

Cheatsheet

For yambo 5.0



Input file generation and command line interface (yambo -h)

```
Initializations:
                             :Initialization
-setup
              (-i)
-coulomb
              (-r)
                             :Coulomb potential
Response Functions:
-optics
              (-o) <string>
                             :Linear Response optical properties (more with -h optics)
              (-d) <string> :Inverse Dielectric Matrix (more with -h X)
-X
-dipoles
              (-q)
                             :Oscillator strenghts (or dipoles)
-kernel
              (-k) <string> :Kernel (more with -h kernel)
Self-Energy:
-hf
              (-x)
                             :Hartree-Fock
-qw0
              (-p) <string> :GW approximation (more with -h qw0)
             (-q) <string> :Dyson Equation solver (more with -h dyson)
-dyson
-lifetimes
                             :GoWo Ouasiparticle lifetimes
              (-1)
Bethe-Salpeter Equation:
-Ksolver
              (-v) <string> :BSE solver (more with -h Ksolver)
Total Energy:
-acfdt
                             :ACFDT Total Energy
```

Input file generation and command line interface (yambo -h xxxxx)

yambo -h optics	Description :Linear Response optical properties <string>=c Reciprocal-Space <string>=b for Transition-Space Bethe-Salpeter</string></string>
yambo -h X	Description :Inverse Dielectric Matrix <string>=(s)static/(p)PA/(f)ull</string>
yambo -h kernel	<pre>Description :Kernel <string>=hartree/alda/lrc/hf/sex/bsfxc hf/sex only eh-space; lrc only G-space</string></pre>
yambo -h Ksolver	<pre>Description :BSE solver <string>=h/d/s/(p/f)i (h)aydock/(d)iagonalization/(s)lepc/(i)nversion</string></pre>
yambo -h gw0	Description :GW approximation <string>=(p)PA/(c)HOSEX/(r)eal-axis</string>
yambo -h dyson	<pre>Description :Dyson Equation solver <string>=(n)ewton/(s)ecant/(g)reen</string></pre>

Input file generation and command line interface (yambo -h)

```
Help & version:
 -help
              (-h) <string> :<string> can be an option (e.g. -h optics)
 -version
                                  :Code version & libraries
 Input file & Directories:
 -Input
              (-F) <string> :Input file
 -Verbosity (-V) <string>
                              :Input file variables verbosity (more with -h Verbosity)
 -Job
             (-J) <string> :Job string
             (-I) <string> :Input directory
 -Idir
 -Odir
              (-0) <string> :I/O directory
 -Cdir
              (-C) <string> :Communication directory
Parallel Control:
              (-E) <string> :Environment Parallel Variables file
 -parenv
 -nompi
                                  :Switch off MPI support
                                  :Switch off OPENMP support
 -noopenmp
Utilites:
 -Ouiet
              (-0)
                             :Quiet input file creation
 -fatlog
                             :Verbose (fatter) log(s)
 -DBlist
              (-D)
                             :Databases properties
 -walltime
                             :Walltime (more with -h walltime)
                   <int>
 -slktest
                             :ScaLapacK test
```

Example of practical use

Simple

```
$ yambo -F RPA_optics.in -optics c -kernel hartree
$ yambo -F RPA_optics.in = Optics c -kernel hartree
$ yambo -F RPA_optics.in = Optics c -kernel hartree
$ yambo -F RPA_optics.in = Optics.in = Optics.in
```

Advanced

```
$ yambo -F Screening.in -X s -V RL 

$ Generate static Screening.in input file
$ yambo -F Screening.in -J EM1S -C EM1S_out 

⇒ Run yambo to compute screening.
```

- Human readable files are stored inside EM1S_out folder (-C)
- To all human readable file-names is appended the EM1S string (-J)
- Binary files are stored inside EM1S folder (-J)

You can even split the last simulation in two steps (this needs to store the BSE matrix on disk)

(1) Linear response (IP/RPA-NLF):

$$\epsilon_{\alpha,\alpha}(\omega) = 1 + \frac{16\pi}{\Omega} \sum_{c,v} \left[\sum_{c,v} \right]$$

```
\sum_{\mathbf{c}} \frac{1}{E_{c\mathbf{k}} - E_{v\mathbf{k}}} \frac{|\langle v\mathbf{k} | \mathbf{p}_{\alpha}^{\mathsf{See}} (2) | V^{\mathsf{NL}}, \mathbf{r}_{\alpha}| | c\mathbf{k} \rangle|^{2}}{(E_{c\mathbf{k}} - E_{v\mathbf{k}})^{2} - (\omega + (i\gamma)^{2})^{2}}
```

% LongDrXd
 1.000 | 0.000 | 0.000 |
%

E-field direction (for q=0)

Vector (cartesian coordinate)

Refers to first q-point (QpntsRXd)

DFT k-grid % EnRngeXd 0.000 | 10.000 | eV

ETStpsXd = 100

Energy grid in output

Range from 0 to 10 in 100 steps

```
% BndsRnXd
```

1 | 100 | Bands used (empty & filled)

Range from 1 to nbnd

Reduce range to lower memory. In metals, includes partially filled bands. See also **EhEngyXd** (-V all)

% DmRngeXd 0.1000 | 0.100 | eV %

Broadening of spectra

Either a fixed value, or linearly changing between 2 values

(2) FFT and oscillators: yambo -optics c -V RL (several runlevels)

Dipole/momentum matrix elements $(q\rightarrow 0)$

$$\langle n\mathbf{k}|\mathbf{p}+i[V^{\mathrm{NL}},\mathbf{r}]|m\mathbf{k}\rangle$$

Screening matrix elements (FFT) $\rho_{nm}(\pmb{k},\pmb{q},\pmb{G}) = \langle n\pmb{k} \,|\, e^{i(\pmb{q}+\pmb{G})\cdot\pmb{r}} |m\pmb{k}-\pmb{q}\rangle$

where the wavefunction is expanded over reciprocal lattice (G) vectors: $\phi_{n\mathbf{k}}(\mathbf{r}) = \frac{1}{\sqrt{V}} \sum_{\mathbf{G}} e^{i(\mathbf{k} + \mathbf{G}) \cdot \mathbf{r}} c_{n\mathbf{k}}(\mathbf{G})$

FFTGvecs = 1 RL

Number of G-vectors (or energy cutoff) for expanding wavefunctions in transition matrix elements and FFT operations Units: number of G-vectors (RL), or energy unit (Ry, mHa, eV) Determines size (memory) of calculation. Corresponds to cutoff in DFT calculation; can be much less than geometry cutoff

Non-local commutator term

Can greatly increase CPU time. Remove by hiding the SAVE/ns.kb pp pwscf file.

(3) With local fields (RPA-LFE): yambo -optics c -kernel hartree

$$\chi_{\mathbf{G},\mathbf{G'}}(\mathbf{q},\omega) = \chi_{\mathbf{G},\mathbf{G'}}^{0}(\mathbf{q},\omega) = \chi_{\mathbf{G},\mathbf{G'}}^{0}(\mathbf{q},\omega) = \chi_{\mathbf{G},\mathbf{G'}}^{0}(\mathbf{q},\omega)$$

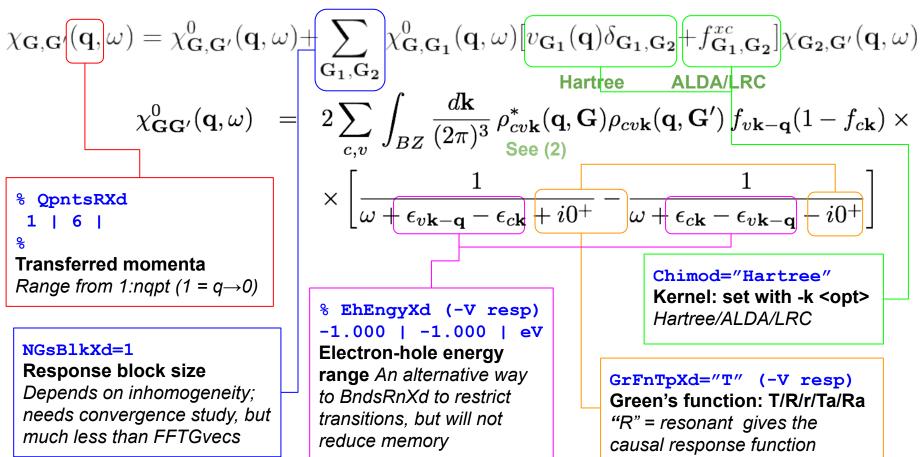
% QpntsRXd 1 | 6 |

Transferred momenta Range from 1:nqpt (1 = $q\rightarrow 0$)

NGsBlkXd=1

Response block size

Depends on inhomogeneity: needs convergence study, but much less than FFTGvecs



(4) Linear response TDDFT: yambo -optics c -kernel ALDA/LRC

$$\chi_{\mathbf{G},\mathbf{G}'}(\mathbf{q},\omega) = \chi_{\mathbf{G},\mathbf{G}'}^{0}(\mathbf{q},\omega)$$

$$\chi^0_{\mathbf{G}\mathbf{G}'}(\mathbf{q},\omega)$$

NGsBlkXd=1

Response block size Depends on inhomogeneity; needs convergence study, but much less than FFTGvecs

FxcGRLc=1 XC-kernel size

Needs convergence study. Much less than FFTGvecs

 $\chi_{\mathbf{G},\mathbf{G}'}(\mathbf{q},\omega) = \chi_{\mathbf{G},\mathbf{G}'}^{0}(\mathbf{q},\omega) + \sum_{\mathbf{G_{1},G_{2}}} \chi_{\mathbf{G},\mathbf{G_{1}}}^{0}(\mathbf{q},\omega) \underbrace{\begin{bmatrix}v_{\mathbf{G_{1}}}(\mathbf{q})\delta_{\mathbf{G_{1},G_{2}}} + f_{\mathbf{G_{1},G_{2}}}^{xc}\end{bmatrix}}_{\mathbf{Hartree}} \chi_{\mathbf{G_{2},G'}}(\mathbf{q},\omega)$ $\chi_{\mathbf{G}\mathbf{G'}}^{0}(\mathbf{q},\omega) = 2\sum_{c,v} \int_{BZ} \frac{d\mathbf{k}}{(2\pi)^{3}} \rho_{cv\mathbf{k}}^{*}(\mathbf{q},\mathbf{G}) \rho_{cv\mathbf{k}}(\mathbf{q},\mathbf{G'}) \underbrace{f_{v\mathbf{k}-\mathbf{q}}(1-f_{c\mathbf{k}})}_{\mathbf{F}v\mathbf{k}-\mathbf{q}}(1-f_{c\mathbf{k}})}_{\mathbf{See}\;(\mathbf{2})}$ $\times \left| \frac{1}{\omega + \epsilon_{v\mathbf{k}-\mathbf{q}} - \epsilon_{c\mathbf{k}} + i0^{+}} - \frac{1}{\omega + \epsilon_{c\mathbf{k}} - \epsilon_{v\mathbf{k}-\mathbf{q}} - i0^{+}} \right|$

LRC alpha=1

LRC fitting parameter Long-range tail of the f kernel. Depends on the system: the larger the screening the smaller this parameter.

Chimod="ALDA"

Kernel: set with -k <opt>

<opt>=ALDA

<opt>=LRC: semi-empirical kernel with proper long-range behaviour. It needs a fitting parameter!

(5) Screening (RPA): yambo -X d

See sheet (3): this runlevel computes the inverse dielectric matrix from X(G,G')

$$\epsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q},\omega) = \delta_{\mathbf{G},\mathbf{G}'} + v_{\mathbf{G}}(\mathbf{q})\chi_{\mathbf{G},\mathbf{G}'}(\mathbf{q},\omega)$$

Connection with experiment:

$$\epsilon_M(\omega) = \lim_{\mathbf{q} \to 0} \frac{1}{\epsilon_{\mathbf{G}=\mathbf{0},\mathbf{G}'=\mathbf{0}}^{-1}(\mathbf{q},\omega)}$$

$$Abs(\omega) = Im \, \epsilon_M(\omega) \quad EELS(\omega) = -Im \, \frac{1}{\epsilon_M(\omega)}$$

(6a) Coulomb integrals RIM (Random Integration Method): yambo -coulomb

$$v(m{q}+m{G})=rac{4\pi}{|m{q}+m{G}|^2} \ \int_{Bz}rac{d^3q}{2\pi^3}f(q,G)v(q+G)pproximation$$
 is given by:

A better approximation is given by:

$$\int_{Bz} \frac{d^3q}{2\pi^3} f(q,G)v(q+G) \approx \sum_{q_i} f(q_i,G)I_{q_i}(G)$$

Monte Carlo integral of the Coulomb potential in each region the Bz has been dissected by the q point sampling

$$I_{q_i}(G) = \int_{R_{\Sigma}} \frac{d^3 q'}{(2\pi)^3} v(q + q' + G)$$

Tip: 1. **Needed** for non 3D system to avoid divergences for small q. Suggested also for 3D system to accelerate Sx convergences. 2. **Needed** to build cutoff potential with box shape

Random Integration Method

RandQpts=1000000

Number of q points to perform Monte Carlo Integration, RandGvec= 1 RI

Number of G vectors the RIM is calculated

Tip: RandGvec=1 (gamma) is usually enough. 1 or 2 Million q points is usually accurate.

(6b) Coulomb cutoff:

yambo -coulomb

$$v(\boldsymbol{q} + \boldsymbol{G}) = \frac{4\pi}{|\boldsymbol{q} + \boldsymbol{G}|^2}$$

Truncation of the Coulomb potential for non 3D system to speed up convergence with respect the vacuum

$V_c(\mathbf{r}) = egin{cases} rac{1}{|\mathbf{r}|}, & ext{if } \mathbf{r} \in S \ 0, & ext{otherwise.} \end{cases}$

- Sphere XYZ: assign: CUTRadius= 10.0 a.u
- Cylinder Z: assign CUTRadius and CUTCylLen (CUTCylLen=0 indicates infinite cylinder)
- Box Z: assign CUTBox

% CUTBox

0.00 | 0.00 | 32.00 | # [CUT] [au]

Box sides

%

Box side=0 means do not cut in that direction

S: interactting region:

CUTGeo= "box Z" X/Y/Z or XY/XZ/YZ or XYZ

- Possible region:
- sphere (0D for molecules),
- cylinder (1D for polymers, tubes, etc),
- box (0D, 1D, 2D).

XYZ: cut in all directions

Box: XY: cut in XY only, etc...

Cylinder X/Y/Z indicates cylinder axis

Tip: When using Box shapes, the RIM is also needed to calculate the potential. In Box for large enough boxes assigns Box side slighlty smaller than the cell box

(7) Exchange self energy - Vxc : $\sum_{n\mathbf{k}}^{x} - V_{n\mathbf{k}}^{xc}$ yambo -hf

$$\Sigma_{n\mathbf{k}}^{x} = \sqrt[4]{n\mathbf{k}} \Sigma^{x}(\mathbf{r}_{1}, \mathbf{r}_{2}) / \sqrt[4]{n\mathbf{k}} = -\sum_{m} \int_{BZ} \frac{d\mathbf{q}}{(2\pi)^{3}} \sum_{\mathbf{G}} \sqrt[4]{(\mathbf{q} + \mathbf{G})} / \rho_{nm}(\mathbf{k}, \mathbf{q}, \mathbf{G}) / 2 f_{m(\mathbf{k} - \mathbf{q})}$$
See (6) See (2)

DFT k-grid

 $\{q\} = \{k-k'\}$

occupied bands only

EXXRLvcs= 2487001 RL

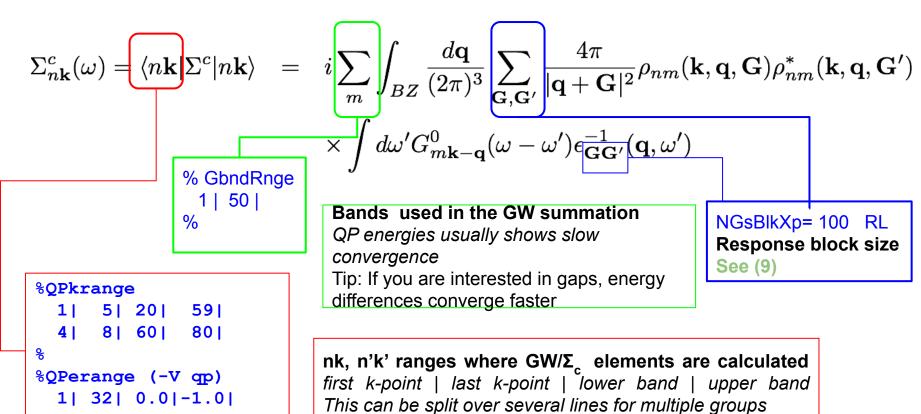
VXCRLvcs= 2487001 RL

G-vectors in the exchange and xc-potential

Number of RL vectors, or energy in Ry / mHa / etc Tip: to be converged, possibly leave the maximum value

nk, n'k' ranges where GW/Σ_x elements are calculated first k-point | last k-point | lower band | upper band This can be split over several lines for multiple groups Tip: careful use of fewer k-points and bands reduces the calculation time; yambo will interpolate the rest nk,nk' ranges (alternative method) first k-point | last k-point | lower energy | upper energy

(8) Correlation part of self energy: yambo -gw0 ppa



Tip: careful use of fewer k-points and bands reduces the calculation time; yambo will interpolate the rest

(8a) Dyson Solver: yambo -dyson n/s

$$E_{nk}^{QP} = \epsilon_{nk} + \langle \psi_{nk} | \Sigma(E_{nk}^{QP}) - V_{xc} | \psi_{nk} \rangle$$

DysSolver= "n" First order expansion around KS eigenvalue

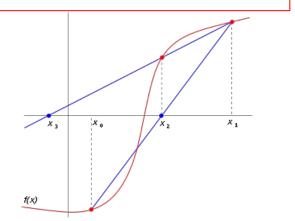
$$E_{nk}^{QP} = \epsilon_{nk} + Z_{nk} \langle \psi_{nk} | \Sigma(\epsilon_{nk}) - V_{xc} | \psi_{nk} \rangle$$

$$Z_{nk} = \left[1 - \frac{d\Sigma_{nk}(\omega)}{d\omega}\Big|_{\omega = \epsilon_{nk}}\right]^{-1} \qquad \text{dScStep= 0.10000 eV \# [GW] Energy step to evaluate Z}$$

DysSolver= "s" Secant iterative method

https://en.wikipedia.org/wiki/Secant method

$$x_n = x_{n-1} - f(x_{n-1}) \frac{x_{n-1} - x_{n-2}}{f(x_{n-1}) - f(x_{n-2})} = \frac{x_{n-2} f(x_{n-1}) - x_{n-1} f(x_{n-2})}{f(x_{n-1}) - f(x_{n-2})}$$



(9) Plasmon Pole approximation (PPA):

yambo -X p

Components of the Dielectric matrix approximated has a single pole functions:

$$\epsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q},\omega) \sim \delta_{\mathbf{G},\mathbf{G}'} + \mathbf{R}_{\mathbf{G},\mathbf{G}'}(\mathbf{q})[(\omega - \Omega_{\mathbf{G},\mathbf{G}'}(\mathbf{q}) + i0^{+})^{-1} - (\omega + \Omega_{\mathbf{G},\mathbf{G}'}(\mathbf{q}) - i0^{+})^{-1}]$$

Residuals $R_{\mathbf{G},\mathbf{G}'}(\mathbf{q})$ and energies $\Omega_{\mathbf{G},\mathbf{G}'}(\mathbf{q})$ are found by imposing the PPA to reproduce the exact ϵ^{-1} function at ω = 0 and ω = iE_{PPA} with E_{PPA} being a suitable user-defined parameter.

$$R_{\mathbf{G},\mathbf{G}'}(\mathbf{q}) = \frac{ \frac{\epsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q},\omega=\mathbf{0})\Omega_{\mathbf{G},\mathbf{G}'}}{\mathbf{2}}$$

$$\Omega_{\mathbf{G},\mathbf{G}'} = E_{PPA} \sqrt{\frac{\epsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q},\omega = \mathbf{E}_{\mathbf{PPA}})}{\epsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q},\omega = \mathbf{0}) - \epsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q},\omega = \mathbf{E}_{\mathbf{PPA}})}}$$

The QP energies should not depend too much on the choice of imaginary plasmon frequency. **Tip:** Choose a value higher in energy than the plasmon peak (EELS spectrum)

% BndsRnXp 1 | 100 |

Bands used (empty & filled)
Range from 1 to nbnd

Badysa range to lower mamer

Reduce range to lower memory.

NGsBlkXp= 100 RL Response block size

PPAPntXp= 27.21138 eV
PPA imaginary energy

(10a) BSE Hamiltonian:

yambo -optics b -kernel sex -X s

BSE is rewritten as an eigenvalue problem for the 2 particle Hamiltonian: size of matrix $[N_v \times N_c \times K_{BZ}] \times [N_v \times N_c \times K_{BZ}]$

$$H_{\underline{v'c'\mathbf{k'}}}^{\underline{exc}} = [(\epsilon_{c\mathbf{k}} - \epsilon_{v\mathbf{k}}) \delta_{c,c'} \delta_{v,v'} \delta_{\mathbf{k}\mathbf{k'}} + (f_{c\mathbf{k}} - f_{v\mathbf{k}}) [2\bar{V}_{\underline{v'c'\mathbf{k'}}}^{\underline{vc\mathbf{k}}} - W_{\underline{v'c'\mathbf{k'}}}]$$

Difference of quasiparticle energies:

From DFT + QP corrections:

Kernel part: see next slide

KfnQPdb= " E < ./SAVE/ndb.QP"

Location of QP corrections database

From previous GW calculation

OR

% BSEBands
2 | 8 |
Bands Range
lower band | upper band |

% KfnQP_E
1.4000 | 1.200 | 0.900 |
QP corrections parameters
scissor | stretch conduction | stretch valence

(10b) BSE kernel: yambo -optics b -kernel sex -X s

Electron-hole exchange part (from Hartree potential - local field effects):

$$K_{vc\mathbf{k},v'c'\mathbf{k}'}^{x} = \bar{V}_{vc\mathbf{k},v'c'\mathbf{k}'} = \frac{1}{\Omega} \sum_{\mathbf{G}\neq\mathbf{0}} v(\mathbf{G}) \langle c\mathbf{k}|e^{i\mathbf{G}\mathbf{r}}|v\mathbf{k}\rangle \langle v'\mathbf{k}'|e^{-i\mathbf{G}'\mathbf{r}}|c'\mathbf{k}'\rangle$$

$$\mathbf{BSENGexx} = \mathbf{30} \ \mathbf{Ry}$$

$$\mathbf{Components} \ \mathbf{of} \ \mathbf{Hartree} \ \mathbf{potential}$$

Electron-hole attraction part (from screened exchange potential - excitonic effects):

$$K^{c}_{vc\mathbf{k},v'c'\mathbf{k}'} = W_{vc\mathbf{k},v'c'\mathbf{k}'} = \frac{1}{\Omega} \sum_{\mathbf{G},\mathbf{G}'} v(\mathbf{q}+\mathbf{G}) \varepsilon_{\mathbf{G},\mathbf{G}'}^{-1}(\mathbf{q}) \langle c\mathbf{k}|e^{i(\mathbf{q}+\mathbf{G})\mathbf{r}}|c'\mathbf{k}'\rangle \langle v'\mathbf{k}'|e^{-i(\mathbf{q}+\mathbf{G}')\mathbf{r}}|v\mathbf{k}\rangle \delta_{\mathbf{q}\mathbf{k}-\mathbf{k}'}$$
 %BandsRnXs 1 | 20 | NGsBlkXs = 2 Ry % LongDrXS See (3) 1.000 | 1.000 | 1.000 |

(11a) BSE solver (diagonalisation): yambo -Ksolver d

The macroscopic dielectric function is obtained as:

```
 = 1 - \lim_{\mathbf{q} \to 0} \frac{8\pi}{|\mathbf{q}|^2 \Omega} \sum_{v c \mathbf{k}} \sum_{v' c' \mathbf{k}'} \langle v \mathbf{k} - \mathbf{q} | e^{-i\mathbf{q}\mathbf{r}} | c \mathbf{k} \rangle \langle c' \mathbf{k}' | e^{i\mathbf{q}\mathbf{r}} | v' \mathbf{k}' - \mathbf{q} \rangle \sum_{\mathbf{q}} \frac{A_{cv \mathbf{k}}^{\lambda} \left( A_{c'v' \mathbf{k}'}^{\lambda} \right)}{|\omega - E_{\lambda}|} 
      % BLongDir
                                                                                          % BDmRange
         1.000000 | 1.000000 | 0.000000
      Direction of the longitudinal perturbation
       % BEnRange
           2.00000 | 8.00000 | eV
                                                                                          WRbsWF
        min | max energy range
       BEnSteps= 200
       Number of evenly spaced energy points
```

```
0.10000 | 0.10000 | eV
Lorentzian broadening changes linearly
broad@min energy| broad@max energy
```

Store eigenvectors to disk for post-processing

Very demanding, gives spectrum, excitonic energies and wave-functions

(11b) BSE solver (Lanczos-Haydock): yambo -Ksolver h

The macroscopic dielectric function is obtained as:

The macroscopic dielectric function is obtained as:
$$\epsilon_M\left(\omega\right) \equiv 1 - \lim_{\mathbf{q} \to 0} \frac{8\pi}{|\mathbf{q}|^2\Omega} \sum_{vc\mathbf{k}} \left| \left\langle v\mathbf{k} - \mathbf{q} | e^{-i\mathbf{q}\mathbf{r}} | c\mathbf{k} \right\rangle \right|^2 \frac{1}{(\omega - a_1) - \frac{b_2^2}{(\omega - a_2) - \frac{b_3^2}{\cdots}}}.$$
 The a's and b's are obtained iteratively from Lanczos algorithm
$$(\omega - a_2) - \frac{b_3^2}{\cdots}$$

Threshold for accuracy of the iterative process of two consecutive approximations to the spectrum

Negative sign: average difference over the energy range

<u>Positive sign</u>: maximum difference over the energy range

In addition to input parameters defined in (11a)

Very efficient, only the spectrum is obtained in output

Not possible! WRbsWF Store eigenvectors to disk for post-processing

(11b) BSE solver (Slepc library): yambo -Ksolver s

$$\epsilon_M(\omega) \equiv 1 - \lim_{\mathbf{q} \to 0} \frac{8\pi}{|\mathbf{q}|^2 \Omega} \sum_{v c \mathbf{k}} \sum_{v' c' \mathbf{k}'} \langle v \mathbf{k} - \mathbf{q} | e^{-i\mathbf{q}\mathbf{r}} | c \mathbf{k} \rangle \langle c' \mathbf{k}' | e^{i\mathbf{q}\mathbf{r}} | v' \mathbf{k}' - \mathbf{q} \rangle \sum_{\lambda} \frac{A_{cv \mathbf{k}}^{\lambda} \left(A_{c'v' \mathbf{k}'}^{\lambda}\right)^*}{\omega - E_{\lambda}}$$

BSSNEig=20 # Number of eigenvalues to compute

BSSEnTarget=2.00 eV # Algorithm looks for the N eigen closest to Target energy

BSSSlepcMaxIt=500 # Maximum number of iterations (if 0 automatically set by PETSC)

WRbsWF

In addition to input parameters defined in (11a)

Advanced (optional) parameters

Store eigenvectors to disk for post-processing

Precondition technique (none|preonly+jacobi|bcgs+jacobi)

BSSSlepcPrecondition="bcgs+jacobi"

BSSSlepcApproach="Krylov-Schur" # (Krylov-Schur, Generalized-Davidson, Jacob-Davidson)

Extraction method BSSSlepcExtrac="harmonic"

BSSSlepcTol=1.E-6 # Threshold for iterative schemes

#BSSSlepcMatrix # Use faster algorithm which does not use memory distribution

BSSSlepcNCV= 300 # Dimension of subspace for iterate approaches

Quite efficient. Computational load depends on the <u>number of eigenvalues requested</u>. Gives spectrum, excitonic energies and wave-functions for such eigenvalues.



$$\chi^{0}_{\mathbf{GG}}(\mathbf{q},\omega) = 2 \sum_{c,v} \int_{BZ} \frac{d\mathbf{k}}{(2\pi)^{3}} \rho^{*}_{cv\mathbf{k}}(\mathbf{q},\mathbf{G}) \rho_{cv\mathbf{k}}(\mathbf{q},\mathbf{G}') f_{v\mathbf{k}-\mathbf{q}}(1-f_{c\mathbf{k}}) \times \\ \times \boxed{1 \\ \omega + \epsilon_{v\mathbf{k}-\mathbf{q}} - \epsilon_{c\mathbf{k}} + i0^{+} - \frac{1}{\omega + \epsilon_{c\mathbf{k}} - \epsilon_{v\mathbf{k}-\mathbf{q}} - i0^{+}}}$$
 Q momenta (MPI q)
$$\text{Xo bands} \text{ (MPI c,v)}$$

$$\chi(\mathbf{q},\omega) = \left[I - \chi^0(\mathbf{q},\omega)v\right]^{-1} \chi^0(\mathbf{q},\omega)$$

X_all_q_ROLEs= "q k c v" # [PARALLEL] CPUs roles (q,k,c,v)

X_all_q_CPU= "1 2 4 2" # [PARALLEL] CPUs for each role

X_Threads= 4 # [OPENMP/GW] Number of threads

for response functions

X_all_q_LinAlg_INV = 32 # [PARALLEL] CPUs for matrix inv

num MPI tasks = 1 * 2 * 4 * 2 num threads/MPI-tasks = 4 Total num threads = 4 * (1 * 2 * 4 * 2) MPI-c,v best memory distribution MPI-k efficient, some mem repl MPI-q may lead to load unbalance OpenMP efficient, need extra mem

(13b) Parallelism: Correlation part of self energy

$$\begin{split} \Sigma_{n\mathbf{k}}^{c}(\omega) = & \langle n\mathbf{k} | \Sigma^{c} | n\mathbf{k} \rangle = i \sum_{m} \int_{BZ} \frac{d\mathbf{q}}{(2\pi)^{3}} \sum_{\mathbf{G},\mathbf{G}'} \frac{4\pi}{|\mathbf{q}+\mathbf{G}|^{2}} \rho_{nm}(\mathbf{k},\mathbf{q},\mathbf{G}) \rho_{nm}^{*}(\mathbf{k},\mathbf{q},\mathbf{G}') \\ & \times \int d\omega' G_{m\mathbf{k}-\mathbf{q}}^{0}(\omega-\omega') \epsilon_{\mathbf{G}\mathbf{G}'}^{-1}(\mathbf{q},\omega') \end{split}$$
 Q transferred momenta (MPI qp) Space DoF (OMP SE_Threads)

```
SE_ROLEs= "q qp b" # [PARALLEL] CPUs roles (q,qp,b)

SE_CPU= "1 2 8" # [PARALLEL] CPUs for each role

SE_Threads= 4 # [OPENMP/GW] Number of threads

# for self-energy
```

num MPI tasks = 1 x 2 x 8
num threads/MPI-tasks = 4
Total num threads = 4 x (1 x 2 x 8)
MPI-b best memory distribution
MPI-qp no communication
MPI-q leads to load unbalance
OpenMP very efficient

(14) IO: yambo -V io

are needed. Memory heavy.

StdoHash= 40 # [IO] Live-timing Hashes # [IO] Space-separated list of DB with NO I/O. DBsIOoff= "none" DB=(DIP,X,HF,COLLs,J,GF,CARRIERs,W,SC,BS,ALL) DBsFRAGpm= "none" # [IO] Space-separated list of +DB to be FRAG and -DB NOT to be FRAG. DB=(DIP,X,W,HF,COLLS,K,BS,QINDX, #WFbufflO # [IO] Wave-functions buffered I/O Parts of the WFs are stored by the node. Nodes communicate when these elements

No ndb.* file is written. Example: DBsIOoff= "DIP" - ndb.dip_iR_and_P_fragment_* is not written, but stored in memory if Yambo needs it.

Fragments the database. Smaller files (e.g. ndb.em1s_fragment_*) are created instead of a large one (e.g. ndb.em1s).

Faster read/write operations in parallel runs

Input file generation and command line interface (ypp -h)

```
Brillouin Zone:
-grid
              (-k) <string> :BZ Grid generator (more with -h grid)
              (-m)
                             :Fine to coarse grid Map
-map
Conversions:
-wf
              (-w) <string> :WFs (more with -h wf)
-fixsym
              (-y)
                             :Remove symmetries not consistent with an external perturbation
-qpdb
                   <string> :Quasiparticle Databases (more with -h qpdb)
Plots:
-BSiq
              (-b) <int>
                            :Excitonic State Momentum
-electron
              (-s) <string> :Electronic properties (more with -h electron)
-exciton
              (-e) <string> :Excitonic properties (more with -h exciton)
-freehole
                             :Free hole position in the excitonic plot
-avehole
                             :Average hole/electron wavefunction
Wannier:
```

:Wannier 90 interface

-wannier

Input file generation and command line interface (ypp -h xxxxx)

<string>=(k)pt,(q)pt,(s)hifted,(h)igh symmetry,(r)andom,r(e)gular

ypp -h wf Description :WFs

<string>=(p)erturbative SOC mapping, (c)onversion

<string>=(g) enerate-modify/(m) erge/(e) xpand

(e)xpand uses the symmetries to generate a BZ-expanded QP database

 $\langle string \rangle = (w) ave, (d) ensity, (m) ag, do(s), (b) ands, (c) urrent$

<string>=(s) ort, (sp) in, (a) mplitude, (w) ave, (i) nterpolate

(YPP 1) Postprocessing - exciton plot:

```
ypp -exiton w qindx
```

```
excitons
                     # [R] Excitons
wavefunction
                     # [R] Wavefunction
Format= "x"
                     # Output format [(c)ube/(g)nuplot/(x)crysden]
Direction= "123" # [rlu] [1/2/3] for 1d or [12/13/23] for 2d [123] for 3D
FFTGvecs= 30 Ry # [FFT] Plane-waves
States= "1 - 3" # Index of the BS state(s)
Degen Step= 0.0100 eV # Maximum energy separation of two degenerate states
% Cells
                     # Number of cell repetitions in each direction (odd or 1)
% Hole
0.00 | 3.44
                         # [cc] Hole position in unit cell
                | 0.00 |
```

Excitonic wavefunction does not have the periodicity of the e and h wavefunctions but is generally more extended, with a fictitious periodicity due to the k-points sampling