

Natural Log transformation in a Regression Model.



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Example: Annual demand for cocoa in million pounds over a period of time.

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□ Log-log as well as the Semi-log interpretation.



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- \square β_1 and β_2 is a log-log interpretation, a.k.a. *Elasticity* interpretation.



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- \square β_1 and β_2 is a log-log interpretation, a.k.a. *Elasticity* interpretation.
- \square β_3 is a semi-log interpretation, a.k.a. *Growth Rate* interpretation.



Natural Log transformation in a Regression Model.

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 - 2. Have 'Betas' be interpreted as *Elasticities* or *Growth Rates*.



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Predict the cocoa demand for the following year and build a 95% confidence interval around the prediction.



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√ The Log-log Model.
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