



## Missing values

### Main objectives:

- Identifying Missingness Patterns
- Assessing Data Completeness
- Understanding Missingness Mechanisms: Different missingness mechanisms, such as missing completely at random (MCAR), missing at random (MAR), or missing not at random (MNAR), require different handling approaches.
- Evaluating Impact on Analysis
- Implementing Handling Strategies

#### Why look for Missing Values?

- Identify important information that was lost
- Prepare Variable for mode



### How to solve?

Complete Case Analysis or Mean/Median Imputation

KNN Imputation and Interative Imputation

### **Outliers**

"An outlier is an observation which deviates so much from the other observations as to arouse suspicions that it was generated by a different mechanism." [D. Hawkins. Identification of Outliers, Chapman and Hall, 1980.]

#### Methods that help to identify Outliers

If the variable is Normally distributed (Gaussian)

• Outliers = mean +/- 3\* std

If the variable is skewed distributed, a general approach is to calculate the quantiles and then the inter-quantile range (IQR), as follows:

•IQR = 75th quantile - 25th quantile

An outlier will sit outside the following upper and lower boundaries:

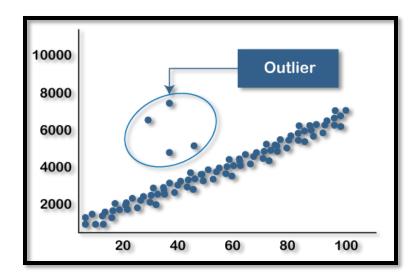
- •Upper boundary = 75th quantile + (IQR \* 1.5)
- •Lower boundary = 25th quantile (IQR \* 1.5)

#### or for extreme cases:

- •Upper boundary = 75th quantile + (IQR \* 3)
- •Lower boundary = 25th quantile (IQR \* 3)

### Why look for Outiliers?

- Identify suspicious information
- Prepare Variable for mode



### How to solve?

Trimming
or
Censoring
or
Discretization

\* Considering equal width discretization

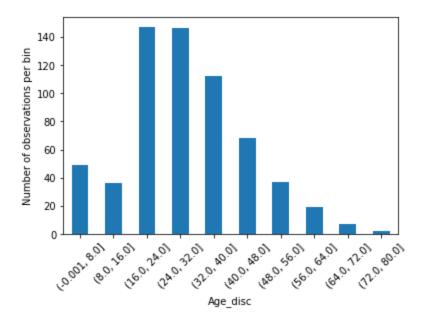


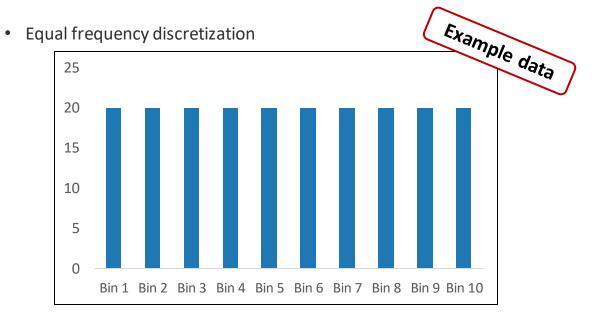
### **Discretization | Part 2**

- Considering equal frequency discretization;
- Each "Bin" has the same N° of observations;
- Application Method: quantiles.

### Example: **Titanic dataset**

• Equal width discretization





- Standardization
- MinMaxScaling
- Categorical to dummy variables
- Why is it importante?
  - The regression coefficients of linear models are directly influenced by the scale of the variable.
  - Variables with bigger magnitude / larger value range dominate over those with smaller magnitude / value range
  - Gradient descent converges faster when features are on similar scales
  - Feature scaling helps decrease the time to find support vectors for SVMs
  - Euclidean distances are sensitive to feature magnitude.
  - Some algorithms, like PCA require the features to be centered at 0.

- Standardization
- Normalization

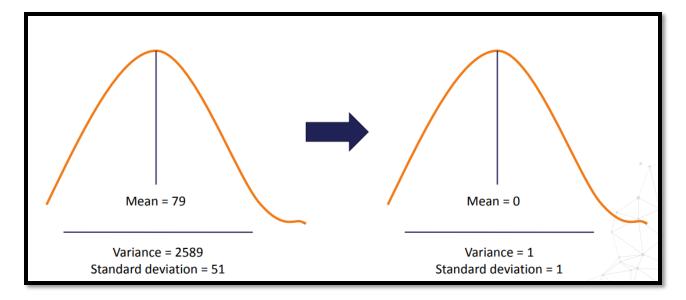
Feature Scaling

- MinMaxScaling
- Categorical to dummy variables

Centres the variable at zero and sets the variance to 1.

$$Z - Score = \frac{x - Mean(X)}{Std(X)}$$

#### Efect:

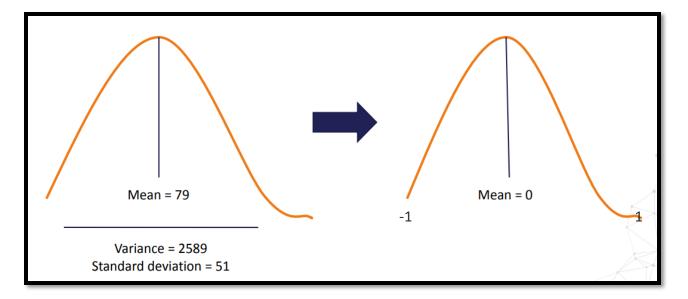


- Standardization
- Normalization
- Feature Scaling
- MinMaxScaling
- Categorical to dummy variables

Centres the variable at zero and re-scale the Variable in the value range.

$$X-Scaled = \frac{x - Mean(X)}{Max(X) - Min(X)}$$

#### Efect:



- Standardization
- Normalization

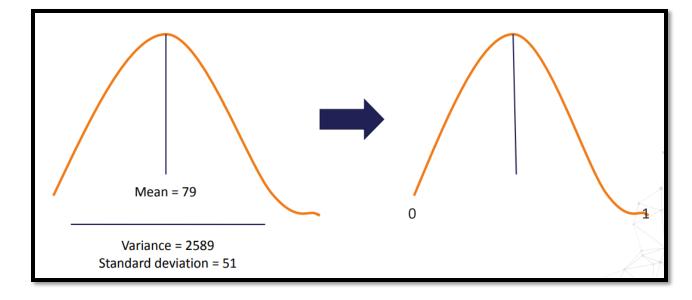
Feature Scaling

- MinMaxScaling
- Categorical to dummy variables

Scales de Variable between 0 and 1.

$$Z - Scaled = \frac{x - Min(X)}{Max(X) - Min(X)}$$

#### Efect:

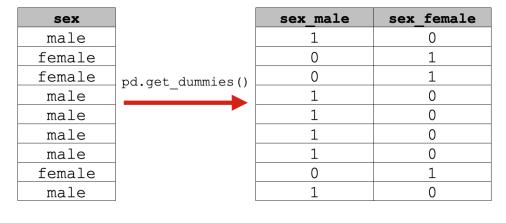


- Standardization
- Normalization
- MinMaxScaling
- Categorical to dummy variables

- Some machine learning algorithms cannot directly work with categorical data;
- Dummy variables are also known as **binary**, because they can assume just two values: 0 or 1.

#### Efect:

### PANDAS GET DUMMIES CREATES DUMMY VARIABLES FROM CATEGORICAL DATA





## **Asynchronous Topic**

- Unsupervised learning : Clustering
  - K-Means
  - Elbow and Silhouette Methods

- Learning Material:
  - Path: 2024 CDS Training > Virtual Classroom Training > Asynchronous Topics > 1. Unsupervised learning



Thank you!

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