Part 1: Detecting Olive Oil Fraud Using Unsupervised Learning

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Introduction

Fraudulent adulteration of Extra-Virgin Olive Oil (EVOO) with cheaper oils continues to be a significant concern due to its economic and health implications. Traditional methods for detecting adulteration, such as Gas Chromatography-Mass Spectrometry (GC-MS), are effective but suffer from drawbacks—they are destructive, time-consuming, and costly. As a result, novel non-destructive methods are being explored, including Near-Infrared Hyperspectral Imaging (NIR-HSI).

NIR-HSI is a technique that combines imaging with spectroscopy, capturing both spatial and spectral information across a wide range of wavelengths. This makes it an ideal candidate for detecting subtle changes in EVOO that indicate adulteration. The richness of the spectral data presents a challenge: the data sets are typically large and complex, requiring advanced techniques to reduce dimensionality and reveal underlying patterns. Unsupervised learning methods, such as **Principal Component Analysis** (**PCA**) and **K-Means clustering**, are crucial tools for addressing this challenge (Malavi et al., 2023).

Principal Component Analysis (PCA)

PCA is a powerful tool for dimensionality reduction, especially in the context of hyperspectral data, where hundreds of spectral bands are captured. By transforming the original variables into a smaller set of uncorrelated principal components, PCA allows us to identify the most significant spectral features

contributing to variance in the dataset. This technique is particularly useful in exploring the relationships between different oils and detecting outliers or adulteration patterns without prior labeling of the data.

In this study, PCA was applied to the spectral data obtained from NIR-HSI of pure and adulterated EVOO samples. The goal was to reduce the dimensionality of the data while preserving the most critical information. This not only facilitates visualization but also prepares the data for further unsupervised classification through K-Means clustering.

K-Means Clustering

K-Means clustering is an unsupervised learning technique used to group data points into clusters based on similarity. When applied to the transformed data from PCA, K-Means can group EVOO samples based on their spectral similarities, allowing for the identification of clusters that correspond to pure and adulterated oils. The advantage of K-Means lies in its simplicity and efficiency, making it suitable for large datasets, such as those generated by NIR-HSI.

In this project, K-Means clustering was performed on the principal components derived from the PCA of NIR-HSI data. The clustering process helped to separate the pure EVOO samples from the adulterated ones, providing a preliminary classification without the need for labeled training data. This unsupervised approach serves as a foundational analysis before moving to supervised classification models.

Objectives of Part 1

- **Dimensionality Reduction**: Utilize PCA to reduce the complexity of the hyperspectral data while retaining the most important spectral features for differentiating pure and adulterated EVOO.
- Unsupervised Classification: Perform K-Means clustering on the PCA-transformed data to classify EVOO samples based on their spectral characteristics, identifying potential adulteration.
- Exploratory Data Analysis: Use PCA and K-Means to uncover hidden patterns in the data, providing insights into how adulteration affects the spectral properties of EVOO.

Dataset

The dataset contains pure samples of extra-virgin olive oil and those adulterated/mixed with different cheaper oils, including safflower, corn, sesame, sunflower, canola, and soybean oils, in concentration ranges of 0-20% (m/m). The samples were analyzed by GC-MS, FTIR, Raman, UV-Vis, and HSI to determine if these methods could identify them as genuine or not.

Load Installed Packages from the R Library for the Analysis

```
warning = FALSE
  suppressWarnings(suppressMessages({
   library(caret)
   library(ggplot2)
   library(dplyr)
   library(readxl)
   library(readr)
   library(factoMineR)
```

```
library(MASS)
library(factoextra)
library(rmarkdown)
library(knitr)
library(officedown)
library(quarto)
library(gtsummary)
library(pander)
library(tinytex)
library(kernlab)}))
```

Load and Inspect Hyperspectral Imaging Data

```
#Load HSI spectra data
hsi<-read_excel("HSI.xlsx")</pre>
#Check dimensions
dim(hsi)
[1] 183 228
#We have 183 observations and 228 variables
#Check a few of the column names
colnames(hsi[,c(1:4)])
[1] "sample_id"
                    "class_1"
                                   "class_2"
                                                   "perc_adulter"
#Check for any missing values
anyNA(hsi)# There are no missing values
[1] FALSE
#Considering that we are conducting a binary classification, we will remove some columns
```

#Considering that we are conducting a binary classification, we will remove some columns hsi<-hsi[,-c(1,3)] table(hsi\$class_1)

```
Adulterated Pure EV00
144 39
```

```
#convert class_1 to a factor
hsi$class_1<-as.factor(hsi$class_1)
#There are two classes: The oils are either pure/authentic or adulterated</pre>
```

[1] "The max value is 0.827106 and the min value is 0.016328"

Load and Inspect Raman Spectroscopy Data

```
#Load Raman spectra data
raman<-read_excel("Raman.xlsx")
#Check dimensions
dim(raman)</pre>
```

[1] 183 1404

#We have 183 observations and 1404 variables

```
#Bind the data to have the same columns as HSI data  raman < -cbind(hsi[,c(1,2)],raman[,-c(1:3)])   colnames(raman[,c(1:3)]) # check whether the changes have been effected
```

[1] "class_1" "perc_adulter" "500"

```
table(raman$class_1)#Check the class distribution
```

```
Adulterated Pure EVOO 144 39
```

```
class(raman$class_1)#ensure class_1 is a factor
```

[1] "factor"

```
# Define the normalization function to have values of 0 and 1
min_max_normalize <- function(x) {
   return((x - min(x)) / (max(x) - min(x)))
}
raman<-min_max_normalize(raman[,-c(1:2)])
print(paste('The max value is', max(raman[,-c(1:2)]), 'and the min value is', min(raman[,-c(1:2)])</pre>
```

[1] "The max value is 1 and the min value is 0"

```
anyNA(raman)
[1] FALSE
dim(raman)
[1] 183 1401
Load and Inspect FTIR Spectroscopy Data
#Load FTIR spectra data
ftir<-read_excel("FTIR.xlsx")</pre>
#Check dimensions
dim(ftir)
[1] 183 919
#We have 183 observations and 919 variables
#Bind the data to have the same columns as HSI data
ftir<-cbind(hsi[,c(1,2)],ftir[,-c(1:3)])
colnames(ftir[,c(1:3)])#check whether the changes have been effected
[1] "class_1"
                         "perc_adulter"
                                               "470.54590000000002"
table(ftir$class_1)#Check the class distribution
Adulterated
              Pure EVOO
        144
                     39
class(ftir$class_1)#ensure class_1 is a factor
[1] "factor"
print(paste('The max value is', max(ftir[,-c(1:2)]),
            'and the min value is', min(ftir[,-c(1:2)]))#The data is OK
[1] "The max value is 0.6911867 and the min value is 0"
dim(ftir)
[1] 183 918
```

Load and Inspect UV-Vis Spectroscopy Data

```
#Load Uv-Vis spectra data
uv_vis<-read_excel("UVVIS.xlsx")</pre>
#Check dimensions
dim(uv_vis)
[1] 183 125
#Bind the data to have the same columns as HSI data
uv_vis < -cbind(hsi[,c(1,2)],uv_vis[,-c(1:4)])
colnames(uv_vis[,c(1:3)])#check whether the changes have been effected
[1] "class_1"
                    "perc_adulter" "200"
table(uv_vis$class_1)#Check the class distribution
Adulterated
              Pure EVOO
        144
                      39
class(uv_vis$class_1)#ensure class_1 is a factor
[1] "factor"
print(paste('The max value is', max(uv_vis[,-c(1:2)]),
            'and the min value is', min(uv_vis[,-c(1:2)]))#The data is OK
[1] "The max value is 3.631 and the min value is -0.002"
dim(uv_vis)
[1] 183 123
# Define the normalization function to have values of 0 and 1
min_max_normalize <- function(x) {</pre>
  return((x - min(x)) / (max(x) - min(x)))
}
uv_vis<-min_max_normalize(uv_vis[,-c(1:2)])</pre>
print(paste('The max value is', max(uv_vis[,-c(1:2)]),
            'and the min value is', min(uv_vis[,-c(1:2)]))
```

[1] "The max value is 1 and the min value is 0"

```
anyNA(uv_vis)

[1] FALSE

dim(uv_vis)

[1] 183 121

#There are 183 observations and 121 covariates

Load and Inspect GC-MS Data

#Load GC-MS data
gc_ms<-read_excel("GC_MS.xlsx")
#Check dimensions
dim(gc_ms)
```

[1] 258 9

```
gc_ms$class_1<-factor(gc_ms$class_1)#convert to factor</pre>
```

```
# Define the normalization function to have values of 0 and 1
min_max_normalize <- function(x) {
   return((x - min(x)) / (max(x) - min(x)))
}
gc<-min_max_normalize(gc_ms[,-c(1:2)])
print(paste('The max value is', max(gc), 'and the min value is', min(gc)))</pre>
```

[1] "The max value is 1 and the min value is 0"

```
anyNA(gc_ms)
```

[1] FALSE

```
gc_ms<-cbind(gc_ms[,c(1,2)],gc)
```

Unsupervised Learning

Exploratory Data Analysis by Principal Component Analysis (PCA)

Principal Component Analysis (PCA) is vital for managing the complexity of high-dimensional spectral data from HSI, FTIR, and Raman spectroscopy. It reduces dimensionality, filters noise, extracts key features, improves computational efficiency, and addresses multicollinearity, resulting in more effective and insightful scientific analysis.

Run PCA

```
hsi_pca < -PCA(hsi[,-c(1,2)],graph = F)#HSI data
hsi_pca$eig[1:10,]#extracting the first 5 components' eigenvalues
          eigenvalue percentage of variance cumulative percentage of variance
comp 1 178.85959634
                                79.84803408
                                                                      79.84803
         24.38800697
                                10.88750311
                                                                      90.73554
comp 2
       15.63653271
                                 6.98059496
                                                                      97.71613
comp 3
comp 4
         1.99152376
                                 0.88907311
                                                                      98.60521
          1.71004670
                                 0.76341371
                                                                      99.36862
comp 5
comp 6
          0.44934827
                                 0.20060191
                                                                      99.56922
comp 7
          0.27623516
                                 0.12331927
                                                                      99.69254
          0.14579543
                                 0.06508724
                                                                      99.75763
comp 8
comp 9
          0.11217784
                                 0.05007939
                                                                      99.80771
          0.07117667
                                 0.03177530
                                                                      99.83948
comp 10
raman pca<-PCA(raman[,-c(1,2)],graph = F)#Raman data
raman_pca$eig[1:10,]#extract the first 5 components' eigenvalues
        eigenvalue percentage of variance cumulative percentage of variance
comp 1 747.843264
                               53.4555585
                                                                    53.45556
comp 2 238.933426
                               17.0788725
                                                                    70.53443
comp 3 149.710682
                               10.7012639
                                                                    81.23569
                                3.4559627
                                                                    84.69166
comp 4 48.348918
comp 5
       36.934864
                                2.6400904
                                                                    87.33175
       26.899571
                               1.9227713
                                                                    89.25452
comp 6
comp 7
        14.313064
                                1.0230925
                                                                    90.27761
comp 8
          7.490713
                                0.5354334
                                                                    90.81305
                                0.4335798
                                                                    91.24662
comp 9
          6.065781
          5.423732
                                0.3876863
                                                                    91.63431
comp 10
ftir_pca<-PCA(ftir[,-c(1,2)],graph = F)#FTIR data
ftir_pca$eig[1:10,]#extract the first 5 components' eigenvalues
         eigenvalue percentage of variance cumulative percentage of variance
comp 1 780.4782964
                               85.20505419
                                                                     85.20505
comp 2 100.1295634
                               10.93117505
                                                                     96.13623
comp 3
         21.6371085
                                2.36212975
                                                                     98.49836
comp 4
          9.7074370
                                1.05976386
                                                                     99.55812
comp 5
          1.6805370
                                0.18346474
                                                                     99.74159
comp 6
          0.7223977
                                0.07886438
                                                                     99.82045
comp 7
          0.5557826
                                0.06067496
                                                                     99.88113
                                0.04694866
                                                                     99.92808
comp 8
          0.4300497
          0.2056143
                                0.02244698
                                                                     99.95052
comp 9
          0.1083039
                                0.01182357
                                                                     99.96235
comp 10
```

```
uv_vis_pca<-PCA(uv_vis[,-c(1,2)],graph = F)#UV-Vis data
uv_vis_pca$eig[1:10,]#extract the first 5 components' eigenvalues</pre>
```

```
eigenvalue percentage of variance cumulative percentage of variance
comp 1 88.6460628
                              74.4924897
                                                                  74.49249
comp 2 13.9484433
                              11.7213809
                                                                  86.21387
comp 3 6.6394665
                               5.5793836
                                                                  91.79325
comp 4 4.7728806
                               4.0108240
                                                                  95.80408
comp 5 2.2196215
                               1.8652281
                                                                  97.66931
comp 6 0.8358126
                               0.7023636
                                                                  98.37167
                               0.3752367
                                                                  98.74691
comp 7 0.4465317
comp 8
        0.3373078
                               0.2834519
                                                                  99.03036
        0.2660613
                               0.2235809
                                                                  99.25394
comp 9
comp 10 0.2102093
                               0.1766465
                                                                  99.43059
```

```
gc_ms_pca<-PCA(gc_ms[,-c(1,2)],graph = F)#GC-MS data
gc_ms_pca$eig[1:7,]</pre>
```

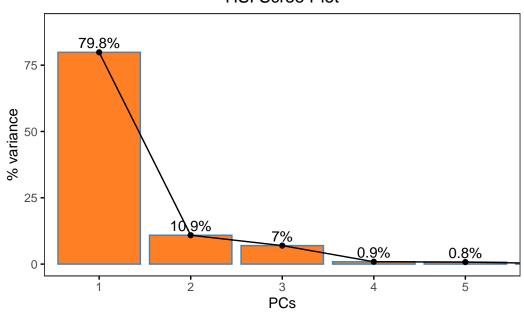
```
eigenvalue percentage of variance cumulative percentage of variance
comp 1 2.7496514
                             39.2807343
                                                                  39.28073
comp 2 1.2952854
                              18.5040767
                                                                  57.78481
comp 3 1.1811070
                             16.8729572
                                                                  74.65777
comp 4 0.8510186
                             12.1574083
                                                                  86.81518
comp 5 0.4893181
                              6.9902585
                                                                  93.80543
                                                                  99.77696
comp 6 0.4180069
                               5.9715265
                                                                 100.00000
comp 7 0.0156127
                               0.2230386
```

Scree Plots

HSI

```
s1<-fviz_eig(hsi_pca, addlabels = TRUE, ylim = c(0, 90),xlim=c(1,5), main = 'HSI Scree Plot',barf
theme(plot.title = element_text(hjust = 0.5))+
theme(panel.grid = element_blank())
print(s1)</pre>
```

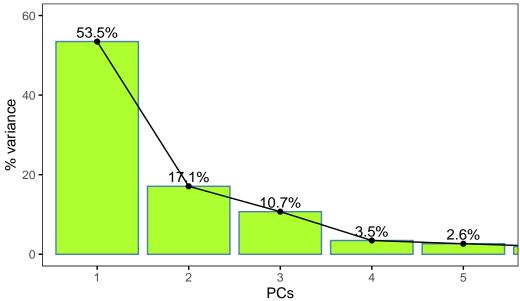
HSI Scree Plot



Raman

```
s2<-fviz_eig(raman_pca, addlabels = TRUE, ylim = c(0, 60),xlim=c(1,5),main = 'Raman Scree Plot',b
theme(plot.title = element_text(hjust = 0.5))+
theme(panel.grid = element_blank())
print(s2)</pre>
```

Raman Scree Plot

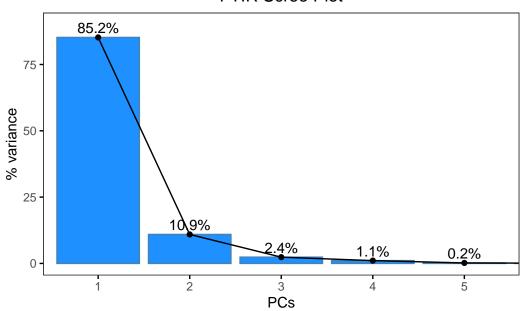


FTIR

```
s3<-fviz_eig(ftir_pca, addlabels = TRUE, ylim = c(0, 90),xlim=c(1,5),main = 'FTIR Scree Plot',bar theme(plot.title = element_text(hjust = 0.5))+
```

```
theme(panel.grid = element_blank())
print(s3)
```

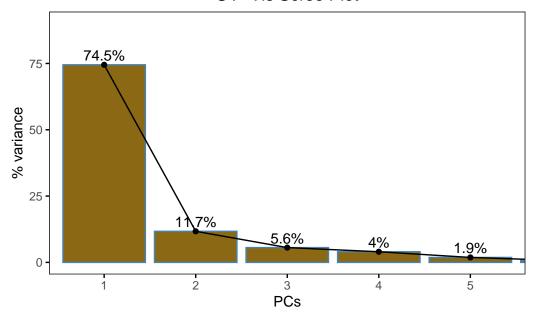


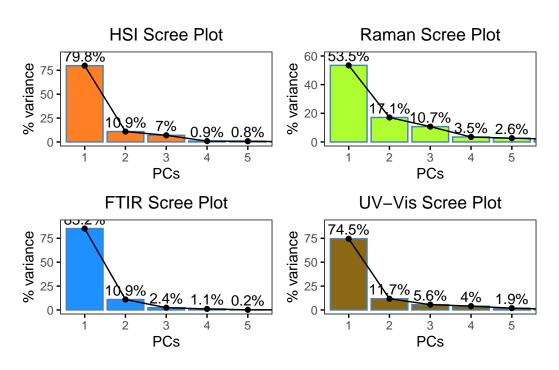


$\mathbf{U}\mathbf{v}\text{-}\mathbf{V}\mathbf{i}\mathbf{s}$

```
s4<-fviz_eig(uv_vis_pca, addlabels = TRUE, ylim = c(0, 90),xlim=c(1,5),main = 'UV-Vis Scree Plot'
theme(plot.title = element_text(hjust = 0.5))+
theme(panel.grid = element_blank())
print(s4)</pre>
```

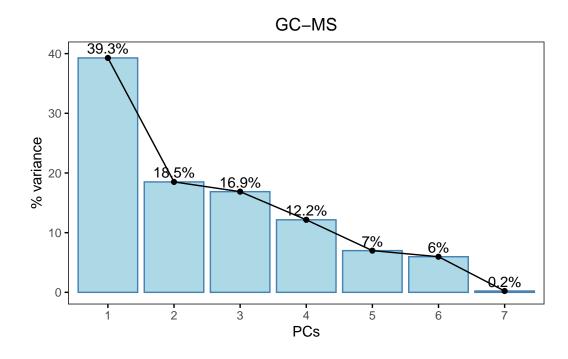
UV-Vis Scree Plot





GC-MS

```
s5<-fviz_eig(gc_ms_pca, addlabels = TRUE, ylim = c(0, 40),main = 'GC-MS',barfill = "lightblue",hj
theme(plot.title = element_text(hjust = 0.5))+
theme(panel.grid = element_blank())
print(s5)</pre>
```



• As observed from the data, more than 80% of the variation in the data from each of the spectroscopic technique can be explained by the first 3 PCs.

Visualization of PC Scores

Different principal components will be examined to visualize any patterns from our data. The next step will be to create a new data frame for each technique to be used in subsequent analysis.

```
#HSI Data
hsi_new<-as.data.frame(hsi_pca$ind$coord) #Extract the PCs
colnames(hsi_new)<-c("PC_1","PC_2", "PC_3","PC_4","PC_5")
hsi_new<-cbind(hsi[,c(1,2)],hsi_new)#Bind with the dependent variables
head(hsi_new)

#Raman Data</pre>
```

```
raman_new<-as.data.frame(raman_pca$ind$coord) #Extract the PCs
colnames(raman_new)<-c("PC_1","PC_2", "PC_3","PC_4","PC_5")
raman_new<-cbind(hsi[,c(1,2)],raman_new)#Bind with the dependent variables
head(raman_new)
```

```
#FTIR Data
ftir_new<-as.data.frame(ftir_pca$ind$coord) #Extract the PCs
colnames(ftir_new)<-c("PC_1","PC_2", "PC_3","PC_4","PC_5")
ftir_new<-cbind(hsi[,c(1,2)],ftir_new)#Bind with the dependent variables
head(ftir_new)</pre>
```

```
#Uv_Vis Data
uvvis_new<-as.data.frame(uv_vis_pca$ind$coord) #Extract the PCs
colnames(uvvis_new)<-c("PC_1","PC_2", "PC_3","PC_4","PC_5")
uvvis_new<-cbind(hsi[,c(1,2)],uvvis_new)#Bind with the dependent variables
head(uvvis_new)</pre>
```

```
#GC-MS Data
gc_new<-as.data.frame(gc_ms_pca$ind$coord) #Extract the PCs
colnames(gc_new)<-c("PC_1","PC_2", "PC_3","PC_4","PC_5")
gc_new<-cbind(gc_ms[,c(1,2)],gc_new)#Bind with the dependent variables
head(gc_new)</pre>
```

PC Plots

```
# HSI PC Plot
p1 <- hsi_new %>%
ggplot(mapping = aes(x = PC_1, y = PC_2, shape = class_1, color = perc_adulter)) +
geom_point() +
labs(x = "PC1 (79.8%)", y = "PC2 (10.9%)",title = "HSI PC Plot", shape = "Oil type", color = "Ptheme_bw() +
theme(
```

```
panel.border = element_rect(color = 'black', fill = NA),
 panel.grid = element_blank(),
  axis.text.x = element_text(color = 'black', size = 10),
  axis.text.y = element_text(color = 'black', size = 10),
  aspect.ratio = 1,
  axis.title.x = element_text(size = 9),
  axis.title.y = element_text(size = 9),
  plot.title = element_text(size = 9, hjust = 0.5),
  legend.title = element_text(size = 8),
  legend.text = element_text(size = 6),
  legend.position = "none") +
scale_color_gradient(low = "#000000", high = "red") +
stat_ellipse(aes(group = class_1),
             level = 0.95,
             geom = "polygon", alpha = 0.2,
             color = 'black', linewidth = 0.6)
```

```
#Raman Plot
p2 <- raman_new %>%
  ggplot(mapping = aes(x = PC_2, y = PC_3, shape = class_1, color = perc_adulter)) +
  geom_point() +
  labs(x = "PC2 (17.1%)", y = "PC3 (10.7%)", title = "Raman PC Plot", shape = "Oil type", color = \frac{1}{2}
  theme_bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    axis.text.x = element_text(color = 'black', size = 10),
    panel.grid = element_blank(),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 7),
    legend.text = element_text(size = 6)) +
  scale_color_gradient(low = "#000000", high = "red") +
  stat_ellipse(aes(group = class_1),
               level = 0.95,
               geom = "polygon", alpha = 0.2,
               color = 'black', linewidth = 0.6)
```

```
#FTIR Plot
p3 <- ftir_new %>%

ggplot(mapping = aes(x = PC_2, y = PC_3, shape = class_1, color = perc_adulter)) +
geom_point() +
labs(x = "PC2 (10.9%)", y = "PC3 (7.0%)",title = "FTIR PC Plot", shape = "Oil type", color = "Ptheme_bw() +
theme(
   panel.border = element_rect(color = 'black', fill = NA),
   axis.text.x = element_text(color = 'black', size = 10),
```

```
panel.grid = element_blank(),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 7),
    legend.text = element_text(size = 6),
    legend.position = "none") +
  scale_color_gradient(low = "#000000", high = "red") +
  stat_ellipse(aes(group = class_1),
               level = 0.95,
               geom = "polygon", alpha = 0.2,
               color = 'black', linewidth = 0.6)
#Uv_Vis Plot
p4 <- uvvis_new%>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, shape = class_1, color = perc_adulter)) +
  geom_point() +
  labs(x = "PC1 (74.5%)", y = "PC2 (11.7%)", title = "Uv_Vis PC Plot", shape = "Oil type", color =
  theme_bw() +
 theme(
    panel.border = element_rect(color = 'black', fill = NA),
   panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
   axis.title.y = element_text(size = 9),
   plot.title = element_text(size = 9, hjust = 0.5),
```

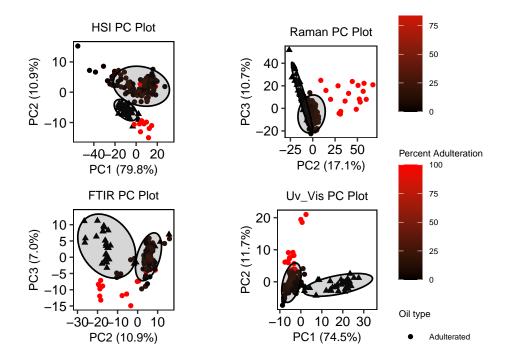
Patch the PC Plots together

legend.title = element_text(size = 7),
legend.text = element_text(size = 6)) +

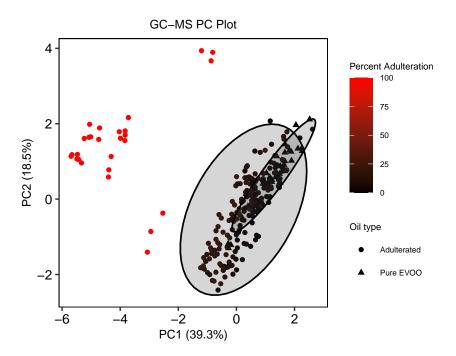
scale_color_gradient(low = "#000000", high = "red") +

geom = "polygon", alpha = 0.2,
color = 'black', linewidth = 0.6)

```
suppressWarnings(suppressMessages(library(gridExtra)))
grid.arrange(p1,p2,p3,p4, nrow = 2)
```



```
#GC-MS Plot
p5 <- gc_new %>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, shape = class_1, color = perc_adulter)) +
  geom_point() +
  labs(x = "PC1 (39.3%)", y = "PC2 (18.5%)", title = "GC-MS PC Plot", shape = "Oil type", color =
  theme_bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 7),
    legend.text = element_text(size = 6)) +
  scale color gradient(low = "#000000", high = "red") +
  stat_ellipse(aes(group = class_1),
               level = 0.95,
               geom = "polygon", alpha = 0.2,
               color = 'black', linewidth = 0.6)
#Display plot
p5
```



PCA Insights

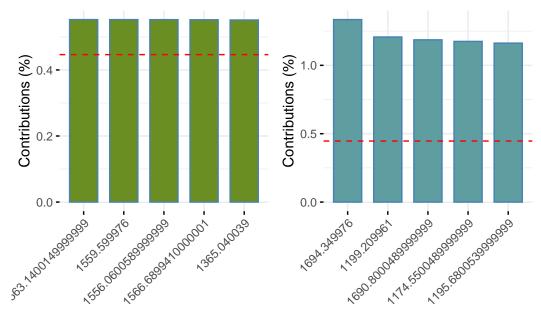
• PCA results indicate interesting patterns. Although the separation does not appear to be very clear, authentic olive oil tends to separate from adulterated olive oils, especially with HSI, UV-Vis, and GC-MS. PCA, however, demonstrates weakness in discerning oils adulterated at different levels, hence the need for additional supervised algorithms.

PC variable contributions

This section investigates the contribution of different variables to the variation in principal components (PCs). By analyzing the loadings of each variable on the principal components, we can determine which variables have the most significant impact on the observed patterns in the data. This analysis helps to identify key features that drive the separation of samples in the PCA plot.

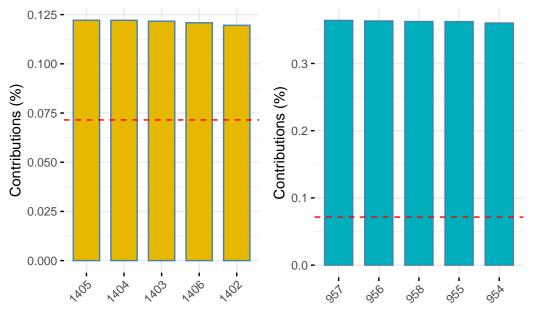
```
#HSI
h1<-fviz_contrib(hsi_pca, choice = "var", top = 5,axes = 1, sort.val = 'desc', fill = "olivedrab"
h2<-fviz_contrib(hsi_pca, choice = "var", top = 5,axes = 2, sort.val = 'desc', fill = "cadetblue"
grid.arrange(h1,h2, nrow = 1)</pre>
```

Contribution of variables to Dim-1 Contribution of variables to I



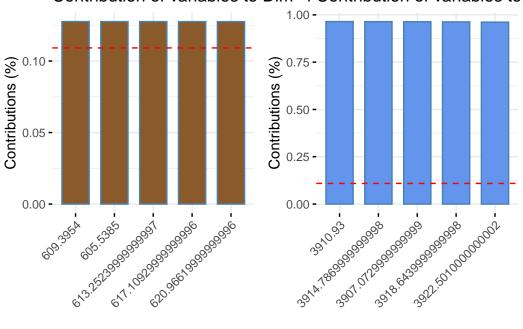
```
#Raman
r1<-fviz_contrib(raman_pca, choice = "var", top = 5,axes = 1, sort.val = 'desc', fill = "#E7B800"
r2<-fviz_contrib(raman_pca, choice = "var", top = 5,axes = 2, sort.val = 'desc', fill = "#00AFBB"
grid.arrange(r1,r2, nrow = 1)</pre>
```

Contribution of variables to Dim-Contribution of variables to E



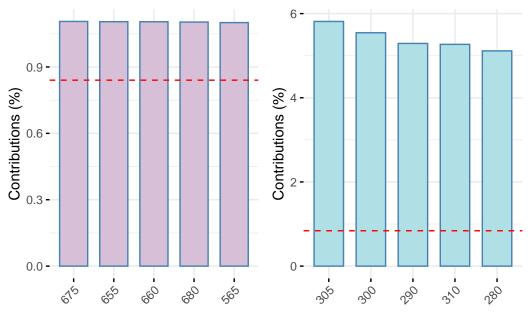
```
#FTIR
f1<-fviz_contrib(ftir_pca, choice = "var", top = 5,axes = 1, sort.val = 'desc', fill = "tan4")
f2<-fviz_contrib(ftir_pca, choice = "var", top = 5,axes = 2, sort.val = 'desc', fill = "cornflower grid.arrange(f1,f2, nrow = 1)</pre>
```

Contribution of variables to Dim-1 Contribution of variables to

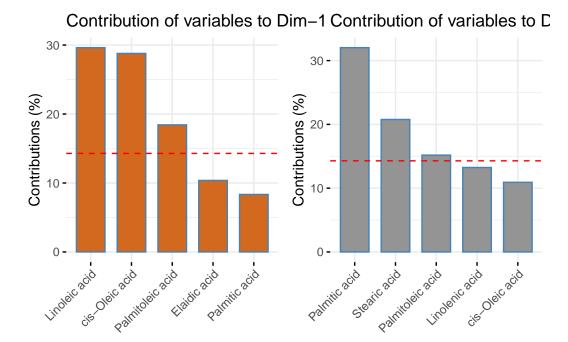


```
#Uv-Vis
uv1<-fviz_contrib(uv_vis_pca, choice = "var", top = 5,axes = 1, sort.val = 'desc', fill = "thistl
uv2<-fviz_contrib(uv_vis_pca, choice = "var", top = 5,axes = 2, sort.val = 'desc', fill = "powder
grid.arrange(uv1,uv2, nrow = 1)</pre>
```

Contribution of variables to Dim-Contribution of variables to Di



```
#GC-MS
gc1<-fviz_contrib(gc_ms_pca, choice = "var", top = 5,axes = 1, sort.val = 'desc', fill = "chocola
gc2<-fviz_contrib(gc_ms_pca, choice = "var", top = 5,axes = 2, sort.val = 'desc', fill = "gray58"
grid.arrange(gc1,gc2, nrow = 1)</pre>
```



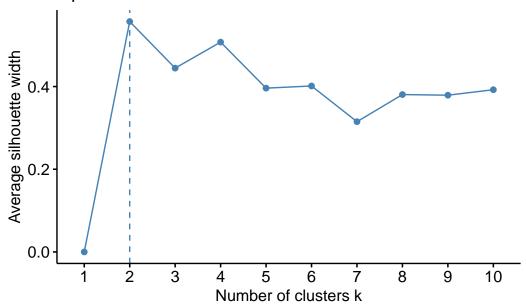
K-Means Clustering

K-means clustering is an unsupervised machine learning algorithm used to partition a dataset into **K** distinct, non-overlapping groups (or clusters) based on feature similarity. It aims to minimize the variance within each cluster and maximize the variance between clusters.

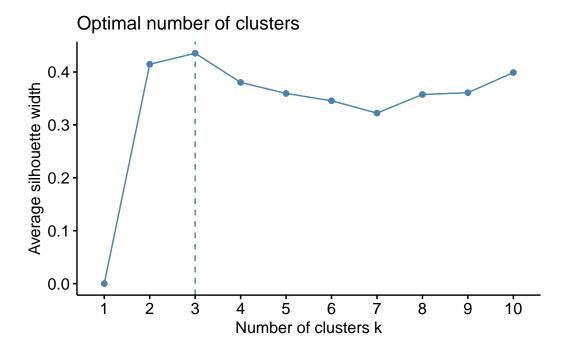
• Let us find the number of **clusters** based on silhoutte method

```
# optimal number of clusters for HSI
hsi_clust<-fviz_nbclust(hsi[,-c(1:2)], kmeans, method = "silhouette", k.max=10)
print(hsi_clust)</pre>
```

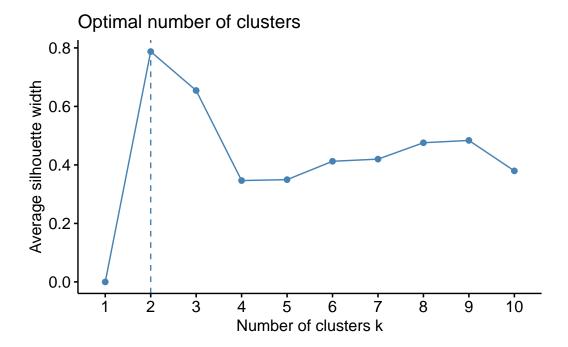
Optimal number of clusters



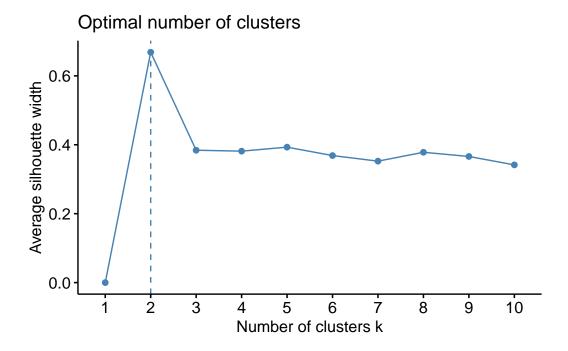
```
# optimal number of clusters for Raman
raman_clust<-fviz_nbclust(raman, kmeans, method = "silhouette", k.max=10)
print(raman_clust)</pre>
```



```
#optimal number of clusters for FTIR
ftir_clust<-fviz_nbclust(ftir[,-c(1,2)], kmeans, method = "silhouette", k.max=10)
print(ftir_clust)</pre>
```

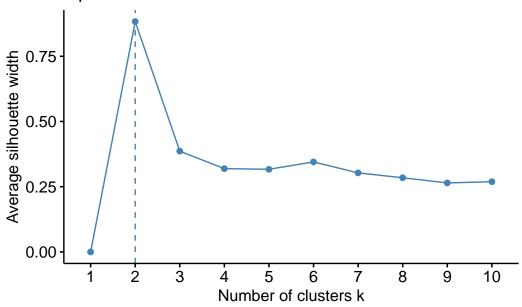


```
#optimal number of clusters for UV-Vis
uvvis_clust<-fviz_nbclust(uv_vis, kmeans, method = "silhouette", k.max=10)
plot(uvvis_clust)</pre>
```



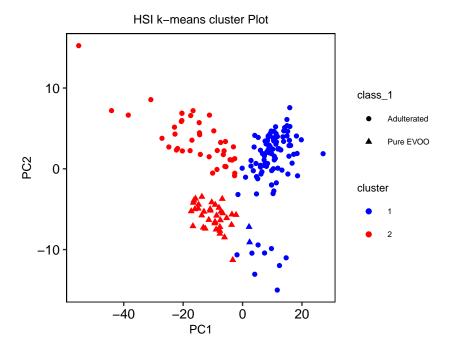
```
#optimal number of clusters for gc-ms
gc_clust<-fviz_nbclust(gc, kmeans, method = "silhouette", k.max=10)
print(gc_clust)</pre>
```

Optimal number of clusters



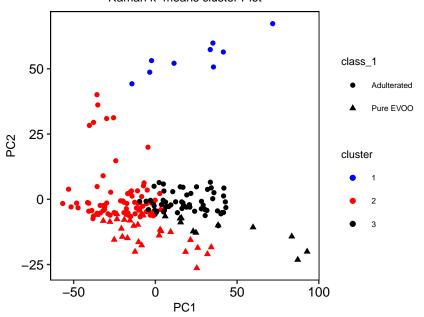
• Then let us perform k-means clustering with the optimal number of clusters

```
#HSI k-means analysis and plots
hsi_kmeans \leftarrow kmeans(hsi[,-c(1,2)],2)
cluster<- hsi_kmeans$cluster</pre>
hsi_k_data <-cbind(hsi_new,cluster)</pre>
hsi_k_data$cluster<-as.factor(hsi_k_data$cluster)
hsi_k_data %>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, color = cluster, shape = class_1)) +
  geom_point() +
  labs(x = "PC1", y = "PC2",title = "HSI k-means cluster Plot")+
  theme_bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 8),
    legend.text = element_text(size = 6),
    legend.position = "right")+
  scale_color_manual(values = c("blue", "red"))
```

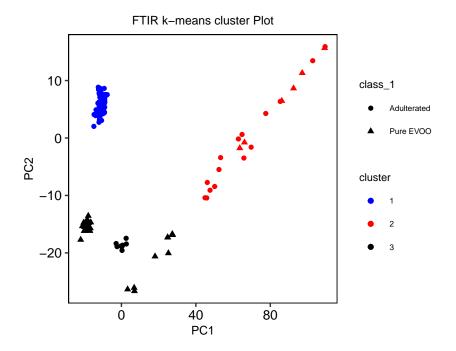


```
#Raman k-means analysis and plotting
raman_kmeans <- kmeans(raman,3)</pre>
cluster<- raman_kmeans$cluster</pre>
raman k data <-cbind(raman new,cluster)</pre>
raman_k_data$cluster<-as.factor(raman_k_data$cluster)</pre>
raman_k_data %>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, color = cluster, shape = class_1)) +
  geom point() +
  labs(x = "PC1", y = "PC2",title = "Raman k-means cluster Plot")+
  theme bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 8),
    legend.text = element_text(size = 6),
    legend.position = "right")+
  scale_color_manual(values = c("blue", "red", "black"))
```

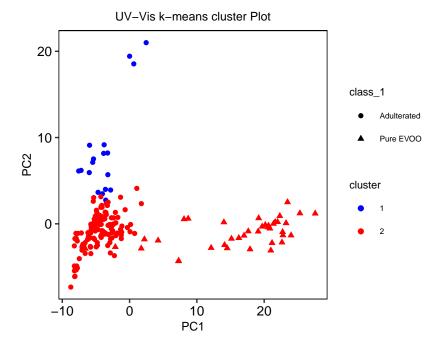
Raman k-means cluster Plot



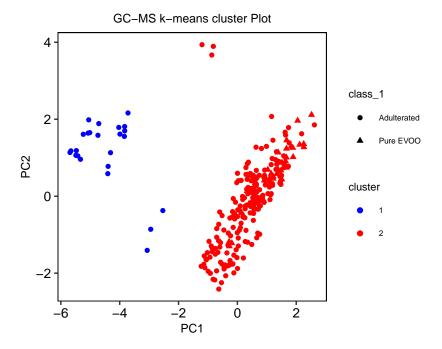
```
#FTIR k-means analysis and plotting
ftir_kmeans <- kmeans(ftir[,-c(1,2)],3)
cluster<- ftir_kmeans$cluster</pre>
ftir k data <-cbind(ftir new,cluster)</pre>
ftir_k_data$cluster<-as.factor(ftir_k_data$cluster)</pre>
ftir_k_data %>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, color = cluster, shape = class_1)) +
  geom point() +
  labs(x = "PC1", y = "PC2",title = "FTIR k-means cluster Plot")+
  theme bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 8),
    legend.text = element_text(size = 6),
    legend.position = "right")+
  scale_color_manual(values = c("blue", "red", "black"))
```



```
#UV-Vis k-means analysis and plotting
uvvis_kmeans <- kmeans(uv_vis,2)</pre>
cluster<- uvvis_kmeans$cluster</pre>
uvvis k data <-cbind(uvvis new,cluster)</pre>
uvvis_k_data$cluster<-as.factor(uvvis_k_data$cluster)</pre>
uvvis_k_data %>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, color = cluster, shape = class_1)) +
  geom point() +
  labs(x = "PC1", y = "PC2", title = "UV-Vis k-means cluster Plot")+
  theme bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 8),
    legend.text = element_text(size = 6),
    legend.position = "right")+
  scale_color_manual(values = c("blue", "red"))
```



```
#GC-MS k-means analysis and plotting
gc_kmeans <- kmeans(gc,2)</pre>
cluster<- gc_kmeans$cluster</pre>
gc_k_data <-cbind(gc_new,cluster)</pre>
gc_k_data$cluster<-as.factor(gc_k_data$cluster)</pre>
gc_k_data %>%
  ggplot(mapping = aes(x = PC_1, y = PC_2, color = cluster, shape = class_1)) +
  geom_point() +
  labs(x = "PC1", y = "PC2", title = "GC-MS k-means cluster Plot")+
  theme_bw() +
  theme(
    panel.border = element_rect(color = 'black', fill = NA),
    panel.grid = element_blank(),
    axis.text.x = element_text(color = 'black', size = 10),
    axis.text.y = element_text(color = 'black', size = 10),
    aspect.ratio = 1,
    axis.title.x = element_text(size = 9),
    axis.title.y = element_text(size = 9),
    plot.title = element_text(size = 9, hjust = 0.5),
    legend.title = element_text(size = 8),
    legend.text = element_text(size = 6),
    legend.position = "right")+
  scale_color_manual(values = c("blue", "red"))
```



• Based on the findings from k-means clustering, an overlap of clusters for the two expected groups is observed. Unsupervised learning, therefore, is not sufficient for separating pure EVOO from adulterated samples, highlighting the need for supervised classification.

Summary

This section of the project demonstrates how unsupervised learning techniques, particularly PCA and K-Means clustering, can be applied to the complex spectral data obtained from NIR-HSI. These methods provide a powerful way to reduce data complexity and uncover patterns that may not be immediately apparent, laying the groundwork for further classification using supervised machine learning models.

Way Forward to Part 2: Supervised Classification Using Machine Learning

Now that **unsupervised learning** techniques like PCA and K-Means clustering have helped reduce the dimensionality of the Near-Infrared Hyperspectral Imaging (NIR-HSI) data and revealed underlying patterns, the next step is to leverage **supervised classification** methods to develop robust models that can distinguish between **pure and adulterated Extra-Virgin Olive Oil (EVOO)**.