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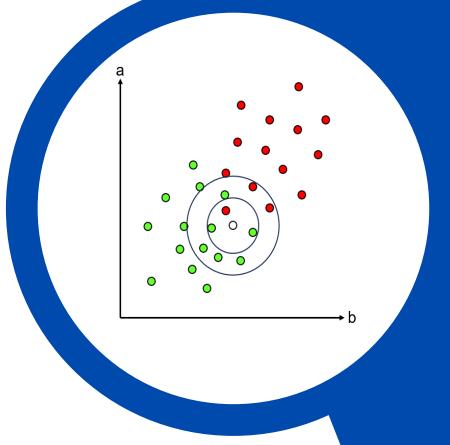


TECHAD BOOTCAMP DATCH O

BATCH 8

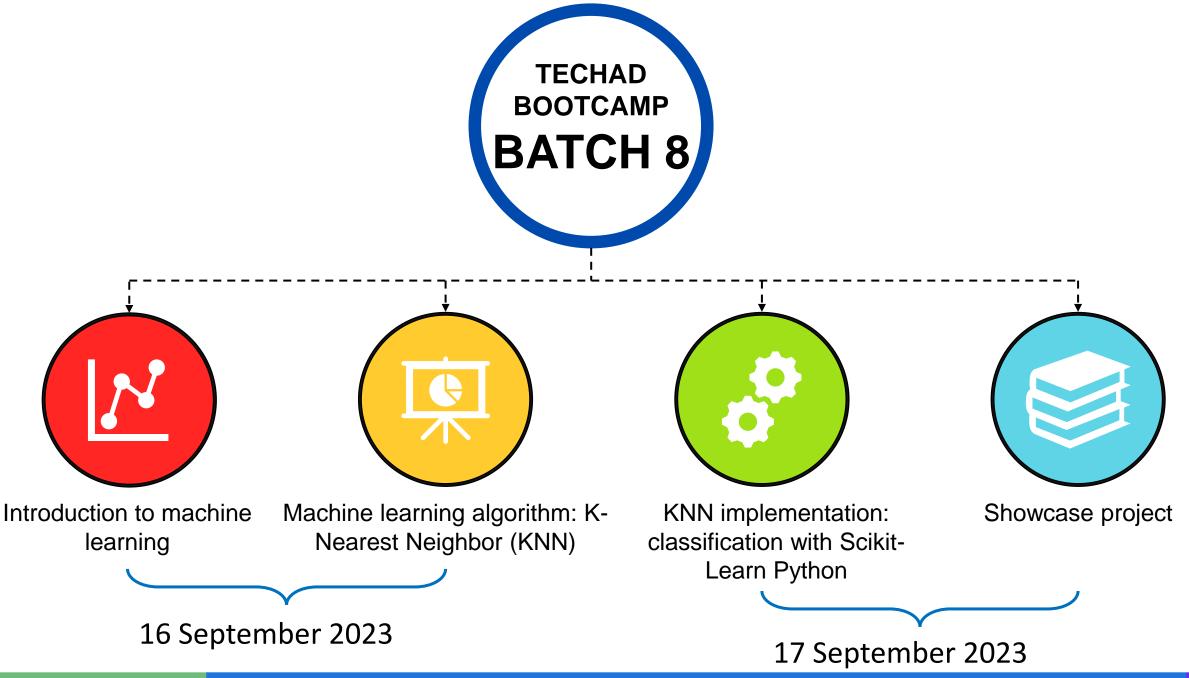
TOPIC:

Machine Learning:
An Introduction to KNN
and Its Implementation



FARID YULI MARTIN ADIYATMA, S.T.

16 September 2023



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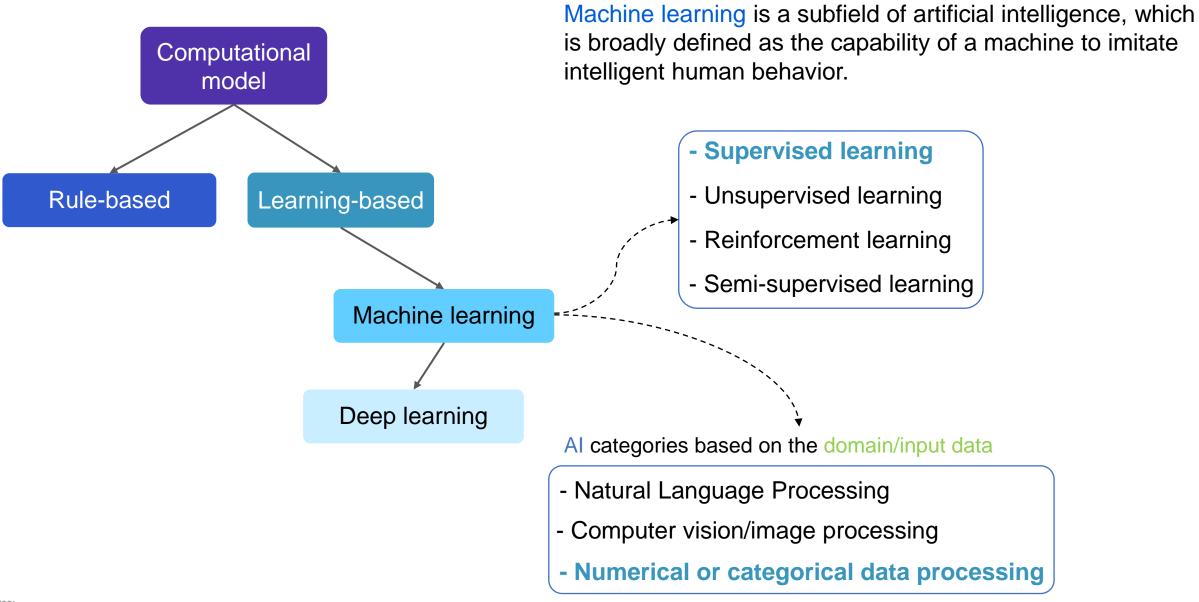
Introduction to Machine Learning

Module 1 16 September 2023

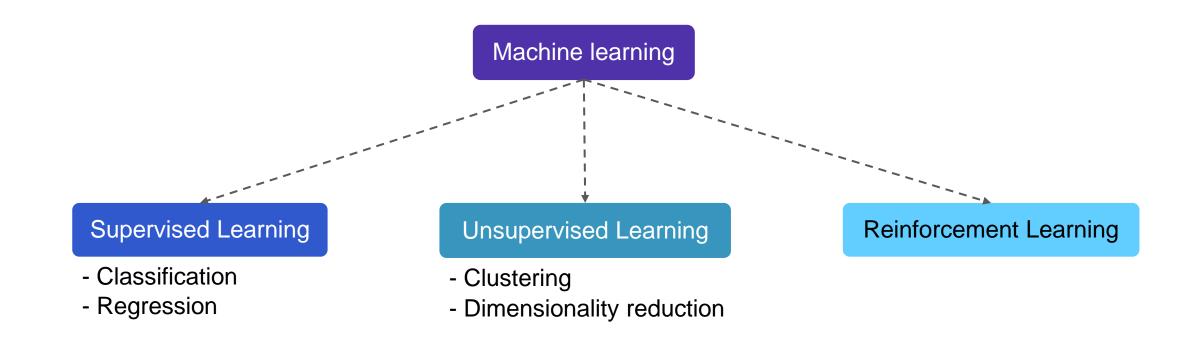
TECHAD BOOTCAMP BATCH 8

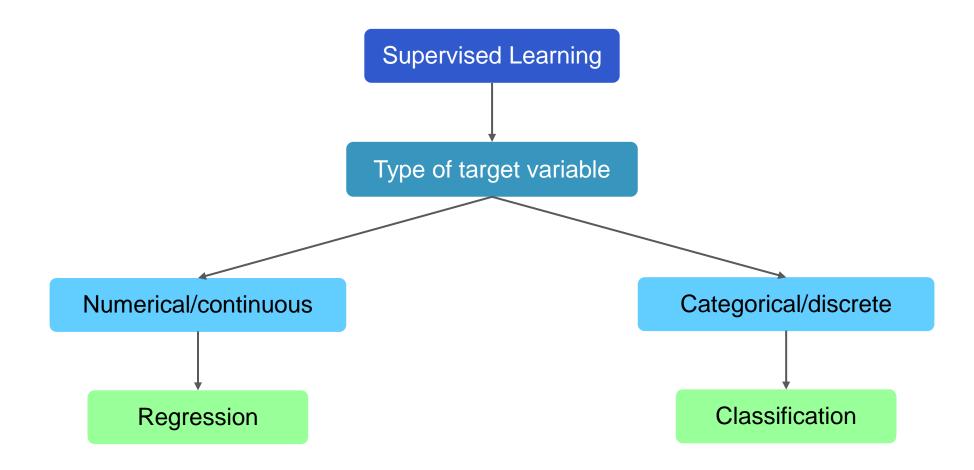
TOPIC:

Machine Learning: An Introduction to KNN and Its Implementation



Source:





Regression

| tax | nox | Medv |
|-----|--|---|
| 296 | 538 | 24 |
| 242 | 469 | 21.6 |
| 242 | 469 | 34.7 |
| 222 | 458 | 33.4 |
| 222 | 458 | 36.2 |
| 222 | 458 | 28.7 |
| 311 | 524 | 22.9 |
| 311 | 524 | 27.1 |
| 311 | 524 | 16.5 |
| | 296 242 242 222 222 222 311 311 | 296 538 242 469 242 469 222 458 222 458 222 458 311 524 311 524 |

Target

Features

Classification

| No. | Sepal Length | Sepal Width | Species |
|-----|--------------|-------------|------------|
| 1 | 5.3 | 3.7 | Setosa |
| 2 | 5.1 | 3.8 | Setosa |
| 3 | 7.2 | 3 | Virginica |
| 4 | 5.4 | 3.4 | Setosa |
| 5 | 5.1 | 3.3 | Setosa |
| 6 | 5.4 | 3.9 | Setosa |
| 7 | 7.4 | 2.8 | Virginica |
| 8 | 6.1 | 2.8 | Versicolor |
| 9 | 7.3 | 2.9 | Virginica |
| 10 | 6 | 2.7 | Versicolor |
| 11 | 5.8 | 2.8 | Virginica |
| 12 | 6.3 | 2.3 | Versicolor |
| 13 | 5.1 | 2.5 | Versicolor |
| 14 | 6.3 | 2.5 | Versicolor |
| 15 | 5.5 | 2.4 | Versicolor |
| | | | Target |

Features

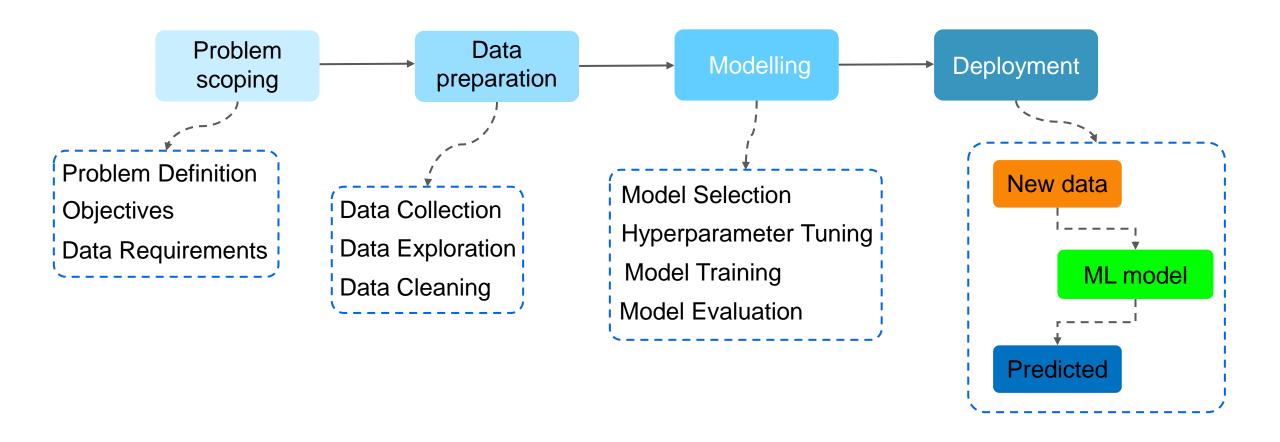
Regression

- Linear Regression
- Polynomial Regression
- Lasso Regression
- Ridge Regression
- Logistic Regression
- o KNN
- o SVR
- Decision Tree
- Random Forest
- Neural Network

Classification

- o KNN
- o SVM
- Naïve Bayes
- Decision Tree
- Ensemble learning
- Neural network

Al Project Cycle



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Machine learning algorithm: K-Nearest Neighbor (KNN)

Module 2 16 September 2023

TECHAD BOOTCAMP BATCH 8

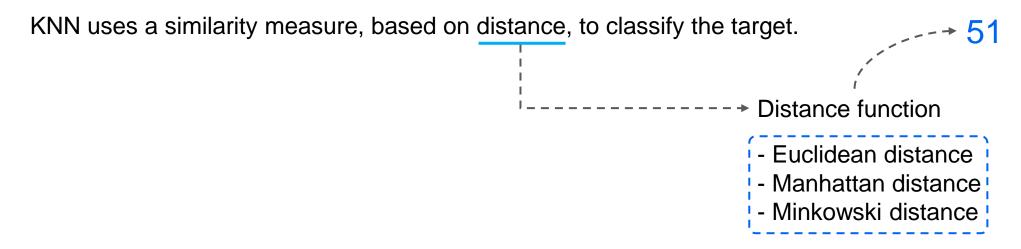
TOPIC:

Machine Learning: An Introduction to KNN and Its Implementation

Overview of KNN

KNN is a pattern recognition algorithm that can be used to:

- Classification
- Regression



The most important hyperparameter in KNN is the number of neighbors (K)

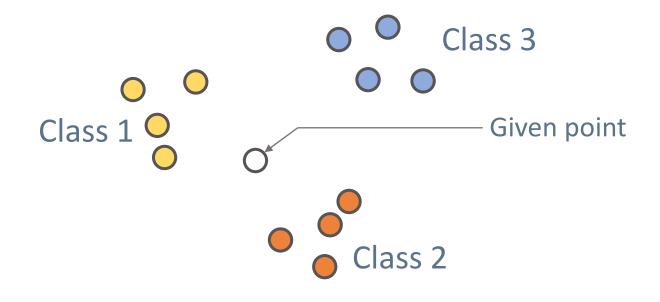
KNN is sensitive to outliers

There is no structured method to find the best K

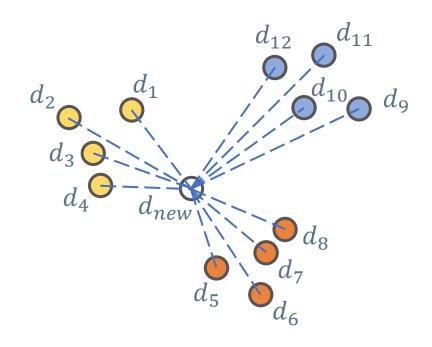
ource:

 $https://towards datascience.com/k-nearest-neighbors-knn-algorithm-23832490e3f4\#: \sim: text = This \%20 is \%20 considered \%20 as \%20 overfitting, on \%20 the \%20 test \%20 dataset \%20 also.$

Step 1 Initialization



Step 2
Calculate distance



Distance function in KNN

Euclidean distance

$$d(a,b) = \sqrt{\sum_{i=1}^{n} (a_i - b_i)^2}$$

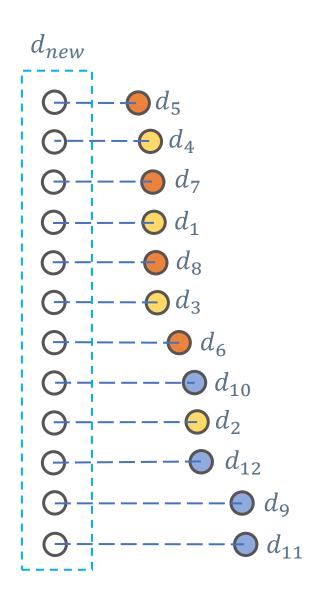
Manhattan distance

$$d(a,b) = \sum_{i=1}^{n} |a_i - b_i|$$

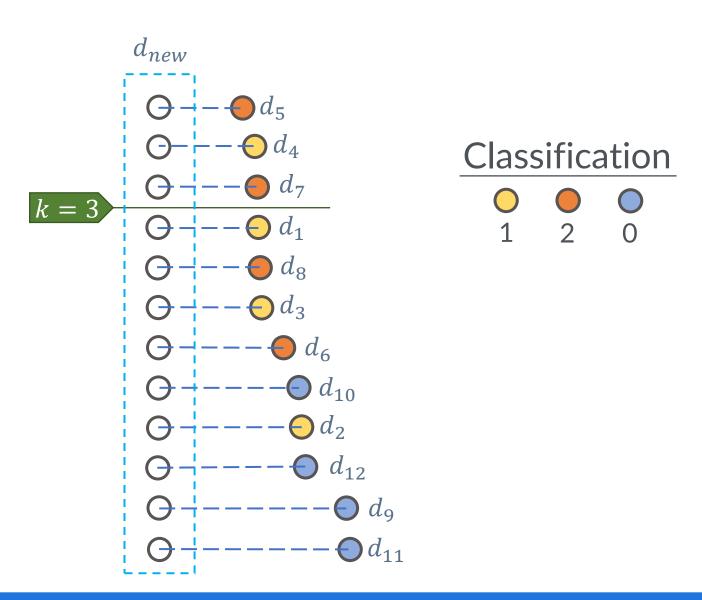
Minkowski distance

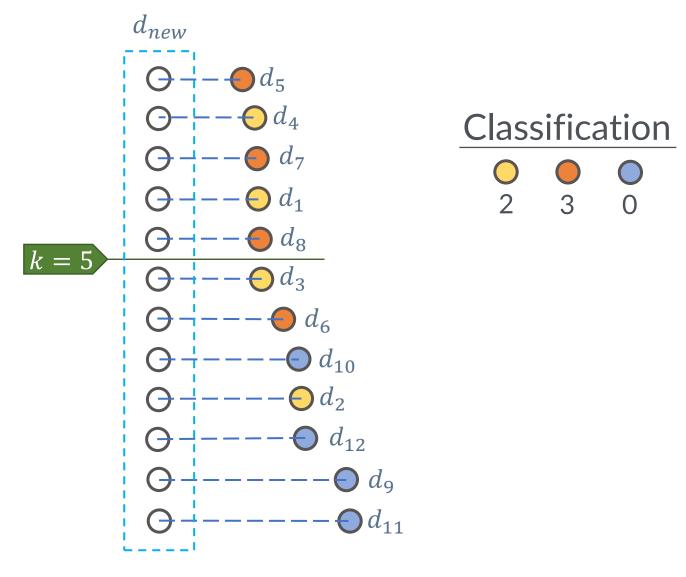
$$d(a,b) = \left(\sum_{i=1}^{n} |a_i - b_i|^p\right)^{1/p}$$

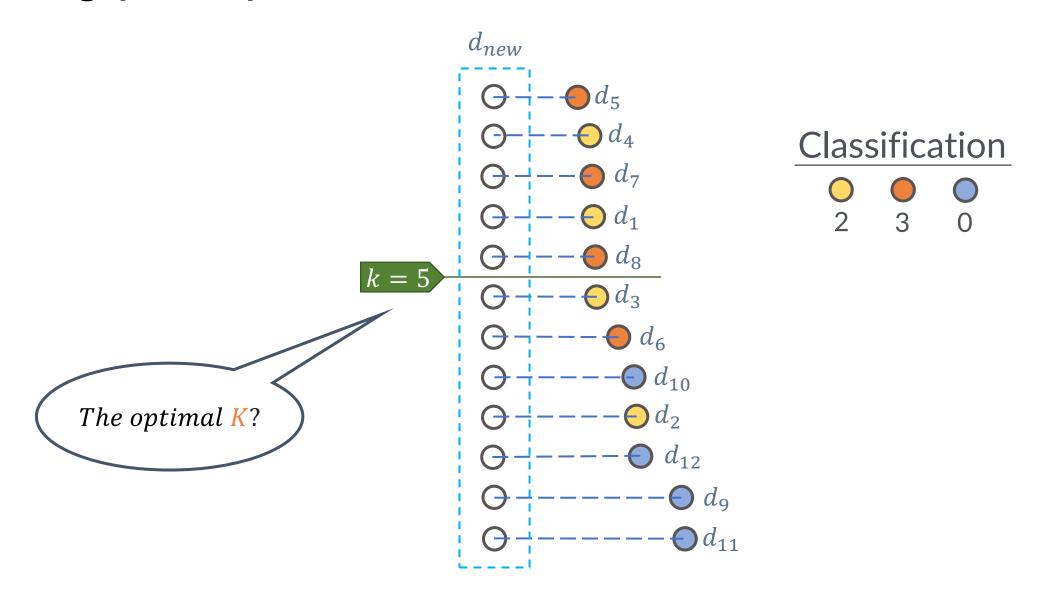
Step 3
Nearest Neighbors



Step 4 Vote







Simple Example of KNN

Dataset

| No. | Sepal Length | Sepal Width | Species |
|-----|--------------|-------------|------------|
| 1 | 5.3 | 3.7 | Setosa |
| 2 | 5.1 | 3.8 | Setosa |
| 3 | 7.2 | 3 | Virginica |
| 4 | 5.4 | 3.4 | Setosa |
| 5 | 5.1 | 3.3 | Setosa |
| 6 | 5.4 | 3.9 | Setosa |
| 7 | 7.4 | 2.8 | Virginica |
| 8 | 6.1 | 2.8 | Versicolor |
| 9 | 7.3 | 2.9 | Virginica |
| 10 | 6 | 2.7 | Versicolor |
| 11 | 5.8 | 2.8 | Virginica |
| 12 | 6.3 | 2.3 | Versicolor |
| 13 | 5.1 | 2.5 | Versicolor |
| 14 | 6.3 | 2.5 | Versicolor |
| 15 | 5.5 | 2.4 | Versicolor |

New data

| No. | Sepal Length | Sepal Width | Species |
|-----|--------------|-------------|---------|
| 1 | 5.2 | 3.1 | ? |

KNN classification using various distance functions

Euclidean distance =
$$\sqrt{(5.2 - 5.3)^2 + (3.1 - 3.7)^2}$$

= 0.608

$$Manhattan \ distance = |5.2 - 5.3| + |3.1 - 3.7|$$

= 0.7

Minkowski distance =
$$(|5.2 - 5.3|^3 + |3.1 - 3.7|^3)^{\frac{1}{3}}$$

= 0.802

Source:

Simple Example of KNN

Distance between each datapoint and new data

| | | <u>-</u> | | _ |
|-----|--------------|-------------|------------|----------|
| No. | Sepal Length | Sepal Width | Species | Distance |
| 1 | 5.3 | 3.7 | Setosa | 0.608 |
| 2 | 5.1 | 3.8 | Setosa | 0.707 |
| 3 | 7.2 | 3 | Virginica | 2.002 |
| 4 | 5.4 | 3.4 | Setosa | 0.36 |
| 5 | 5.1 | 3.3 | Setosa | 0.22 |
| 6 | 5.4 | 3.9 | Setosa | 0.82 |
| 7 | 7.4 | 2.8 | Virginica | 2.22 |
| 8 | 6.1 | 2.8 | Versicolor | 0.94 |
| 9 | 7.3 | 2.9 | Virginica | 2.1 |
| 10 | 6 | 2.7 | Versicolor | 0.89 |
| 11 | 5.8 | 2.8 | Virginica | 0.67 |
| 12 | 6.3 | 2.3 | Versicolor | 1.36 |
| 13 | 5.1 | 2.5 | Versicolor | 0.6 |
| 14 | 6.3 | 2.5 | Versicolor | 1.25 |
| 15 | 5.5 | 2.4 | Versicolor | 0.75 |

New data

| No. | Sepal Length | Sepal Width | Species |
|-----|--------------|-------------|---------|
| 1 | 5.2 | 3.1 | ? |

Using Euclidean Distance

Source:

ttps://medium.com/machine-learning-researcher/k-nearest-neighbors-in-machine-learning-e794014abd2a

Simple Example of KNN

Sorted dataset

| No. | Sepal Length | Sepal Width | Species | Distance |
|-----|--------------|-------------|------------|----------|
| 5 | 5.1 | 3.3 | Setosa | 0.22 |
| 4 | 5.4 | 3.4 | Setosa | 0.36 |
| 13 | 5.1 | 2.5 | Versicolor | 0.6 |
| 1 | 5.3 | 3.7 | Setosa | 0.608 |
| 11 | 5.8 | 2.8 | Virginica | 0.67 |
| 2 | 5.1 | 3.8 | Setosa | 0.707 |
| 15 | 5.5 | 2.4 | Versicolor | 0.75 |
| 6 | 5.4 | 3.9 | Setosa | 0.82 |
| 10 | 6 | 2.7 | Versicolor | 0.89 |
| 8 | 6.1 | 2.8 | Versicolor | 0.94 |
| 14 | 6.3 | 2.5 | Versicolor | 1.25 |
| 12 | 6.3 | 2.3 | Versicolor | 1.36 |
| 3 | 7.2 | 3 | Virginica | 2.002 |
| 9 | 7.3 | 2.9 | Virginica | 2.1 |
| 7 | 7.4 | 2.8 | Virginica | 2.22 |

For k = 5

Voting

| No. | Sepal Length | Sepal Width | Species |
|-----|--------------|-------------|---------|
| 1 | 5.2 | 3.1 | Setosa |

5

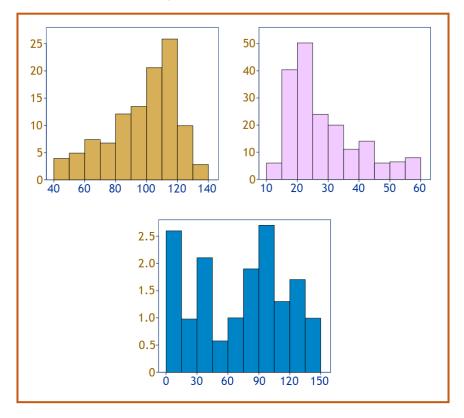
| Setosa | Versicolor | Virginica |
|--------|------------|-----------|
| 3 | 1 | 1 |

Source:

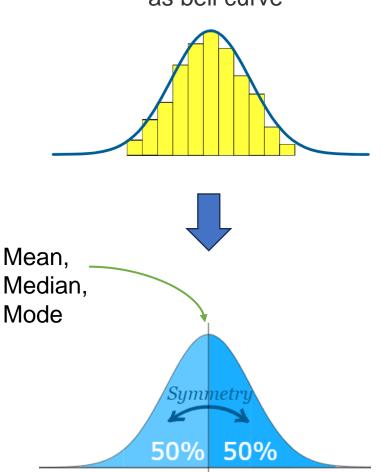
https://medium.com/machine-learning-researcher/k-nearest-neighbors-in-machine-learning-e794014abd2a

Normal Distribution (Gaussian)

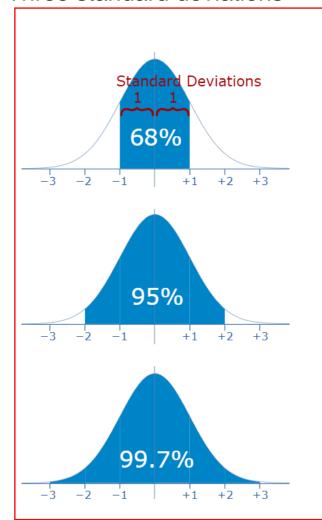
Data can be "distributed" (spread out) in different ways.



Normal distribution illustrated as bell curve



Three standard deviations



Source:

https://www.mathsisfun.com/data/standard-normal-distribution.html

Data Cleaning

1. Missing data

Missing data is a common issue in data analysis and machine learning, and how it is handled can significantly impact the quality and reliability of analytical results and predictive models.

Mitigation technique, e.g., Deletion, mean, median, mode, forward and backward fill, interpolation and regression

Missing data

| Sepal Length | Sepal Width | Species |
|-----------------|----------------|------------|
| 6.1 | 2.8 | Versicolor |
| 6 | 2.7 | Versicolor |
| 6.3 | | Versicolor |
| 5.1 | 2.5 | Versicolor |
| 6.3 | 2.5 | Versicolor |
| 5.5 | 2.4 | Versicolor |

Deletion

| Sepal Length | Sepal Width | Species |
|-----------------|----------------|---------------------------------------|
| 6.1 | 2.8 | Versicolor |
| 6 | 2.7 | Versicolor |
| 5.1 | 2.5 | Versicolor |
| 6.3 | 2.5 | Versicolor |
| 5.5 | 2.4 | Versicolor |
| | | · · · · · · · · · · · · · · · · · · · |

Mean

| Sepal Length | Sepal Width | Species |
|-----------------|----------------|------------|
| 6.1 | 2.8 | Versicolor |
| 6 | 2.7 | Versicolor |
| 6.3 | 2.58 | Versicolor |
| 5.1 | 2.5 | Versicolor |
| 6.3 | 2.5 | Versicolor |
| 5.5 | 2.4 | Versicolor |

Forward fill

| Sepal Length | Sepal Width | Species |
|-----------------|----------------|------------|
| 6.1 | 2.8 | Versicolor |
| 6 | 2.7 | Versicolor |
| 6.3 | 2.5 | Versicolor |
| 5.1 | 2.5 | Versicolor |
| 6.3 | 2.5 | Versicolor |
| 5.5 | 2.4 | Versicolor |

Data Cleaning

2. Outliers

Outliers are data points that significantly differ from the majority of the data and can distort statistical analyses and machine learning models.

Effective outlier mitigation is crucial to ensure the reliability and accuracy of data-driven insights and models.

Detection technique, e.g., Z-score, interquartile range (IQR)

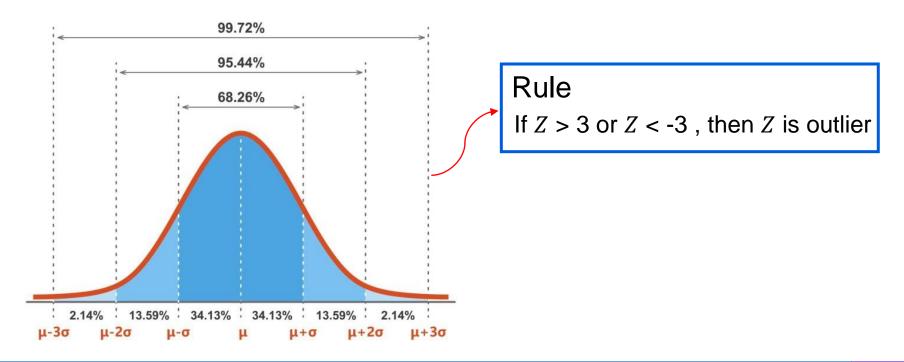
Z-score

$$Z = \frac{x - \mu}{\sigma}$$

x = data

 $\mu = \text{mean}$

 σ = standard deviation



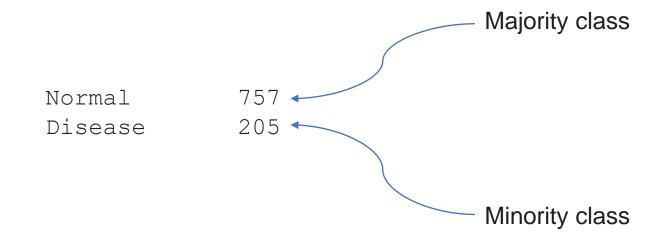
Imbalanced Data

Imbalanced data in machine learning refers to a dataset where the distribution of the target class is not equal.

This means that one class (the majority class) has a significantly higher number of observations than the other class (the minority class).

There are a number of techniques that can be used to handle imbalanced data in machine learning:

- 1. Oversampling: This involves creating synthetic examples of the minority class.
- 2. Undersampling: This involves removing examples of the majority class.



Feature Scaling

Feature scaling in machine learning is the process of transforming the features in a dataset so that their values share a similar scale.

Normalization rescales the values of a feature to a specific range, typically [0, 1] or [-1, 1].

Standardization does not bound values to a specific range like normalization. Instead, it scales data to have a mean of 0 and a standard deviation of 1.

Example:

Dataset

| Employee | Age | Salary |
|----------|-----|---------|
| 1 | 44 | 7300000 |
| 2 | 27 | 4700000 |
| 3 | 30 | 5300000 |
| 4 | 38 | 6200000 |
| 5 | 40 | 5700000 |
| 6 | 35 | 5300000 |

New data

| Age | Salary | |
|-----|---------|--|
| 48 | 7800000 | |

Employee 1

Euclidean distance =
$$\sqrt{(7800000 - 7300000)^2 + (48 - 44)^2}$$

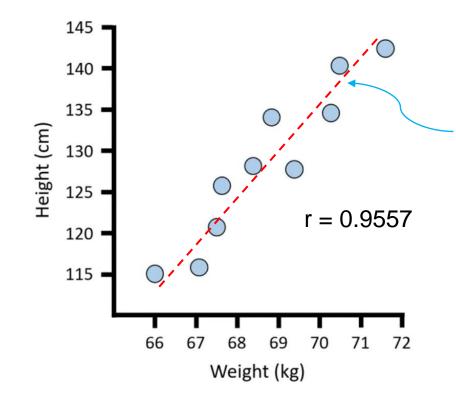
= 500000

Feature Selection

The higher the number of features, the more computational time is needed. Some features do not exhibit a strong correlation with the target.

The concept of Pearson correlation

| Participant | Weight (kg) | Height (cm) |
|-------------|-------------|-------------|
| 1 | 66.0 | 115.0 |
| 2 | 67.2 | 116.3 |
| 3 | 67.6 | 120.8 |
| 4 | 67.8 | 125.7 |
| 5 | 68.5 | 127.5 |
| 6 | 69.4 | 126.9 |
| 7 | 69.0 | 134.2 |
| 8 | 70.3 | 134.9 |
| 9 | 70.7 | 140.6 |
| 10 | 71.8 | 144.1 |



A Pearson correlation measures the strength and direction of linear correlation

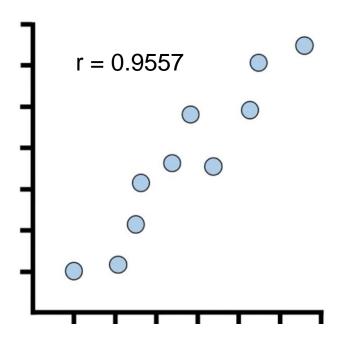
Source:

https://www.youtube.com/watch?v=e4ApDqG6MGE

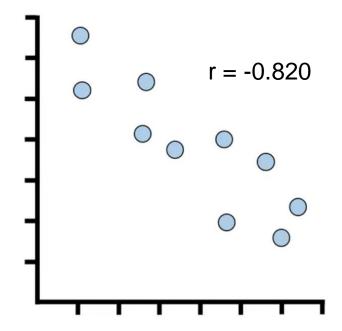
Correlation

Direction of correlation

Positive correlation, r > 0



Negative correlation, r < 0



Source:

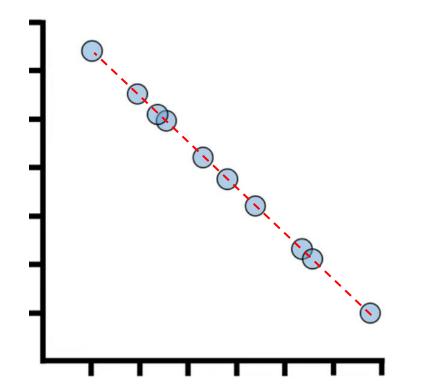
https://www.youtube.com/watch?v=e4ApDqG6MGE

Correlation

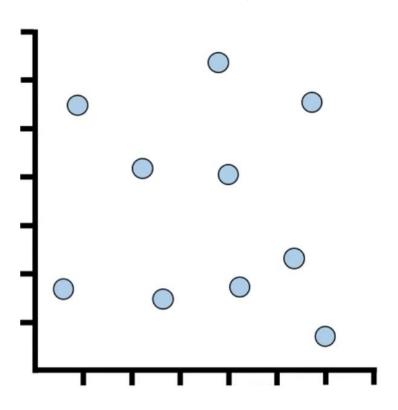
Strength of correlation

Perfect positive correlation, r =1

Perfect negative correlation, r = -1



No correlation, r = 0



Evaluation Metrics

| Confusion | Actually | Actually |
|-----------|---------------|----------------|
| Matrix | Positive | Negative |
| Predicted | True Positive | False Positive |
| Positive | (TP) | (FP) |
| Predicted | False | True Negative |
| Negative | Negative (FN) | (TN) |

A good model has high TP and TN and low FP and FN.

Accuracy

$$Accuracy = \frac{TP + TN}{TP + TN + FP + FN}$$

Precision

$$Precision = \frac{TP}{TP + FP}$$

Recall

$$Recall = \frac{TP}{TP + FN}$$

F1 Score

$$Recall = 2 * \frac{Precision * Recall}{Precision + Recall}$$

Terima kasih ขอบคุณมาก