StrainTool - Improving the Mapping of Tectonic Strain in Eurasia

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Open Source Software StrainTool v1.0

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Introduction

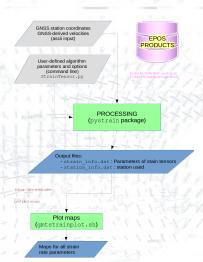
- StrainTool is a free and open-source software.
- Cooperation between the National Technical University of Athens (NTUA) and National Observatory of Athens (NOA) under EPOS-IP project.
- User-friendly software can be used directly by the scientific community.
- Pyhton programming language: free, flexible and cross-platform-compatible nature.
- Software's development was performed using Github.
- Input a list of data points along with their tectonic velovcities.
- Estimate Strain Tensor parameters.

Open Source Software StrainTool v1.0

StrainTool has three basic components:

- pystrain: A python pachage.
- StrainTensor.py: the main executable.
- A list of shell scripts to plot results from StrainTensor.py

TODO: structure design



Python Package pystrain

pystrain the core part of the project.

Python functions and classes, enable computation of strain tensor.

The package includes:

- iotools: input/output classes to parse ASCII files.
- geodesy: functions for basic geodetic calculations.
- grid.py: a simple grid generator
- strain.py: main class and necessary functions for estimation of strain tensor parameters

Strain tensor parameters aestimated (or calculated) by solving for the system:

$$\begin{bmatrix} V_{x,S_1} \\ V_{y,S_1} \\ \vdots \\ V_{x,S_n} \\ V_{y,S_n} \end{bmatrix} = \begin{bmatrix} 1 & 0 & \Delta_{y_1} & \Delta_{x_1} & \Delta_{y_1} & 0 \\ 0 & 1 & -\Delta_{x_1} & 0 & \Delta_{x_1} & \Delta_{y_1} \\ \vdots & \vdots & \ddots & \ddots & \ddots & \ddots \\ 1 & 0 & \Delta_{y_n} & \Delta_{x_n} & \Delta_{y_n} & 0 \\ 0 & 1 & -\Delta_{x_n} & 0 & \Delta_{x_n} & \Delta_{y_n} \end{bmatrix} \begin{bmatrix} U_x \\ U_y \\ \omega \\ \tau_x \\ \tau_{xy} \\ \tau_y \end{bmatrix}$$

 $\Delta_{x_i}, \Delta_{y_i}$ are the displacement components between station i and the point. A minimum of three stations is required to compute the parameters.

Estimate strain tensor parameters

Assuming that there is a variance information for the station velocities (and a Gaussian distribution), we can add the covariance matrix C of the velocity data in the system. In the simplest case, C is a diagonal matrix, with the velocity component standard deviations as its elements.

$$C = \sigma_0^2 \begin{bmatrix} (\frac{1}{\sigma_{V_{x_1}S_1}})^2 & 0 & 0 & \dots & 0 \\ 0 & (\frac{1}{\sigma_{V_{y_1}S_1}})^2 & 0 & \dots & 0 \\ 0 & 0 & (\frac{1}{\sigma_{V_{x_2}S_2}})^2 & \dots & 0 \\ \dots & \dots & \dots & \dots & \dots \\ 0 & 0 & 0 & \dots & (\frac{1}{\sigma_{V_{y_i}S_i}})^2 \end{bmatrix}$$

Shen et al. 2015, propose a more elaborate approach.

The weighing function

$$G_i = L_i Z_i$$

 L_i : distance-dependent weighting

 Z_i : spatial weighting

The final covariance matrix $C_i = C_i G_i^{-1}$

Distance-dependent weighting



Optimal smoothin parameter D

Smoothing coefficient D neede to actually compute the distance-dependent weights L_i .

- Either pass in the parameter value as a command line option, or
- search for an optimal D value, given the range Dmin, Dmax, Dstep, and the limit value W

Searching for an optimal D value

- 1. If a Gaussian approach is selected, then Lmax = 2.15D (in km), while for the quadratic approach Lmax = 10D (in km).
- 2. Compute distance-dependent and spatial weights L_i and Z_i respectively, for every station
- 3. compute the summary $W = 2 \sum Z_i L_i$.
- 4. repeat the process for the next D value if absolute value W is smaller than Wt, else current D value is optimal.

Spatial weights



Veis Algorithm

The region is split into delaunay triangles at the barycenter of which a strain tensor is computed.

This approach uses only three points to calculate tensor parameters

Assumptions:

- 2-dimensional deformation of earth's crust in time
- Crust is considered a thin deformable shell on a spherical earth
- Mapping distortions are ignored for regions with radius of less than 5°
- Time (earthquakes) or space (faults) discontinuities are not incuded in the calculation

Strain Tensor parameters

$$\tau_{max} = \sqrt{\tau_{xy}^2 + e_{diff}^2}$$

$$e_{max} = e_{mean} + \tau_{max}$$

$$e_{min} = e_{mean} - \tau_{max}$$

$$dil = \tau_x + \tau_y$$

$$Az_{e_{max}} = 90 + \frac{-atan2(\tau_{xy}, e_{diff})}{2}$$

$$2nd_{inv} = \sqrt{\tau_x^2 + \tau_y^2 + 2\tau_{xy}^2}$$

where,

$$e_{mean} = \frac{\tau_x + \tau_y}{2}$$
 $e_{diff} = \frac{\tau_x - \tau_y}{2}$

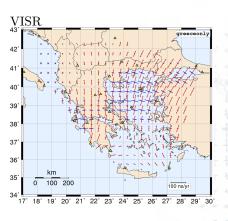
Input Datasets

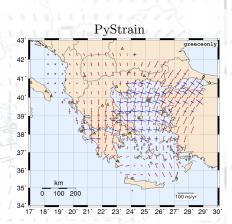
For validation:

- 1. EPN network, solution C2010 ETRF 2014 (299 stations)
- 2. EPOS network, INGV solution (571 stations)
- 3. EPOS network, CNRS solution (MIDAS) (452 stations)
- 4. network GREECE, NTUA reprocessing 2017 (153 stations)

Validation

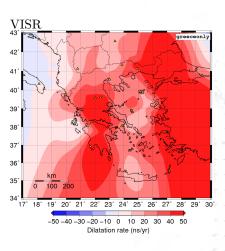
emax - emin maps comparison

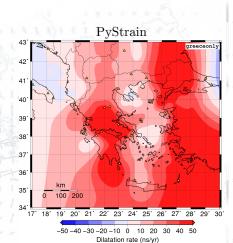




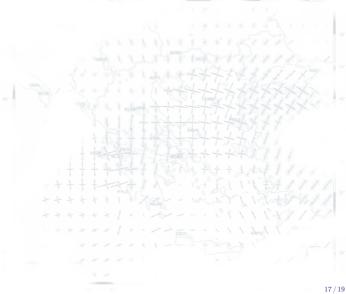
Validation

dilatation maps comparison

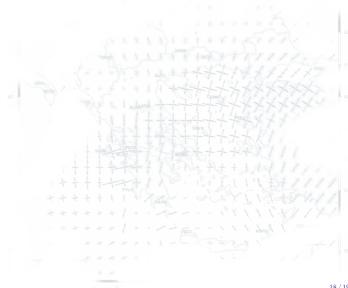




Strain Analysis



Conclusions



Thank you for your attention!



