Haberman's survival-data-set EDA The dataset contains cases from a study that was conducted between 1958 and 1970 at the University of Chicago's Billings Hospital on the survival of patients who had undergone surgery for breast cancer. In [2]: import pandas as pd import seaborn as sns import numpy as np import matplotlib.pyplot as plt %matplotlib inline To predict whether the patient will survive after 5 years or not based upon the patient's age, year of treatment and the number of positive lymph nodes In [3]: # let us prepare the data and get some initial insights on the dataset. In [5]: df = pd.read\_csv("haberman.csv") df.head() Out[5]: age year nodes status **0** 30 64 **1** 30 3 62 1 **2** 30 65 **3** 31 59 2 1 **4** 31 65 • The age feature is the age of the patient. • the year feature describes year in which the patient was undergone a surgery. • the nodes are basically the number of positive axillary nodes detected. • If patients survived 5 years or more is represented as 1 in status and patients who survived less than 5 years is represented as 2 under status. • There are four attributes in this dataset out of which 3 of them are taken as features and 1 as a class attrinute. • we have taken age, year, nodes as features and "status" as aour class label. In [7]: # how many data points do we have? df.shape Out[7]: (306, 4) In [8]: # getting the column names in the dataset df.columns Out[8]: Index(['age', 'year', 'nodes', 'status'], dtype='object') In [14]: # what all type of status do we have? print(df['status'].value\_counts()) 1 225 2 81 Name: status, dtype: int64 In [15]: # we can conclude that the dataset is not balanced. In [17]: df.info() <class 'pandas.core.frame.DataFrame'> RangeIndex: 306 entries, 0 to 305 Data columns (total 4 columns): # Column Non-Null Count Dtype -----306 non-null int64 age year 306 non-null int64 1 nodes 306 non-null 2 int64 status 306 non-null int64 3 dtypes: int64(4) memory usage: 9.6 KB In [73]: print("Number of rows: " + str(df.shape[0])) print("Number of columns: " + str(df.shape[1])) print("Columns: " + ", ".join(df.columns)) print("Target variable distribution") print(df.iloc[:,-1].value\_counts()) print("\*"\*50) print(df.iloc[:,-1].value\_counts(normalize = True)) Number of rows: 306 Number of columns: 4 Columns: age, year, nodes, status Target variable distribution 225 2 Name: status, dtype: int64 0.735294 2 0.264706 Name: status, dtype: float64 Observations: • The age of the patients vary from 30 to 83 with the median of 52. • Although the maximum number of positive lymph nodes observed is 52, nearly 75% of the patients have less than 5 positive lymph nodes and nearly 25% of the patients have no positive lymph nodes • The dataset contains only a small number of records (306). and have no missing values • The target column is imbalanced with 73% of values are 'yes' 2-D Scatter Plot In [19]: df.plot(kind = 'scatter', x = 'nodes', y = 'age') plt.grid() 80 70 60 50 30 nodes In [20]: # to distinguish between the data # we can use seaborn packages function which simply to distinguish data visually by allocati ng different colours to every #classification feature. 2-D Scatter plot with color-coding for each status class. In [25]: # here we are using seaborn library sns.set\_style('whitegrid') g = sns.FacetGrid(df, hue='status', height = 5).map(plt.scatter, 'nodes', 'age').add\_legend () g.fig.suptitle('2D scatter Plot') Out[25]: Text(0.5, 0.98, '2D scatter Plot') 2D scatter Plot 80 60 20 30 50 nodes In [26]: # here the blue dots (status 1) represents # the survival rate more than 5 years # and orange dots(status 2) represents survival rate less than 5 years. In [27]: # but we cannot easily distinguish/ classify between the statuses with this plot. **Pairplots** let us draw pairplots to get a much more clear understanding of how are features are able to classify among the statuses. In [30]: sns.set\_style('whitegrid') sns.pairplot(df, hue="status", height = 4) Out[30]: <seaborn.axisgrid.PairGrid at 0x253899e8> 60 50 ........... (0:00 CO 0 50 40 10 20 30 40 -10 0 In [32]: # Conclusion # The datapoints in all of the obove plots are somewhat overlapping, so we cannot easily dis tinguish between the label class # The plot 3 and plot plot 7 (plots between age and nodes) are a better bet as the overlappi ng in them is slightly less. In [36]: # Let's plot a 1D scatter plot **1D** scatter plot In [42]: import numpy as np status\_long\_survival = df.loc[df["status"] == 1] status\_short\_survival = df.loc[df["status"] == 2] plt.plot(status\_long\_survival["nodes"], np.zeros\_like(status\_long\_survival["nodes"]), 'o') plt.plot(status\_short\_survival["nodes"], np.zeros\_like(status\_short\_survival["nodes"]), 'o') plt.show() 0.04 0.02 0.00 -0.02 -0.04 30 1D scatter plot using data feature Age and Axillary nodes 2D scatter plot In [92]: # AGE VS AUXILLARY NODES sns.FacetGrid(df, hue="status", height=6).map(plt.scatter, "age", "nodes").add\_legend(); plt.show(); 40 30 20 30 60 Observations: • Patients with Age < 40 and Auxillary nodes < 30 have higher chances of survival. • Patients with Age > 50 and Auxillary nodes > 10 has less chances of survival. In [93]: #AUXILLARY NODES VS OPERATION YEAR sns.FacetGrid(df, hue="status", height=6).map(plt.scatter, "nodes", "year").add\_legend(); plt.show(); status 2 In [94]: # no conclusions can be drawn from above plot In [95]: #AGE VS OPERATION YEAR sns.FacetGrid(df, hue="status", height=6).map(plt.scatter, "year", "age").add\_legend(); plt.show(); 58 60 62 Observation: • One interesting observation can be drawn as for the operation year 60, 61 and 68 the survival rate is significantly more. **Distplot for generating PDFs** In [96]: for idx, feature in enumerate(list(df.columns)[:-1]): fg = sns.FacetGrid(df, hue='status', height=5) fg.map(sns.distplot, feature).add\_legend() plt.show() 0.040 0.035 0.030 0.025 status 0.020 0.015 0.010 0.005 0.000 40 70 80 90 30 50 60 0.12 0.10 0.08 0.06 1 0.04 0.02 0.00 55.0 57.5 60.0 62.5 65.0 67.5 70.0 72.5 0.5 0.4 0.3 status 2 0.2 0.1 0.0 -10 0 10 20 30 nodes Conclusions from the above PDFs and histogram • In the first and second plot (pdfs of age and year) we cannot clearly classify and seperate the datapoints. • In the third plot of PDF of nodes, we can observe that more number of people survive if they have less axillary nodes. With the help of a simple if else statement, we can come to a conclusion that is-> if (nodes <= 0) -> patient = long\_survival elif (nodes in between 0 and 3.5) -> patient = long\_survival elif (nodes>= 3.5) -> patient = short\_survival In [97]: # let's plot cdf for the selected plot **CDF** In [98]: counts, bin\_edges = np.histogram(status\_long\_survival["nodes"], bins=10, density = True)pdf = counts/(sum(counts)) print("pdf = ",pdf) print("bin\_edges =", bin\_edges) cdf = np.cumsum(pdf) plt.plot(bin\_edges[1:],pdf) plt.plot(bin\_edges[1:], cdf) plt.title("CDF") pdf = [0.83555556 0.08 0.02222222 0.02666667 0.01777778 0.00444444 0.00888889 0. Θ. 0.00444444] bin\_edges = [ 0. 4.6 9.2 13.8 18.4 23. 27.6 32.2 36.8 41.4 46. ] Out[98]: Text(0.5, 1.0, 'CDF') CDF 1.0 8.0 0.6 0.4 0.2 0.0 20 30 40 In [99]: # the above plot is the cdf for status\_long\_survival (status = 1) From above CDF we can observe that orange line shows there is around 85% chance of long survival if number of axillary nodes detected are < 5. Also we can see as number of axillary nodes increases survival chances also reduces means it is clearly observed that 80% — 85% of people have good chances of survival if they have less no of auxillary nodes detected and as nodes increases the survival status also decreases as a result 100% of people have less chances of survival if nodes increases >40 In [100]: counts, bin\_edges = np.histogram(status\_short\_survival["nodes"], bins=10, density = **True**) pdf = counts/(sum(counts)) print("pdf = ",pdf) print("bin\_edges =", bin\_edges) cdf = np.cumsum(pdf) plt.plot(bin\_edges[1:],pdf) plt.plot(bin\_edges[1:], cdf) plt.title("CDF") pdf = [0.56790123 0.14814815 0.13580247 0.04938272 0.07407407 0. 0.01234568 0. 0.01234568] Θ. bin\_edges = [ 0. 5.2 10.4 15.6 20.8 26. 31.2 36.4 41.6 46.8 52. ] Out[100]: Text(0.5, 1.0, 'CDF') CDF 1.0 8.0 0.6 0.4 0.2 0.0 In [101]: # the above plot is the cdf for status\_short\_survival (status = 2) From the above two plots we can conclude that: nearly 55% of people who have nodes less than 5 and there are nearly 100% of people in short survival if nodes are > 40 In [102]: # let us predict the status and get the insights on data through statistical analyses Mean, Variance and Std-dev In [103]: print("Mean") print (np.mean(status\_long\_survival["nodes"])) print (np.mean(status\_short\_survival["nodes"])) print("\nStandard-deviation") print(np.std(status\_long\_survival["nodes"])) print(np.std(status\_short\_survival["nodes"])) 2.7911111111111113 7.45679012345679 Standard-deviation 5.857258449412138 9.128776076761635 we can draw the conclusions like • long survival (status 1) have mean value of nodes as 2.79 whereas the short survival of (status 2) have mean value of nodes as 7.45 which is quite high. • also the standard deviation (spread of data-points) is huge with respect to the short survival category. Median, Quantiles and Percentile In [104]: print("medians") print("status 1 :", np.median(status\_long\_survival["nodes"])) print("status 2 :", np.median(status\_short\_survival["nodes"])) print("\n Quantiles") print("status 1 :", np.percentile(status\_long\_survival["nodes"], np.arange(0,100,25)))
print("status 2 :", np.percentile(status\_short\_survival["nodes"], np.arange(0,100,25))) print("\n 90th percentile") print("status 1 :", np.percentile(status\_long\_survival["nodes"], 90)) print("status 2 :", np.percentile(status\_short\_survival["nodes"], 90)) medians status 1 : 0.0 status 2 : 4.0 Quantiles status 1 : [0. 0. 0. 3.] status 2 : [ 0. 1. 4. 11.] 90th percentile status 1 : 8.0 status 2 : 20.0 Conclusions • nearly 50th% of axillary nodes are 0 in long survival and 75th% of patients have nodes less than 3 that is 25% patients are having nodes more than 3. • Similarly, In short survival 75th% of patients have minimum 11 nodes detected. • At 90th% there if nodes detected is >8 then it has long survival status and if nodes are >20 then patients will have short survival status In [105]: # let us plot box plot and whiskers plot for the above data **Box Plot** In [106]: # let's take all the features and plot a box plot In [107]: fig, axes = plt.subplots(1, 3, figsize=(15, 5)) for idx, feature in enumerate(list(df.columns)[:-1]): sns.boxplot( x='status', y=feature, data=df, ax=axes[idx]) plt.show() 60 62 60 **Violoin plot** fig, axes = plt.subplots(1, 3, figsize=(15, 5)) In [108]: for idx, feature in enumerate(list(df.columns)[:-1]): sns.violinplot( x='status', y=feature, data=df, ax=axes[idx]) plt.show() 72.5 70.0 50

67.5

65.0

62.5

60.0

57.5

55.0

sns.jointplot(x="age",y="nodes",data=status\_long\_survival,kind="kde")

80

The Exploratory data analysis for Haberman's dataset is concluded and with the help pf various python libraries and statistical

• For nodes less than 5 and age range between 47-60 the chances of survival are more

also lies in it. That is 50% error for Short survival status.

have the slighlty lower chance to surive that the rest.

• When we look at the box plot between nodes and age, nodes between 0–7 have chances of error as short survival plot

• The patients treated after 1966 have the slighlty higher chance to surive that the rest. The patients treated before 1959

30

20

Conclusions:

**Contour Plot** 

plt.grid()
plt.show()

10

20

Obseravations:

In [110]:

# this concludes EDA

medthods we can classify the different status patients.

**Conclusion** 

In [109]: