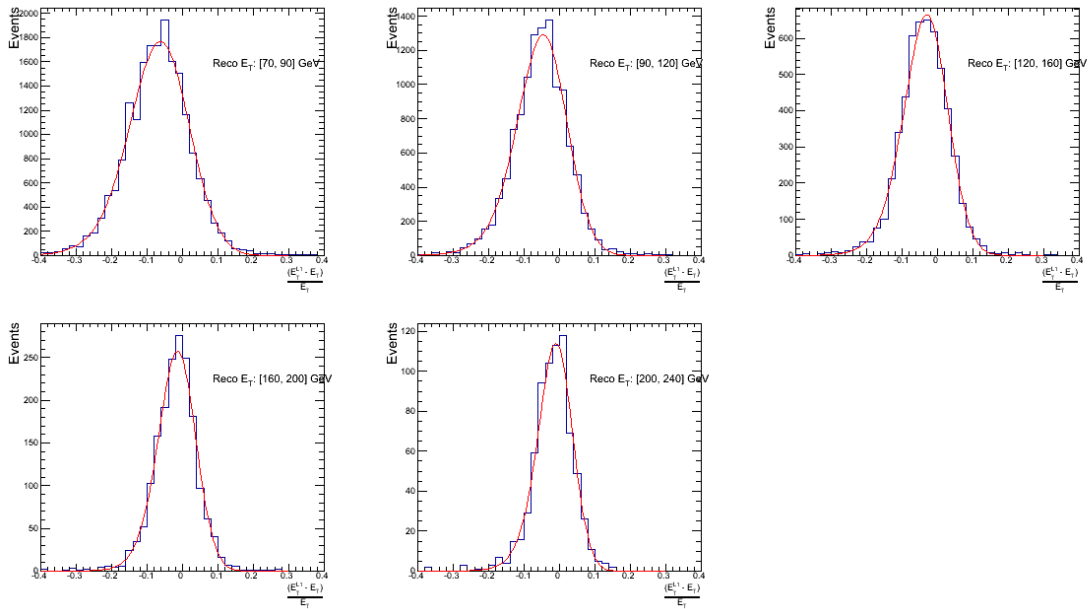
### B.1. Leading Jet Energy Resolution



(a)

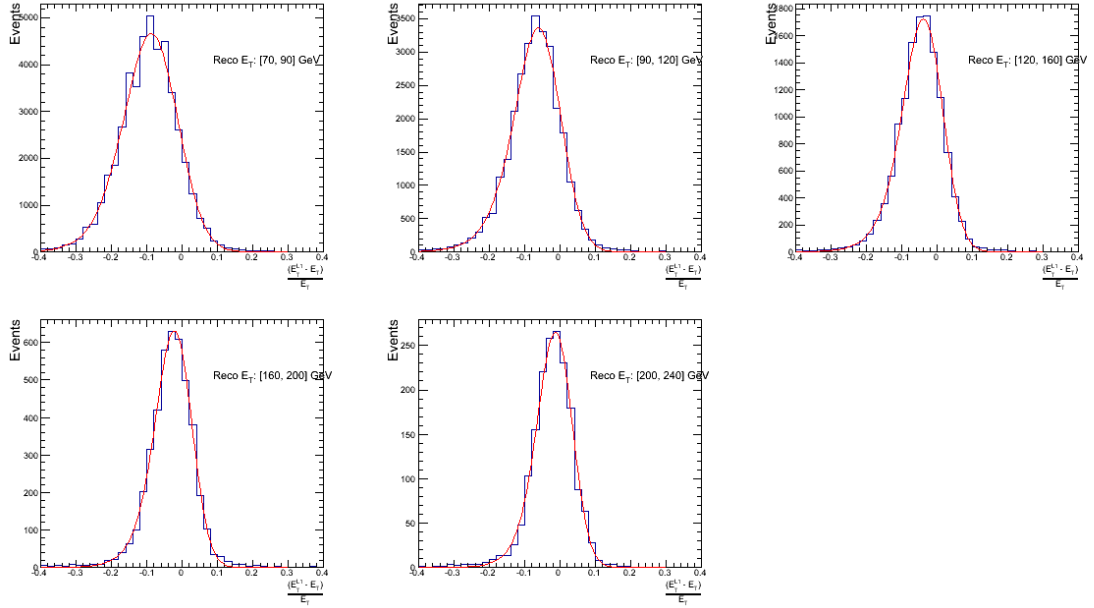


(b)

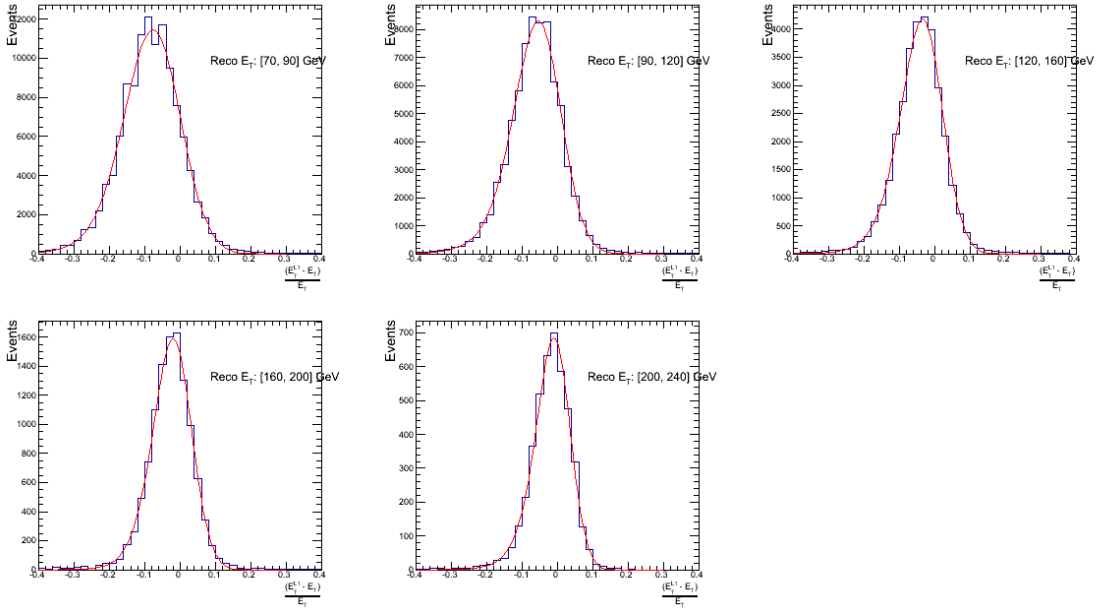


(c)

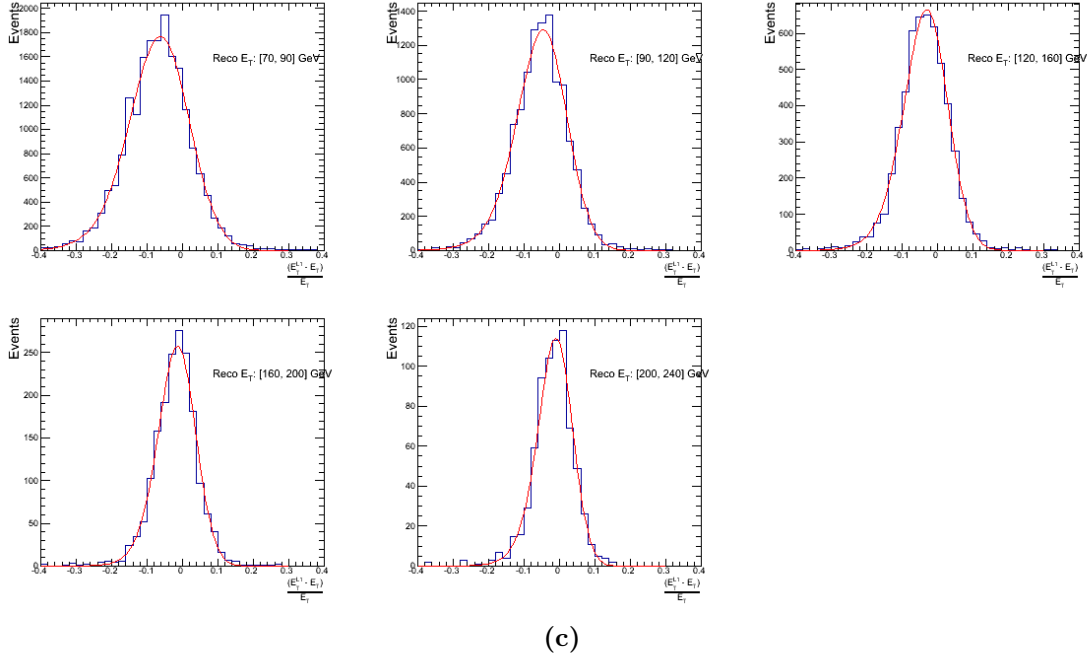
**Figure B.0.:** Resolution plots of the leading offline jet Calo  $E_T$  measured as a function of  $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$  for low (a), medium (b) and high (c) pile-up conditions.



(a)



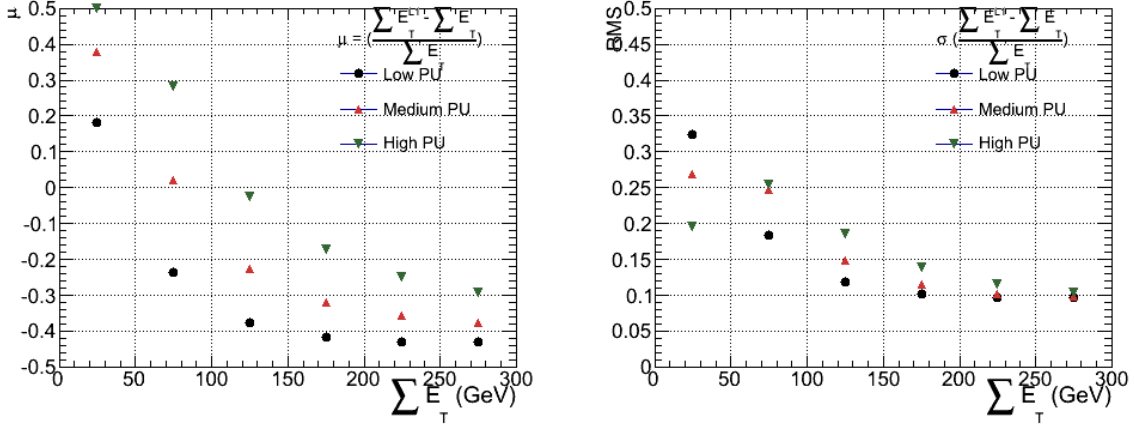
(b)



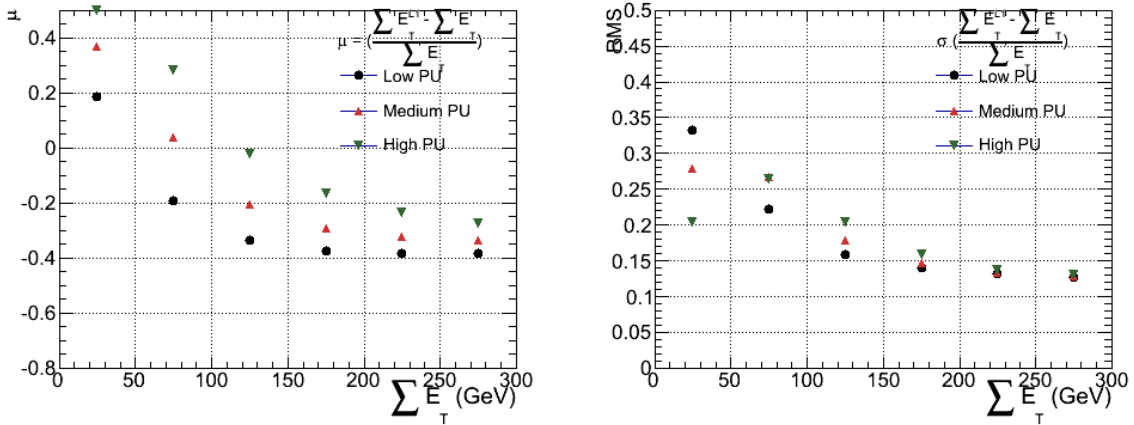
**Figure B.0.:** Resolution plots of the leading offline jet PF  $E_T$  measured as a function of  $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$  for low (a), medium (b) and high (c) pile-up conditions.

## B.2. Resolution for Energy Sum Quantities

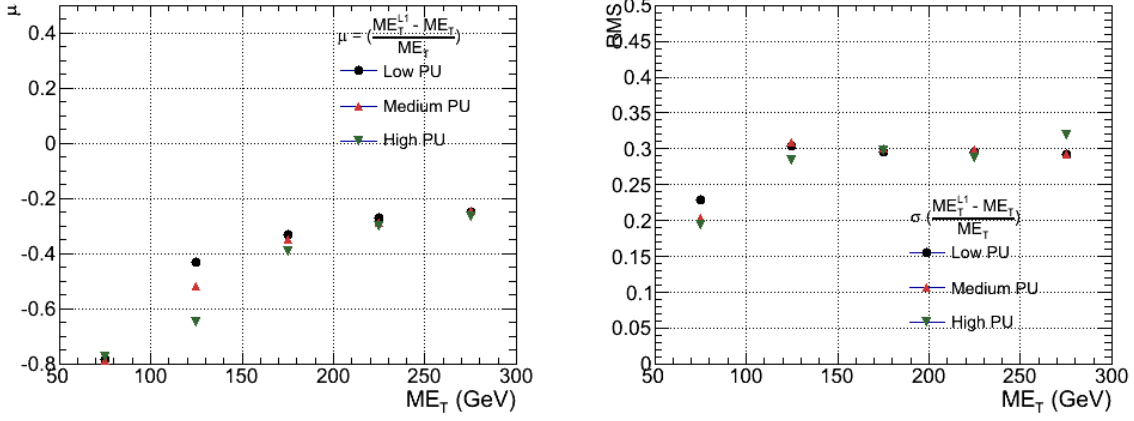
The following plots show the resolution parameters for the four energy sum quantities as a function of the quantity (q) itself. In this case, The mean and RMS of the individual  $\frac{(L1 q - \text{Offline } q)}{\text{Offline } q}$  distributions, in bins of the quantity q is displayed.



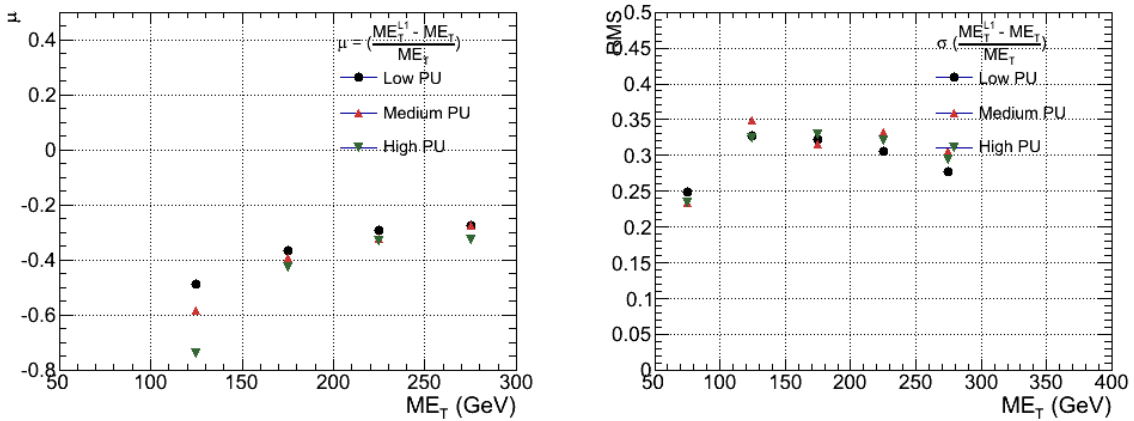
**Figure B.1.:**  $\sum E_T$  resolution parameters in bins of Calo  $\sum E_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.



**Figure B.2.:**  $\sum E_T$  resolution parameters in bins of PF  $\sum E_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.

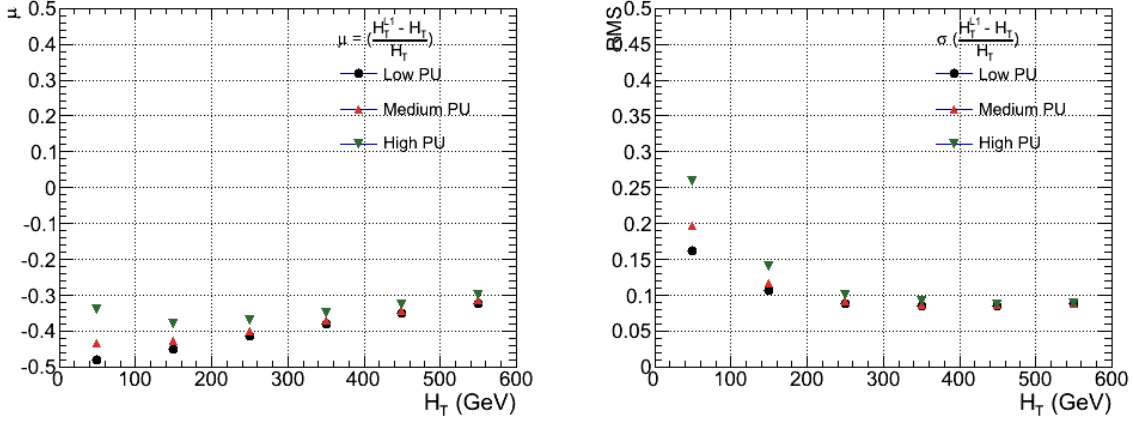


**Figure B.3.:**  $\cancel{E}_T$  resolution parameters in bins of Calo  $\cancel{E}_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.

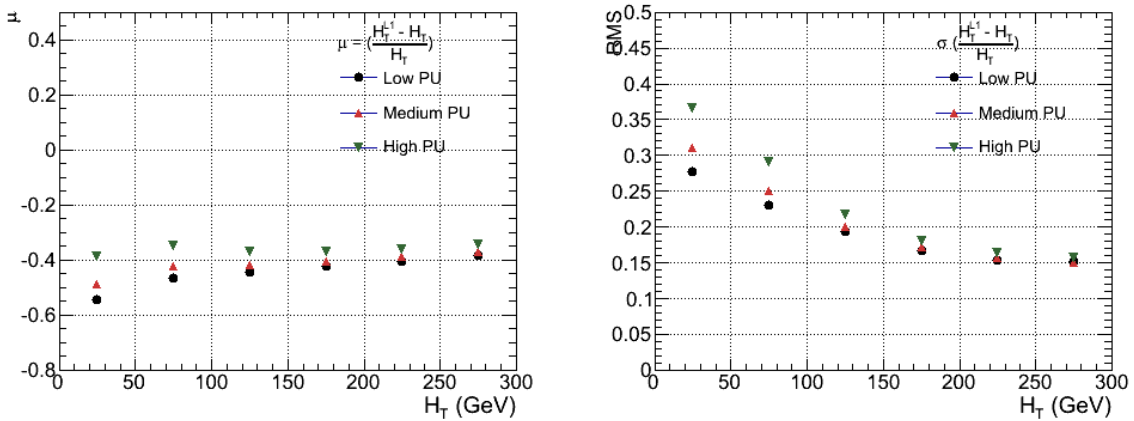


**Figure B.4.:**  $\cancel{E}_T$  resolution parameters in bins of PF  $\cancel{E}_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.

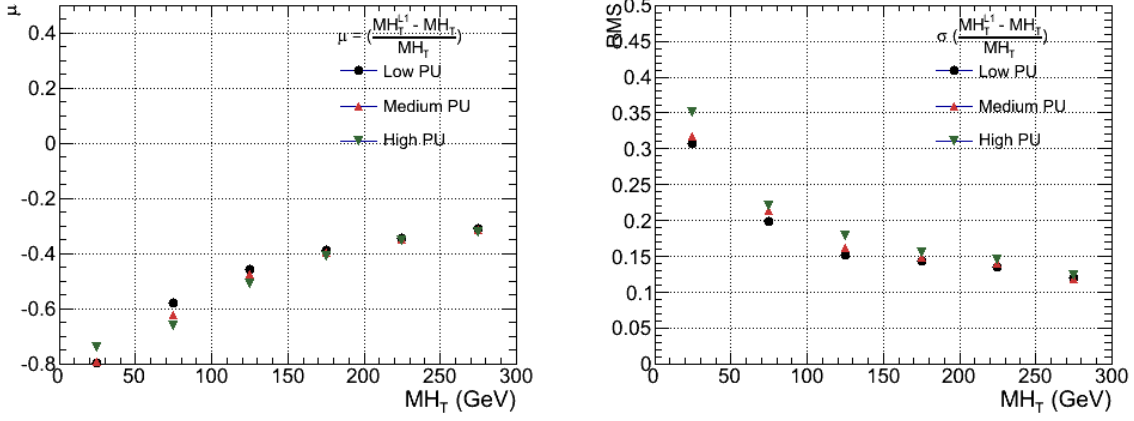




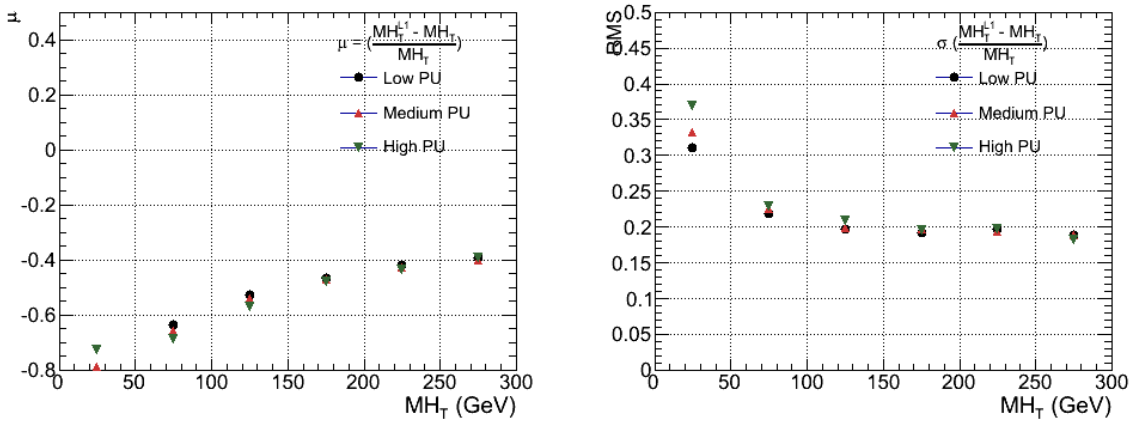
**Figure B.5.:**  $H_T$  resolution parameters in bins of Calo  $H_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.



**Figure B.6.:**  $H_T$  resolution parameters in bins of PF  $H_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.



**Figure B.7.:**  $\mathcal{H}_T$  resolution parameters in bins of  $\mathcal{H}_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.



**Figure B.8.:**  $\mathcal{H}_T$  resolution parameters in bins of PF  $\mathcal{H}_T$  measured for the defined low, medium and high pile up conditions. The plots show the mean  $\mu$  (left), resolution  $\sigma$  (RMS) of the  $\frac{\Delta q}{q}$  distributions.



# Bibliography

- [1] Particle Data Group, J. Beringer *et al.*, Phys.Rev. **D86**, 010001 (2012).
- [2] G. Hinshaw *et al.*, The Astrophysical Journal Supplement Series **208**, 19 (2013).
- [3] CMS Collaboration, S. Chatrchyan *et al.*, Eur.Phys.J. **C73**, 2568 (2013), 1303.2985.
- [4] S. Weinberg, Phys. Rev. Lett. **19**, 1264 (1967).
- [5] S. Glashow, Nucl.Phys. **22**, 579 (1961).
- [6] A. Salam, Conf.Proc. **C680519**, 367 (1968).
- [7] G. Hooft, Nuclear Physics B **35**, 167 (1971).
- [8] CMS Collaboration, S. Chatrchyan *et al.*, Phys.Lett. **B716**, 30 (2012), 1207.7235.
- [9] Gargamelle Neutrino Collaboration, F. Hasert *et al.*, Phys.Lett. **B46**, 138 (1973).
- [10] UA1 Collaboration, G. Arnison *et al.*, Phys.Lett. **B126**, 398 (1983).
- [11] UA2 Collaboration, M. Banner *et al.*, Phys.Lett. **B122**, 476 (1983).
- [12] E. Noether, Nachrichten von der Gesellschaft der Wissenschaften zu Gttingen, Mathematisch-Physikalische Klasse **1918**, 235 (1918).
- [13] F. Halzen and A. D. Martin, Quarks and leptons, Wiley, 1985.
- [14] *Introduction to Elementary Particles*, 2nd ed. (Wiley-VCH, 2008).
- [15] C. S. Wu, E. Ambler, R. W. Hayward, D. D. Hoppes, and R. P. Hudson, Physical Review **105**, 1413 (1957).
- [16] P. Higgs, Physics Letters **12**, 132 (1964).
- [17] F. Englert and R. Brout, Phys. Rev. Lett. **13**, 321 (1964).
- [18] P. W. Higgs, Phys. Rev. Lett. **13**, 508 (1964).

- [19] G. S. Guralnik, C. R. Hagen, and T. W. B. Kibble, Phys. Rev. Lett. **13**, 585 (1964).
- [20] S. Weinberg, Phys. Rev. Lett. **19**, 1264 (1967).
- [21] ALICE, K. Aamodt *et al.*, JINST **3**, S08002 (2008).
- [22] ATLAS, G. Aad *et al.*, JINST **3** (2008).
- [23] CMS, R. Adolphi *et al.*, JINST **0803**, S08004 (2008).
- [24] LHCb, A. A. Alves *et al.*, JINST **3**, S08005 (2008).
- [25] J.-L. Caron, Lhc layout.. schema general du lhc., 1997.
- [26] C. Collaboration, Cms luminosity - public results, [twiki.cern.ch/twiki/bin/view/CMSPublic/LumiPublicResults](http://twiki.cern.ch/twiki/bin/view/CMSPublic/LumiPublicResults)., 2011.
- [27] CERN, Cms compact muon solenoid., <http://public.web.cern.ch/public/Objects/LHC/CMSnc.jpg>., 2010.
- [28] *The CMS electromagnetic calorimeter project: Technical Design Report* Technical Design Report CMS (CERN, Geneva, 1997).
- [29] *The CMS muon project: Technical Design Report* Technical Design Report CMS (CERN, Geneva, 1997).
- [30] CMS Collaboration, CERN/LHCC **2006-001** (2006).
- [31] M. Cacciari, G. P. Salam, and G. Soyez, Journal of High Energy Physics **2008**, 063 (2008).
- [32] CERN Report No. CMS-PAS-JME-10-003, 2010 (unpublished).
- [33] X. Janssen, CERN Report No. CMS-CR-2011-012, 2011 (unpublished).
- [34] T. C. collaboration, Journal of Instrumentation **6**, P11002 (2011).
- [35] R. Eusebi and on behalf of the CMS collaboration), Journal of Physics: Conference Series **404**, 012014 (2012).
- [36] (2013).
- [37] T. C. collaboration, Journal of Instrumentation **8**, P04013 (2013).
- [38] CMS Collaboration, S. Dasu *et al.*, (2000).

- 830 [39] CMS Collaboration, P. Sphicas, (2002).
- 831 [40] J. B. et al., (2013).
- 832 [41] B. et al., (2013).
- 833 [42] J. J. Brooke, CERN Report No. CMS-CR-2012-322. CERN-CMS-CR-2012-322,  
834 2012 (unpublished).

## Acronyms

<b>ALICE</b>	A Large Ion Collider Experiment
<b>ATLAS</b>	A Toroidal LHC ApparatuS
<b>APD</b>	Avalanche Photo-Diodes
<b>CERN</b>	European Organization for Nuclear Research
<b>CMS</b>	Compact Muon Solenoid
<b>CSC</b>	Cathode Stripe Chamber
<b>CSV</b>	Combined Secondary Vertex
<b>CSVM</b>	Combined Secondary Vertex Medium Working Point
<b>DT</b>	Drift Tube
<b>ECAL</b>	Electromagnetic CALorimeter
<b>EB</b>	Electromagnetic CALorimeter Barrel
<b>EE</b>	Electromagnetic CALorimeter Endcap
<b>ES</b>	Electromagnetic CALorimeter pre-Shower
<b>EMG</b>	Exponentially Modified Gaussian
<b>EPJC</b>	European Physical Journal C
<b>EWK</b>	Electroweak Sector
<b>GCT</b>	Global Calorimeter Trigger
<b>GMT</b>	Global MuonTrigger
<b>GT</b>	Global Trigger
<b>HB</b>	Hadron Barrel
<b>HE</b>	Hadron Endcaps
<b>HF</b>	Hadron Forward
<b>HO</b>	Hadron Outer

---

859	<b>HCAL</b>	Hadronic CALorimeter
860	<b>HLT</b>	Higher Level Trigger
861	<b>LUT</b>	Look Up Table
862	<b>L1</b>	Level 1 Trigger
863	<b>LHC</b>	Large Hadron Collider
864	<b>LHCb</b>	Large Hadron Collider Beauty
865	<b>LSP</b>	Lightest Supersymmetric Partner
866	<b>PS</b>	Proton Synchrotron
867	<b>QED</b>	Quantum Electro-Dynamics
868	<b>QCD</b>	Quantum Chromo-Dynamics
869	<b>QFT</b>	Quantum Field Theory
870	<b>RPC</b>	Resistive Plate Chamber
871	<b>RCT</b>	Regional Calorimeter Trigger
872	<b>RMT</b>	Regional Muon Trigger
873	<b>SUSY</b>	SUperSYmmetry
874	<b>SM</b>	Standard Model
875	<b>SMS</b>	Simplified Model Spectra
876	<b>SPS</b>	Super Proton Synchrotron
877	<b>VEV</b>	Vacuum Expectation Value
878	<b>VPT</b>	Vacuum Photo-Triodes



# List of Figures

3.1.	A top down layout of the LHC. . . . .	16
3.2.	The total integrated luminosity delivered to and collected by CMS during the 2012 8 TeV $pp$ runs . . . . .	18
3.3.	A pictorial depiction of the CMS detector. . . . .	19
3.4.	Illustration of the CMS ECAL showing the arrangement of the lead tungstate crystals in the EB and EE. The ES is also shown and is located infront of the EE. . . . .	21
3.5.	Schematic of the hadron calorimeters in the r-z plane, showing the locations of the HCAL components and the HF . . . . .	22
3.6.	CSV algorithm discriminator values in enriched $t\bar{t}$ and inclusive multi jet samples . . . . .	26
3.7.	Measured in $t\bar{t} \rightarrow$ di-lepton events using the CSVM tagger: (upper panels) b-tagging efficiencies and (lower panels) data/MC scale factor $SF_b$ as a function of (left) jet $p_T$ , (middle) jet $ \eta $ and (right) number of primary vertices. In the lower panels, the grey filled areas represent the total statistical and systematic uncertainties, whereas the dotted lines are the average $SF_b$ values within statistical uncertainties. . . . .	27
3.8.	For the CSVM tagging criterion: (top) misidentification probability in data (filledcircles) and simulation (open circles); (bottom) scale factor for the misidentification probability. The last $p_T$ bin in each plot includes all jets with $p_T > 1000$ GeV. The solid curve is the result of a polynomial fit to the data points. The dashed curves represent the overall statistical and systematic uncertainties on the measurements. . . . .	28
3.9.	The CMS L1 Trigger system. . . . .	29

904	3.10. Illustration of the Level-1 jet finding algorithm. . . . .	31
905	3.11. L1 jet efficiency turn-on curves as a function of the offline CaloJet $E_T$	
906	(left) and PFJet $E_T$ (right), measured in 2012 Run Period C data and	
907	collected with an isolated single $\mu$ data sample. . . . .	33
908	3.12. L1 jet efficiency turn-on curves as a function of the offline CaloJet $E_T$ ,	
909	measured for the L1 SingleJet 36 and 92 trigger in 2012 run period B and	
910	C collected with an isolated single $\mu'$ sample. . . . .	34
911	3.13. Trigger cross section for the L1HTT150 trigger path. Showing that a	
912	5 GeV jet seed threshold dramatically reduces the dependance of cross	
913	section on the instantaneous luminosity for L1 $H_T$ triggers. . . . .	35
914	3.14. L1 $H_T$ efficiency turn-on curves as a function of the offline CaloJet $H_T$ ,	
915	measured for the L1 $H_T$ 100 and 150 trigger during the run 2012 B and C	
916	collected using an isolated single $\mu$ triggered sample. . . . .	35
917	3.15. L1 jet efficiency turn-on curves as a function of the leading offline $E_T$ Calo	
918	(left) and PF (right) jet, for low, medium and high pile-up conditions. . .	36
919	3.16. Fit values from an EMG function fitted to the resolution plots of leading	
920	Calo jet $E_T$ measured as a function of $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$ for low and medium	
921	pile-up conditions. The plots show the mean $\mu$ (left), resolution $\sigma$ (middle)	
922	of the Gaussian as well as the decay term $\lambda$ (right) of the exponential. . .	38
923	3.17. Fit values from an EMG function fitted to the resolution plots of leading	
924	PF jet $E_T$ measured as a function of $\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$ for low, medium	
925	and high pile-up conditions. The plots show the mean $\mu$ (left), resolution	
926	$\sigma$ (middle) of the Gaussian as well as the decay term $\lambda$ (right) of the	
927	exponential . . . . .	38
928	B.0. Resolution plots of the leading offline Calo $E_T$ measured as a function of	
929	$\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$ for low (a), medium (b) and high (c) pile-up conditions. .	45
930	B.0. Resolution plots of the leading off-line PF $E_T$ measured as a function of	
931	$\frac{(L1 E_T - \text{Offline } E_T)}{\text{Offline } E_T}$ for low (a), medium (b) and high (c) pile-up conditions. .	47
932	B.1. $\sum E_T$ resolution parameters in bins of Calo $\sum E_T$ measured for the defined	
933	low, medium and high pile up conditions. The plots show the mean $\mu$	
934	(left), resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	48

935	B.2. $\sum E_T$ resolution parameters in bins of PF $\sum E_T$ measured for the defined	
936	low, medium and high pile up conditions. The plots show the mean $\mu$	
937	(left), resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	48
938	B.3. $\cancel{E}_T$ resolution parameters in bins of Calo $\cancel{E}_T$ measured for the defined	
939	low, medium and high pile up conditions. The plots show the mean $\mu$	
940	(left), resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	49
941	B.4. $\cancel{E}_T$ resolution parameters in bins of PF $\cancel{E}_T$ measured for the defined low,	
942	medium and high pile up conditions. The plots show the mean $\mu$ (left),	
943	resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	49
944	B.5. $H_T$ resolution parameters in bins of Calo $H_T$ measured for the defined low,	
945	medium and high pile up conditions. The plots show the mean $\mu$ (left),	
946	resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	50
947	B.6. $H_T$ resolution parameters in bins of PF $H_T$ measured for the defined low,	
948	medium and high pile up conditions. The plots show the mean $\mu$ (left),	
949	resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	50
950	B.7. $\cancel{H}_T$ resolution parameters in bins of $\cancel{H}_T$ measured for the defined low,	
951	medium and high pile up conditions. The plots show the mean $\mu$ (left),	
952	resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	51
953	B.8. $\cancel{H}_T$ resolution parameters in bins of PF $\cancel{H}_T$ measured for the defined low,	
954	medium and high pile up conditions. The plots show the mean $\mu$ (left),	
955	resolution $\sigma$ (RMS) of the $\frac{\Delta q}{q}$ distributions. . . . .	51

# List of Tables

2.1.	The fundamental particles of the SM, with spin, charge and mass displayed.	6
3.1.	Results of a cumulative EMG function fit to the turn-on curves for L1 single jet triggers in 2012 Run Period C, measured in an isolated $\mu$ data sample. The turn-on point, $\mu$ , and resolution, $\sigma$ , of the L1 jet triggers are measured with respect to offline Calo Jets (left) and PF Jets (right).	32
3.2.	Results of a cumulative EMG function fit to the turn-on curves for L1 single jet triggers in the 2012 run period B and C, preselected on an isolated muon trigger. The turn-on point $\mu$ and resolution $\sigma$ of the L1 jet triggers are measured with respect to offline Calo Jets in run B (left) and run C (right).	34
3.3.	Results of a cumulative EMG function fit to the turn-on curves for $H_T$ in run 2012 B and C, preselected on an isolated single $\mu$ trigger. The turn-on point $\mu$ , resolution $\sigma$ of the L1 $H_T$ triggers are measured with respect to offline $H_T$ formed from CaloJets with a $E_T \geq 40$ in run period B (left) and C (right).	36
3.4.	Results of a cumulative EMG function fit to the efficiency turn-on curves for L1 single jet triggers in the 2012 run period C, measured from isolated $\mu$ triggered data. The turn-on point, $\mu$ , and resolution, $\sigma$ , of the L1 jet triggers are measured with respect to offline Calo jets in low (left), medium (middle) and high (right) pile-up conditions.	37
3.5.	Results of a cumulative EMG function fit to the efficiency turn-on curves for Level-1 single jet triggers in the 2012 run period C, measured from isolated $\mu$ triggered data. The turn-on point, $\mu$ , and resolution, $\sigma$ , of the L1 jet triggers are measured with respect to offline PF jets in low (left), medium (middle) and high (right) pile-up conditions.	37