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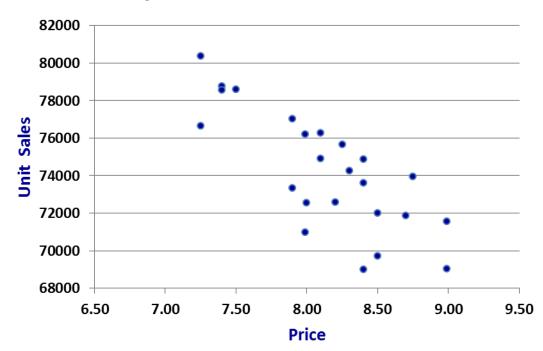
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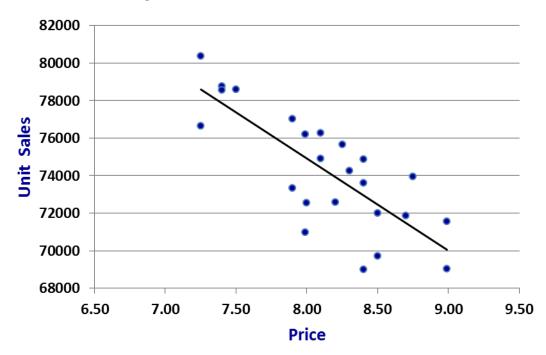
$$Residuals = Sales^{actual} - Sales^{predicted}$$



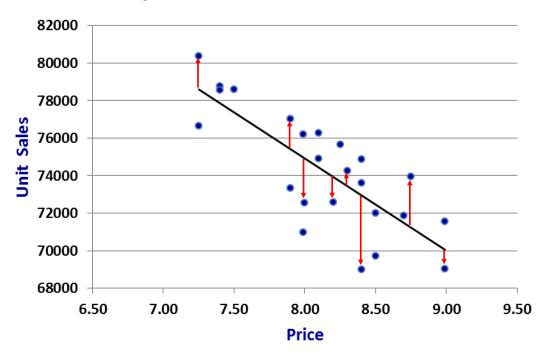


Sales = 
$$\beta_0$$
 +  $\beta_1$ Price  
Sales = 114215.08 - 4913.73Price

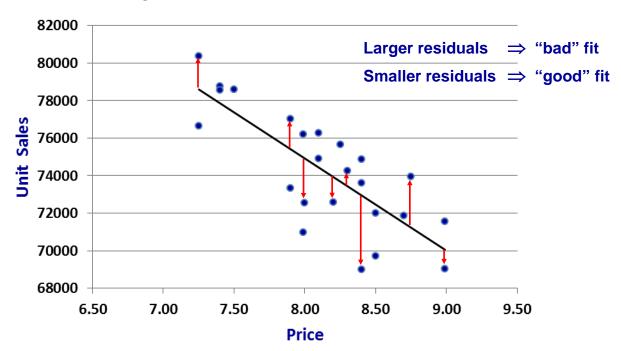














SUMMARY OUTPUT		
Regression Statistics		
Multiple R	0.786759321	
R Square	0.618990229	
Adjusted R Square	0.601671603	
Standard Error	1997.152694	
Observations	24	

**R-square** 

[ A "goodness of fit" measure ]



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- □ Proportion of variation in the Y variable explained by the regression model.
- □ Values closer to 1 indicate a good fit.



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- Residuals and Errors.
- □ R-square: A "goodness of fit" measure.



### Regression is a process that has errors

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- Omitted variables.
- Functional relationship between the Y and X variables.
- □ The theory of regression analysis is based on certain assumptions about these errors.



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