Summer 2024 Data C100/C200 Midterm Reference Sheet

Pandas

Suppose df is a DataFrame; s is a Series. import pandas as pd

Function	Description
df.shape	Returns a tuple containing the number of rows and columns, in that order
df[col]	Returns the column labeled col from df as a Series.
df[[col1, col2]]	Returns a DataFrame containing the columns labeled col1 and col2.
s.loc[rows] / df.loc[rows, cols]	Returns a Series/DataFrame with rows (and columns) selected by their index values.
s.iloc[rows] / df.iloc[rows, cols]	Returns a Series/DataFrame with rows (and columns) selected by their positions.
s.isnull() / df.isnull()	Returns boolean Series/DataFrame identifying missing values
s.fillna(value) / df.fillna(value)	Returns a Series/DataFrame where missing values are replaced by value
s.isin(values) / df.isin(values)	Returns a Series/DataFrame of booleans indicating if each element is in values.
df.drop(labels, axis)	Returns a DataFrame without the rows or columns named labels along axis (either 0 or 1)
df.rename(index=None, columns=None)	Returns a DataFrame with renamed columns from a dictionary index and/or columns
df.sort_values(by, ascending=True)	Returns a DataFrame where rows are sorted by the values in columns by
s.sort_values(ascending=True)	Returns a sorted Series.
s.unique()	Returns a NumPy array of the unique values of s in the order that they appear
s.value_counts()	Returns the number of times each unique value appears in a Series
pd.merge(left, right, how='inner', left_on=col1, right_on=col2)	Returns a DataFrame joining left and right on columns labeled col1 and col2; the join is of type inner
left.merge(right, left_on=col1, right_on=col2)	Returns a DataFrame joining left and right on columns labeled col1 and col2.
df.pivot_table(values=None,	Returns a DataFrame pivot table where columns are unique values from columns (column name or list), and rows are unique values from index (column name or list); cells are collected values using aggfunc. If values is
aggfunc='mean', fill_value=None)	not provided, cells are collected for each remaining column with multi-level column indexing.
df.set_index(col)	Returns a DataFrame that uses the values in the column labeled col as the row index.
df.reset_index()	Returns a DataFrame that has row index 0, 1, etc., and adds the current index as a column.

Let grouped = df.groupby(by) where by can be a column label or a list of labels.

Function	Description	
grouped.count()	Return a DataFrame containing the size of each group, excluding missing values	
grouped.size()	Return a Series containing size of each group, including missing values	
<pre>grouped.mean()/.min()/.max()</pre>	Return a Series/DataFrame containing mean/min/max of each group for each column, excluding missing values	
<pre>grouped.first()/.last()</pre>	Return a Series/DataFrame containing first/last entry of each group for each column, excluding missing values	
<pre>grouped.filter(f) grouped.agg(f)</pre>	Filters or aggregates using the given function f	

Function	Description	
s.str.len()	Returns a Series containing length of each string.	
s.str[a:b]	Returns a Series where each element is a slice of the corresponding string indexed from a (inclusive, optional) to b (non-inclusive, optional).	
s.str.lower()/s.str.upper()	Returns a Series of lowercase/uppercase versions of each string.	

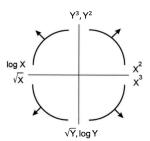
Function	Description	
s.str.replace(pat, repl, regex=False)	Returns a Series that replaces occurences of substrings matching pat with string repl. When regex=False, pairs treated as a literal string; when regex=True, pat is treated as a RegEx pattern.	
s.str.contains(pat)	Returns a boolean Series indicating if a substring matching the regex pat is contained in each string.	
s.str.extract(pat)	Extracts capture groups in the regex pat from each string. Returns a DataFrame with the extracted substri where the columns in the returned DataFrame correspond to the capture groups in pat.	
s.str.split(pat=" ")	Splits the strings in s at the delimiter pat (defaults to a whitespace). Returns a Series of lists, where each list contains strings of the characters before and after the split.	

Visualization

Matplotlib: x and y are sequences of values. import matplotlib.pyplot as plt

Function	Description	
plt.plot(x, y)	Creates a line plot of x against y	
plt.scatter(x, y)	Creates a scatter plot of x against y	
<pre>plt.hist(x, bins=None)</pre>	Creates a histogram of x; bins can be an integer or a sequence	
<pre>plt.bar(x, height)</pre>	Creates a bar plot of categories x and corresponding heights height	

Tukey-Mosteller Bulge Diagram.



Seaborn: x and y are column names in a DataFrame data. import seaborn as sns

Function	Description
<pre>sns.countplot(data=None, x=None)</pre>	Create a barplot of value counts of variable x from data
<pre>sns.histplot(data=None, x=None, stat='count', kde=False) sns.displot(data=None, x=None, kind='hist', rug=False)</pre>	Creates a histogram of x from data, where bin statistics stat is one of 'count', 'frequency', 'probability', 'percent', and 'density'; optionally overlay a kernel density estimator. displot is similar but can optionally overlay a rug plot and/or a KDE plot
<pre>sns.rugplot(data=None, x=None)</pre>	Adds a rug plot on the x-axis of variable x from data
<pre>sns.boxplot(data=None, x=None, y=None) sns.violinplot(data=None, x=None, y=None)</pre>	Create a boxplot of a numeric feature (e.g., y), optionally factoring by a category (e.g., x), from data. violinplot is similar but also draws a kernel density estimator of the numeric feature
<pre>sns.scatterplot(data=None, x=None, y=None)</pre>	Create a scatterplot of x versus y from data
<pre>sns.lmplot(data=None, x=None, y=None, fit_reg=True)</pre>	Create a scatterplot of $\mathbf x$ versus $\mathbf y$ from data, and by default overlay a least-squares regression line
<pre>sns.jointplot(data=None, x=None, y=None, kind='scatter')</pre>	Combine a bivariate scatterplot of x versus y from data, with univariate density plots of each variable overlaid on the axes; kind determines the visualization type for the distribution plot, can be scatter, kde or hist

Regular Expressions

Operator	Description	Operator	Description
	Matches any character except \n	*	Matches preceding character/group zero or more times
\	Escapes metacharacters	?	Matches preceding character/group zero or one times
I	Matches expression on either side of expression; has lowest priority of any operator	+	Matches preceding character/group one or more times
\d, \w, \s	Predefined character group of digits (0-9), alphanumerics (a-z, A-Z, 0-9, and underscore), or whitespace, respectively	^, \$	Matches the beginning and end of the line, respectively
\D, \W, \S	Inverse sets of \d, \w, \s, respectively	()	Capturing group used to create a sub-expression
{m}	Matches preceding character/group exactly m times	[]	Character class used to match any of the specified characters or range (e.g. [abcde] is equivalent to [a-e])
{m, n}	Matches preceding character/group at least m times and at most n times. If either m or n are omitted, set lower/upper bounds to 0 and ∞ , respectively	[^]	Invert character class; e.g. [^a-c] matches all characters except a, b, c

Modified lecture example for capture groups:

```
import re
lines = '169.237.46.168 - - [26/Jan/2014:10:47:58 -0800] "GET ... HTTP/1.1"'
re.findall(r'\[\d+\/(\w+)\/\d+:\d+:\d+:\d+ .+\]', line) # returns ['Jan']
```

Function	Description
- I direction	Description
re.match(pattern, string)	Returns a match if zero or more characters at beginning of string matches pattern, else None
re.search(pattern, string)	Returns a match if zero or more characters anywhere in string matches pattern, else None
re.findall(pattern, string)	Returns a list of all non-overlapping matches of pattern in string (if none, returns empty list)
re.sub(pattern, repl, string)	Returns string after replacing all occurrences of pattern with repl
re.split(pattern, string)	Splits string on occurrences of pattern, returning a list of substrings

Modeling

Concept	Formula	Concept	Formula
Variance, σ_x^2	$\frac{1}{n}\sum_{i=1}^n(x_i-\bar{x})^2$	Correlation r	$r = rac{1}{n} \sum_{i=1}^n rac{x_i - ar{x}}{\sigma_x} rac{y_i - ar{y}}{\sigma_y}$
L_1 loss	$L_1(y,\hat{y}) = \mid y - \hat{y} \mid$	Linear regression estimate of y	$\hat{y}=\theta_0+\theta_1 x$
L_2 loss	$L_2(y,\hat{y}) = (y-\hat{y})^2$	Least squares linear regression	$\hat{ heta}_0 = ar{y} - \hat{ heta}_1 ar{x} \qquad \hat{ heta}_1 = r rac{\sigma_y}{\sigma_x}$
Empirical risk with loss ${\cal L}$	$R(heta) = rac{1}{n} \sum_{i=1}^n L(y_i, \hat{y_i})$		

Ordinary Least Squares

Multiple Linear Regression Model: $\hat{\mathbb{Y}} = \mathbb{X}\theta$ with design matrix \mathbb{X} , response vector \mathbb{Y} , and predicted vector $\hat{\mathbb{Y}}$. If there are p features plus a bias/intercept, then the vector of parameters $\theta = [\theta_0, \theta_1, \dots, \theta_p]^T \in \mathbb{R}^{p+1}$. The vector of estimates $\hat{\theta}$ is obtained from fitting the model to the sample (\mathbb{X}, \mathbb{Y}) .

Concept	Formula	Concept	Formula
Mean squared error	$R(heta) = rac{1}{n} \mathbb{Y} - \mathbb{X} heta _2^2$	Normal equation	$\mathbb{X}^T\mathbb{X}\hat{\theta} = \mathbb{X}^T\mathbb{Y}$
Least squares estimate, if $\mathbb X$ is full rank	$\hat{\theta} = (\mathbb{X}^T \mathbb{X})^{-1} \mathbb{X}^T \mathbb{Y}$	Residual vector, e	$e=\mathbb{Y}-\hat{\mathbb{Y}}$
		$\begin{array}{c} {\rm Multiple} \ R^2 \\ {\rm (coefficient \ of \ determination)} \end{array}$	$R^2 = rac{ ext{variance of fitted values}}{ ext{variance of }y}$
Ridge Regression L2 Regularization	$\tfrac{1}{n} \mathbb{Y}-\mathbb{X}\theta _2^2+\alpha \theta _2^2$	Squared L2 Norm of $ heta \in \mathbb{R}^d$	$ heta _2^2 = \sum_{j=1}^d heta_j^2$
Ridge regression estimate (closed form)	$\hat{ heta}_{ ext{ridge}} = (\mathbb{X}^T \mathbb{X} + n lpha I)^{-1} \mathbb{X}^T \mathbb{Y}$		
LASSO Regression L1 Regularization	$rac{1}{n} \mathbb{Y}-\mathbb{X} heta _2^2+lpha heta _1$	L1 Norm of $ heta \in \mathbb{R}^d$	$ heta _1 = \sum_{j=1} d heta_j $

Gradient Descent

Let $L(\theta, \mathbb{X}, \mathbb{Y})$ be an objective function to minimize over θ , with some optimal $\hat{\theta}$. Suppose $\theta^{(0)}$ is some starting estimate at t=0, and $\theta^{(t)}$ is the estimate at step t. Then for a learning rate α , the gradient update step to compute $\theta^{(t+1)}$ is

$$heta^{(t+1)} = heta^{(t)} - lpha
abla_{ heta} L(heta^{(t)}, \mathbb{X}, \mathbb{Y})$$

where $\nabla_{\theta}L(\theta^{(t)}, \mathbb{X}, \mathbb{Y})$ is the partial derivative/gradient of L with respect to θ , evaluated at $\theta^{(t)}$.