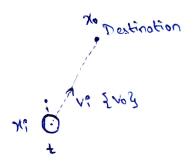
Blackbox

- microscopic chars
- 2 macroscopic chars
- Some models
- 4 observations

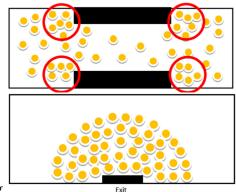
microscopic chars

- unit chars $r_0 x_0 v_0$
- unit prefs x_i v_i
- o agent based modelling



macroscopic chars

- crowd density
- geometrical constraints
- maximum crowd pressure
- panic situation- evacuation time



o collective or system modelling

Some models

- Binary Force model
 - units repel each other
 - $oldsymbol{2}$ unit is attracted to its destination with acceleration α force of attraction
 - o crowd dynamics as a result of superposition of binary forces
- Social Force model Helbing
 - Visual cues within field of vision of unit to determine optimal path of least obstruction
 - ② The parameters v_i , α_i are optimised based on the feedback from environment.
 - Additionally body forces act on units along with contact forces along geometric boundaries.
- Nodal Analysis
 - The geometric area is divided into several convex nodes and the densities of the nodes are calculated at time instants to determine crowd params.

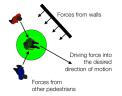


Figure: Binary Force model

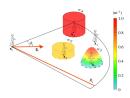


Figure: Social Force model

A comparison

Binary Force model: Easier computation, however inaccurate as units prefer deviating from the existing path rather than confront an obstacle and slow down.

Social Force model: Advantageous over binary force model, that it considers an optimal path of least obstruction with existence of forces at closer body contact (high crowd densities).

Nodal Division model: It is a system based model i.e., the impact of the system parameters dominates the individual prefs of units and are only used if the units are identical.

Limitations



Figure: Binary Force model limitations

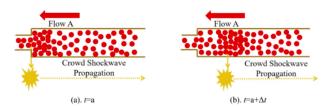


Figure: Social Force model limitations

Observations

On increasing crowd densities => increasing chances of crowd turbulence

- Unavoidable collisions
- Stop and Go waves at choking points resembling fluid vortices behind obstacles due to local perturbations.
- undesirable crowd turbulence

Where to draw a line?

We have unit based models on one side and system based models on other, where do they **converge**?

Assumptions

- Treatment of crowd agents as disks
- Markov models: The desired velocity and direction of the crowd particle is determined by the present conditions of state completely independent of the path until that instant.
- Lateral velocity:
- **Small crowd velocities:** To neglect the impact of high-speed collisions in the crowd.
- Wall or obstacle: Determined as continuum of discrete units.
- Randomised disk areas to avoid symmetric force collisions.

Using Social Force model

$$m_i rac{dv_i}{dt} = F_i^{desired} + F_{iw}^{obstacle} + F_{ij}^{pedestrian}$$
 $F_i^{desired} = m_i rac{[v_{i_{max}}^o(t) - v_i(t)]}{ au}$

$$F_{ij}^{pedestrian} = we^{\frac{r_{ij} - d_{ij}}{w}} (\lambda + (1 - \lambda)(\frac{1 + cos\omega_i}{2})\bar{n}_{ij} + \mu g(r_{ij} - d_{ij})\Delta\bar{v}_{ij}(t) + w*(r_{ij} - d_{ij})\bar{n}_{ij}$$

$$F_{io}^{obstacle} = w.e^{rac{r_i - d_{io}}{w}} ar{n}_{io} + \mu g(r_i - d_{io}) \Delta ar{v}_{io}(t) + w*(r_i - d_{io}) ar{n}_{io}$$

Limitations

- **Knowledge of environment:** The driving force assumes the knowledge of destination in prior optimising a shorter route.
- Neglection of attractive forces: Pedestrian cooperation behaviour is neglected and each unit acts as an individual actor in decision making.
- Boundary effects: Based on the model, crowd agents repulse from edges of narrow doors preventing evacuation due to insufficient velocity and get stuck in a stable potential well.

TODO

- Create a minimum viable code to simulate crowd movement with a single exit.
- Place obstacles and calculate their efficiency
- Optimise weight parameters in the social force model

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