



## Agenda

- Diameter of a BT
- $n$  Balanced BT
- level order traversal
- left view
- right view
- zig zag traversal

## Diameter of a Binary Tree.

{ Max<sup>m</sup> distance b/w any two leaf Nodes }

{ 40, 80 } → 4

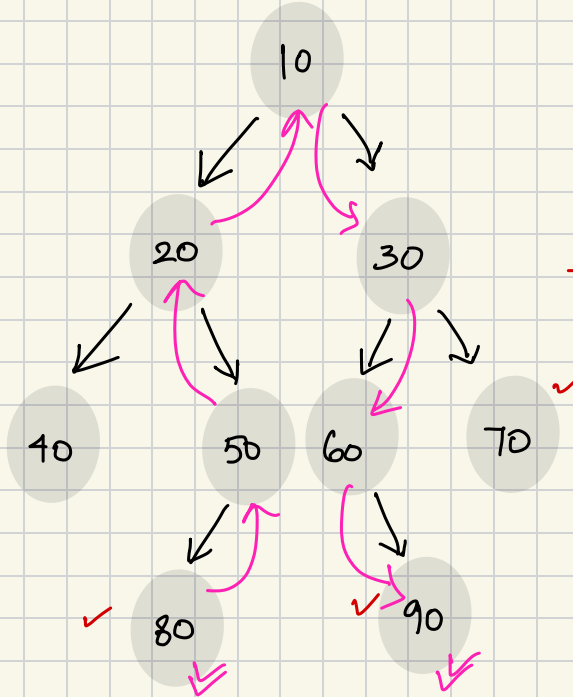
{ 40, 90 } → 6

{ 40, 70 } → 5

{ 80, 90 } → 7

{ 80, 70 } → 6

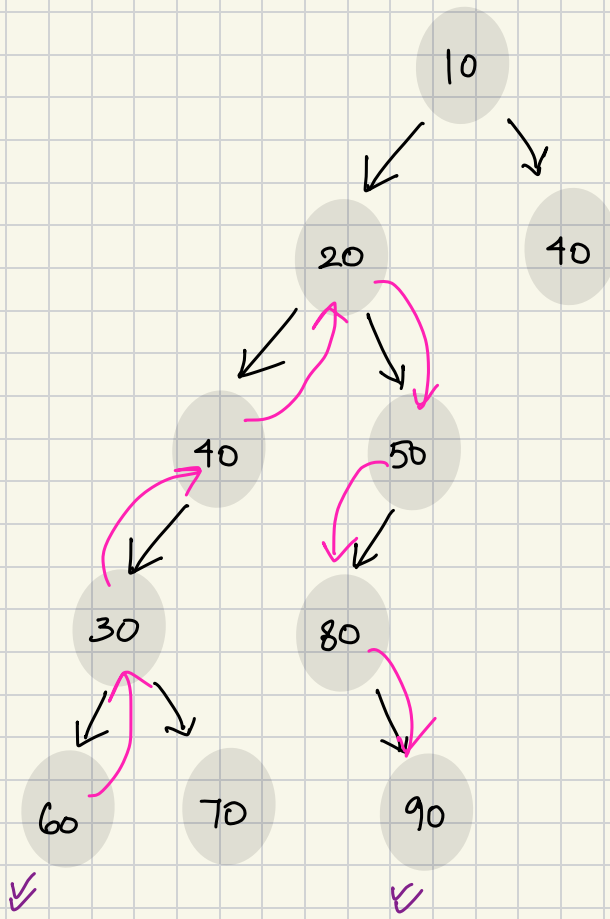
{ 90, 70 } → 4 ✓



diameter = 7

~~diameter = h<sub>LST</sub> + h<sub>RST</sub> + 1~~

Wrong



~~diameter = 4 + 1 + 1 = 6~~

NOTE: diameter not passing through root

diameter = max { diameter through }  
each node

fun: returns diameter of the tree

int diameter(Node root)

{

int diaLst = diameter(root.left)

int diaRst = diameter(root.right)

int diaRoot = h(Lst) + h(Rst) + 1;

return max { diaLst, diaRst, diaRoot };

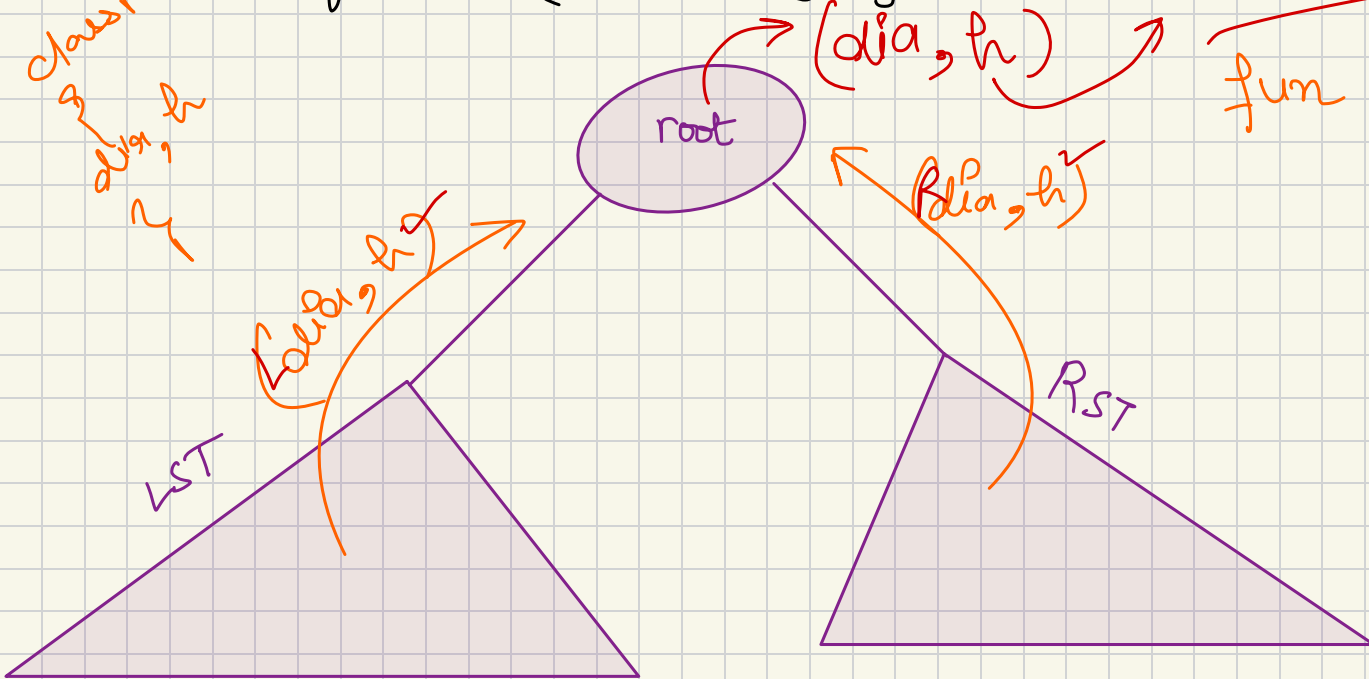
}

Tc:  $O(N^2)$

faith : { dia, height } returns

$\max(LSTh, RSTh) + 1$   
 $fun(root)$

closest  
dia, h  
?



# Is Balanced Binary Tree

Each Node is Balanced

## Balanced Node

$$|h_{LST} - h_{RST}| \leq 1$$

$$\text{Math.abs}(h(LST) - h(RST)) \leq 1$$

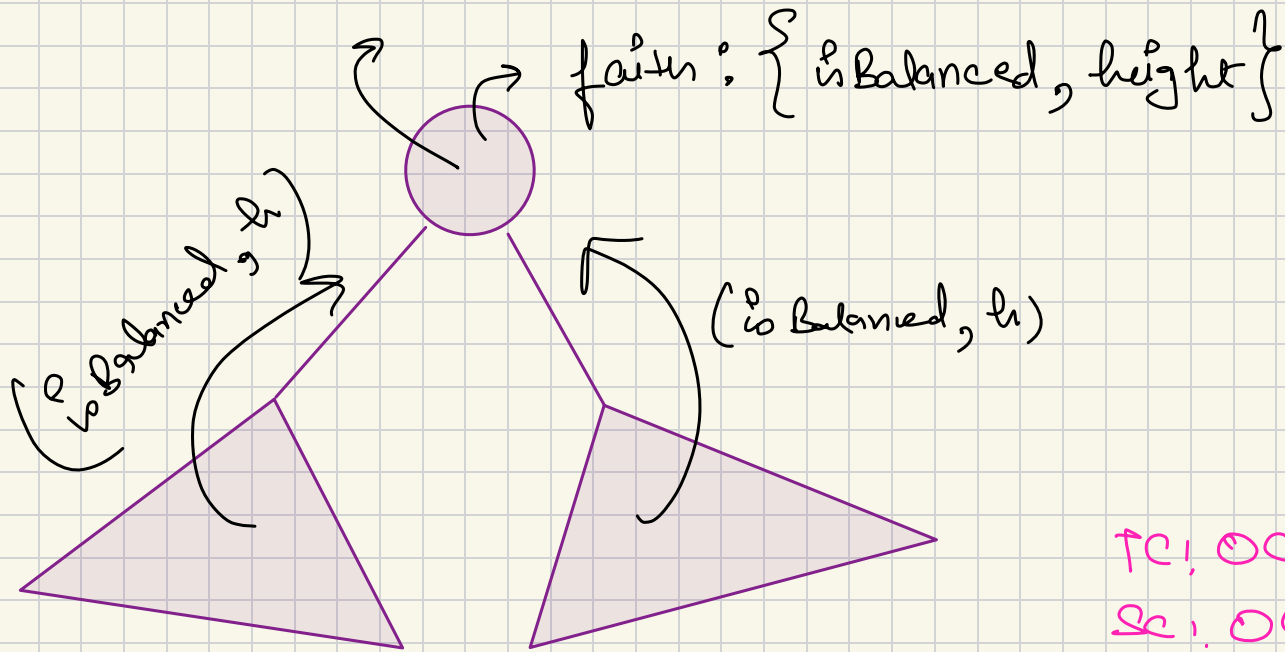
faith: returns is BT Balanced?

boolean isBalanced(Node root)

boolean x = isBalanced(root.left) ✓  
boolean y = isBalanced(root.right) ✓

return \_\_\_\_\_ true ? false

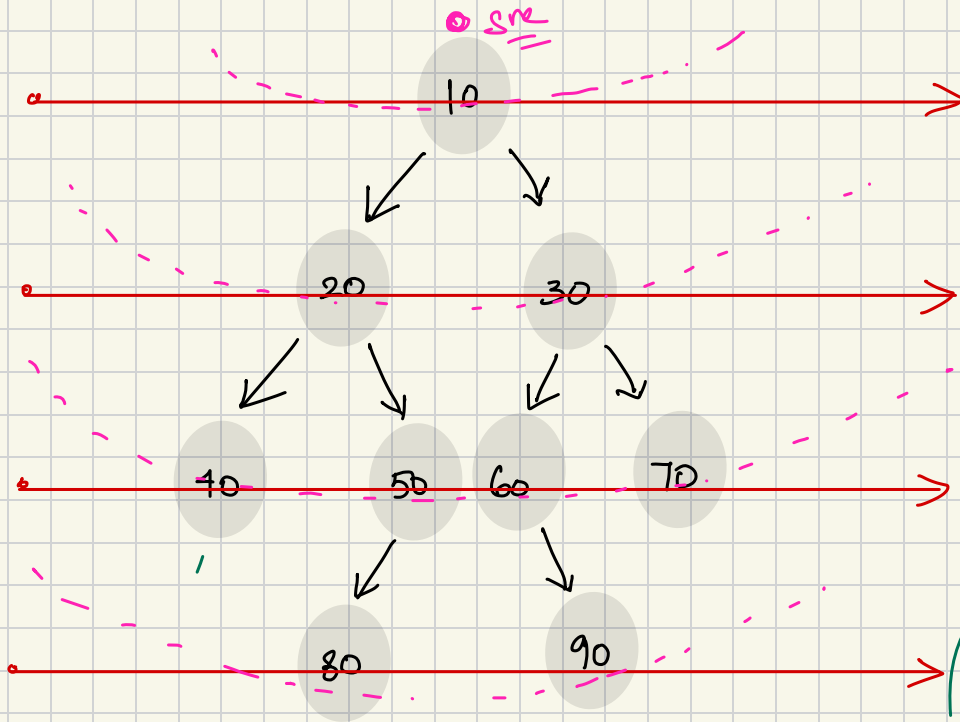
TC: O(N)  
SC: O(H)



$\text{TC: } O(N)$   
 $\text{SC: } O(H)$



Level order traversal (BFS)



op  $T: O(N)$  sc:  $O(2^N)$

level 0: 10 ✓

level 1: 20 30 ✓

level 2: 40 50 60 70

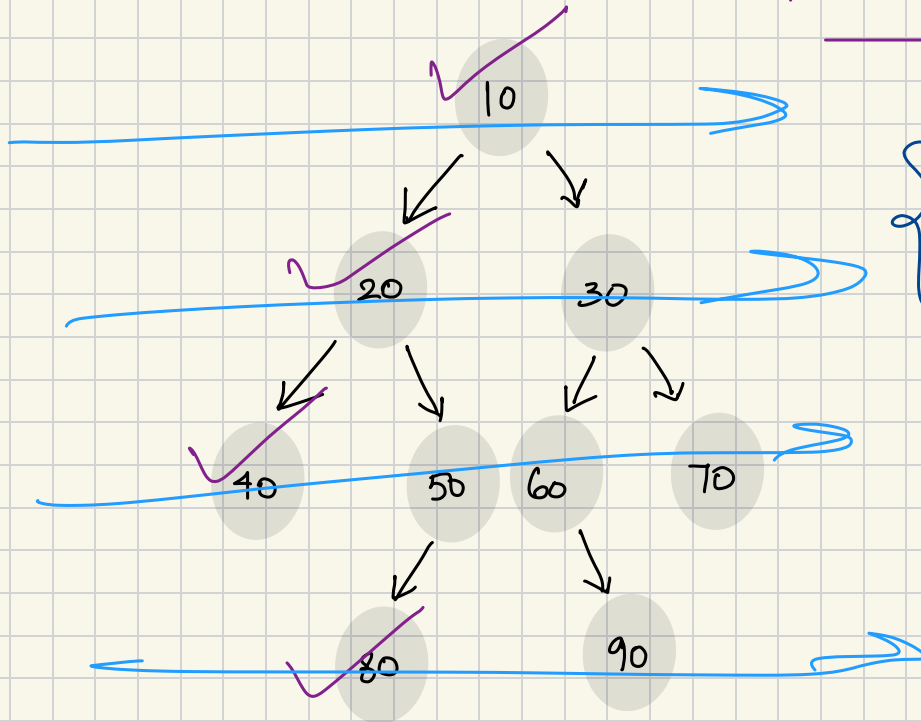
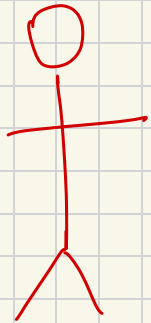
level 3: 80 90

~~70, 60, 50, 40, 30, 20~~

~~src = 1~~      ~~level = 0~~ ~~1~~ ~~2~~

~~3~~ ~~4~~ ~~5~~ ~~6~~ ~~7~~

# Left View in a binary tree

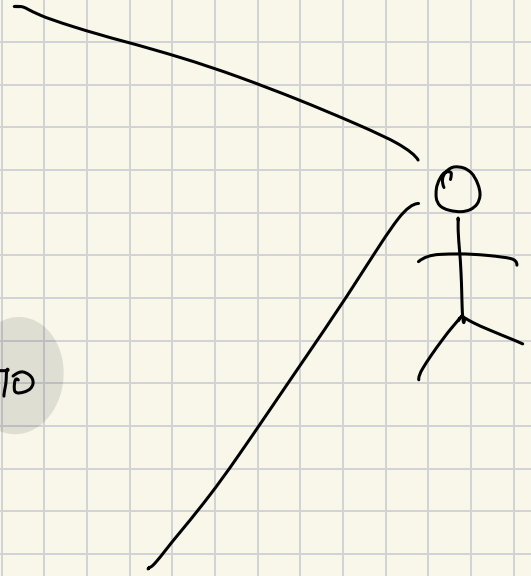
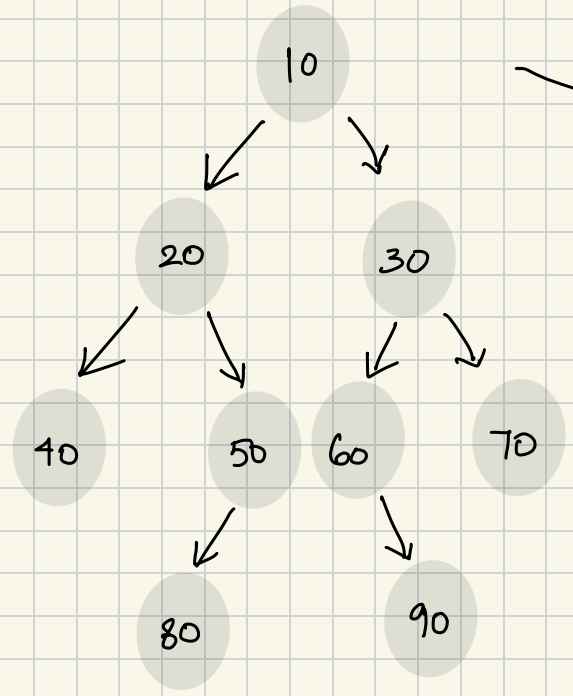


Left View : 10, 20, 40, 80

{ first node of }  
level

Right View

{10, 30, 70, 90}



# Zig Zag traversal

