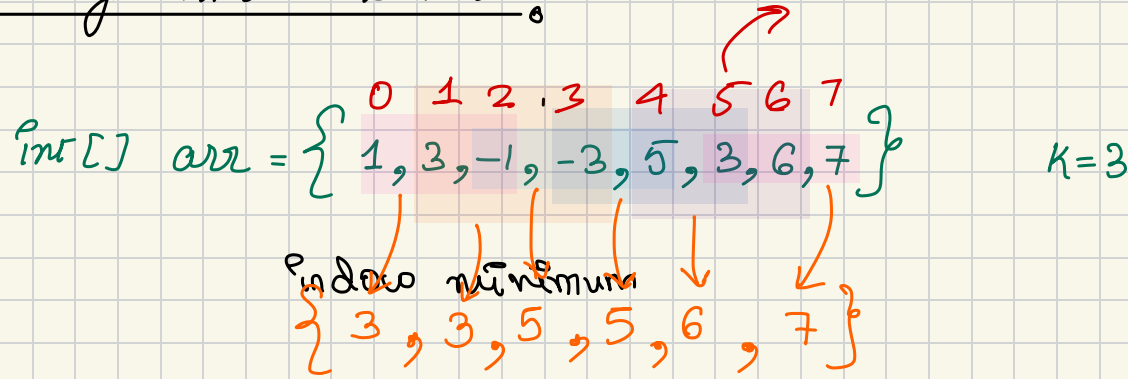




## Sliding Window Maximum



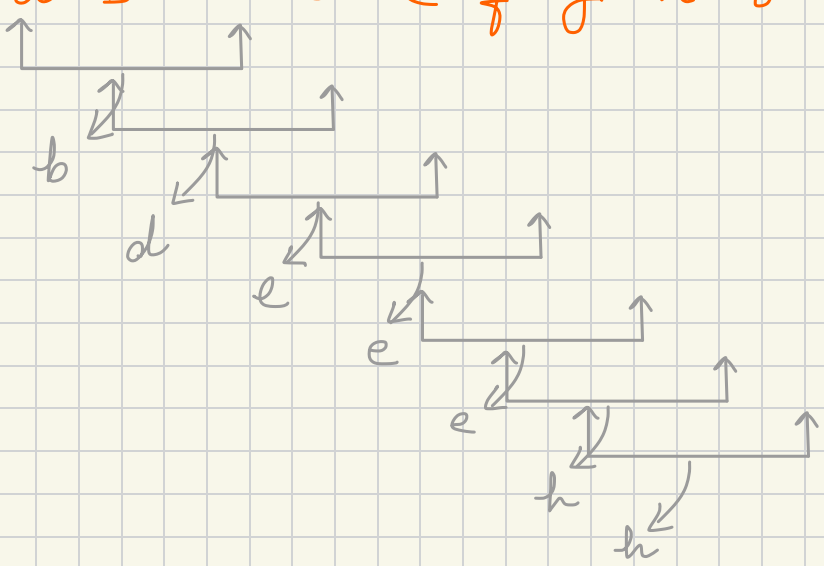
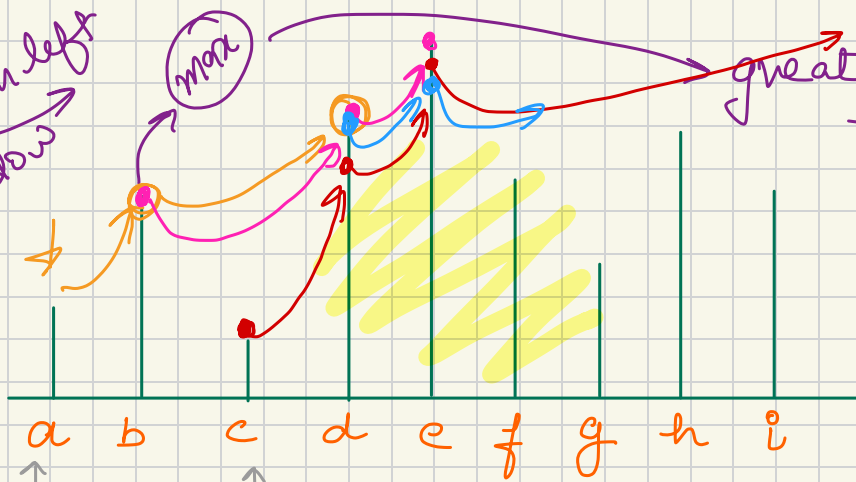
## Brute Force

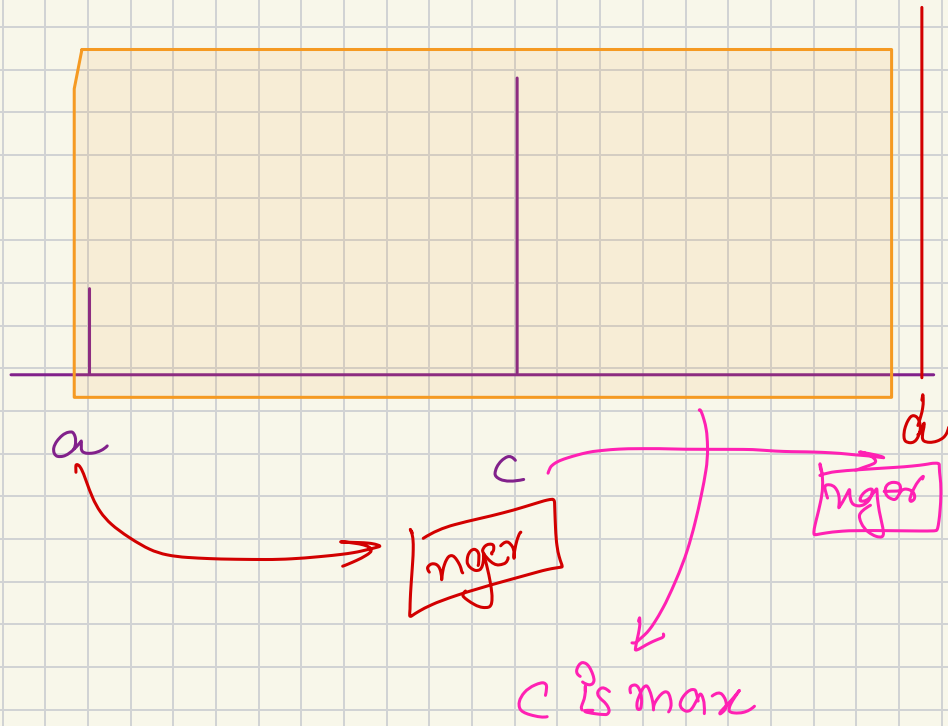
```
for (int i = 0 -> n - k)
{
    int max = -∞;
    for (int j = i; j < i + k; j++)
    {
        max = Math.max(max, arr[j]);
    }
    ans.add(max);
}
```

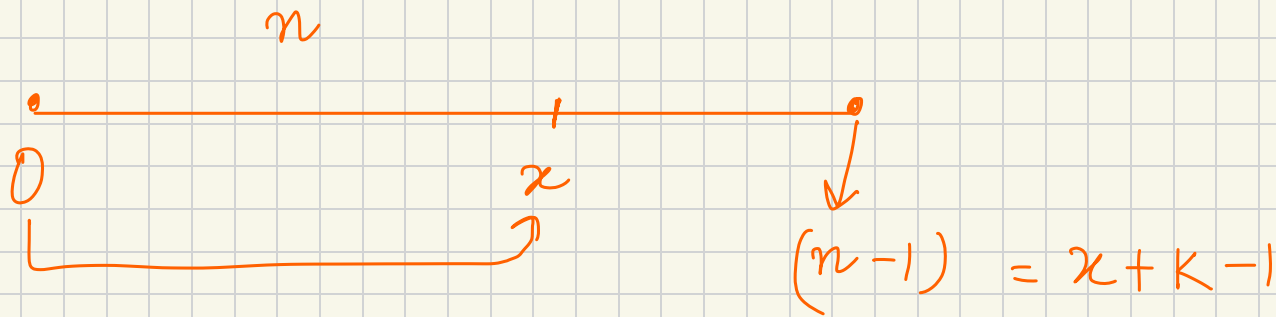
Tc:  $O(N * K)$   
Sc:  $O(1)$

greater than everyone on left in the window

greater than everyone on the right in the window





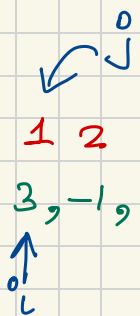


$$\boxed{n - k = x}$$

$$\boxed{0 \rightarrow n - k}$$

$\rightarrow (n - k + 1)$  windows |

$\text{int[] arr} = \{ \overset{0}{1}, \overset{1}{3}, \overset{2}{-1}, \overset{3}{-3}, \overset{4}{5}, \overset{5}{3}, \overset{6}{6}, \overset{7}{7} \}$   $k=3$

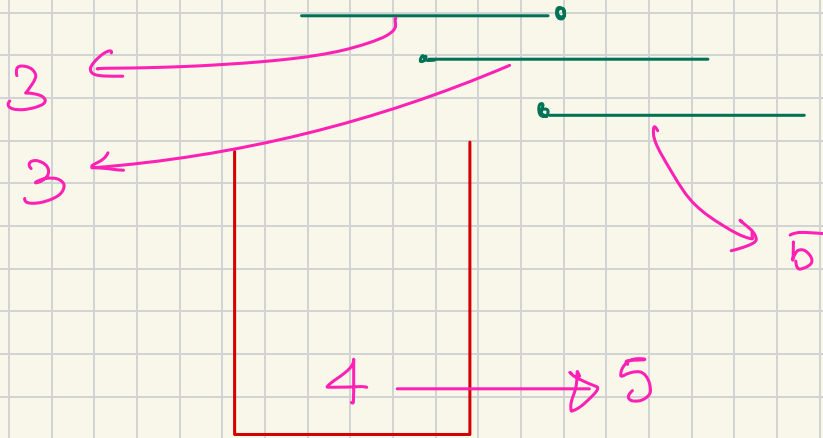


3, 3

$\text{nger[]} = \{ 1, 4, 4, 4, 6, 6, 7, 8 \}$

# sliding window maximum

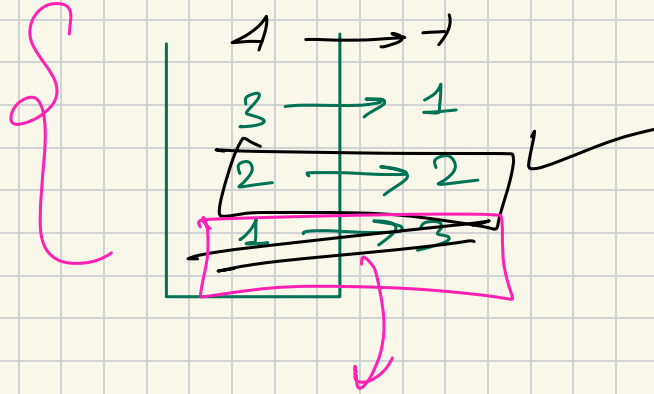
arr = {<sup>0</sup> 1, <sup>1</sup> 3, <sup>2</sup> -1, <sup>3</sup> -3, <sup>4</sup> 5, <sup>5</sup> 3, <sup>6</sup> 6, <sup>7</sup> 7 }



Stack {monotonic}

0 1 2 3 4  
 $\{ 4, 3, 2, 1, -1 \}$

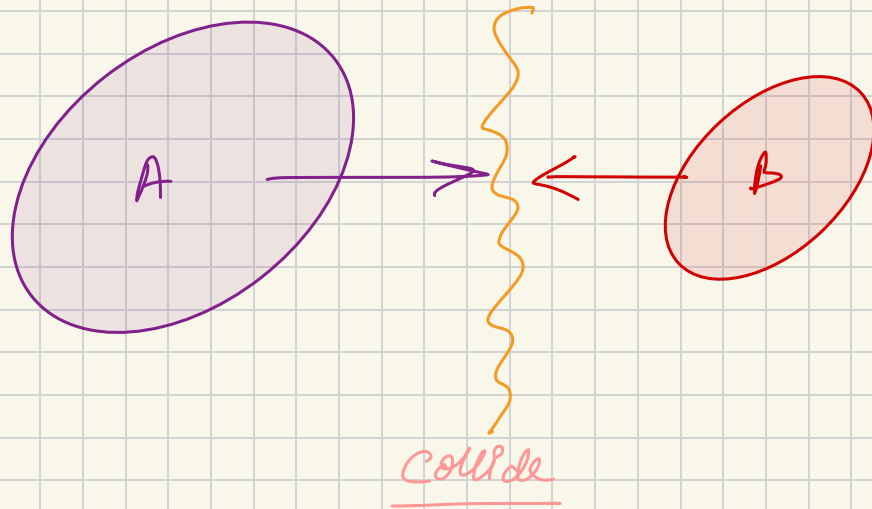
$k=3$



4  
 deque

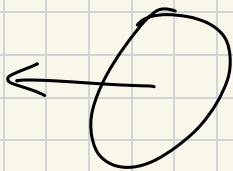
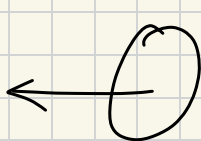


## Asteroid Collision



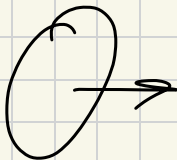
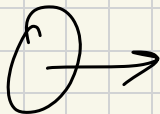
NOTE: Smaller one will get destroyed, and bigger remains unaffected  
if same size asteroid collide, both will get destroyed

Case 1



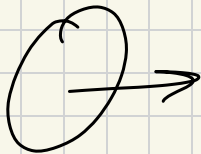
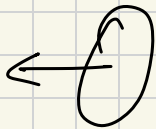
no collision

Case 2



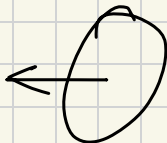
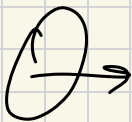
no collision

Case 3



no collision

Case 4



yes collision

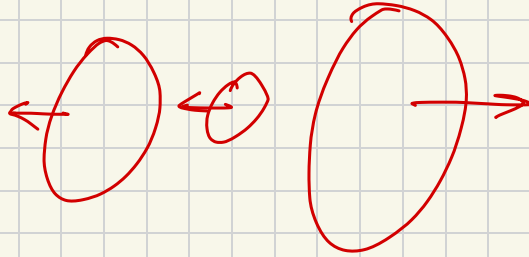
asteroids[] = { 1, 2, 3, -4, -2, 5, -3 }

→ → → ← → → →

(+) we → moving right

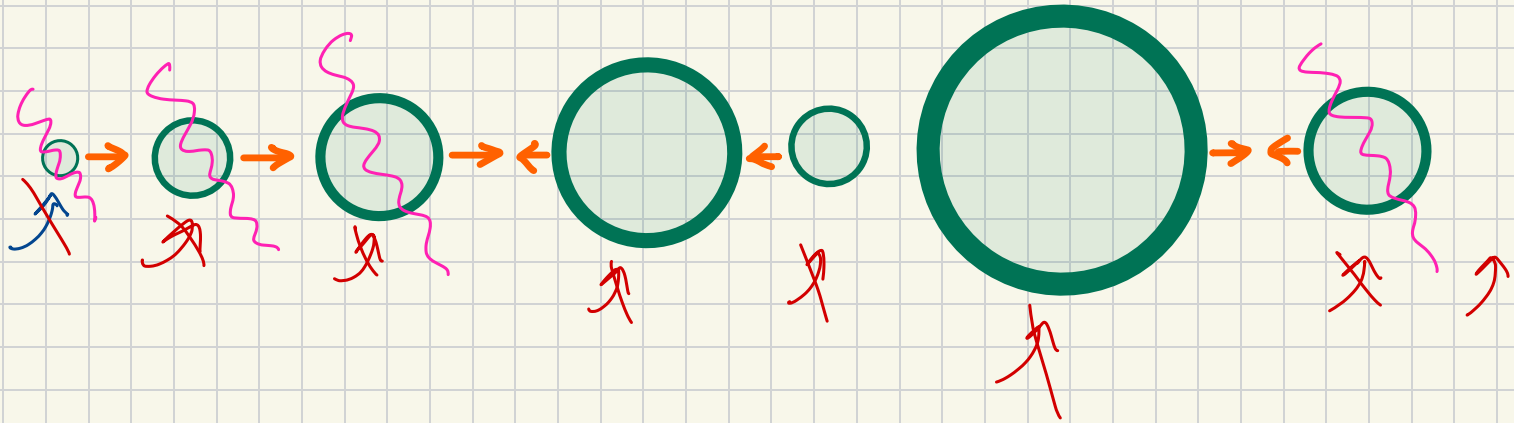
(-) we → moving left

asteroids[] = { 1, 2, 3, -4, -2, 5, -3 }



{ -4, -2, 5 } → ans!

asteroids[] = { 1, 2, 3, -4, -2, 5, -3 }

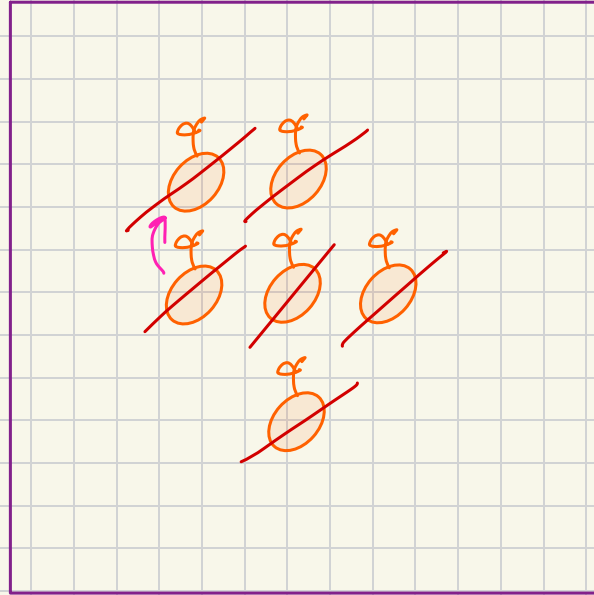


$\left\{ \begin{array}{c} 5 \\ -2 \\ -4 \end{array} \right\} \rightarrow \underline{\text{neutral people in universe}} \quad \Delta$   
stack (known universe)

# Rotten Oranges

at each unit of time a rotten orange  
will rotten fresh oranges

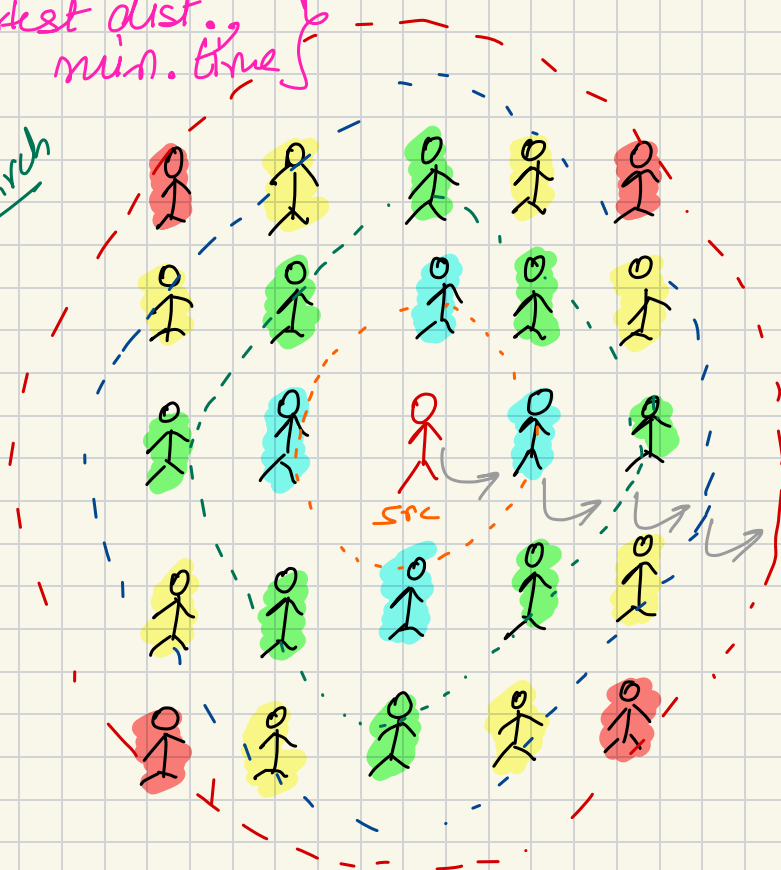
at all 4 dir, at 1 unit  
of dist.



time = 2 units }

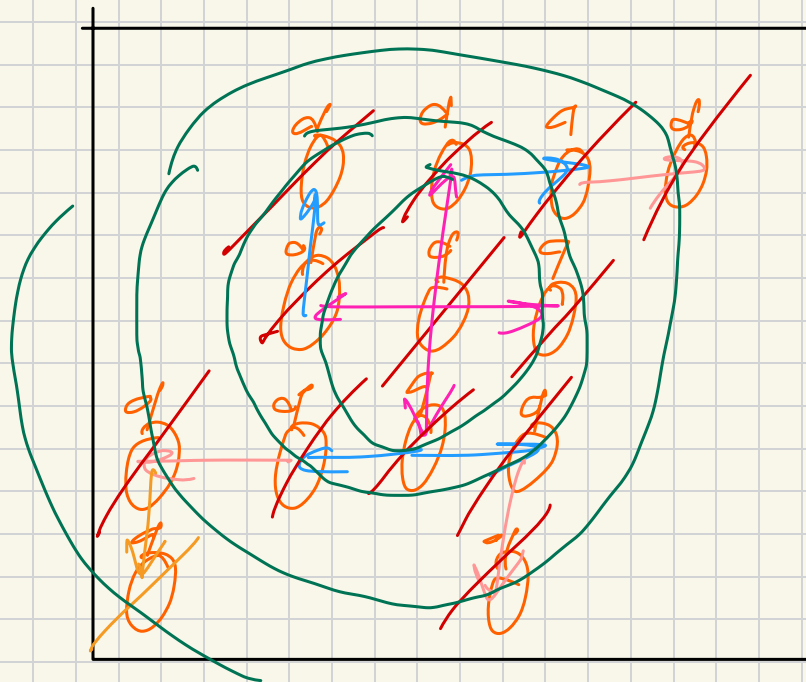
BF's  
Breadth first search  
Queues

shortest dist.  
min. time

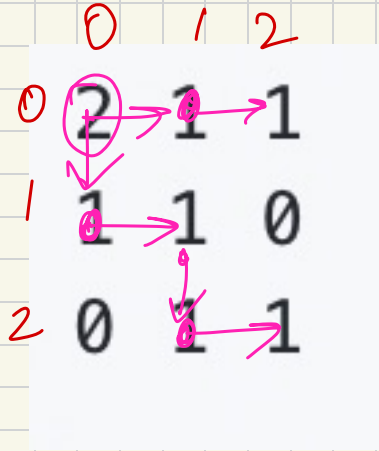


fastest way of  
spreading is  
radially

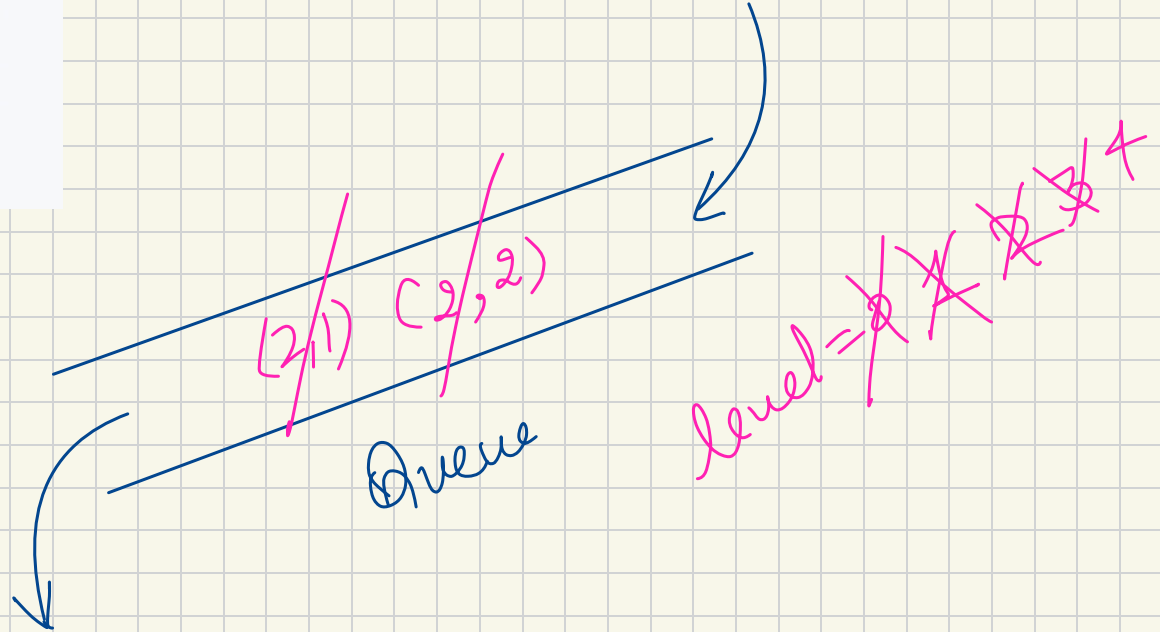
level = 4

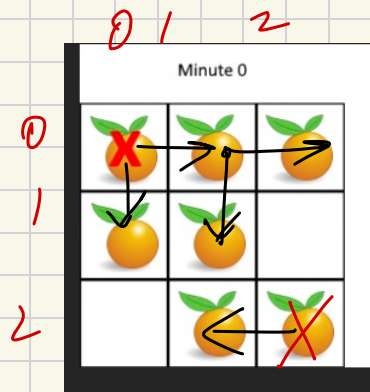






2 → rotten  
1 → Fresh  
0 → empty





$$\underline{\text{time} = \text{level} - 1}$$

size = ~~3~~ ~~2~~ ~~1~~ ~~0~~

level = ~~0~~ ~~1~~ ~~2~~ 3