



## Binary Search

### Agenda

- ① Allocate min number of pages
- ② Aggressive cases
- ③ Capacity to ship packages within B days.
- ④ Minimum limit of balls in a bag

Allocate Minimum number of pages.

$$\text{Books[]} = \{34, 12, 67, 90\} \quad \text{stud} = 2$$

Requirements

- distribute these  $N$  Books among these  $M$  students.
- Such that each Stud should get min one book.
- distribution should be <sup>P</sup> in contiguous manner.

min no. of max Pages need by a stud.

$$\text{Books}[] = \{ 34, 12, 67, 90 \}$$

Stud = 2

way 1

$$S_1 \rightarrow 34 + 12 + 67 \quad \begin{matrix} 113 \\ \downarrow \end{matrix}$$

$$S_2 \rightarrow 90 \quad \begin{matrix} 90 \\ \downarrow \end{matrix}$$

way 2

$$S_1 \rightarrow 34 + 12 \quad \begin{matrix} 46 \\ \downarrow \end{matrix}$$

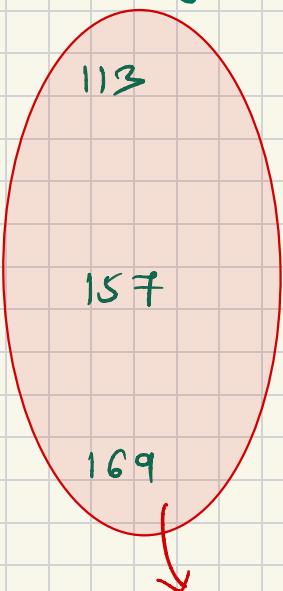
$$S_2 \rightarrow 67 + 90 \quad \begin{matrix} 157 \\ \downarrow \end{matrix}$$

way 3

$$S_1 \rightarrow 34 \quad \begin{matrix} 84 \\ \downarrow \end{matrix}$$

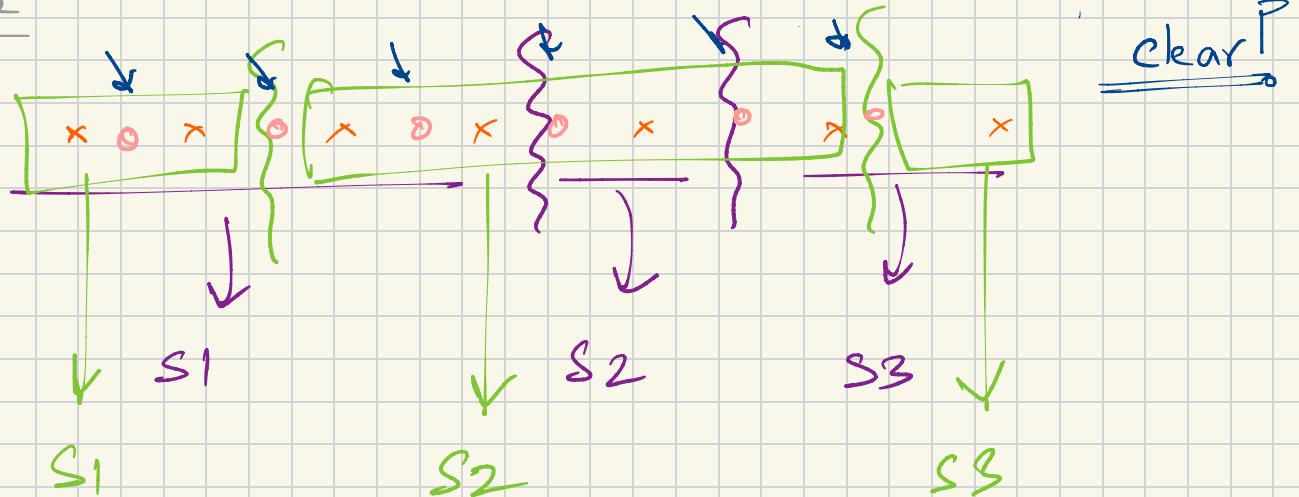
$$S_2 \rightarrow 12 + 67 + 90 \quad \begin{matrix} 169 \\ \downarrow \end{matrix}$$

markages



✓ [113] ans!

Brute Force



$N \rightarrow$  Books

$M \rightarrow$  Students

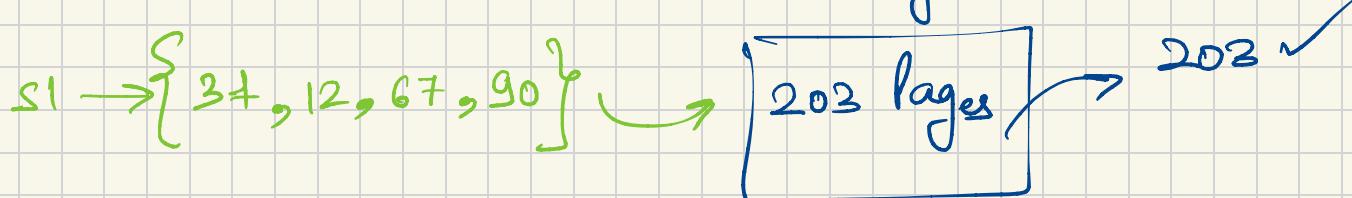
recursion

$(N-1)$  pos 2 options place divider or not,  $T_C = 2^{N-1} \times (M-1)$

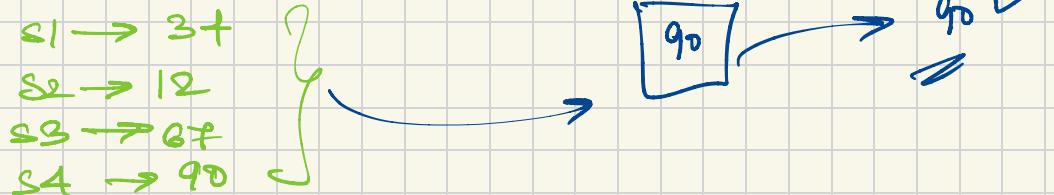
✓ you have to place  
 $(M-1)$  dividers {

$$\text{Books[]} = \{ 34, 12, 67, 90 \} \quad \text{Stud} = 2$$

Case 1 stud = 1



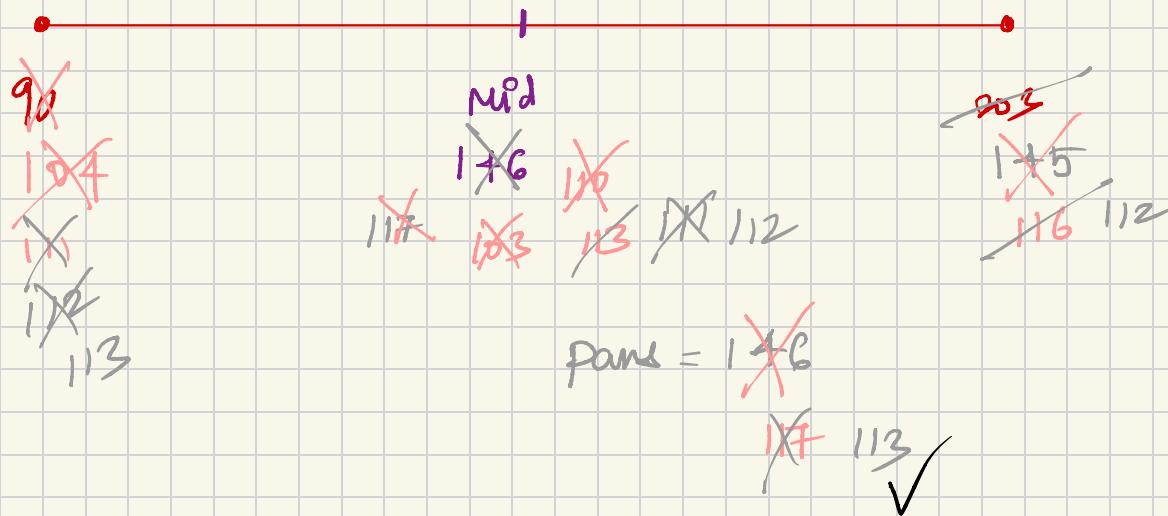
Case 2 stud = 4



always

$$1 \leq M \leq N$$

stud = 2



pairs = ~~1+6~~

~~1+6~~ 113 ✓

$$\text{Books}[] = \left\{ \begin{array}{l} 34, 12, 67, 90 \\ \times \quad \times \quad \times \quad \uparrow \end{array} \right\}$$

Max<sup>m</sup> Pages = 146

$$\begin{aligned} s1 &\rightarrow 34 + 12 + 67 \\ s2 &\rightarrow 90 \end{aligned} \quad \left. \right\}$$

$$\text{Books}[] = \left\{ \begin{array}{l} 34, 12, 67, 90 \\ \times \quad \times \quad \times \quad \uparrow \end{array} \right\}$$

Max<sup>m</sup> Pages = 117

$$\begin{aligned} s1 &\rightarrow 34 + 12 + 67 \\ s2 &\rightarrow 90 \end{aligned} \quad \left. \right\}$$

$\text{Books}[] = \{ 34, 12, 67, 90 \}$

$s_1 \rightarrow 34 + 12$   
 $s_2 \rightarrow 67$   
 $s_3 \rightarrow 90$

Max<sup>m</sup> Pages = 103

$\text{Books}[] = \{ 34, 12, 67, 90 \}$

$s_1 \rightarrow 34 + 12$   
 $s_2 \rightarrow 67$   
 $s_3 \rightarrow 90$

Max<sup>m</sup> Pages = 110

$\text{Books}[] = \{ 34, 12, 67, 90 \}$

Max<sup>m</sup> Pages = 113

$s1 \rightarrow 34 + 12 + 67 \}$   
 $s2 \rightarrow 90$

Books[] = { 37, 12, 67, 90 }      stud = 2

ways 1

$s_1 \rightarrow 37, 12, 67$   
 $s_2 \rightarrow 90$



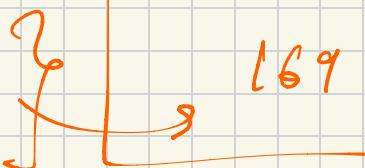
ways 2

$s_1 \rightarrow 37 + 12$   
 $s_2 \rightarrow 67 + 90$



ways 3

$s_1 \rightarrow 37$   
 $s_2 \rightarrow 12 + 67 + 90$



## Aggressive cows

stalls[] = {0, 3, 7, 9, 10, 4}

cows = 4  
aggressive =



max<sup>m</sup> the min dist b/w any two cows

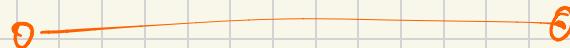
↙ ✓  ${}^6C_4$  + ways to distribute

Stalls



Case 1 . cows = 2

dist = 10



Case 2

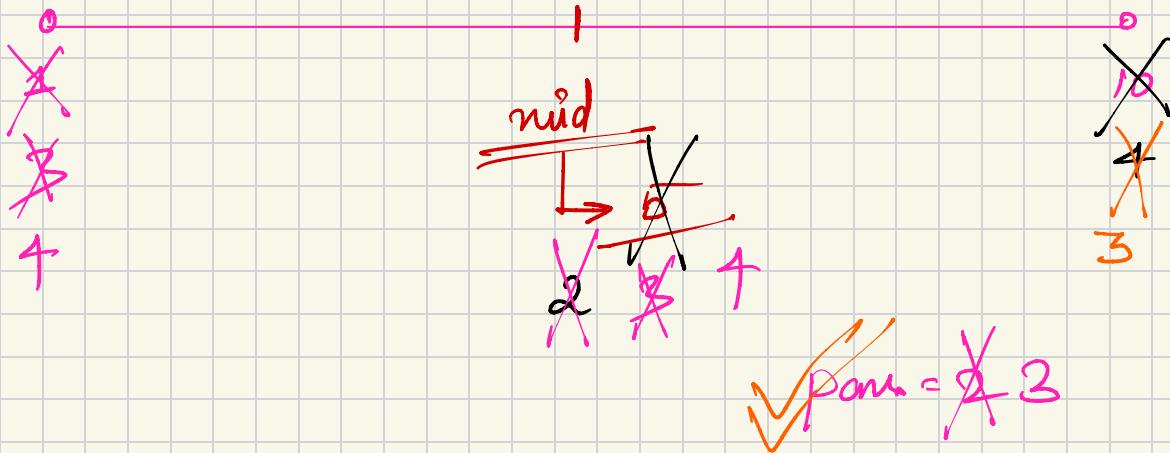
cows =  $\lceil N \rceil \rightarrow$  No. of stalls

dist = 1

$$2 \leq \text{course} \leq N$$

$$\underline{\text{course}} = 4$$

minimize



Stalls



min Dist = 5

cows = 2

Stalls



minDist = 2

cows = 4

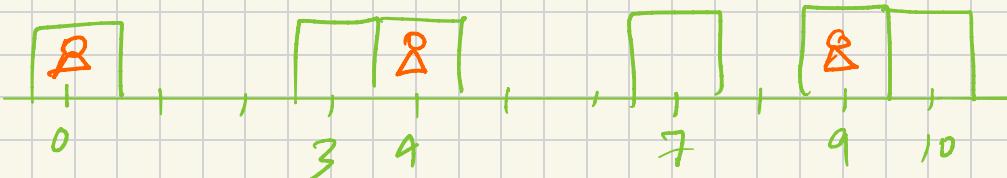
Stalls



min Dist = 3

cows = 4

Stalls



min Dist = 4

cows = 3

