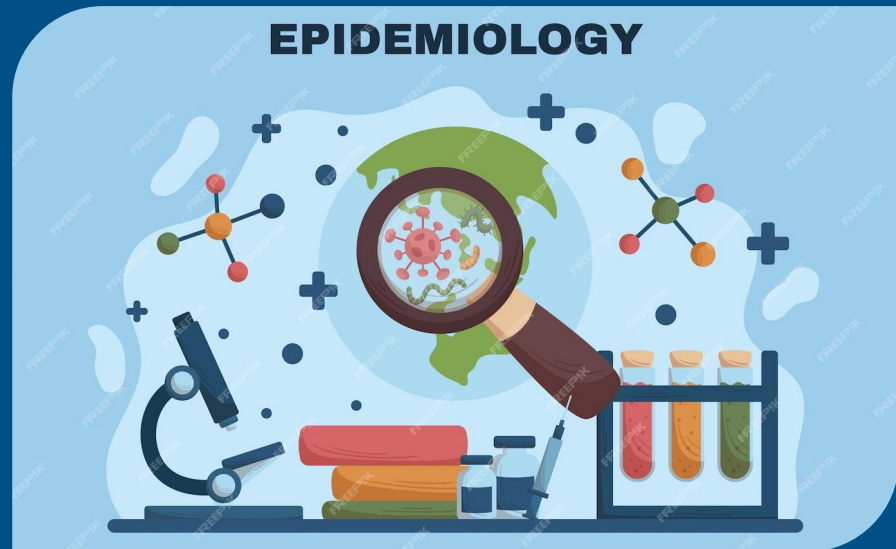


CS 5990 Final: Epidemiology

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Methodology

- Three network types
 - Fully-Mixed (complete)
 - Small-World (Watts-Strogatz)
 - Barabasi-Albert
 - Simulated networks generated using same strategy from Group Assignment #1
- Tested three values for the interesting parameter for each network
 - Fully-Mixed: population size
 - Small-World: rewiring parameter (degree held constant)
 - Barabasi-Albert: new edge degree (core size held constant)
- Avoids large number of possibilities given all parameters
- Within each network's three value tests
 - Two β values
 - Three γ values
- 18 total simulations per network type

Methodology

- Stop conditions, whichever comes first
 - SI: all infected ($I = N$)
 - SIR: all infected ($I = N$) or all non-infected ($S + R = N, S < N, R > 0$)
 - 2000 ticks

Source Code

```
public void step() {  
    if (this.state == Human.STATE_INFECTED && this.tick > this.infectedTick) {  
        for (Object human : this.network.getAdjacent(this)) {  
            if (Human.random.nextDouble() < this.beta) {  
                ((Human)human).tryBecomeInfected();  
            }  
        }  
  
        if (Human.random.nextDouble() < this.gamma) {  
            this.recover();  
        }  
    }  
  
    ++this.tick;  
}
```

Parameter Summary

	SIR Parameters	Fixed Parameters	Tested Parameters
Fully-Mixed	$\beta = 0.001, 0.002$ $\gamma = 0.00, 0.10, 0.20$	$I_0 / n = 0.01$ $S_0 / n = 0.99$	$n = 100, 500, 1000$
Small-World	$\beta = 0.001, 0.002$ $\gamma = 0.00, 0.10, 0.20$	$I_0 = 5$ $S_0 = 495$ $d = 6$	$B = 0.05, 0.10, 0.20$
Barabasi-Albert	$\beta = 0.001, 0.002$ $\gamma = 0.00, 0.10, 0.20$	$I_0 = 5$ $S_0 = 495$ $n_0 = 25$	$m = 5, 10, 20$

Note: $\gamma = 0.00$ corresponds to an SI simulation, $\gamma > 0.00$ corresponds to an SIR simulation

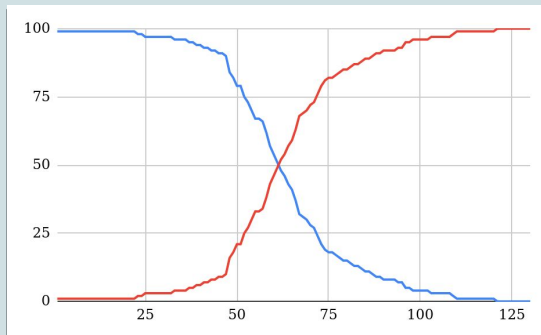
Graph Info

- Legend
 - Blue: Susceptible
 - Red: Infected
 - Green: Recovered
- Horizontal axis: simulation ticks
- Vertical axis: number of agents

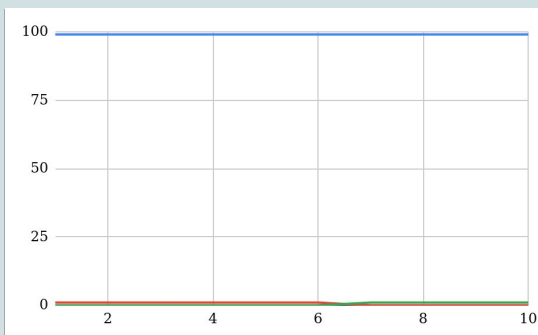
Fully-Mixed Model: $n = 100$

$\gamma = 0.00$

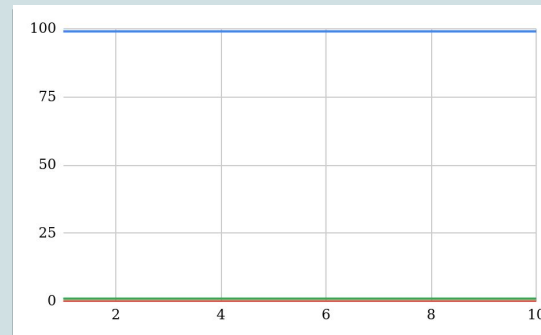
$\beta = 0.001$



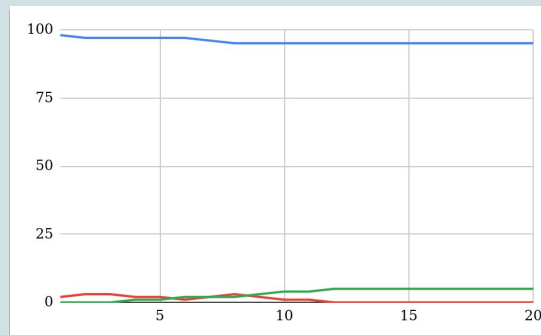
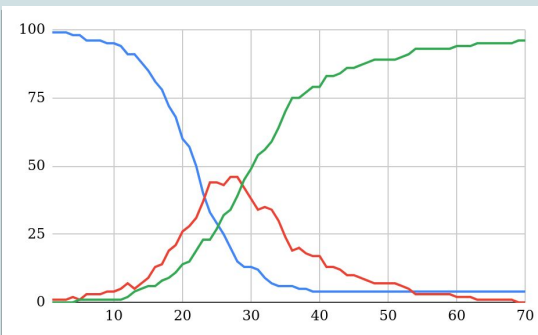
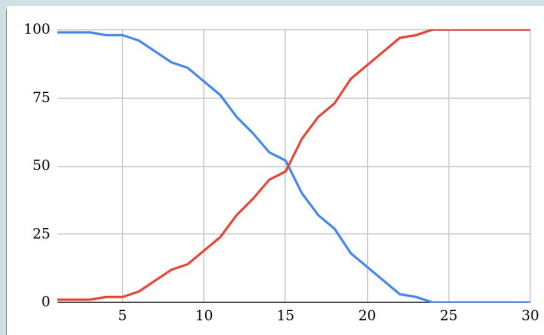
$\gamma = 0.10$



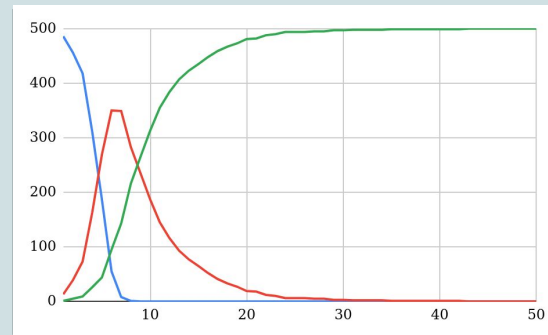
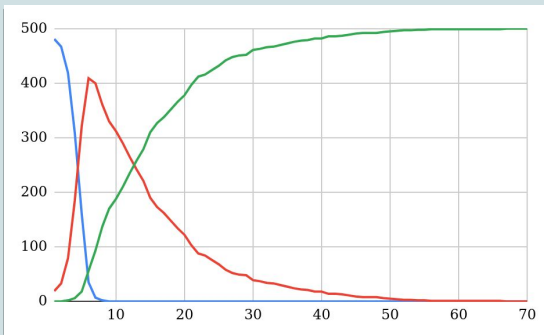
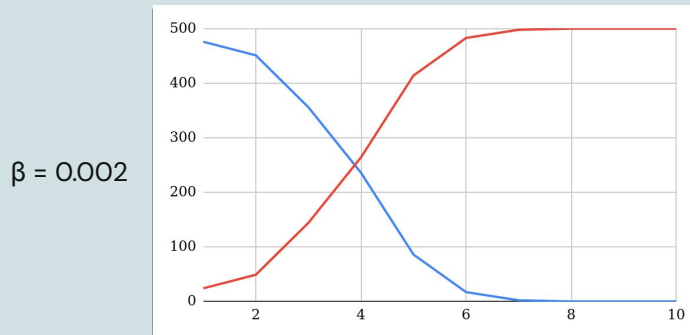
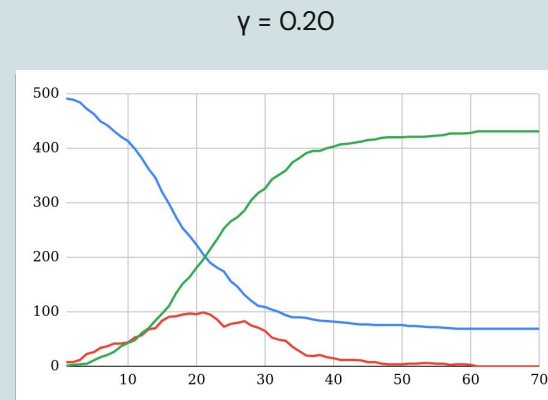
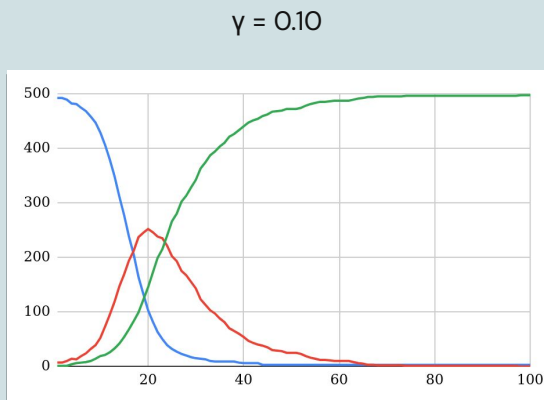
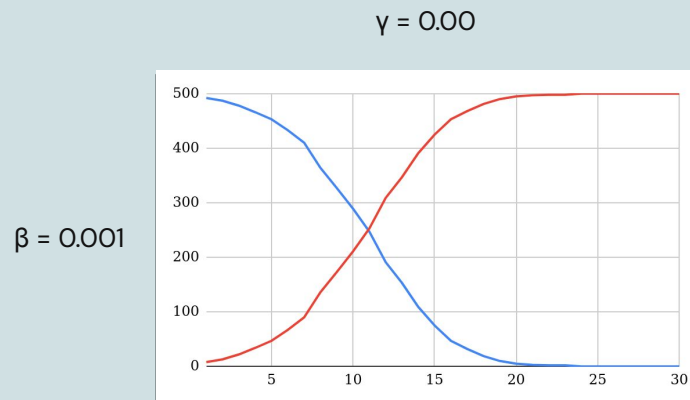
$\gamma = 0.20$



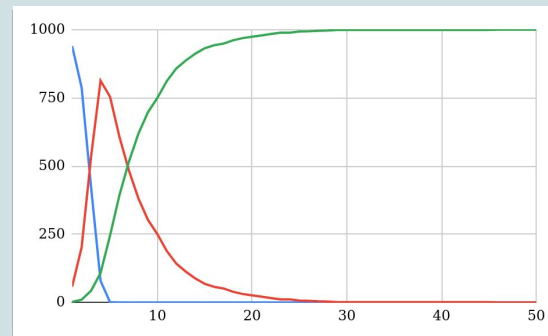
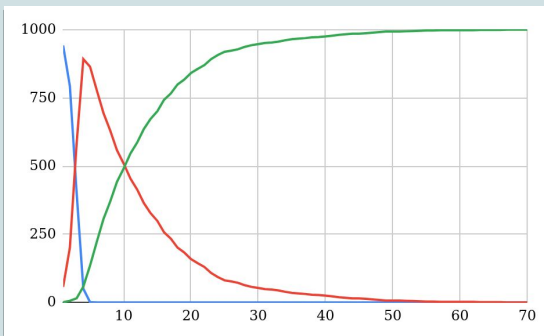
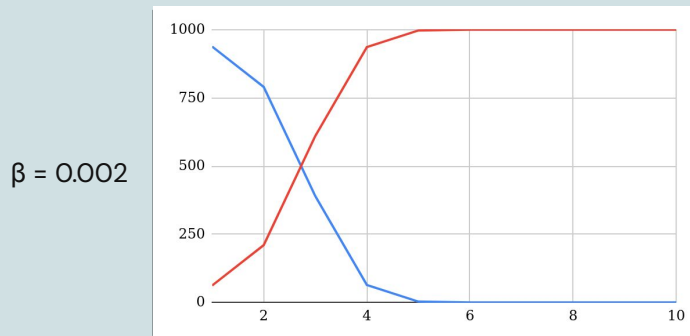
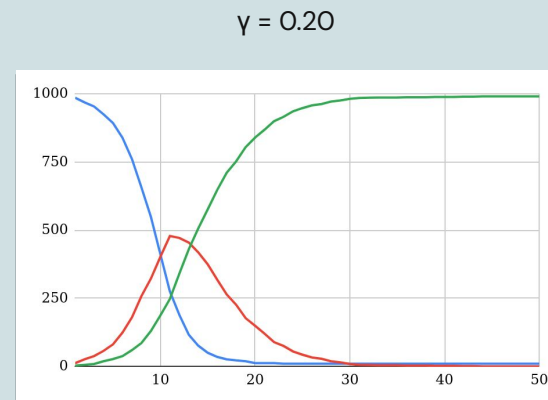
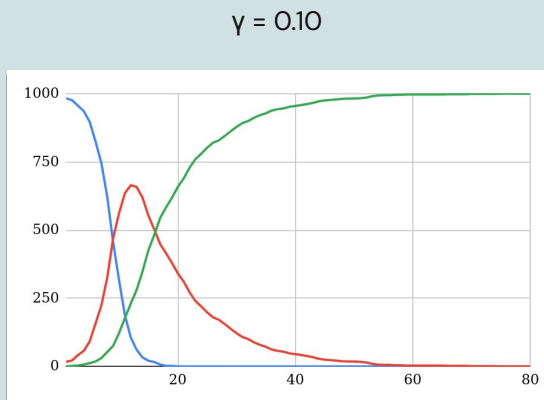
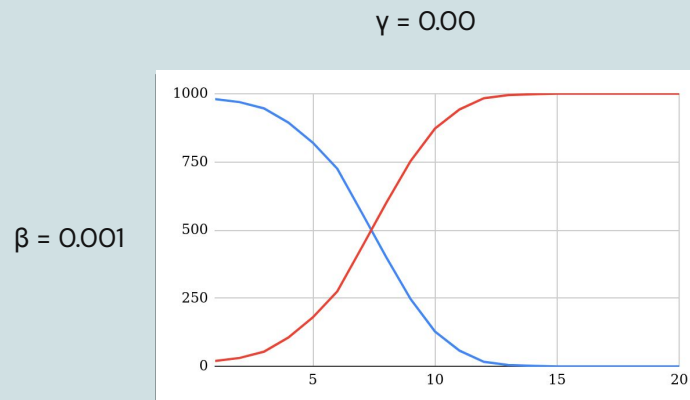
$\beta = 0.002$



Fully-Mixed Model: $n = 500$



Fully-Mixed Model: $n = 1000$



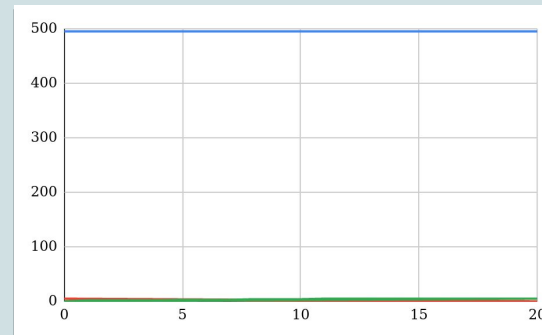
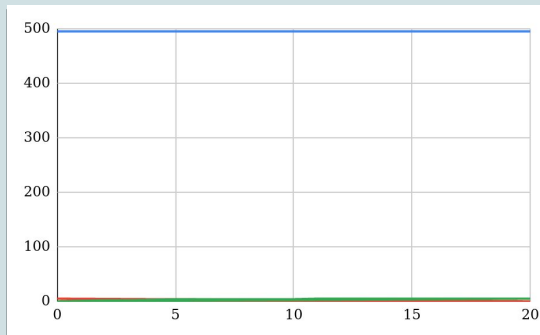
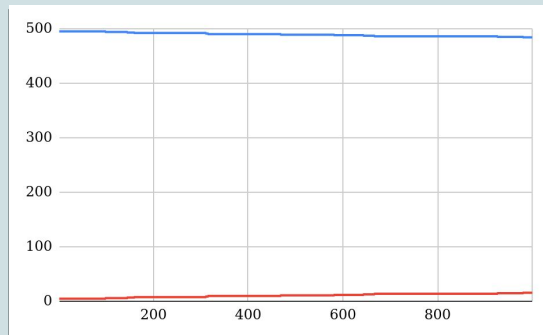
Small-World Model: $B = 0.05$

$\gamma = 0.00$

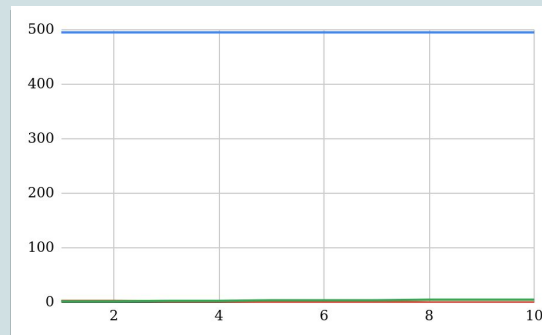
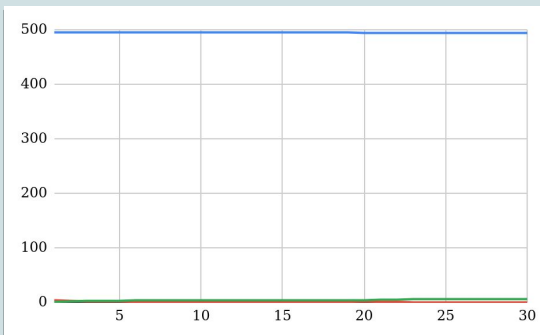
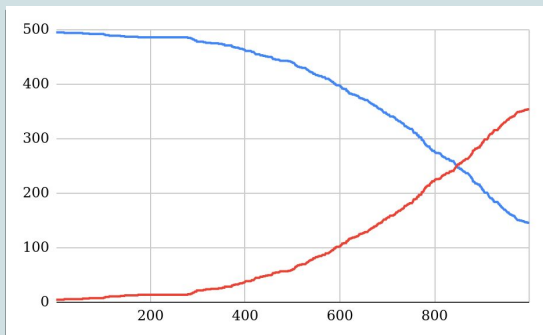
$\gamma = 0.10$

$\gamma = 0.20$

$\beta = 0.001$



$\beta = 0.002$



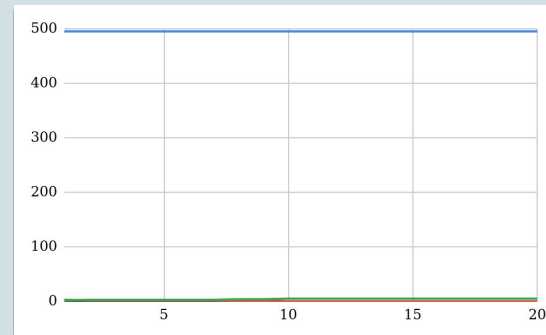
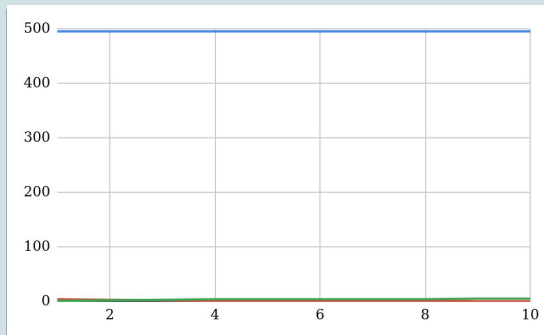
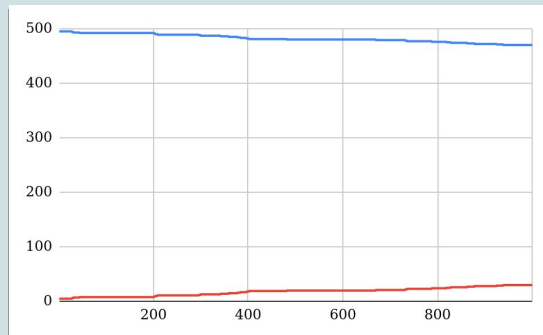
Small-World Model: $B = 0.10$

$\gamma = 0.00$

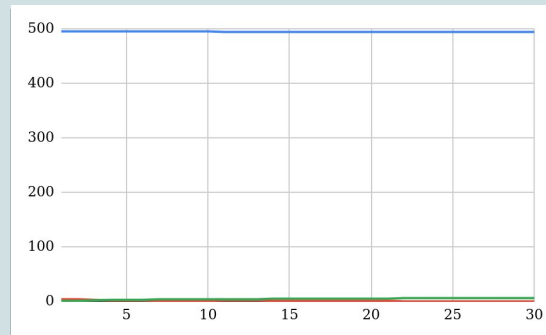
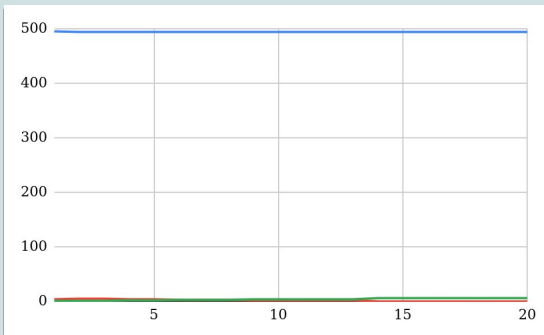
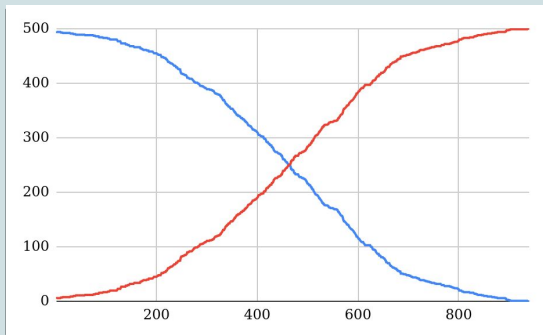
$\gamma = 0.10$

$\gamma = 0.20$

$\beta = 0.001$



$\beta = 0.002$



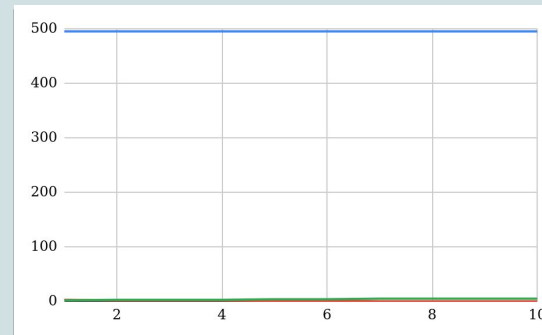
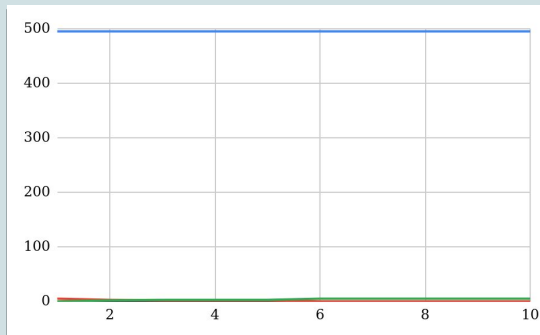
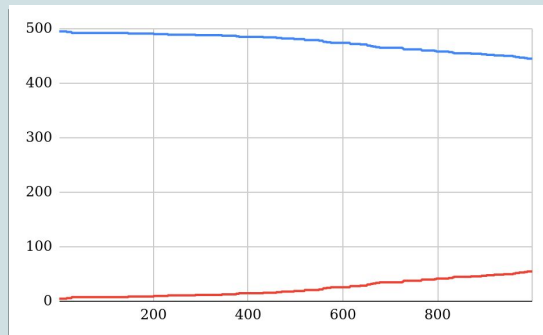
Small-World Model: $B = 0.20$

$\gamma = 0.00$

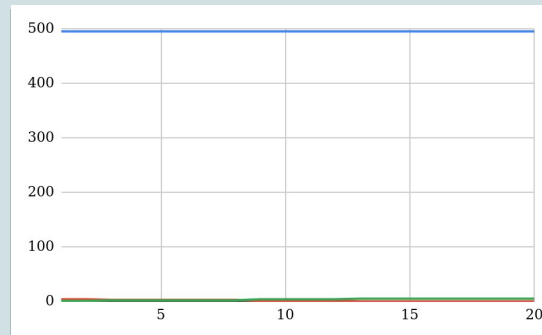
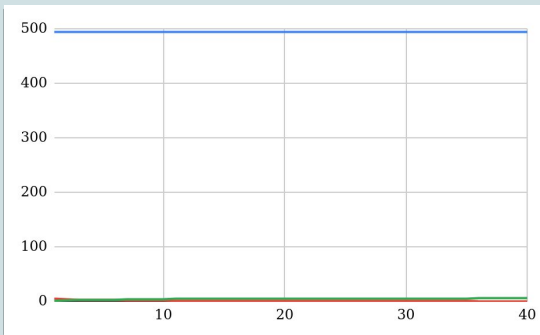
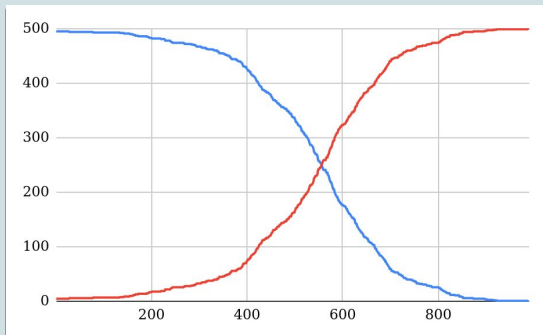
$\gamma = 0.10$

$\gamma = 0.20$

$\beta = 0.001$



$\beta = 0.002$



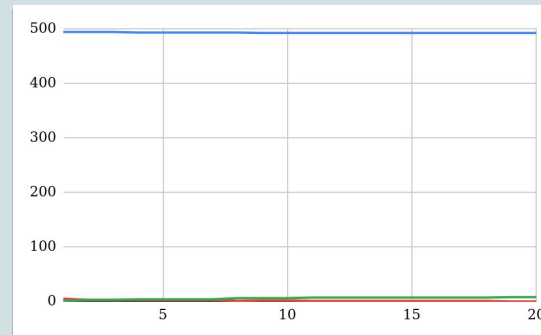
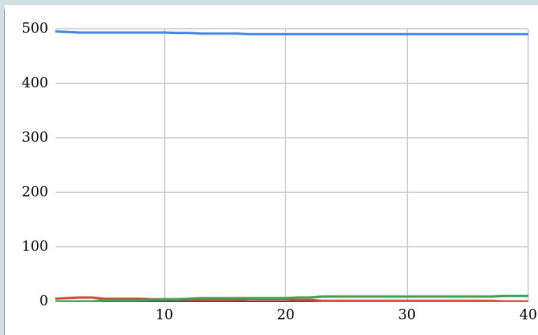
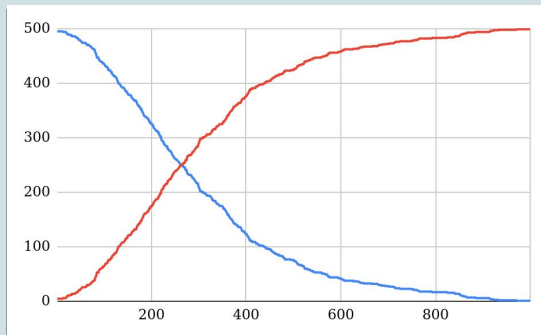
Barabasi-Albert Model: $m = 5$

$\gamma = 0.00$

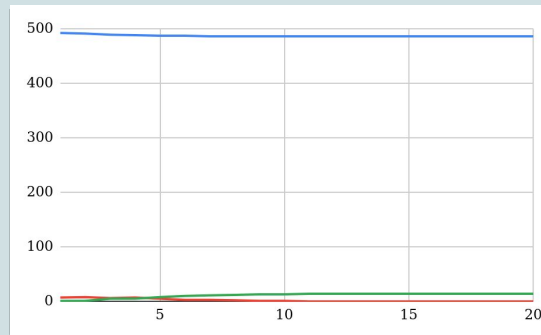
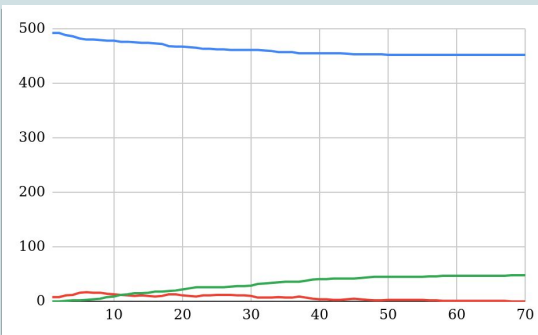
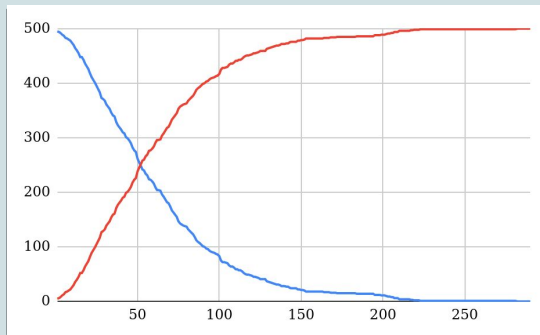
$\gamma = 0.10$

$\gamma = 0.20$

$\beta = 0.001$



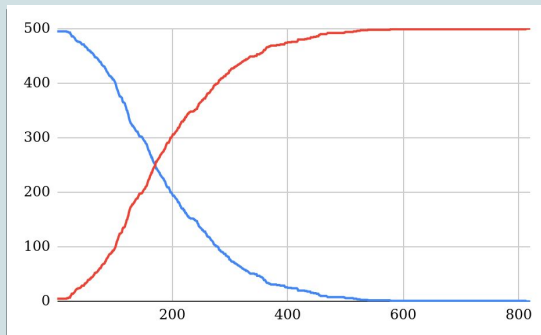
$\beta = 0.002$



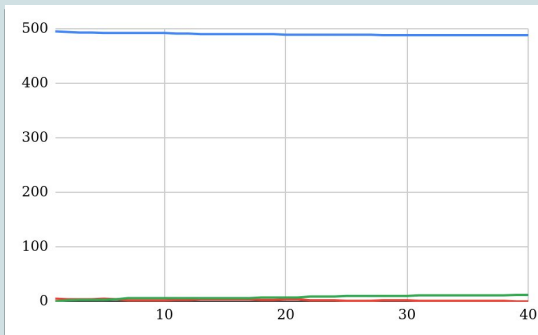
Barabasi-Albert Model: $m = 10$

$\gamma = 0.00$

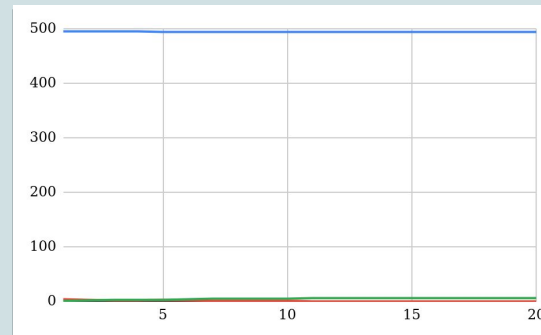
$\beta = 0.001$



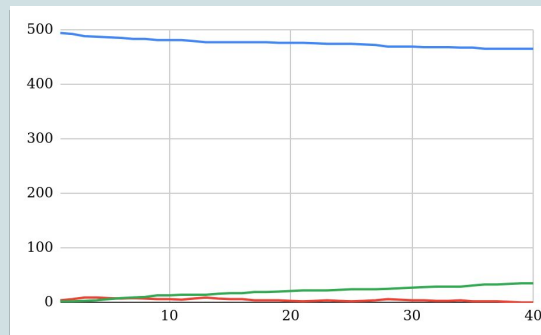
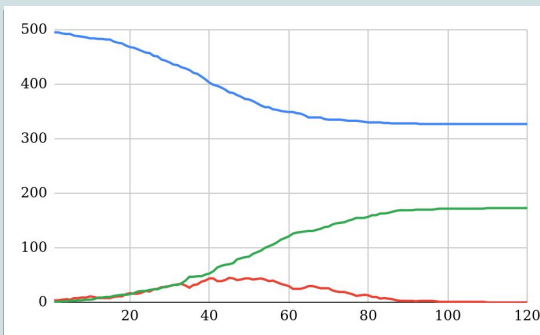
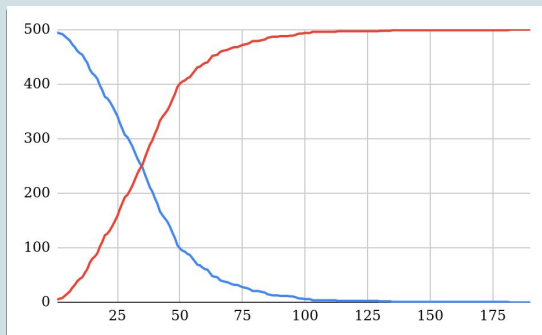
$\gamma = 0.10$



$\gamma = 0.20$



$\beta = 0.002$



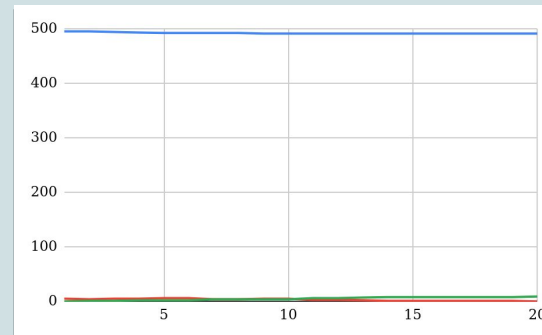
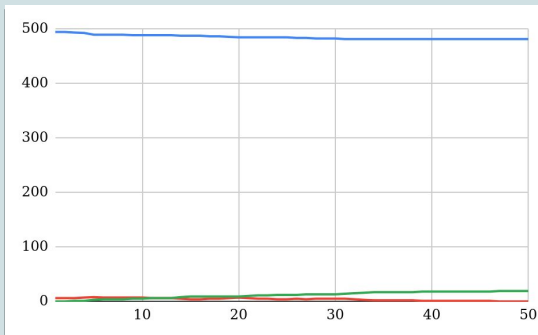
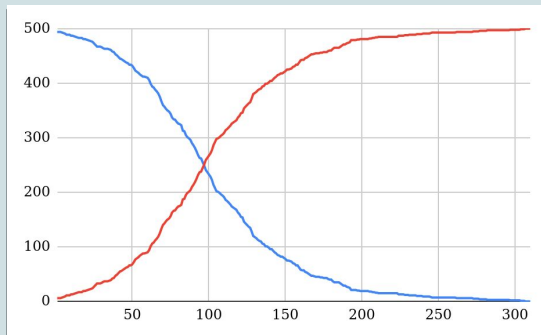
Barabasi-Albert Model: $m = 20$

$\gamma = 0.00$

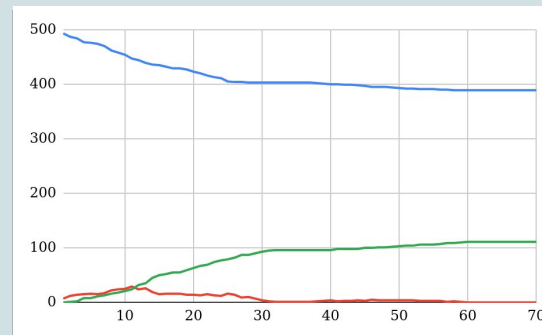
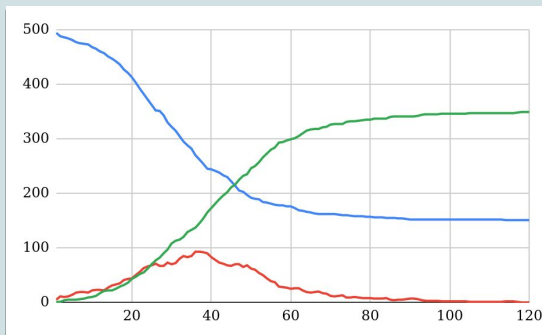
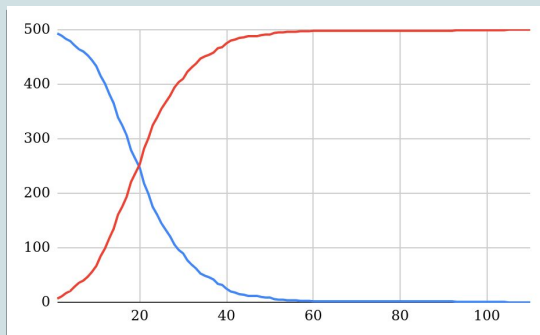
$\gamma = 0.10$

$\gamma = 0.20$

$\beta = 0.001$



$\beta = 0.002$



Findings

- Fully-Mixed models
 - Larger populations spread disease faster due to complete network topography
 - Reaches peak number of infections faster
 - Increasing recovery rate initially extends simulation, then shortens
 - Lower rate balances infection
 - Higher rate quickly eliminates infection
- Small-World
 - SI models slow down significantly
 - SIR models show no meaningful disease spread
 - Perhaps a much higher d needed
- Barabasi-Albert
 - Both models slow down as in Small-World
 - Possibly more capable of showing meaningful disease spread

Tasks

- Aumkareshwar: Methodology and Presentation
- Jeremy Anunwah: Repast Symphony implementation
- Yurii Lebid: Repast Symphony setup
- Bill Kim: Simulation graphs and Presentation

Thank You