

StrainTool - Improving the Mapping of Tectonic Strain in Eurasia

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 <https://dsolab.github.io/StrainTool>

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Presentation Structure

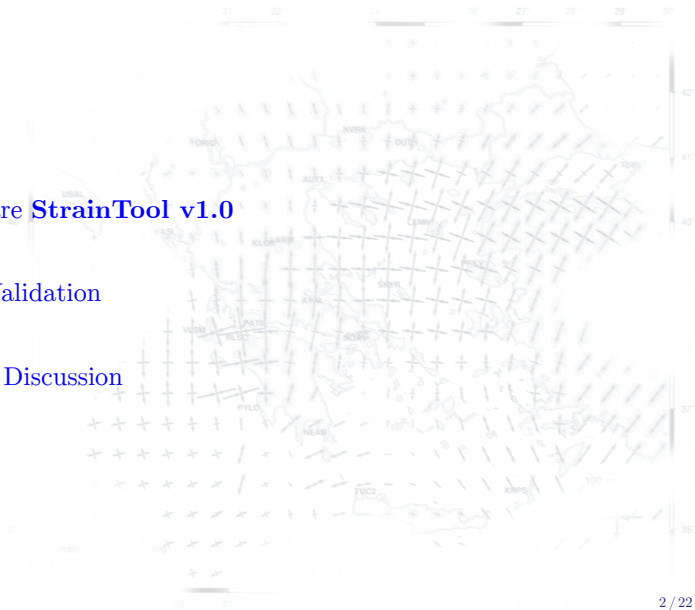
Introduction

Open Source Software **StrainTool v1.0**

Data analysis and Validation

Strain Analysis and Discussion

Conclusions



Introduction

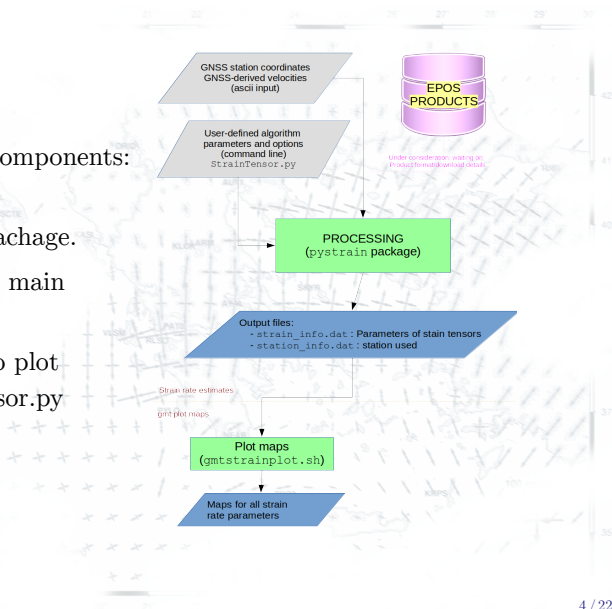
- StrainTool is a free and open-source software.
- Cooperation between the National Technical University of Athens (NTUA) and National Observatory of Athens (NOA) under EPOS-IP project.
- User-friendly software can be used directly by the scientific community.
- Python programming language: free, flexible and cross-platform-compatible nature.
- Software's development was performed using Github.
- Input a list of data points along with their tectonic velocities.
- Estimate Strain Tensor parameters.

Open Source Software **StrainTool v1.0**

StrainTool has three basic components:

- **pystrain:** A python package.
- **StrainTensor.py:** the main executable.
- A list of shell scripts to plot results from StrainTensor.py

TODO: structure design



Python Package **pystrain**

pystrain the core part of the project.

Python functions and classes, enable computation of strain tensor.

The package includes:

- **iotools**: input/output classes to parse ASCII files.
- **geodesy**: functions for basic geodetic calculations.
- **grid.py**: a simple grid generator
- **strain.py**: main class and necessary functions for estimation of strain tensor parameters

Estimate strain tensor parameters

Strain tensor parameters are estimated (or calculated) by solving for the system:

$$\begin{bmatrix} V_{x,S_1} \\ V_{y,S_1} \\ \dots \\ V_{x,S_n} \\ V_{y,S_n} \end{bmatrix} = \begin{bmatrix} 1 & 0 & \Delta_{y_1} & \Delta_{x_1} & \Delta_{y_1} & 0 \\ 0 & 1 & -\Delta_{x_1} & 0 & \Delta_{x_1} & \Delta_{y_1} \\ \dots & \dots & \dots & \dots & \dots & \dots \\ 1 & 0 & \Delta_{y_n} & \Delta_{x_n} & \Delta_{y_n} & 0 \\ 0 & 1 & -\Delta_{x_n} & 0 & \Delta_{x_n} & \Delta_{y_n} \end{bmatrix} \begin{bmatrix} U_x \\ U_y \\ \omega \\ \tau_x \\ \tau_{xy} \\ \tau_y \end{bmatrix}$$

$\Delta_{x_i}, \Delta_{y_i}$ are the displacement components between station i and the point.

A minimum of three stations is required to compute the parameters.

Estimate strain tensor parameters

Assuming that there is a variance information for the station velocities (and a Gaussian distribution), we can add the covariance matrix C of the velocity data in the system. In the simplest case, C is a diagonal matrix, with the velocity component standard deviations as its elements.

$$C = \sigma_0^2 \begin{bmatrix} \left(\frac{1}{\sigma_{V_{x_1} S_1}}\right)^2 & 0 & 0 & \dots & 0 \\ 0 & \left(\frac{1}{\sigma_{V_{y_1} S_1}}\right)^2 & 0 & \dots & 0 \\ 0 & 0 & \left(\frac{1}{\sigma_{V_{x_2} S_2}}\right)^2 & \dots & 0 \\ \dots & \dots & \dots & \dots & \dots \\ 0 & 0 & 0 & \dots & \left(\frac{1}{\sigma_{V_{y_i} S_i}}\right)^2 \end{bmatrix}$$

Shen Algorithm

Shen et al. 2015, propose a more elaborate approach.

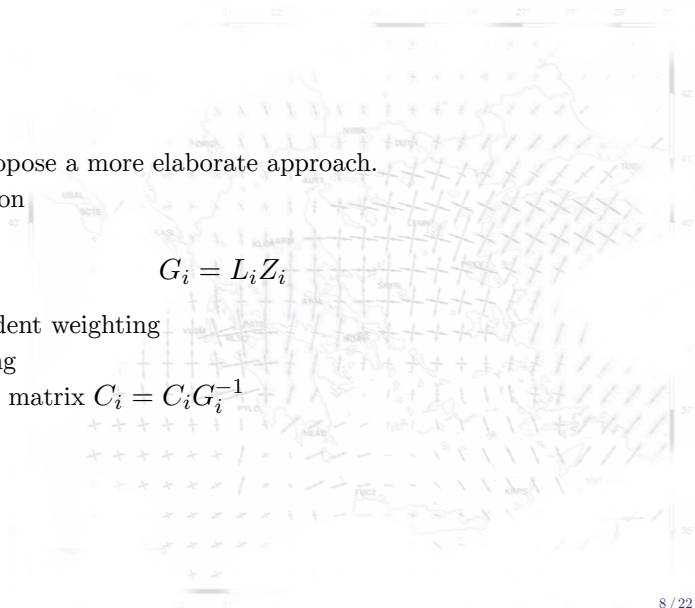
The weighing function

$$G_i = L_i Z_i$$

L_i : distance-dependent weighting

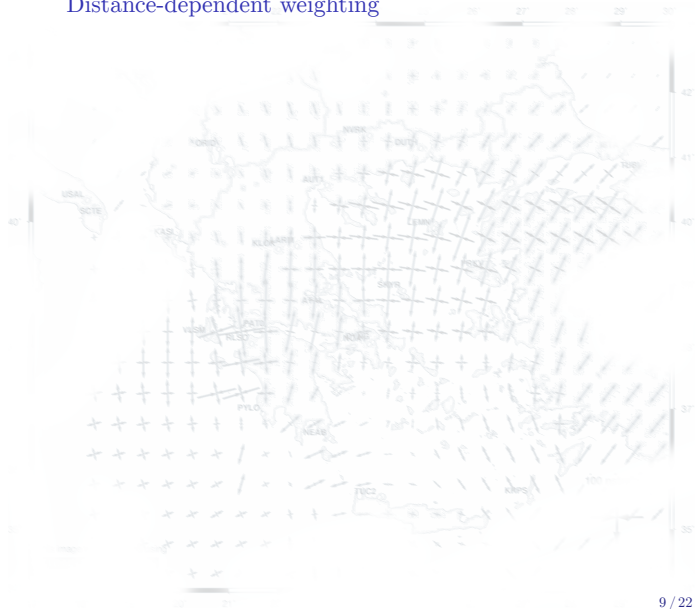
Z_i : spatial weighting

The final covariance matrix $C_i = C_i G_i^{-1}$



Shen Algorithm

Distance-dependent weighting



Shen Algorithm

Optimal smoothing parameter D

Smoothing coefficient D needs to actually compute the distance-dependent weights L_i .

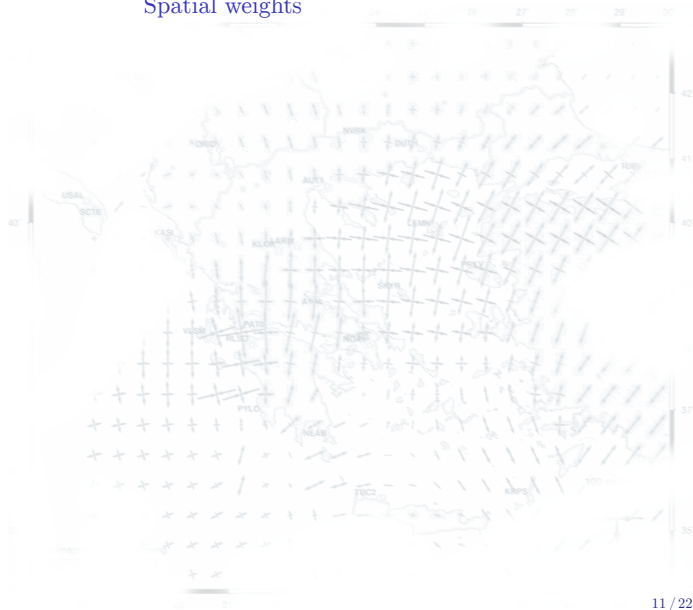
- Either pass in the parameter value as a command line option, or
- search for an optimal D value, given the range Dmin, Dmax, Dstep, and the limit value W

Searching for an optimal D value

1. If a Gaussian approach is selected, then $L_{\max} = 2.15D$ (in km), while for the quadratic approach $L_{\max} = 10D$ (in km).
2. Compute distance-dependent and spatial weights L_i and Z_i respectively, for every station
3. compute the summary $W = 2 \sum Z_i L_i$.
4. repeat the process for the next D value if absolute value W is smaller than W_t , else current D value is optimal.

Shen Algorithm

Spatial weights



Veis Algorithm

The region is split into delaunay triangles at the barycenter of which a strain tensor is computed.

This approach uses only three points to calculate tensor parameters

Assumptions:

- 2-dimensional deformation of earth's crust in time
- Crust is considered a thin deformable shell on a spherical earth
- Mapping distortions are ignored for regions with radius of less than 5°
- Time (earthquakes) or space (faults) discontinuities are not included in the calculation

Strain Tensor parameters

$$\tau_{max} = \sqrt{\tau_{xy}^2 + e_{diff}^2}$$

$$e_{max} = e_{mean} + \tau_{max}$$

$$e_{min} = e_{mean} - \tau_{max}$$

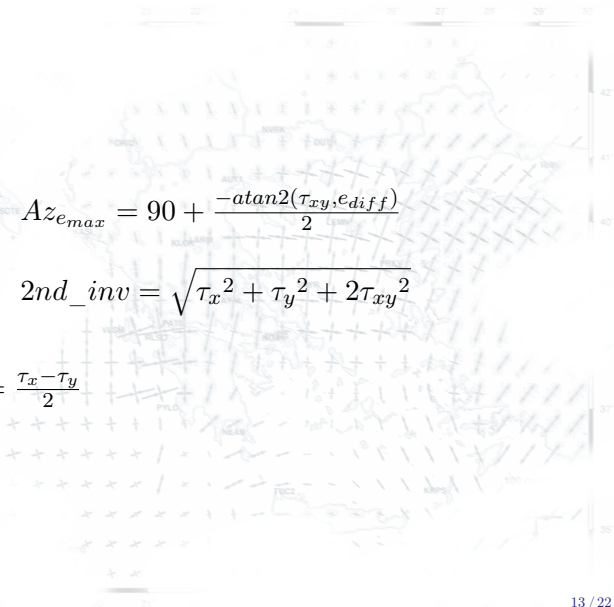
$$dil = \tau_x + \tau_y$$

$$Az_{e_{max}} = 90 + \frac{-atan2(\tau_{xy}, e_{diff})}{2}$$

$$2nd_inv = \sqrt{\tau_x^2 + \tau_y^2 + 2\tau_{xy}^2}$$

where,

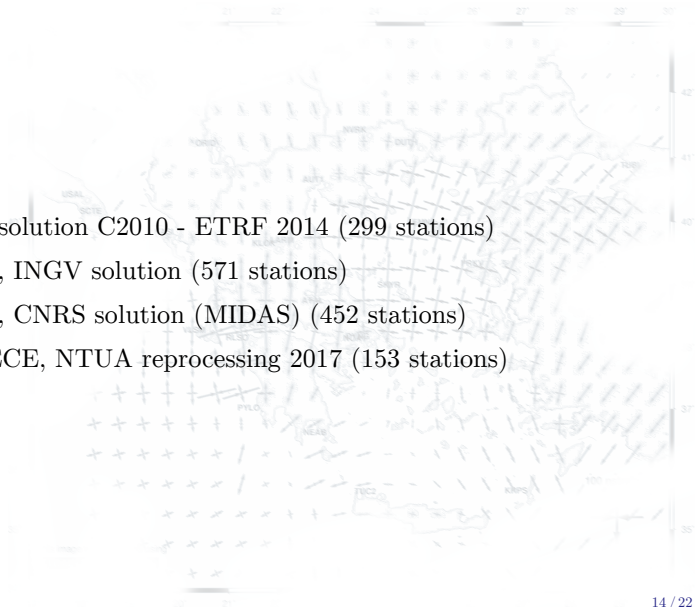
$$e_{mean} = \frac{\tau_x + \tau_y}{2} \quad e_{diff} = \frac{\tau_x - \tau_y}{2}$$



Input Datasets

For validation:

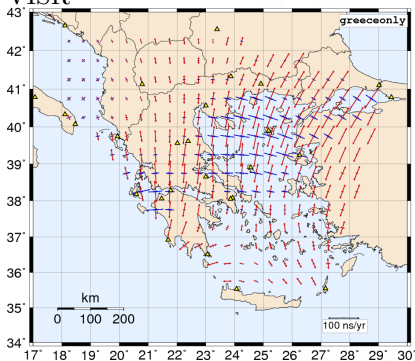
1. EPN network, solution C2010 - ETRF 2014 (299 stations)
2. EPOS network, INGV solution (571 stations)
3. EPOS network, CNRS solution (MIDAS) (452 stations)
4. network GREECE, NTUA reprocessing 2017 (153 stations)



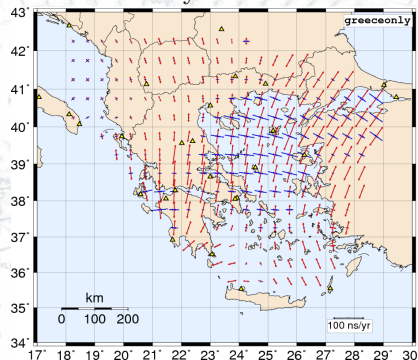
Validation

emax - emin maps comparison

VISR



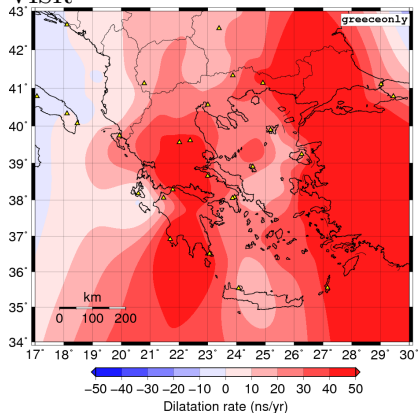
PyStrain



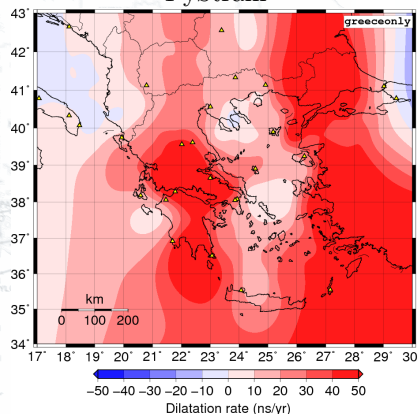
Validation

dilatation maps comparison

VISR



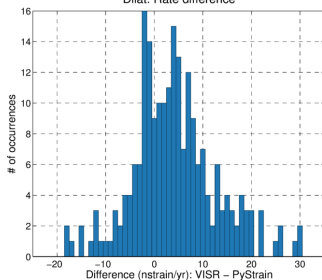
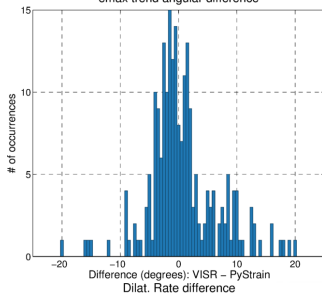
PyStrain



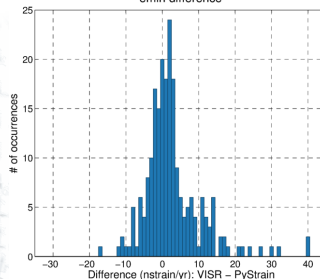
Validation

differences

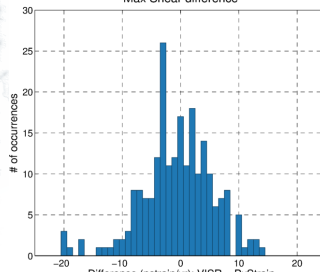
emax trend angular difference



emin difference

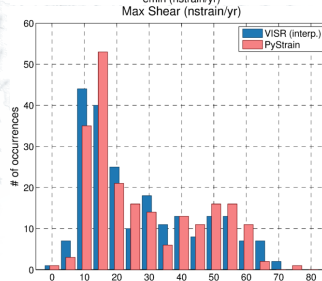
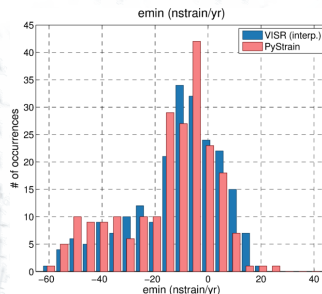
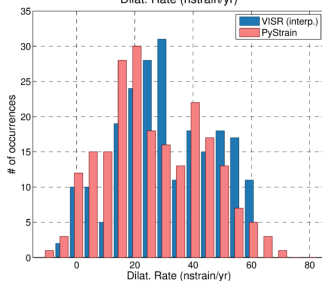
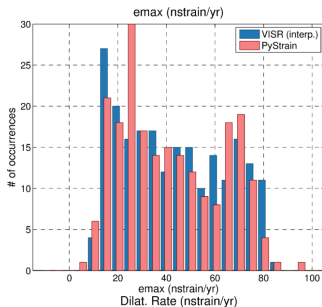


Max Shear difference



Validation

histograms

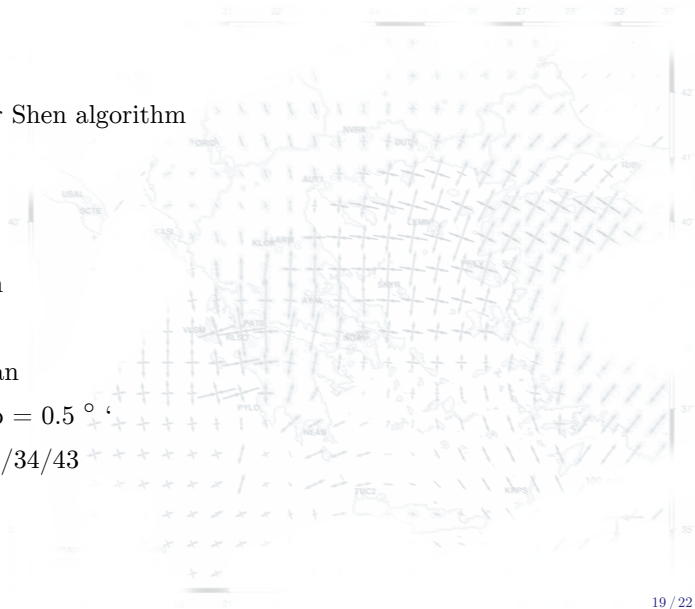


Strain Analysis

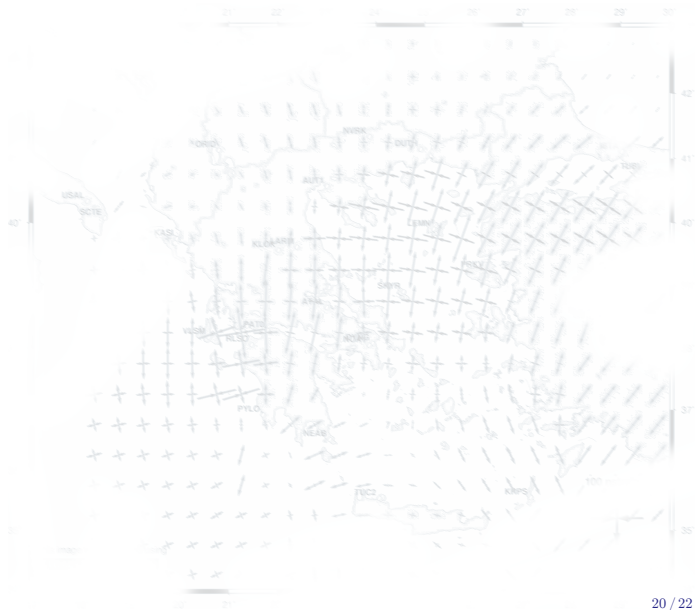
Model parameters for Shen algorithm

Data Set: MIDAS

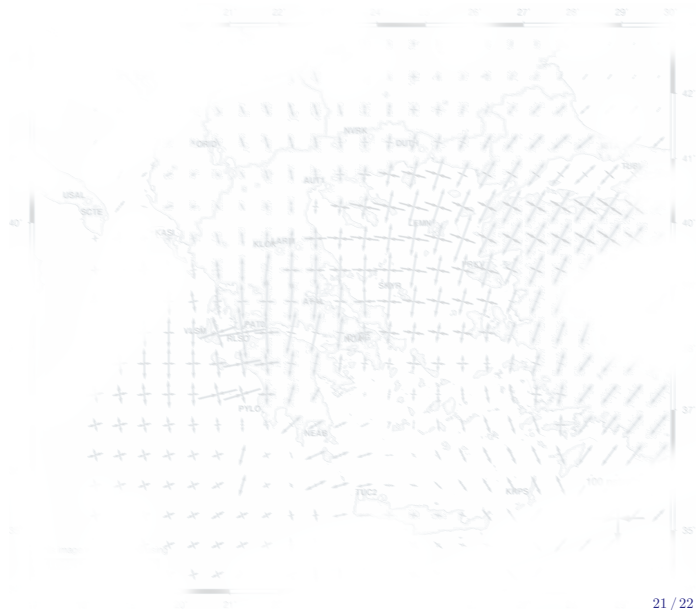
- $W_t=6$
- $d_{min} = 1\text{km}$
- $d_{max} = 500\text{km}$
- $d_{step} = 1\text{km}$
- $l_{type} = \text{gaussian}$
- $x \text{ step} = y \text{ step} = 0.5^\circ$
- $\text{region} = 18/30/34/43$



Strain Analysis



Conclusions



The background of the slide is a map of Europe. Overlaid on the map is a vector field represented by small black arrows, most of which point in a generally westward or northwesterward direction. A series of horizontal blue lines of varying lengths are drawn across the map, primarily concentrated in the central and northern regions. The text "Thank you for your attention!" is centered on the slide in a red serif font.

Thank you for your attention!

