Nontrivial collective behaviour induce by heterogeneity in dynamical recurrent networks Complex Systems

Authors: Kevin Robalino, Mario Cosenza

School of Physical Sciences and Nanotechnology kevin.robalino@yachaytech.edu.ec, mcosenza@yachaytech.edu.ec





Overview



- Overview
- Methodology/Results



- Overview
- Methodology/Results
- Applications/Future Work



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- Conclusions

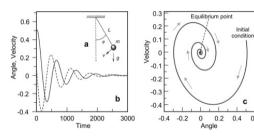


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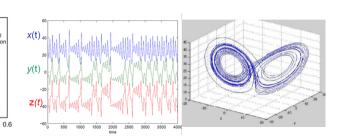


Chaos dynamics

Simple pendulum



Lorenz equations



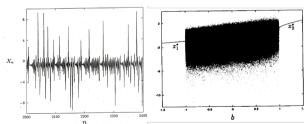


Overview 00000

Robust chaos

Logarithmic map

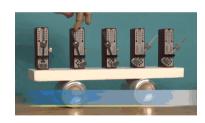
$$x_{t+1} = F(xt) = Ln|xt| + b$$







Applications/Future work Overview Methodology 00000



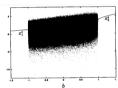








$$x_{t+1} = F(x_t) = Ln|x_t| + b$$



$$x_{t+1}(i) = (1 - \epsilon)f(x_t(i)) + \frac{\epsilon}{N} \sum_{j=1}^{N} f(x_t(j)),$$





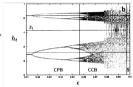
Progress of Theoretical Physics, Vol. 100, No. 1, July 1998

Synchronization and Collective Behavior in Globally Coupled Logarithmic Maps

M. G. COSENZA and J. GONZÁLEZ

Centro de Astrofísica Teórica, Facultad de Ciencias, Universidad de Los Andes A. Postal 26 La Hechicera, Mérida 5251, Venezuela (Bernissel October 97, 1997)

The collective phenomena arising in a system of globally coupled chaotic logarithmic mans are investigated by considering the properties of the mean field of the network. Several collection states are found in the phone discreme of the motors; speckronized, collection collective states are found in the phase diagram of the system: synchronized, collective periodic, collective chaotic, and fully turbulent states. In contrast with previously studied globally coupled systems, no splitting of the elements into different groups nor quasiperiodic collective states occur in this model. The organization of the observed neutrivial collective states is related to the presence of unstable periodic orbits in the local dynamics. The role that the properties of the local dynamics play in the emergence and characteristics of nontrivial collective behavior in globally coupled systems is discussed.



STATISTICAL COMPLEXITY AND NONTRIVIAL COLLECTIVE BEHAVIOR IN ELECTROENCEPHALOGRAPHIC SIGNALS

M. ESCALONA MORÁN Universidad de Los Andes, Mérida, Venezuela Laboratoire Traitement du Sianul et de l'Impae (LTSI). Université de Rennes 1. Commu Scientifique de Rendien. INSERM U612, LTSL Bit. 22, 35012 Rennes Colex, France

M. C. CONENZA Universidad de Los Andrs Márida Venemela DHS and RIFL Facultud de Ciencias. Universidad de Zemanza, E.59009 Zarnanza, Statin

P. GARCÍA Laboratorio de Sistemas Complejos



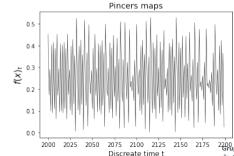






Homogeneous network

$$F(x_t) = |tanh(s(x_t - c))|$$

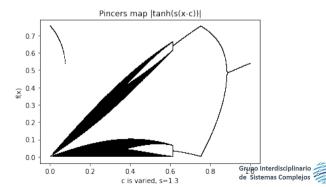






$$F(x_t) = |tanh(s(x_t - c))|$$

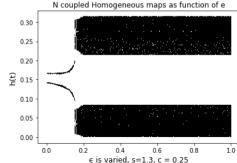
Methodology



Homogeneous network

$$x_{t+1}(i) = (1 - \epsilon)f(x_t(i)) + \frac{\epsilon}{N} \sum_{j=1}^{N} f(x_t(j)),$$

$$F(x_t) = |tanh(s(x_t - c))|$$

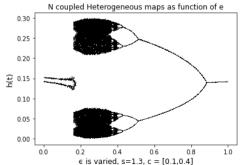




Heterogeneous network

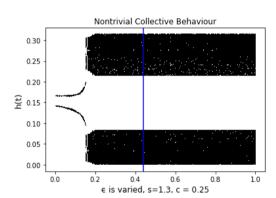
$$x_{t+1}(i) = (1 - \epsilon)f(x_t(i)) + \frac{\epsilon}{N} \sum_{j=1}^{N} f(x_t(j)),$$

$$F(x_t) = |tanh(s(x_t - Random[c_1, c_2]))|$$





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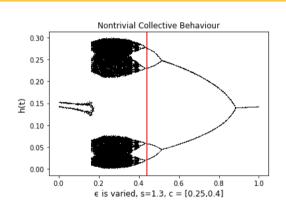


Figure: Pincers Maps Network





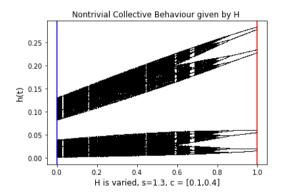
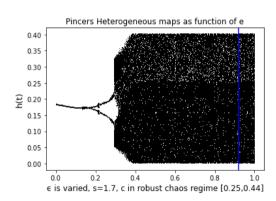


Figure: H from 0 to 1





from homogeneous to heterogeneous



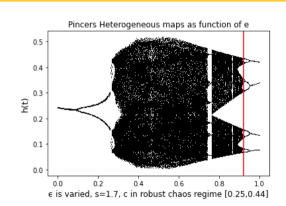


Figure: Pincers maps networks Grupo Interdisciplinario de Sistemas Complejos



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Collective behaviour induced by Heterogeneity

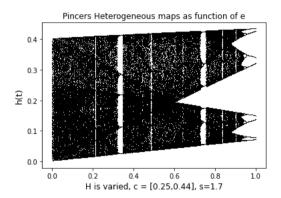


Figure: heterogeneity from 0 to

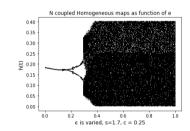


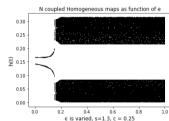
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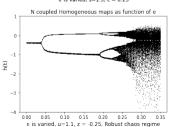


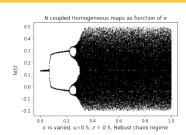


Homogeneous Networks

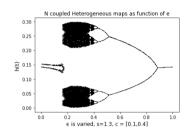


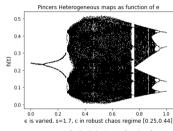


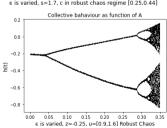




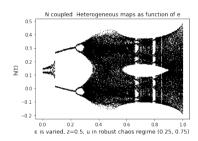




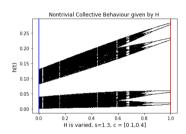


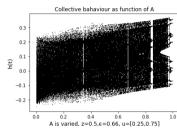


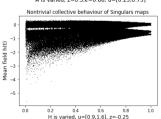
Non-trivial collective behaviour induced in RNN

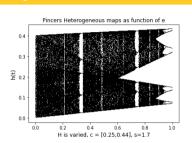








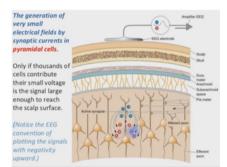


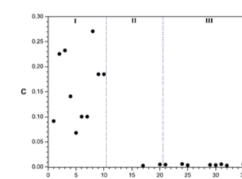




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Applications



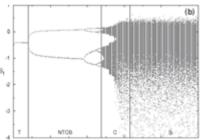


IV

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Future work

Neuroscience



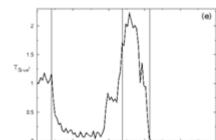


Figure: Transfer information from variables to global field





Conclusions

- 1) Collective behaviors of recurring dynamic networks are studied within the interval of robust chaos
- 2) Non-trivial collective behaviors in the average field are given by varying the amount of heterogeneity of the network
- 3) A theoretical model is established that allows to quantify the collective behavior in terms of the random varieties in all local parameters bi of the network, this let us to define this heterogeneity parameter as a bifurcation parameter of the network ("heterogeneity parameter")
- 4) More research is needed to generalize the collective behavior associated with a family of sigmoid functions in terms of the heterogeneity parameter.



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Conclusions

acknowledgment













Questions?



