

# Extending Shape Expressions for different types of Knowledge Graphs

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#### Motivation

Improve data quality of kowledge graphs

We need tools to describe and validate their content

Knowledge Graphs = flexible, graph-like data

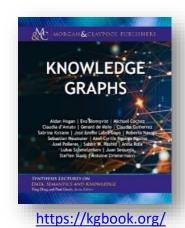
Several types of Knowledge Graphs

RDF-based Knowledge Graphs

**Labeled Property Graphs** 

Wikibase Graphs (based on Wikidata)

**RDF-Star** 





#### ShEx

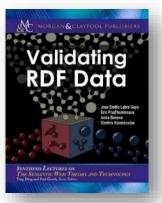
Concise & human-readable language

Goal: describe & validate RDF data

Developed in 2014

Compact syntax similar to Turtle, SPARQL

Semantics inspired by regular expressions



http://book.validatingrdf.com

Adopted by Wikidata in 2019 (Entity Schemas Namespace) 2024 IEEE Shape Expressions Working Group



## Simple RDF

```
Graph = Set of triples

Triple = (Subject, Predicate, Object)

where

Subject = IRI or BNode

Predicate = IRI

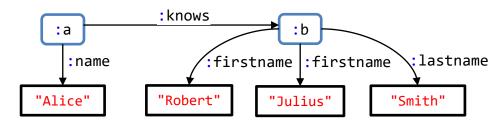
Object = IRI or BNode or Literal

Several syntaxes:

Turtle, N-Triples, ...

RDF Ecosystem:

SPARQL, RDFS, OWL,...
```





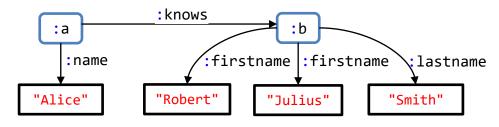
## ShEx example

A Shape describes the neighbourhood of a node

Triple Expressions Node constraints Cardinality

```
prefix : <http://example.org/>
prefix xsd: <http://www.w3.org/2001/XMLSchema#>

<Person> {
    :firstname xsd:string * ;
    :lastname xsd:string
    :knows @<Person> *
}
```





## ShEx example

ShEx accepts regular expresión operators on triple expressions

EachOf (;), OneOf (|), grouping

```
:knows
:name
:name
:firstname
:firstname
:lastname
"Alice"
"Julius"
"Smith"
```



## Abstract syntax of ShEx

```
ShEx schema is a tuple <L, \delta>
```

where L = set of labels and  $\delta$ :  $L \rightarrow se$ 

```
se ::= cond Basic boolean condition on nodes (node constraint)
     se_1 AND se_2 Conjunction of se_1 and se_2
       @ l Shape label reference for l \in L
    CLOSED \{te\} Closed shape
      \{te\} Open shape
te ::= te_1; te_2 Each of te_1 and te_2
   Empty triple expression
```

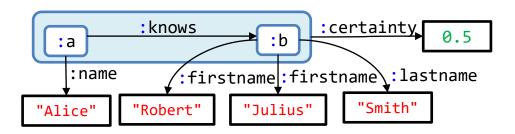


## Example with ShEx abstract syntax



#### **RDF-Star**

## RDF-Star (RDF 1.2) extends RDF allowing subjects and objects to be triples





#### ShEx-Star

#### Example

```
<Person> {
    (:name xsd:string
    |:firstName xsd:string + ;
    :lastname xsd:string
    );
    << :knwows @<Person> >> {| :certainty xsd:decimal |} *
}

efix : <http://example.org/>
    :name "Alice" .
    :a :knows :b >> :certainty 0.5 .
    :firstname "Robert", "Julius";
    :lastname "Smith" .
}
```

```
:knows :certainty 0.5

:name :firstname:firstname:lastname

"Alice" "Robert" "Julius" "Smith"
```



## ShEx-Star abstract syntax

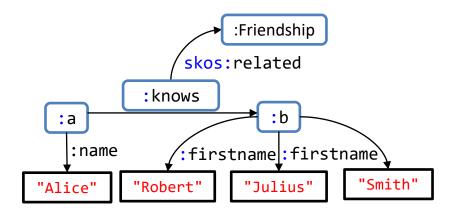
#### ShEx-Star adds two new rules for triple expressions te

```
\delta(Person) = \{ (\underline{\neg} \underbrace{name}_{l} String | \underline{\neg} \underbrace{fistname}_{l} String^*; \underline{\neg} \underbrace{lastname}_{l} String); \\ \ll \underline{\neg} \underbrace{knows}_{l} @Person \gg \{|\underline{\neg} \underbrace{certainty}_{l} Float|\}^* \}
```



### RDF with nodes as properties

In RDF Graphs, nodes can also be properties





#### ShEx-N

#### Example:

```
\delta(FriendShipProperty) = \{ \begin{array}{ccc} & \xrightarrow{skos:related} & [:Friendship] \ ; \\ & @Person \xrightarrow{\smile} & @Person \\ \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & & \\ & &
```

```
prefix : <http://example.org/>
  prefix skos: <http://.../skos/core#>
  :a :name "Alice";
      :knows :b .
  :b :firstname "Robert", "Julius" ;
     :lastname "Smith" .
  :knows skos:related :Friendship .
                     :Friendship
               skos:related
           :knows
                         : b
 : a
   :name
              :firstname|:firstname
                                  "Smith"
                      "Julius"
"Alice"
          "Robert"
```



## ShEx-N abstract syntax

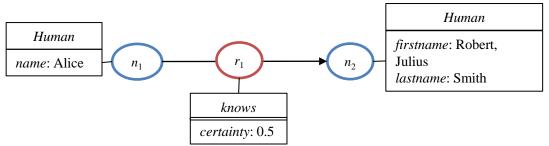
#### We add a new rule for triple expressions te

```
Basic boolean condition on nodes (node constraint)
           cond
                          Shape
           se_1 AND se_2 Conjunction of se_1 and se_2
                          Shape label reference for l \in L
           CLOSED \{te\} Closed shape
                          Open shape
           \{te\}
                       Each of te_1 and te_2
te ::= te_1; te_2
                       Either te_1 or te_2
          te_1 \mid te_2
                       Zero or more te
                       Outgoing Triple with predicate p and object conforming to se
                       Incoming triple with predicate p and subject conforming to se
                       Empty triple expression
          se_1 \xrightarrow{\sqsubseteq} se_2
                       Triple constraint with focus node acting as predicate and subject
                       conforming to se_1 and object conforming to se_2
```



## Property graphs

Nodes and edges can have a set of property – value pairs Nodes can have labels and edges can have a label Quite popular in industry: Neo4J, TinkerPop, Neptune, etc. Example

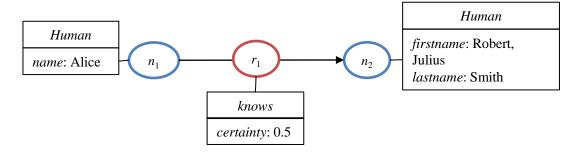




## PShEx: ShEx for property graphs

#### Example

```
<Person> [ Human ] AND
  [| name: String |
     firstname: String *,
     lastname: String
  |] AND {
     knows @<Person> [|
        certainty: Decimal
        |] *
  }
```





## PShEx abstract syntax

#### PShEx adds property value specifiers (pvs) to nodes and edges

```
Basic boolean condition on set of types t_s \subseteq T
           cond_{t_s}
se
                           Conjunction
            se_1 AND se_2
                           Shape label reference for l \in L
            @l
                           Property-value specifiers of a node
           pvs
           CLOSED \{te\}
                           Closed shape
            \{te\}
                           Open shape
                           Each of te_1 and te_2
           te_1; te_2
           te_1 \mid te_2
                           Some of te_1 or te_2
                           Zero or more te
            te*
                           Triple constraint with property type p
                           whose nodes satisfy the shape l and property-values pvs
                           Open property-value specifiers ps
            |ps|
```

```
<Person> [ Human ] AND
  [| name: String |
     firstname: String *,
     lastname: String
  |] AND {
     knows @<Person> [|
        certainty: Decimal
        |] *
  }
```

```
 \begin{array}{lll} L & = & \{ \mbox{ Person} \} \\ \delta(\mbox{Person}) & = & \mbox{ hasType}_{Human} \mbox{ AND} \\ & & \mbox{ [name : String | firstname : String*, lastname : String] AND} \\ & \{ \mbox{ $\omega$} & \mbox{ $\omega$} \mbox{ $\omega$} \mbox{ Person | certainty : Decimal]* } \} \end{array}
```

#### **Semantics**

We define the semantics using 2 conformance relationships and several inference rules

 $G, n, \tau \vDash se = \text{node } n \text{ in graph } G \text{ conforms to } se \text{ with assignment } \tau$ 

 $G, ts, \tau \Vdash te = \text{neighborhood}\ ts$  of graph G conform to te with assignment  $\tau$ 

More details in the paper



#### ShEx semantics

$$Cond - \frac{cond(n) = true}{G, n, \tau \models cond}$$

Shape expressions 
$$se^{-Cond} \frac{cond(n) = true}{G, n, \tau \models cond}$$
  $AND \frac{G, n, \tau \models se_1 \quad G, n, \tau \models se_2}{G, n, \tau \models se_1 \quad AND \quad se_2}$ 

$$ShapeRef \frac{\delta(l) = se \quad G, n, \tau \models se}{G, n, \tau \models @l}$$

$$ShapeRef \frac{\delta(l) = se \quad G, n, \tau \vDash se}{G, n, \tau \vDash @l} \qquad ClosedShape \frac{neighs(n, G) = ts \quad G, ts, \tau \Vdash te}{G, n, \tau \vDash \texttt{CLOSED} \ \{te\}}$$

$$OpenShape \frac{ts = \{\langle x, p, y \rangle \in neighs(n, G) \mid p \in preds(te)\} \quad G, ts, \tau \Vdash te}{G, n, \tau \vDash \{te\}}$$

#### Triple expressions te

$$EachOf \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te_1 \quad G, ts_2, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1; te_2}$$

$$OneOf_1 \frac{G, ts, \tau \Vdash te_1}{G, ts, \tau \Vdash te_1 \mid te_2} \qquad OneOf_2 \frac{G, ts, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1 \mid te_2}$$

$$OneOf_2 \frac{G, ts, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1 \mid te_2}$$

$$TC_1 \xrightarrow{ts = \{\langle x, p, y \rangle\}} G, y, \tau \vDash se$$

$$G, ts, \tau \Vdash \Box \xrightarrow{p} se$$

$$TC_{1} \xrightarrow{ts = \{\langle x, p, y \rangle\}} G, y, \tau \vDash se$$

$$G, ts, \tau \Vdash \downarrow \xrightarrow{p} se$$

$$TC_{2} \xrightarrow{ts = \{\langle y, p, x \rangle\}} G, y, \tau \vDash se$$

$$G, ts, \tau \Vdash se \xrightarrow{p} \downarrow$$

$$Star_2 \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te \quad G, ts_2, \tau \Vdash te*}{G, ts, \tau \Vdash te*} \qquad Star_1 \frac{G, \emptyset, \tau \Vdash te*}{G, \emptyset, \tau \Vdash te*}$$

$$Star_1 \overline{G, \emptyset, \tau \Vdash te*}$$



#### **ShEx-Star semantics**

#### Same rules as for ShEx plus:

$$TTC_{1} \xrightarrow{ts = \{\langle \ll t \gg, p, y \rangle\}} G, y, \tau \vDash se \quad neighs(\ll t \gg, G) = ts' \quad G, ts', \tau \Vdash te$$

$$G, ts, \tau \Vdash \ll \bot \xrightarrow{p} se \gg \{|te|\}$$

$$TTC_{2} \xrightarrow{ts = \{\langle x, p, \ll t \gg \rangle\}} G, x, \tau \vDash se \quad neighs(\ll t \gg, G) = ts' \quad G, ts', \tau \Vdash te$$

$$G, ts, \tau \Vdash \ll se \xrightarrow{p} \bot \gg \{|te|\}$$

$$\delta(Person) = \{ (\underline{\neg} \underbrace{name}_{string} | \underline{\neg} \underbrace{fistname}_{string} String^*; \underline{\neg} \underbrace{lastname}_{string} String); \\ \ll \underline{\neg} \underbrace{knows}_{s} @Person \gg \{|\underline{\neg} \underbrace{certainty}_{string} Decimal|\}^* \}$$



#### **ShEx-N** semantics

#### Same rules as in ShEx plus:

$$NP_1 \frac{ts = \{\langle s, x, o \rangle\} \quad G, s, \tau \vDash se_1 \quad G, o, \tau \vDash se_2}{G, ts, \tau \Vdash se_1 \stackrel{\smile}{\rightarrow} se_2}$$

```
\delta(FriendShipProperty) = \{ \begin{array}{ccc} & \xrightarrow{skos:related} & [:Friendship] ; \\ & @Person \xrightarrow{\smile} & @Person \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\ & & \\ \\
```



#### **PShEx semantics**

Semantics of shape expressions se (similar to ShEx)

$$Cond_{ts} \frac{\lambda_{n}(n) = vs \quad cond_{ts}(vs) = true}{G, n, \tau \models cond_{ts}} \qquad AND \frac{G, n, \tau \models se_{1} \quad G, n, \tau \models se_{2}}{G, n, \tau \models se_{1} \quad AND \quad se_{2}}$$

$$ClosedShape \frac{neighs(n, G) = ts \quad G, ts, \tau \Vdash s'}{G, n, \tau \models \text{CLOSED } \{te\}}$$

$$OpenShape \frac{ts = \{\langle x, p, y \rangle \in neighs(n, G) \mid p \in preds(te)\} \quad G, ts, \tau \Vdash te}{G, n, \tau \models \{te\}}$$



#### **PShEx semantics**

#### Semantics of property value specifiers *ps*

$$OpenPVs = \frac{s' = \{(p,v) \in s | p \in props(ps)\} \quad G, s', \tau \vdash ps}{G, s, \tau \vdash [ps]} \quad ClosePVs = \frac{G, s, \tau \vdash ps}{G, s, \tau \vdash [ps]}$$

$$EachOfPs = \frac{G, s, \tau \vdash ps_1 \quad G, s, \tau \vdash ps_2}{G, s, \tau \vdash ps_1, ps_2}$$

$$OneOfPs_1 = \frac{G, s, \tau \vdash ps_1}{G, s, \tau \vdash ps_1 \mid ps_2} \quad OneOfPs_2 = \frac{G, s, \tau \vdash ps_2}{G, s, \tau \vdash ps_1 \mid ps_2}$$

$$StarPs_1 = \frac{StarPs_2}{G, s, \tau \vdash ps_*} = \frac{(s_1, s_2) \in part(s) \quad G, s_1, \tau \vdash ps}{G, s, \tau \vdash ps_*} = \frac{G, s_2, \tau \vdash ps_*}{G, s, \tau \vdash ps_*}$$

$$PropertyValue = \frac{s = \{(p, w)\} \quad conv_v(w) = true}{G, s, \tau \vdash p : cond_v}$$



#### **PShEx semantics**

Semantics of triple expressions te (similar to ShEx)

$$EachOf = \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te_1 \quad G, ts_2, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1; te_2}$$

$$OneOf_1 = \frac{G, ts, \tau \Vdash te_1}{G, ts, \tau \Vdash te_1 \mid te_2} \qquad OneOf_2 = \frac{G, ts, \tau \Vdash te_2}{G, ts, \tau \Vdash te_1 \mid te_2}$$

$$TripleConstraint = \frac{ts = \{\langle x, p, y, s \rangle\} \quad G, y, \tau \vdash @l \quad G, s, \tau \vdash qs}{G, ts, \tau \Vdash \bot \xrightarrow{p} @l \quad qs}$$

$$Star_1 = \frac{Star_1}{G, \emptyset, \tau \Vdash te*}$$

$$Star_2 = \frac{(ts_1, ts_2) \in part(ts) \quad G, ts_1, \tau \Vdash te}{G, ts, \tau \Vdash te*}$$



#### **Conclusions**

ShEx = similar to a Grammar for Knowledge graphs

Can be extended for other kinds of Knowledge Graphs

RDF-Star: ShEx-Star

General RDF: ShEx-N

Property graphs: P-ShEx

Wikibase graphs: WShEx\*

<sup>\*</sup> WShEx: A language to describe and validate Wikibase entities, Jose E. Labra G., In Wikidata Workshop, International Semantic Web Conference. CEUR Proceedings, vol 3265 -2022



#### Future work

ShEx-Star

Align with current work on RDF 1.2 Implement prototype

ShEx-N

Define compact syntax and implement it Identify use cases and expressiveness

**PShEx** 

Define compact syntax and implement prototype
We have already implemented WShEx (Wikibase data model)
WShEx was very useful to describe and create Wikidata subsets

Prioritize which of those lines to follow Use cases and usability of tools are important

## End