Default

```
// Skyqwq
#include <bits/stdc++.h>
#define pb push_back
#define fi first
#define se second
#define mp make_pair
using namespace std;
typedef pair<int, int> PII;
typedef long long LL;
template <typename T> bool chkMax(T &x, T y) { return (y > x) ? x = y, 1 : 0; }
template <typename T> bool chkMin(T &x, T y) { return (y < x) ? x = y, 1 : 0; }
template <typename T> void inline read(T &x) {
    int f = 1; x = 0; char s = getchar();
    while (s < '0' \mid | s > '9') \{ if (s == '-') f = -1; s = getchar(); \}
   while (s \le '9' \&\& s \ge '0') x = x * 10 + (s \land 48), s = getchar();
    x *= f;
}
int main() {
    return 0;
}
```

图论

```
// 欧拉回路
void dfs(int u) {
    for (int &i = head[u]; i; ) {
        int v = e[i].v;
        if(vis[i]) {
            i = e[i].next;
            continue;
        }
        vis[i] = true;
        if(t == 1) vis[i \land 1] = true;
        i = e[i].next;
        dfs(v);
   }
}
// 最大流
namespace MF{
    int n, m, s, t, pre[N], cur[N], q[N];
```

```
LL res, maxflow, d[N];
int head[N], numE = 1;
struct E{
   int next, v, w;
e[M << 1];
void inline add(int u, int v, int w) {
    e[++numE] = (E) \{ head[u], v, w \};
    head[u] = numE;
void inline init(int v, int a, int b) {
    for (int i = 1; i \le n; i++) head[i] = 0;
    numE = 1;
    n = v, s = a, t = b;
}
bool inline bfs() {
    int hh = 0, tt = -1;
    for (int i = 1; i \le n; i++) d[i] = 0;
    q[++tt] = s, d[s] = 1, cur[s] = head[s];
    while (hh <= tt) {</pre>
        int u = q[hh++];
        for (int i = head[u]; i; i = e[i].next) {
            int v = e[i].v;
            if (!d[v] && e[i].w) {
                cur[v] = head[v];
                q[++tt] = v, d[v] = d[u] + 1;
                if (v == t) return 1;
            }
        }
    }
    return 0;
LL dinic(int u, LL flow) {
    if (u == t) return flow;
    LL rest = flow;
    for (int i = cur[u]; i && rest; i = e[i].next) {
        cur[u] = i;
        int v = e[i].v;
        if (e[i].w&& d[v] == d[u] + 1) {
            int k = dinic(v, min((LL)e[i].w, rest));
            if (!k) d[v] = 0;
            rest -= k, e[i].w -= k, e[i \land 1].w += k;
        }
    }
    return flow - rest;
void inline addE(int u, int v, int w) {
    add(u, v, w), add(v, u, 0);
}
LL inline work() {
    maxflow = 0;
    while (bfs())
        while (res = dinic(s, INF)) maxflow += res;
    return maxflow;
}
```

```
// Find min-cut
   bool vis[N];
   void dfs(int u) {
       //cerr << u << " dfs\n";
       vis[u] = 1;
       for (int i = head[u]; i; i = e[i].next) {
           int v = e[i].v;
           if (!vis[v] && e[i].w) dfs(v);
       }
   }
   void minCut() {
       for (int i = 1; i \le n; i++) vis[i] = 0;
       dfs(s);
   }
}
// Prufer
void inline fToP() {
   for (int i = 1; i < n; i++) d[f[i]]++;
   for (int i = 1, j = 1; i \le n - 2; j++) {
       while (d[j]) j++;
       p[i++] = f[j];
       1]];
   }
}
void inline pToF() {
   for (int i = 1; i \le n - 2; i++) d[p[i]]++;
   p[n - 1] = n;
   for (int i = 1, j = 1; i < n; i++, j++) {
       while (d[j]) j++;
       f[j] = p[i];
       while (i < n - 1 & -d[p[i]] == 0 & p[i] < j) f[p[i]] = p[i + 1], ++i;
   }
}
// Start : 最小树形图
int rt = 1, col, in[N];
int vis[N], id[N], pre[N];
struct E{
   int u, v, w;
} e[M];
int inline edmonds() {
   int ans = 0;
   while (true) {
       for (int i = 1; i \le n; i++) in[i] = INF;
       memset(vis, 0, sizeof vis);
       memset(id, 0, sizeof id);
       for (int i = 1; i <= m; i++)
           if (e[i].w < in[e[i].v]) in[e[i].v] = e[i].w, pre[e[i].v] = e[i].u;</pre>
       for (int i = 1; i <= n; i++)
           if (in[i] == INF && i != rt) return -1;
       col = 0;
       for (int i = 1; i \le n; i++) {
```

```
if (i == rt) continue;
            ans += in[i];
            int v = i;
            while (!vis[v] && !id[v] && v != rt)
                vis[v] = i, v = pre[v];
            if (v != rt && vis[v] == i) {
                id[v] = ++col;
               for (int x = pre[v]; x != v; x = pre[x]) id[x] = col;
           }
        }
        if (!col) break;
        for (int i = 1; i \le n; i++) if (!id[i]) id[i] = ++col;
        int tot = 0;
        for (int i = 1; i \le m; i++) {
            int a = id[e[i].u], b = id[e[i].v];
           if (a == b) continue;
            e[++tot] = (E) { a, b, e[i].w - in[e[i].v] };
        }
        m = tot, n = col, rt = id[rt];
   }
    return ans;
}
// Start : 长链剖分 + O(1) k 级祖先
int d[N], dep[N];
int g[N], son[N], fa[N][L], top[N];
LL res;
vector<int> U[N], D[N];
void dfs1(int u) {
    dep[u] = d[u] = d[fa[u][0]] + 1;
    for (int i = 1; fa[u][i - 1]; i++) fa[u][i] = fa[fa[u][i - 1]][i - 1];
    for (int i = head[u]; i; i = e[i].next) {
        int v = e[i].v;
        dfs1(v);
        if (dep[v] > dep[u]) dep[u] = dep[v], son[u] = v;
   }
}
void dfs2(int u, int tp) {
    top[u] = tp;
   if (u == tp) {
        for (int x = u, i = 0; i <= dep[u] - d[u]; i++)
           U[u].push\_back(x), x = fa[x][0];
        for (int x = u, i = 0; i <= dep[u] - d[u]; i++)
           D[u].push\_back(x), x = son[x];
    }
   if (son[u]) dfs2(son[u], tp);
    for (int i = head[u]; i; i = e[i].next) {
        int v = e[i].v;
        if (v != son[u]) dfs2(v, v);
   }
}
int inline query(int x, int k) {
   if (!k) return x;
```

```
x = fa[x][g[k]], k = (1 \ll g[k]) + d[x] - d[top[x]], x = top[x];
    return k < 0 ? D[x][-k] : U[x][k];
}
// --End
// 最小费用最大流 EK
const int N = ?, M = ?;
const int INF = 0x3f3f3f3f;
int n, m, s, t, maxflow, cost, d[N], incf[N], pre[N];
int q[N];
int head[N], numE = 1;
bool vis[N];
struct E{
    int next, v, w, c;
} e[M];
void inline add(int u, int v, int w, int c) {
    e[++numE] = (E) { head[u], v, w, c };
    head[u] = numE;
}
// Spfa ||
bool spfa() {
    memset(vis, false, sizeof vis);
    memset(d, 0x3f, sizeof d);
    int hh = 0, tt = 1;
    q[0] = s; d[s] = 0; incf[s] = 2e9;
    while (hh != tt) {
        int u = q[hh++]; vis[u] = false;
        if (hh == N) hh = 0;
        for (int i = head[u]; i; i = e[i].next) {
            int v = e[i].v;
            if (e[i].w & d[u] + e[i].c < d[v]) {
                d[v] = d[u] + e[i].c;
                pre[v] = i;
                incf[v] = min(incf[u], e[i].w);
                if (!vis[v]) {
                    q[tt++] = v;
                    vis[v] = true;
                    if (tt == N) tt = 0;
                }
            }
        }
    return d[t] != INF;
}
void update() {
   int x = t;
    while (x != s) {
        int i = pre[x];
        e[i].w = incf[t], e[i \land 1].w += incf[t];
        x = e[i \land 1].v;
```

```
maxflow += incf[t];
    cost += d[t] * incf[t];
}
// --End
namespace KM{
    int n, va[N], vb[N], match[N], last[N];
    LL a[N], b[N], upd[N], w[N][N];
    bool dfs(int u, int fa) {
        va[u] = 1;
        for (int v = 1; v \le n; v++) {
            if (vb[v]) continue;
            if (a[u] + b[v] == w[u][v]) {
                vb[v] = 1, last[v] = fa;
                if (!match[v] || dfs(match[v], v)) {
                    match[v] = u; return true;
            } else if (a[u] + b[v] - w[u][v] < upd[v])
                upd[v] = a[u] + b[v] - w[u][v], last[v] = fa;
        }
        return false;
    void inline calc(int len, LL d[N][N]) {
        n = len;
        for (int i = 1; i \le n; i++)
            for (int j = 1; j \ll n; j++) w[i][j] = d[i][j];
        for (int i = 1; i \le n; i++) {
            a[i] = -1e18, b[i] = 0;
            for (int j = 1; j <= n; j++)
                a[i] = max(a[i], w[i][j]);
        }
        for (int i = 1; i <= n; i++) {
            memset(va, 0, sizeof va);
            memset(vb, 0, sizeof vb);
            memset(upd, 0x3f, sizeof upd);
            int st = 0; match[0] = i;
            while (match[st]) {
                LL delta = 1e18;
                if (dfs(match[st], st)) break;
                for (int j = 1; j <= n; j++) {
                    if (!vb[j] && upd[j] < delta)</pre>
                        delta = upd[j], st = j;
                }
                for (int j = 1; j <= n; j++) {
                    if (va[j]) a[j] -= delta;
                    if (vb[j]) b[j] += delta;
                    else upd[j] -= delta;
                }
                vb[st] = true;
            }
            while (st) {
                match[st] = match[last[st]];
                st = last[st];
```

```
}
}
// 有负圈 / 上下界
struct MCMF2{
    const int N = 205, M = 10005;
    const int INF = 0x3f3f3f3f;
    int n, m, s, t, maxflow, cost, d[N], incf[N], pre[N];
    int q[N], in, S, T;
    int head[N], a[N], numE = 1, a0, a1;
    bool vis[N];
    struct E{
        int next, v, w, c;
    e[M << 2];
    void inline add(int u, int v, int w, int c) {
        e[++numE] = (E) \{ head[u], v, w, c \};
        head[u] = numE;
    void inline addE(int u, int v, int w, int c) {
        add(u, v, w, c), add(v, u, 0, -c);
    }
    bool spfa() {
        memset(vis, false, sizeof vis);
        memset(d, 0x3f, sizeof d);
        int hh = 0, tt = 1;
        q[0] = S; d[S] = 0; incf[S] = 2e9;
        while (hh != tt) {
            int u = q[hh++]; vis[u] = false;
            if (hh == N) hh = 0;
            for (int i = head[u]; i; i = e[i].next) {
                int v = e[i].v;
                if (e[i].w \&\& d[u] + e[i].c < d[v]) {
                    d[v] = d[u] + e[i].c;
                    pre[v] = i;
                    incf[v] = min(incf[u], e[i].w);
                    if (!vis[v]) {
                        q[tt++] = v;
                        vis[v] = true;
                        if (tt == N) tt = 0;
                    }
                }
            }
        return d[T] != INF;
    }
    void update() {
        int x = T;
        while (x != S) {
            int i = pre[x];
            e[i].w = incf[T], e[i \land 1].w += incf[T];
            x = e[i \land 1].v;
        }
        maxflow += incf[T];
```

```
cost += d[T] * incf[T];
    }
    void inline addEdge(int u, int v, int l, int d, int c) {
        a[v] += 1, a[u] -= 1;
        addE(u, v, d - 1, c);
    }
    void inline work() {
        while (spfa()) update();
    }
    void inline ADD(int u, int v, int w, int c) {
        if (c \ge 0) addEdge(u, v, 0, w, c);
        else a[v] \leftarrow w, a[u] \rightarrow w, addEdge(v, u, 0, w, -c), a1 += c * w;
    }
    void inline solve() {
        for (int i = 1; i \le n; i++) {
            if (!a[i]) continue;
            if (a[i] > 0) addEdge(S, i, 0, a[i], 0);
            else addEdge(i, T, 0, -a[i], 0);
        }
        addEdge(T, S, 0, INF, 0);
        work();
        S = S, T = t;
        a1 += cost;
        maxflow = cost = 0;
        e[numE].w = e[numE - 1].w = 0;
        work();
        a0 += maxflow, a1 += cost;
    }
}
// 虚树
void insert(int x) {
    if (!top) { s[++top] = x; return; }
    int p = lca(x, s[top]);
    while (top > 1 \&\& dep[s[top - 1]] >= dep[p]) e[s[top - 1]].pb(s[top]), top--;
    if (s[top] != p) {
        e[p].pb(s[top]);
        s[top] = p;
    }
    s[++top] = x;
}
bool inline cmp(int x, int y) {
    return dfn[x] < dfn[y];</pre>
int inline build(vector<int> &A) {
    top = 0;
    sort(A.begin(), A.end(), cmp);
    for (int x: A) {
        insert(x);
```

```
}
for (int i = 1; i < top; i++)
    e[s[i]].pb(s[i + 1]);
return s[1];
}
</pre>
```

Poly

```
// 1e18 多项式乘法》。。。别用fft (mtt也不会写
#define I __int128_t
typedef vector<I> Poly;
const I P = 194555503902405427311, G = 5;
// p=1945555039024054273=27 \times 2^{56}+1,g=5
I A[N], rev[N];
I \lim = 1, len = 0;
LL W[19][N];
I inline power(I a, I b, I Mod = P) {
    I res = 1;
    while (b) {
        if (b & 1) res = res * a % Mod;
        a = a * a % Mod;
        b >>= 1;
    return res;
}
void inline NTT(I c[], int lim, int o) {
    for (int i = 0; i < lim; i++)
        if (i < rev[i]) swap(c[i], c[rev[i]]);</pre>
    for (int k = 1, t = 0; k < \lim; k <<= 1, t++) {
        for (int i = 0; i < \lim; i += (k << 1)) {
            for (int j = 0; j < k; j++) {
                I u = c[i + j], v = (I)c[i + k + j] * w[t][j] % P;
                c[i + j] = u + v >= P ? u + v - P : u + v;
                c[i + j + k] = u - v < 0 ? u - v + P : u - v;
            }
        }
    }
    if (0 == -1) {
        reverse(c + 1, c + lim);
        I inv = power(lim, P - 2, P);
        for (int i = 0; i < 1im; i++)
            c[i] = c[i] * inv % P;
    }
void inline setN(int n) {
    lim = 1, len = 0;
```

```
while (\lim < n) \lim <<= 1, len++;
    for (int i = 0; i < \lim; i++)
        rev[i] = (rev[i >> 1] >> 1) | ((i & 1) << (len - 1));
}
Poly inline NTT(Poly a, int o) {
    int n = a.size();
    for (int i = 0; i < n; i++) A[i] = a[i];
    NTT(A, lim, o);
    a.clear();
    for (int i = 0; i < \lim; i++) a.push_back(A[i]), A[i] = 0;
    return a;
}
Poly inline mul (Poly a, Poly b, int newn = -1) {
    if (newn == -1) newn = a.size() + b.size() - 1;
    setN(a.size() + b.size() - 1);
    Poly c = NTT(a, 1), d = NTT(b, 1);
    for (int i = 0; i < \lim; i++) c[i] = (I)c[i] * d[i] % P;
    d = NTT(c, -1); d.resize(newn);
    return d;
}
// 用到的最大的 n
void inline init(int n) {
    setN(n);
    for (int k = 1, t = 0; k < \lim; k <<= 1, t++) {
        I wn = power(G, (P - 1) / (k << 1));
        W[t][0] = 1;
        for (int j = 1; j < k; j++) W[t][j] = (I)W[t][j - 1] * wn % P;
    }
}
// --
typedef vector<int> Poly;
#define pb push_back
const int N = 8e5 + 5, P = 998244353, G = 3;
int A[N], rev[N], mod, inv[N], fact[N], infact[N];
int \lim = 1, \lim = 0, W[20][N];
int inline power(int a, int b, int Mod = P) {
    int res = 1;
    while (b) {
        if (b & 1) res = (LL)res * a % Mod;
        a = (LL)a * a % Mod;
        b >>= 1;
    }
    return res;
}
int Gi = power(G, P - 2, P), inv2 = power(2, P - 2, P);
void inline NTT(int c[], int lim, int o) {
```

```
for (int i = 0; i < \lim; i++)
        if (i < rev[i]) swap(c[i], c[rev[i]]);
    for (int k = 1, t = 0; k < \lim; k <<= 1, t++) {
        for (int i = 0; i < \lim; i += (k << 1)) {
            for (int j = 0; j < k; j++) {
                int u = c[i + j], v = (LL)c[i + k + j] * W[t][j] % P;
                c[i + j] = u + v >= P ? u + v - P : u + v;
                c[i + j + k] = u - v < 0 ? u - v + P : u - v;
            }
        }
    if (0 == -1) {
        reverse(c + 1, c + lim);
        int inv = power(lim, P - 2, P);
        for (int i = 0; i < lim; i++)
            c[i] = (LL)c[i] * inv % P;
    }
}
void inline setN(int n) {
    lim = 1, len = 0;
    while (\lim < n) \lim <<= 1, len++;
    for (int i = 0; i < \lim; i++)
        rev[i] = (rev[i >> 1] >> 1) | ((i & 1) << (len - 1));
}
Poly inline NTT(Poly a, int o) {
    int n = a.size();
    for (int i = 0; i < n; i++) A[i] = a[i];
    NTT(A, lim, o);
    a.clear();
    for (int i = 0; i < \lim; i++) a.push_back(A[i]), A[i] = 0;
    return a;
}
Poly inline mul (Poly a, Poly b, int newn = -1) {
    if (newn == -1) newn = a.size() + b.size() - 1;
    setN(a.size() + b.size() - 1);
    Poly c = NTT(a, 1), d = NTT(b, 1);
    for (int i = 0; i < \lim; i++) c[i] = (LL)c[i] * d[i] % P;
    d = NTT(c, -1); d.resize(newn);
    return d;
}
// 用到的最大的 n
void inline init(int n) {
    setN(2 * n);
    for (int k = 1, t = 0; k < \lim; k <<= 1, t++) {
        int wn = power(G, (P - 1) / (k << 1));
        W[t][0] = 1;
        for (int j = 1; j < k; j++) W[t][j] = (LL)W[t][j - 1] * wn % P;
    }
}
// f[0 ... n] 线性递推第 b 项
// g[1 ~ k] 为递推多项式
```

```
int inline LRS(int b, Poly f, Poly g) {
    int k = g.size() - 1;
    g[0] = 1;
    for (int i = 1; i \le k; i++) g[i] = (P - g[i]) % P;
    Poly h = mul(f, g, k);
    while (b) {
        Poly g2 = g;
        for (int i = 0; i < g2.size(); i += 2)
            g2[i] = (P - g2[i]) \% P;
        Poly t = mul(g2, g); g.clear();
        for (int i = 0; i < t.size(); i += 2)
            g.pb(t[i]);
        t = mul(g2, h); h.clear();
        for (int i = (b & 1); i < t.size(); i += 2)
            h.pb(t[i]);
        b >>= 1;
    return (LL)h[0] * power(g[0], P - 2) % P;
}
```

字符串

```
struct ACAutomation{
    int tr[SZ][26], nxt[SZ], idx, q[SZ];
    void inline insert(char s[]) {
        int p = 0;
        for (int j = 0; s[j]; j++) {
            int ch = s[j] - 'a';
            if(!tr[p][ch]) tr[p][ch] = ++idx;
            p = tr[p][ch];
        }
    }
    void build() {
        int hh = 0, tt = -1;
        for (int i = 0; i < 26; i++)
            if (tr[0][i]) q[++tt] = tr[0][i];
        while (hh <= tt) {</pre>
            int u = q[hh++];
            for (int i = 0; i < 26; i++) {
                int v = tr[u][i];
                if (!v) tr[u][i] = tr[nxt[u]][i];
                else nxt[v] = tr[nxt[u]][i], q[++tt] = v;
        }
   }
}
void manacher() {
    int r = 0, mid = 0;
    for (int i = 1; i <= n; i++) {
        p[i] = i \le r ? min(r - i + 1, p[2 * mid - i]) : 1;
        while (g[i - p[i]] == g[i + p[i]]) ++p[i];
```

```
if (i + p[i] - 1 > r) mid = i, r = i + p[i] - 1;
        ans = max(ans, p[i] - 1);
    }
}
struct SA{
    int rk[SZ], sa[SZ], cnt[SZ], oldrk[SZ], id[SZ], n, m, p, height[SZ];
    bool inline cmp(int i, int j, int k) {
        return oldrk[i] == oldrk[j] && oldrk[i + k] == oldrk[j + k];
    }
    void inline build(char s[]) {
        n = strlen(s + 1), m = 221;
        for (int i = 1; i \le n; i++) cnt[rk[i] = s[i]]++;
        for (int i = 1; i \le m; i++) cnt[i] += cnt[i - 1];
        for (int i = n; i; i--) sa[cnt[rk[i]]--] = i;
        for (int w = 1; w < n; w <<= 1, m = p) {
            p = 0;
            for (int i = n; i > n - w; i--) id[++p] = i;
            for (int i = 1; i \le n; i++)
                if (sa[i] > w) id[++p] = sa[i] - w;
            for (int i = 1; i <= m; i++) cnt[i] = 0;
            for (int i = 1; i <= n; i++) cnt[rk[i]]++, oldrk[i] = rk[i];
            for (int i = 1; i <= m; i++) cnt[i] += cnt[i - 1];
            for (int i = n; i; i--) sa[cnt[rk[id[i]]]--] = id[i];
            p = 0;
            for (int i = 1; i \le n; i++) {
                rk[sa[i]] = cmp(sa[i], sa[i - 1], w) ? p : ++p;
            if (p == n) break;
        }
        for (int i = 1; i <= n; i++) {
            int j = sa[rk[i] - 1], k = max(0, height[rk[i - 1]] - 1);
            while (s[i + k] == s[j + k]) k++;
            height[rk[i]] = k;
        }
    }
};
// 切记复制一倍到后面, 最小表示法, 返回开始下标
int inline minExp(int a[], int n) {
    int i = 1, j = 2;
    while (i <= n \&\& j <= n) {
        for (k = 0; k < n \& a[i + k] == a[j + k]; k++);
        if (k == n) break;
        if (a[i + k] < a[j + k]) j += k + 1;
        else i += k + 1;
        if (i == j) i++;
    }
    return min(i, j);
// Z 函数
z[1] = n;
for (int i = 2, r = 0, j = 0; i \ll n; i++) {
    if (i \le r) z[i] = min(r - i + 1, z[i - j + 1]);
```

```
while (i + z[i] \le n \& a[i + z[i]] == a[1 + z[i]]) z[i] ++;
    if (i + z[i] - 1 > r) r = i + z[i] - 1, j = i;
for (int i = 1, r = 0, j = 0; i \leftarrow m; i++) {
    if (i \le r) p[i] = min(r - i + 1, z[i - j + 1]);
    while (i + p[i] \le m \&\& b[i + p[i]] == a[1 + p[i]]) p[i]++;
    if (i + p[i] - 1 > r) r = i + p[i] - 1, j = i;
}
struct SAM{
    int idx, last;
    struct SAM_{
        int nxt[26], len, link;
    } t[N];
    void inline init() {
        last = idx = 1;
    }
    void inline extend(int c) {
        int x = ++idx, p = last; sz[x] = 1;
        t[x].len = t[last].len + 1;
        while (p && !t[p].nxt[c])
            t[p].nxt[c] = x, p = t[p].link;
        if (!p) t[x].link = 1;
        else {
            int q = t[p].nxt[c];
            if (t[p].len + 1 == t[q].len) t[x].link = q;
            else {
                int y = ++idx;
                t[y] = t[q], t[y].len = t[p].len + 1;
                while (p \&\& t[p].nxt[c] == q)
                    t[p].nxt[c] = y, p = t[p].link;
                t[q].link = t[x].link = y;
            }
        }
        last = x;
    }
} t;
struct GSAM{
    int idx, last;
    struct SAM{
        int ch[26], len, link;
    } t[N];
    void inline init() {
        last = idx = 1;
    void inline insert(int c) {
        int p = last;
        if (t[p].ch[c]) {
            int q = t[p].ch[c];
            if (t[q].len == t[p].len + 1) last = q;
                int y = ++idx; t[y] = t[q];
                t[y].len = t[p].len + 1;
```

```
while (p \&\& t[p].ch[c] == q)
                    t[p].ch[c] = y, p = t[p].link;
                t[q].link = y;
                last = y;
            }
            return;
        int x = ++idx; t[x].len = t[p].len + 1;
        while (p \&\& !t[p].ch[c]) t[p].ch[c] = x, p = t[p].link;
        int q, y;
        if (!p) t[x].link = 1;
        else {
            q = t[p].ch[c];
            if (t[q].len == t[p].len + 1) t[x].link = q;
            else {
                int y = ++idx; t[y] = t[q];
                t[y].len = t[p].len + 1;
                while (p \&\& t[p].ch[c] == q)
                    t[p].ch[c] = y, p = t[p].link;
                t[q].link = t[x].link = y;
                last = y;
            }
        }
        last = x;
    }
} t;
// 回文自动机
struct PAM{
    int n, ch[SZ][26], fail[SZ], len[SZ], sz[SZ], idx = -1, lastans, last;
    char s[SZ];
    int inline newNode(int x) { len[++idx] = x; return idx; }
    int inline getFail(int x) {
        while (s[n - len[x] - 1] != s[n]) x = fail[x];
        return x;
    }
    int inline insert(char c) {
        int k = c - 'a';
        s[++n] = c;
        int p = getFail(last), x;
        if (!ch[p][k]) {
            x = newNode(len[p] + 2);
            fail[x] = ch[getFail(fail[p])][k];
            ch[p][k] = x, sz[x] = 1 + sz[fail[x]];
        } else x = ch[p][k];
        last = x;
        return sz[x];
    }
    void inline build() {
        newNode(0), newNode(-1);
        s[0] = '\$', fail[0] = 1, last = 0;
    }
```

Math

单位根反演:

$$[n|k] = \tfrac{1}{n}\sum_{i=1}^{n-1} w_n^{ik}$$

常见积分表:

基本积分表:

$$1. \int k dx = kx + C$$

$$2. \int x^{\alpha} dx = \frac{x^{\alpha+1}}{\alpha+1} + C \quad (\alpha \neq 1)$$

$$3. \int \frac{dx}{x} = \ln|x| + C$$

$$4. \int \frac{dx}{1+x^2} = \arctan x + C$$

$$5.\int \frac{dx}{\sqrt{1-x^2}} = \arcsin x + C$$

$$6. \int \cos x dx = \sin x + C$$

$$7. \int \sin x dx = -\cos x + C$$

$$8. \int \frac{dx}{\cos^2 x} = \int \sec^2 x dx = \tan x + C$$

$$9.\int \frac{dx}{\sin^2 x} = \int \csc^2 x dx = -\cot x + C$$

$$10. \int \sec x \tan x dx = \sec x + C$$

$$11 \int_{-\infty}^{\infty} a_n a_n + a_n d_n = a_n a_n + C$$

```
// 原根 / 封装不太好
int n, D, phi[N], primes[N], tot, d[N], len;
int ans[N], cnt;
bool st[N], pr[N];
void inline init() {
    phi[1] = 1, pr[2] = pr[4] = true;
    for (int i = 2; i < N; i++) {
        if (!st[i]) primes[tot++] = i, phi[i] = i - 1;
        for (int j = 0; i * primes[j] < N; j++) {
            st[i * primes[j]] = true;
            if (i % primes[j] == 0) {
                phi[i * primes[j]] = phi[i] * primes[j];
                break;
            }
            phi[i * primes[j]] = phi[i] * (primes[j] - 1);
        }
    }
    for (int i = 1; i < tot; i++) {
        for (LL j = primes[i]; j < N; j *= primes[i]) pr[j] = true;</pre>
        for (LL j = 2 * primes[i]; j < N; j *= primes[i]) pr[j] = true;
    }
}
void inline factor(int m) {
    len = 0;
    for (int i = 0; i < tot && primes[i] * primes[i] <= m; i++) {
        int j = primes[i];
        if (m \% j == 0) {
            d[len++] = j;
            while (m \% j == 0) m /= j;
        }
    }
    if (m > 1) d[len++] = m;
}
int inline power(int a, int b, int P) {
    int res = 1;
    while (b) {
        if (b & 1) res = (LL)res * a % P;
        a = (LL)a * a % P;
        b >>= 1;
    }
    return res;
}
bool inline check(int x, int P) {
    if (power(x, phi[P], P) != 1) return false;
    for (int i = 0; i < len; i++)
        if(power(x, phi[P] / d[i], P) == 1) return false;
    return true;
```

```
// 输入 P, 返回最小原根
int inline get(int P) {
    for (int i = 1; i < P; i++)
        if (check(i, P)) return i;
    return 0;
}
//-
void inline preInv(int n) {
    inv[1] = 1;
    for (int i = 2; i \le n; i++)
        inv[i] = ((LL)P - P / i) * inv[P % i] % P;
}
LL inline exgcd(LL a, LL b, LL &x, LL &y) {
    if (b == 0) {
        x = 1, y = 0;
        return a;
    }
    LL d = exgcd(b, a \% b, y, x);
    y -= a / b * x;
    return d;
}
LL inline exCRT() {
    LL a1 = a[1], p1 = p[1];
    for (int i = 2; i \le n; i++) {
        LL x, y, t = a[i] - a1;
        LL d = exgcd(p1, p[i], x, y);
        if (t % d) return -1;
        x = mul(x, t / d, p[i] / d);
        LL k = p1 / d * p[i];
        a1 = mod(a1 + mul(x, p1, k), k);
        p1 = k;
    }
    LL t = max(011, (lim - a1 + p1 - 1) / p1);
    return a1 + t * p1;
}
unordered_map<int, int> mp;
int BSGS(int a, int b, int P) {
   int t = sqrt(P) + 1; mp.clear(); b %= P;
    for (int j = 0, s = b; j < t; j++)
        mp[s] = j, s = (LL)s * a % P;
    a = power(a, t, P);
    for (int i = 1, s = 1; i \ll t; i++) {
        s = (LL)s * a % P;
        if (mp.count(s) \&\& i * t - mp[s] >= 0)
            return i * t - mp[s];
    }
```

```
return -1;
}
int exBSGS(int a, int b, int P) {
    int x, y, d, A = 1, k = 0;
    while ((d = gcd(a, P)) > 1) {
        if (b % d) return -1;
        b \neq d, P \neq d, k++, A = (LL)A * (a / d) % P;
        if (A == b) return k;
    exgcd(A, P, x, y); x = (x \% P + P) \% P;
    int res = BSGS(a, (LL)b * x % P, P);
    return res == -1 ? -1 : res + k;
}
const int N = 5000005, S = 3000;
const LL INF = 9e18;
LL p1[N], p2[S], m1[N], m2[S];
int n, primes[N], tot;
bool vis[N];
// 杜教筛 phi
LL s1(int x) {
    if (x < N) return p1[x];</pre>
    else if (p2[n / x] != INF) return p2[n / x];
    LL res = x * (x + 111) / 2;
    for (LL 1 = 2, r; 1 <= x; 1 = r + 1) {
        r = x / (x / 1);
        res -= (r - 1 + 1) * s1(x / 1);
    return p2[n / x] = res;
}
// 杜教筛 mu
LL s2(int x) {
    if (x < N) return m1[x];
    else if (m2[n / x] != INF) return m2[n / x];
    LL res = 1;
    for (LL 1 = 2, r; 1 \le x; 1 = r + 1) {
        r = x / (x / 1);
        res -= (r - 1 + 1) * s2(x / 1);
    return m2[n / x] = res;
}
// Min25
int inv2 = power(2, P - 2), inv6 = power(6, P - 2);
// 求 g_k 函数: <= x 的和
int inline getS(LL x, int k) {
    if (k == 1) return (x \% P * (x \% P + 1)) \% P * inv2 + P - 1)) % P;
```

```
if (k == 2) return (P - 111 + x % P * (x % P + 111) % P * (211 * x % P + 1) %
P * inv6) % P;
int inline getV(LL x, int k) {
   if (k == 1) return x \% P;
   if (k == 2) return (LL)x \% P * x \% P;
bool vis[M];
int primes[M], tot;
void inline linear(int n) {
    for (int i = 2; i <= n; i++) {
        if (!vis[i]) primes[++tot] = i;
        for (int j = 1; primes[j] <= n / i; j++) {
            vis[i * primes[j]] = true;
            if (i % primes[j] == 0) break;
        }
    }
}
// 预处理 g_k 处所有 n / i 形式的质数前缀和
struct MP1{
    int m, g[M], pos1[M], pos2[M], len, id;
    LL n, d[M];
    int inline getPos(LL x) {
        return x \le m? pos1[x] : pos2[n / x];
    }
    void inline add(LL v) {
        d[++1en] = v;
        g[len] = getS(v, id);
        if (v \le m) pos1[v] = len;
        else pos2[n / v] = len;
    }
    void build(LL sum, int t) {
        m = sqrt(n = sum); id = t;
        for (LL i = 1, j; i \le n; i = j + 1) {
            LL v = n / i; j = n / v;
            if (v <= m) break;</pre>
            add(v);
        }
        for (int i = m; i; i--) add(i);
        for (int i = 1; i \le tot && (LL)primes[i] * primes[i] <= n; i++) {
            LL pr = primes[i];
            for (int j = 1; j \leftarrow len \&\& pr * pr \leftarrow d[j]; j++) {
                int k = getPos(d[j] / pr);
                g[j] = (g[j] - (LL)getV(pr, id) * (g[k] - g[getPos(primes[i -
1])] + P) \% P + P) \% P;
            }
        }
    int inline s(LL x) { return g[getPos(x)]; }
} t1, t2;
```

```
int inline get(LL x) {
    return (t2.s(x) - t1.s(x) + P) \% P;
}
int inline calc(LL x) {
    return x % P * (x \% P - 1]] + P) \% P;
void inline add(int &x, int y) {
    (x += y) \%= P;
}
int inline s(LL n, int t) {
    if (primes[t] >= n) return 0;
    int ans = (get(n) - get(primes[t]) + P) % P;
    for (int i = t + 1; i \leftarrow tot && (LL)primes[i] * primes[i] \leftarrow n; i++) {
        int pr = primes[i];
        LL v = pr;
        for (int j = 1; v \le n; v = v * pr, j++) {
            add(ans, (LL)calc(v) * ((j != 1) + s(n / v, i)) % P);
        }
    }
   return ans;
}
// FMT / FWT
void inline OR(int n, int a[], int o) {
    for (int w = 1; w < n; w <<= 1)
        for (int i = 0; i < n; i += (w << 1))
            for (int j = 0; j < w; j++)
                add(a[i + j + w], o * a[i + j]);
}
void inline AND(int n, int a[], int o) {
    for (int w = 1; w < n; w <<= 1)
        for (int i = 0; i < n; i += (w << 1))
            for (int j = 0; j < w; j++)
                add(a[i + j], o * a[i + j + w]);
}
// 反向传 1/2
void inline XOR(int n, int a[], int o) {
    for (int w = 1; w < n; w <<= 1)
        for (int i = 0; i < n; i += (w << 1))
            for (int j = 0; j < w; j++) {
                int u = a[i + j], v = a[i + j + w];
                a[i + j] = ((LL)u + v + P) * o % P;
                a[i + j + w] = ((LL)u - v + P) * o % P;
            }
}
// 子集卷积
```

数据结构

```
struct Fhq{
   int rt;
   void pushup(int p) {
    }
    // value(A) < value(B)</pre>
    int merge(int A, int B) {
        if (!A || !B) return A + B;
        else if(t[A].rnd > t[B].rnd) {
            t[A].r = merge(t[A].r, B);
            pushup(A);
            return A;
        } else {
            t[B].1 = merge(A, t[B].1);
            pushup(B);
            return B;
        }
    }
    // 按值分裂
    void split(int p, int k, int &x, int &y) {
        if (!p) x = y = 0;
        else {
            if (t[p].val \ll k)
            x = p, split(t[p].r, k, t[p].r, y);
            else y = p, split(t[p].1, k, x, t[p].1);
            pushup(p);
        }
    }
    int getNode(int val) {
        t[++idx] = (T) \{ 0, 0, val, rand(), 1 \};
        return idx;
    }
    void insert(int val) {
        int x, y;
```

```
split(rt, val, x, y);
        rt = merge(merge(x, getNode(val)), y);
    }
    int get(int 1, int r) {
        int x, y, z;
        split(rt, l - 1, x, y);
        split(y, r, y, z);
        int res = t[y].N;
        rt = merge(x, merge(y, z));
        return res;
    }
    void del(int val) {
        int x, y, z;
        split(rt, val - 1, x, y);
        split(y, val, y, z);
        y = merge(t[y].1, t[y].r);
        rt = merge(x, merge(y, z));
   }
}
struct LCT{
    #define get(x) (ch[fa[x]][1] == x)
    #define isRoot(x) (ch[fa[x]][0] != x \&\& ch[fa[x]][1] != x)
    #define ls ch[p][0]
    #define rs ch[p][1]
   int ch[N][2], fa[N], mx[N], w[N], rev[N];
   void inline pushup(int p) {
    }
    void inline pushdown(int p) {
        if (rev[p]) { swap(ls, rs), rev[ls] \land = 1, rev[rs] \land = 1, rev[p] = 0; }
    }
    void inline rotate(int x) {
        int y = fa[x], z = fa[y], k = get(x);
        if (!isRoot(y)) ch[z][get(y)] = x;
        ch[y][k] = ch[x][!k], fa[ch[y][k]] = y;
        ch[x][!k] = y, fa[y] = x, fa[x] = z;
        pushup(y); pushup(x);
    }
    void inline update(int p) {
        if (!isRoot(p)) update(fa[p]);
        pushdown(p);
    }
    void inline splay(int p) {
        update(p);
        for (int f = fa[p]; !isRoot(p); rotate(p), f = fa[p])
            if (!isRoot(f)) rotate(get(p) == get(f) ? f : p);
    }
```

```
void inline access(int x) {
        for (int p = 0; x; p = x, x = fa[x]) {
           splay(x), ch[x][1] = p, pushup(x);
       }
    }
    int inline find(int p) {
        access(p), splay(p);
        while (ls) pushdown(p), p = ls;
        splay(p);
       return p;
    }
    void inline makeRoot(int x) {
       access(x), splay(x), rev[x] \land = 1;
    }
    void inline split(int x, int y) {
        makeRoot(x), access(y), splay(y);
    }
    void inline link(int x, int y) {
        makeRoot(x), fa[x] = y;
    }
    void inline cut(int x, int y) {
        split(x, y);
        ch[y][0] = 0, fa[x] = 0;
       pushup(y);
    }
}
// 左偏树
struct LeftistTree{
    struct T{
       int 1, r, v, d, f;
        // 1, r 表示左右儿子, v 表示值
       // d 表示从当前节点到最近叶子节点的距离, f 表示当前节点的父亲
    } t[SZ];
    int find(int x) {
        return t[x].f == x ? x : t[x].f = find(t[x].f);
    }
    int merge(int x, int y) { // 递归合并函数
       if (!x \mid | !y) return x + y;
        if (t[x].v > t[y].v \mid | (t[x].v == t[y].v && x > y)) swap(x, y);
        rs = merge(rs, y);
        if (t[ls].d < t[rs].d) swap(ls, rs);</pre>
       t[x].d = t[rs].d + 1;
       return x;
    }
   int work(int x, int y) { // 合并 x, y 两个堆。
```

```
if (x == y) return 0;
        if (!x || !y) return t[x + y].f = x + y;
       if (t[x].v > t[y].v \mid | (t[x].v == t[y].v \&\& x > y)) swap(x, y);
       t[x].f = t[y].f = x;
       merge(x, y); return x;
   }
   void del(int x) {
       t[x].f = work(ls, rs), t[x].v = -1;
   }
// 李超树
struct LC{
   struct Tree{
       int 1, r;
       Line v;
   } t[N << 2];</pre>
   LL inline calc(Line e, LL x) {
       return e.k * x + e.b;
   }
   int idx, rt;
   void inline clr() {
       idx = 0; rt = 0;
   }
   // 这里写法非常简洁的原因是,让计算机人工帮你判断了单调 / 需要 upd 的位置,事实上只会走一
边。
   void inline ins(int &p, int 1, int r, Line e) {
       if (!p) {
           t[p = ++idx] = (Tree) { 0, 0, e };
           return:
       }
       int mid = (1 + r) >> 1;
       if (calc(t[p].v, mid) > calc(e, mid)) swap(e, t[p].v);
       if (calc(e, 1) < calc(t[p].v, 1)) ins(t[p].1, 1, mid, e);
       if (calc(e, r) < calc(t[p].v, r)) ins(t[p].r, mid + 1, r, e);
   }
   LL ask(int p, int 1, int r, int x) {
       if (!p) return INF;
       if (l == r) return calc(t[p].v, x);
       int mid = (1 + r) \gg 1; LL ret = calc(t[p].v, x);
       if (x \le mid) chkMin(ret, ask(t[p].1, 1, mid, x));
       else chkMin(ret, ask(t[p].r, mid + 1, r, x));
       return ret;
   }
} ;
```

计算几何

```
const double eps = 1e-4;
typedef pair<double, double> PDD;
struct Line{
    PDD s, t;
```

```
};
int inline cmp(double x, double y) {
   if (fabs(x - y) < eps) return 0;
    return x < y ? -1 : 1;
}
double inline cross(PDD a, PDD b) { return a.fi * b.se - a.se * b.fi; }
PDD operator - (const PDD &a, const PDD &b) { return make_pair(a.fi - b.fi, a.se
- b.se); }
PDD operator + (const PDD &a, const PDD &b) { return make_pair(a.fi+ b.fi, a.se+
b.se); }
PDD operator / (const PDD &a, double b) { return make_pair(a.fi / b, a.se / b); }
PDD operator * (const PDD &a, double b) { return make_pair(a.fi * b, a.se * b); }
double inline area(PDD a, PDD b, PDD c) { return cross(b - a, c - a); }
double inline dot(PDD a, PDD b) { return a.fi * b.fi + a.se * b.se; }
double inline len(PDD a) { return sqrt(dot(a, a)); }
double inline project(PDD a, PDD b, PDD c) { return dot(b - a, c - a) / len(b -
a); }
double inline dist(PDD a, PDD b) { return sqrt((a.fi - b.fi) * (a.fi - b.fi) +
(a.se - b.se) * (a.se - b.se)); }
// 顺时针转 x
PDD inline rotate(PDD a, double x) { return make_pair ( cos(x) * a.fi + sin(x) *
a.se, -\sin(x) * a.fi + \cos(x) * a.se); }
PDD inline norm(PDD a) { return a / len(a); }
double angle(PDD a, PDD b) {
    return acos(dot(a, b) / len(a) / len(b));
int sign(double fi) {
   if (fabs(fi) < eps) return 0;
    if (fi < 0) return -1;
    return 1;
}
// 点到线段距离
LD getD(PDD a, PDD u, PDD v) {
    LD w = min(dis(a, u), dis(a, v));
   LD c = dot(a - u, v - u);
    LD t = dis(u, v);
    c /= t:
    if (cmp(c, 0) >= 0 \&\& cmp(c, t) <= 0) {
        LD z = norm(u - a);
        LD val = sqrt(z - c * c);
        w = val;
    }
    return w;
}
bool segInter(PDD a1, PDD a2, PDD b1, PDD b2) {
    double c1 = cross(a2 - a1, b1 - a1), c2 = cross(a2 - a1, b2 - a1);
    double c3 = cross(b2 - b1, a2 - b1), c4 = cross(b2 - b1, a1 - b1);
    return sign(c1) * sign(c2) <= 0 && sign(c3) * sign(c4) <= 0;
}
```

```
bool cmp2 (const Line &a, const Line &b) {
    double A = getAngle(a), B = getAngle(b);
    if (A != B) return A < B;
    else return area(a.s, a.t, b.t) < 0;</pre>
}
PDD getInter(PDD p, PDD v, PDD q, PDD w) {
    PDD u = p - q;
    double t = cross(w, u) / cross(v, w);
    return make_pair(p.fi + t * v.fi, p.se + t * v.se);
}
PDD getInter(Line a, Line b) { return getInter(a.s, a.t - a.s, b.s, b.t - b.s); }
bool inline Right(Line a, Line b, Line c) {
    PDD u = getInter(b, c);
    return area(a.s, a.t, u) <= 0;</pre>
}
// 凸包
void inline andrew() {
    sort(p + 1, p + 1 + n);
    for (int i = 1; i \le n; i++) {
        while (top > 1 \&\& area(p[s[top - 1]], p[s[top]], p[i]) < 0) {
            if (area(p[s[top - 1]], p[s[top]], p[i]) \leftarrow 0) st[s[top--]] = false;
            else top--;
        }
        st[i] = true, s[++top] = i;
    st[1] = false;
    for (int i = n; i; i--) {
        if (!st[i]) {
            while (top > 1 \& area(p[s[top - 1]], p[s[top]], p[i]) \leftarrow 0)
                st[s[top--]] = false;
            st[i] = true, s[++top] = i;
        }
    }
    for (int i = 0; i < top; i++) s[i] = s[i + 1];
    top--;
}
struct Line{
    PDD s, t;
    int id:
} e[N];
// 半平面交
double HPI() {
    sort(e + 1, e + 1 + n, cmp2);
    int hh = 0, tt = -1;
    for (int i = 1; i <= n; i++) {
        if (i && getAngle(e[i]) == getAngle(e[i - 1])) continue;
        while (hh < tt \&\& Right(e[i], e[q[tt - 1]], e[q[tt]])) tt--;
        while (hh < tt \&\& Right(e[i], e[q[hh]], e[q[hh + 1]])) hh++;
```

```
q[++tt] = i;
    }
    while (hh < tt && Right(e[q[hh]], e[q[tt - 1]], e[q[tt]])) tt--;
    while (hh < tt \&\& Right(e[q[tt]], e[q[hh]], e[q[hh + 1]])) hh++;
    q[++tt] = q[hh];
    tot = 0;
    for (int i = hh; i < tt; i++)
        p[++tot] = getInter(e[q[i]], e[q[i + 1]]);
    double res = 0;
    for (int i = 1; i < tot; i++)
        res += area(p[1], p[i], p[i + 1]);
    return res / 2;
}
Point inline getCircle(Point a, Point b, Point c) {
    return Inter((a + b) / 2, rotate(b - a, PI / 2), (a + c) / 2, rotate(c - a, PI / 2))
PI / 2));
}
// 最小圆覆盖
void inline minCircle(PDD a[]) {
    random_shuffle(a + 1, a + 1 + n);
    double r = 0; Point u = a[1];
    for (int i = 2; i <= n; i++) {
        if (cmp(r, len(u - a[i])) == -1) {
            r = 0, u = a[i];
            for (int j = 1; j < i; j++) {
                if (cmp(r, len(u - a[j])) == -1) {
                    r = len(a[i] - a[j]) / 2, u = (a[i] + a[j]) / 2;
                    for (int k = 1; k < j; k++) {
                        if (cmp(r, len(u - a[k])) == -1) {
                            u = getCircle(a[i], a[j], a[k]), r = len(a[i] - u);
                        }
                    }
                }
           }
       }
    }
}
// 自适应辛普森积分
double inline f(double fi) {
    return ?;
}
double inline s(double 1, double r) {
    double mid = (1 + r) / 2;
    return (r - 1) * (f(1) + 4 * f(mid) + f(r)) / 6;
}
double inline asr(double 1, double r) {
    double mid = (1 + r) / 2, v = s(1, r);
    double a = s(1, mid), b = s(mid, r);
    if (fabs(a + b - v) < eps) return v;
    else return asr(l, mid) + asr(mid, r);
```

```
// https://codeforces.com/contest/1284/problem/E 的怨念 不丢精度的极角排序
LL inline cross(PII x, PII y) {
           return 111 * x.fi * y.se - 111 * x.se * y.fi;
int inline quad(PII x) {
          if (x.fi >= 0 \&\& x.se >= 0) return 1;
           if (x.fi \le 0 \&\& x.se >= 0) return 2;
          if (x.fi <= 0 \&\& x.se <= 0) return 3;
          if (x.fi >= 0 \&\& x.se <= 0) return 4;
           return 0;
}
// PII andrew + mincowf
LL operator * (PII a, PII b) {
           return (LL)a.fi * b.se - (LL)a.se * b.fi;
}
PII operator + (PII a, PII b) {
          return mp(a.fi + b.fi, a.se + b.se);
}
PII operator - (PII a, PII b) {
           return mp(a.fi - b.fi, a.se - b.se);
}
LL dot (PII a, PII b) {
          return (LL)a.fi * a.se + (LL)b.fi * b.se;
}
vector<PII> inline andrew(vector<PII> a) {
           int n = a.size();
          top = 0;
           sort(a.begin(), a.end());
           for (int i = 0; i < n; i++) {
                      while (top > 1 \& (a[i] - a[s[top - 1]]) * (a[s[top]] - a[s[top - 1]]) >
0) {
                               vis[s[top--]] = 0;
                      }
                      vis[i] = 1, s[++top] = i;
           vis[0] = 0;
           for (int i = n - 1; i >= 0; i--) {
                      if (!vis[i]) {
                                 while (top > 1 \& (a[i] - a[s[top - 1]]) * (a[s[top]] - a[s[top - 1]]) * (a[s[top - 1]]) * (a[s
1]]) > 0)
                                            vis[s[top--]] = 0;
                                 vis[i] = 1, s[++top] = i;
                      }
           }
           --top;
```

```
vector<PII> ret;
    for (int i = 1; i \leftarrow top; i++) ret.pb(a[s[i]]);
    for (int i = 0; i < n; i++) vis[i] = 0;
    return ret;
}
// 有
vector<PII> calc(vector<PII> a, vector<PII> b) {
    vector<PII> c;
    c.pb(a[0] + b[0]);
    vector<PII> dx, dy;
    for (int i = 1; i < a.size(); i++) dx.pb(a[i] - a[i - 1]);
    dx.pb(a[0] - a.back());
    for (int i = 1; i < b.size(); i++) dy.pb(b[i] - b[i - 1]);
    dy.pb(b[0] - b.back());
    int i = 0, j = 0;
    while (i < dx.size() && j < dy.size()) {</pre>
        if (dx[i] * dy[j] > 0)
            c.pb(c.back() + dx[i++]);
        else if (dx[i] * dy[j] == 0 && c.size() > 1) {
            // 共线放一起不然是错的!!!!
            if (dot(c.back() - c[c.size() - 2], dx[i]) > 0)
                c.pb(c.back() + dx[i++]);
            else c.pb(c.back() + dy[j++]);
        } else {
            c.pb(c.back() + dy[j++]);
        }
    }
    while (i < dx.size()) c.pb(c.back() + <math>dx[i++]);
    while (j < dy.size()) c.pb(c.back() + dy[j++]);
    assert(c.back() == c[0]);
    c.pop_back();
    return c;
}
```