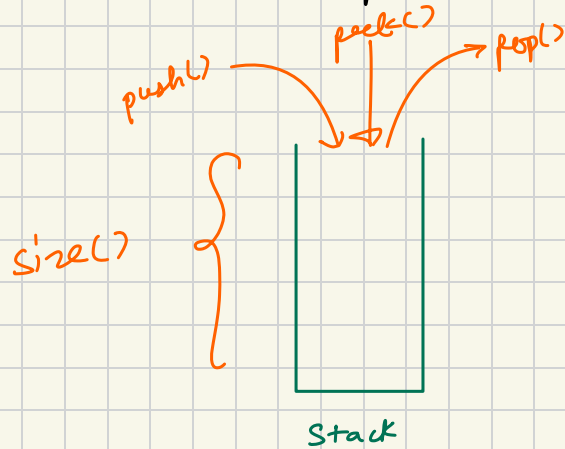




## Stacks

- linear data structure
- LIFO {Last in, first out}



## Agenda:

- ① Extra Bracket
- ② Next greater element on Right
- ③ Stock Span
- ④ Largest histogram area

## Extra Brackets

$T: O(N)$ ,  $SC: O(N)$

NOTE: Bracket pairs will be always balanced and in correct order

string str = "(a+b)"

NO Extra Bracket

= "((a+b))"

YES Extra Bracket

NOTE:

A bracket pair is useful if it have a new expression inside himself.

= "(a+b) \* (c+d+(e\*f) / ())"

→ YES Extra Bracket

= "(a) + (b)"

NO Extra Bracket

$$\text{str} = \text{"(a + (b * d + f - (m) + o) * (p)(r))"}$$

Closing Bracket

try to find corresponding opening bracket,

if they have an exp. influence useful pair

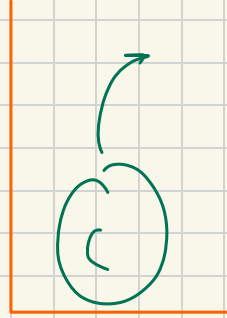
no exp. removed, hence extra bracket pair

↓  
(  
\*  
+  
a  
(

Stack

$$\text{str} = \text{ }^n \left( \left( (a+b) + (c) \right) \right)^n$$

↑ ~~↑~~ ~~↑~~ ~~↑~~ ~~↑~~ ~~↑~~ ~~↑~~ ~~↑~~ ~~↑~~ ↑



Stack

Extra bracket pair!

for (int i = 0  $\longrightarrow$  n)

{

work done;

}

Life time

n!  $\rightarrow$  push op.

N  $\rightarrow$  pop

Life time

i=0

i=1

i=3

-----

i=n-1

$\sum_i$

a

$\beta$

$\gamma$

$\phi$

$\sum_i a$

b

c

-----

=

n!

TC:  $O(N)$

$\rightarrow$

Next greater element on right

person nearest to me in right-  
array greater than me

int[] arr = { 3, 6, 1, 2, 7, 3, 4, 1, 2, 5 }

int[] nger = { 6, 7, 2, 7, -1, 4, 5, 2, 5, -1 }

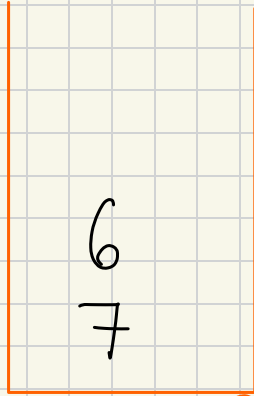
Brute force

for (int i = 0 → n)  
{ for (int j = i + 1 → n)

TC:  $O(N^2)$   
SC:  $O(1)$

$\text{int[]} \text{arr} = \{ \overset{0}{3}, \overset{1}{6}, \overset{2}{1}, \overset{3}{2}, \overset{4}{7}, \overset{5}{3}, \overset{6}{4}, \overset{7}{1}, \overset{8}{2}, \overset{9}{5} \}$   
 $\uparrow$   
 $\{ 6, 7, 2, 7, -1, 4, 5, 2, 5, -1 \}$   $\rightarrow$  neger

$\text{TC:}$   
 $\underline{\underline{O(N)}}$



stack  $\{ \text{potential neger} \}$



int[] arr = { 3, 6, 1, 2, 7, 3, 4, 1, 2, 5 }

0	1	2	3	4	5	6	7	8	9
3	6	1	2	7	3	4	1	2	5
				↑	↑	↑	↑	↑	↑
				-1	4	5	2	5	-1



stack { potential nger }

int[] arr = { 3, 6, 1, 2, 7, 3 }

0 1 2 3 4 5

↑ ↗ ↗ ↗ ↗ ↗

TC:  $O(N)$   
SC:  $O(N)$

```
public static long[] nextLargerElement(long[] arr, int n) {
    // potential nger
    Stack<Long> st = new Stack<>();
```

```
    long[] nger = new long[n];
```

```
    // right to left
```

```
    for (int i = n - 1; i >= 0; i--) {
        long ele = arr[i];
```

```
        while (st.size() > 0 && ele >= st.peek()) {
            // these are useless potential ans in the stack
            st.pop();
```

```
        }
```

```
        if (st.size() > 0) {
            nger[i] = st.peek();
```

```
        } else {
            nger[i] = -1;
```

```
        }
```

```
        st.push(ele);
```

```
    return nger;
```

```
}
```

3  
6  
7

## Approach 2

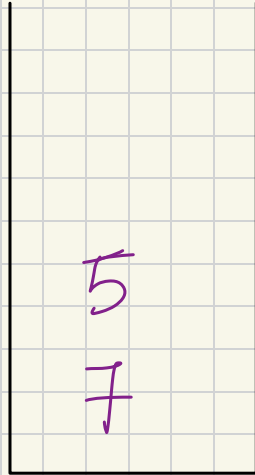
int[] arr = { 3, 6, 1, 2, 7, 3, 4, 1, 2, 5 }

Indices: 0 1 2 3 4 5 6 7 8 9

Next Greater Element (NGE) values: { 6, 7, 2, 7, -1, 4, 5, 2, 5, -1 }

Diagram showing the mapping of NGE values to the array elements:

Index	0	1	2	3	4	5	6	7	8	9
arr[i]	3	6	1	2	7	3	4	1	2	5
NGE	6	7	2	7	-1	4	5	2	5	-1



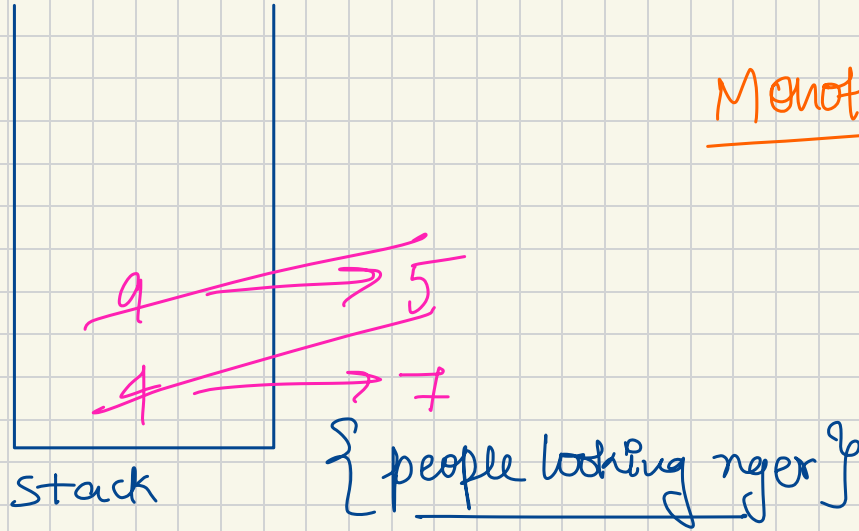
stack

{ people looking for nger }

$\text{int[]} \text{arr} = \{ 3, 6, 1, 2, 7, 3, 4, 1, 2, 5 \}$

~~3~~ ~~6~~ ~~1~~ ~~2~~ ~~7~~ ~~3~~ ~~4~~ ~~1~~ ~~2~~ ~~5~~

$\{ 6, 7, 2, 7, -1, 4, 5, 2, 5, -1 \}$



Monotonic Stack

↳ Adv data structure

int[] arr = { 3, 6, 1, 2, 7, 3, 4, 1, 2, 5 }

6 7 2 7 -1 4 5 2 5 -1

{ -1 -1 6 6 -1 7 7 7 4 7 }

Stack

→ nges

→ ngel

## Stock Span Problem -

$$\text{arr}[] = \left\{ \overset{0}{100}, \overset{1}{80}, \overset{2}{60}, \overset{3}{70}, \overset{4}{60}, \overset{5}{75}, \overset{6}{85} \right\}$$

span  $\rightarrow$  no. of consecutive days, inc. current day stock price less than equal to current day price

$$\text{arr}[] = \{ \overset{0}{100}, \overset{1}{80}, \overset{2}{60}, \overset{3}{70}, \overset{4}{60}, \overset{5}{75}, \overset{6}{85} \}$$

$$\text{span}[] = \{ 1, 1, 1, 2, 1, 4, 6 \}$$

Route force

$$\text{TC: } O(N^2) \quad \text{SC: } O(1)$$

$arr[] = \{100, 80, 60, 40, 60, 75, 85\}$

$ngel[i] = \{-1, 0, 1, 1, 3, 1, 0\}$

$span[] = \{1, 1, 1, 2, 1, 4, 6\}$

$$dist = i - ngel$$

