



XIAUG Pufun (Frank). 230/65/LP. SMA1139. A2. (P2). 5. let.  $f(x) = e^{x} - \frac{1}{2} - \cos(2x) + 2\sin x$  $f(0) = 1 - \frac{1}{2} - 1 + 0 = -\frac{1}{2} < 0$  $f(\frac{\pi}{4}) = e^{\frac{\pi}{4}} - \frac{1}{2} - 0 + \sqrt{2} \cdot > 0.$ · fix)= extsin2x+2cosx. · · Hoxxx T, flxxx - fax) is increasing at  $(0, \frac{\pi}{4})$ . - Junique x, fex)=0. > 6. Differentate on both side ! -sin(x+2y): (2x+2y1)+. 5ex+ 5x.ex.y1  $= \frac{1}{l+y^2} \cdot y^1 + by^1$ x=0, y=0: 5=7yy= = == 0.

fex= -6x2-6x+12. = -b(x+x-2) =-b(4-1)(x+2).sinxd · [-4,-2], \$2000, decreasing. [-2, 1], floro, increasing [1,2], fixxo, decreasing. f(-4)=+128-48-48-7=27 DC f(2)= -11 . : global max: f(-4)=25 global min. f(-2) = -27 I local max: fc1)=0 ) ocal min : f (-2) = -2]

(a) = 2  $\int x dx - 4 \int x dx + 7 \int x^{-2} dx + 3 \int sin dx$   $= \int u^{\frac{2}{3}} du - 8 \int u^{-\frac{1}{3}} du$ .  $= 2 \cdot \frac{x^{2}}{2} - 4 \cdot \ln|x| + 7 \cdot \frac{x^{4}}{-1} + 3(-\cos x) = \frac{u^{\frac{5}{3}}}{\frac{2}{3}} - \frac{8u^{\frac{2}{3}}}{\frac{2}{3}}$  $= 5 \int e^{x} dx - 8 \int \frac{1}{|x^{2}+|^{2}} dx + 9 \int \cos x \, dx$ =  $5e^{x} - 8\ln|x + \sqrt{x^{2} + 1}| + 9\sin x + C$ (c) let u= x2+3  $\frac{du}{dx} = 2x \Leftrightarrow dx. x = \frac{du}{2}$  $=\frac{4}{2}\int u^5 du$ = 2. 16  $=\frac{(x^2+3)^b}{3}$ . + C (d) let u= 5x2.  $\frac{du}{dx} = 10x \Leftrightarrow x \cdot dx = \frac{du}{10}$ = Is eudu  $=\frac{e^{2}}{10}$ = 6x2. + C (e).let u= x+8 du=dx, x= u-8

 $= \int \frac{u-8}{u^{\frac{3}{5}}} du$ 

 $= \frac{1}{6} tan^{4} \frac{3x}{2} + C.$ 

XIANG Yufan (Frank), 23096511D. AMA 1131. (2). let u= 4x. dx= 柴. = 4 Sinzu. sinu du. =  $\frac{1}{2}\int \sin^2 u \cos u \, du$ . let t = sin=u = sin+x dt du = cosue cosudu= dt  $=\frac{1}{2}\int t^2 dt$  $=\frac{(\sin 4x)^3}{6}+C.$ (j') let u=Jx  $\frac{du}{dx} = \frac{1}{2\sqrt{x}} \Leftrightarrow \sqrt{x} \cdot dx = 2du$  $= 2 \int \frac{1}{4 - u^2} \, du$   $= -2 \int \frac{1}{u^2 - 2^2} \, du$ = .2. 4/n (42) +C= -5 10 (1/2) +C. (k). =  $\int e^{\frac{1-\cos 2x}{2}} \cdot \sin(2x) dx$ let  $u = \frac{1-\cos 2x}{2}$  $\frac{du}{dx} = -\frac{1}{2} \cdot (\sin 2x) \cdot 2 \iff du = dx \cdot \sin 2x$ = Sinzx = Seu. du = e 2 = e 1-cos2x + C.

A2 (P3), + - 1/5 + = 600 15 -(L) let bd= sinx logA= scossedx = sci-us> du. +1+3= 150

du

= swdu-2 sw2du+ sidu

= sw2du-2 sw2du+ sidu

= sw2du-2 sw2du+ sidu

= sw2du-2 sw2du+ sidu

= sw2du-2 sw2du+ s Jr cossrdx = Jx dA 1 - 2011 + Sinx &  $= \frac{x \cdot A - \int A \, dx = \frac{x \sin^2 x}{5} - \frac{2x \sin^3 x}{3} + x \sin x}{4x \cdot dx \cdot dx \cdot dx \cdot dx} + x \sin x$   $(m) = 2 \int \sin^2 x \, dx$  $(m) = 8 \int \sin^2 x \, dx$  $= 4 \int [-\cos 4x] dx$   $= \frac{x \sin^2 x}{5} - \frac{2x \sin^2 x}{3} + x \sin x$   $+ \frac{\cos^2 x}{25} + \frac{4 \cos^2 x}{16} + \frac{8 \cos^2 x}{15} = \frac{4 \cos^2 x}{15} + \frac{4 \cos^2 x}{15} + \frac{8 \cos^2 x}{15} = \frac{1}{15} =$ = 4x - Scosudu. = 4x - Sinu. Sixxdx | Sinxx ex | = 4x - sin4x,+C = f(1-4)du  $= \frac{B(X-1)^2 + (X+1)(X-1)C + D(X+3)}{(X+3)(X-1)^2},$  $3x^2-8x+B=X^2(B+C)+x(-2B+2C+D)$ +B-3C+3D.  $\int A = \int \frac{4}{x_{13}} d(x_{1})^{\frac{1}{2}} \int \frac{-1}{x_{-1}} d(x_{-1})^{\frac{1}{2}} \int \frac{2}{(x_{-1})^{\frac{1}{2}}} d(x_{-1})$  $=4\ln(x+3)-\ln(x-1)-\frac{2}{(x-1)}+C$ (p)  $\int \frac{1}{x(x^2+1)} dx = \int \frac{A}{x} + \frac{Bx+C}{x^2+1} dx = \int \frac{A(x^2+1)+(Bx+C)}{x(x^2+1)} \times dx$  $\begin{array}{c}
(R+1) \\
\stackrel{\times}{\times} (A+B) + CX + A = 2 \\
\downarrow A+B = 0 \\
\downarrow A=2 \\
A=2
\end{array}$   $\begin{array}{c}
A^{2} \times dx - \int \frac{2x}{x_{H}} dx \\
\downarrow A=2 \\
\downarrow C=0
\end{array}$   $\begin{array}{c}
A=2 \\
C=0
\end{array}$   $\begin{array}{c}
A=2 \\
C=0
\end{array}$   $\begin{array}{c}
-2x \\
-2x \\
-2x \\
-2x \\
-2x \\
-3x \\$ =2|n|x| - |n|x2+1/2