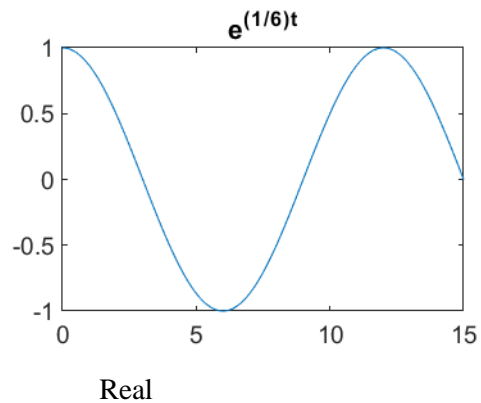
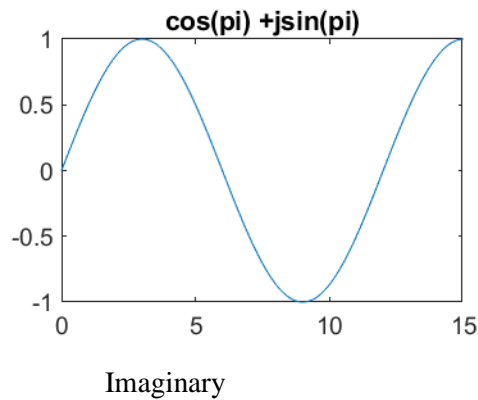
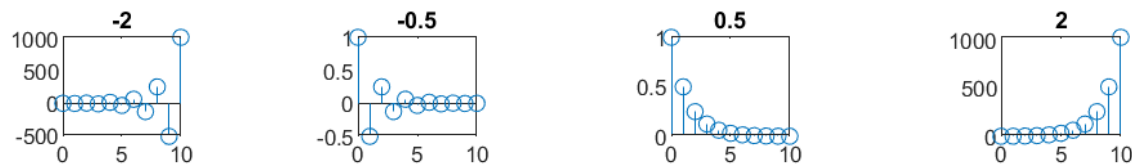


Part 1



Part 2

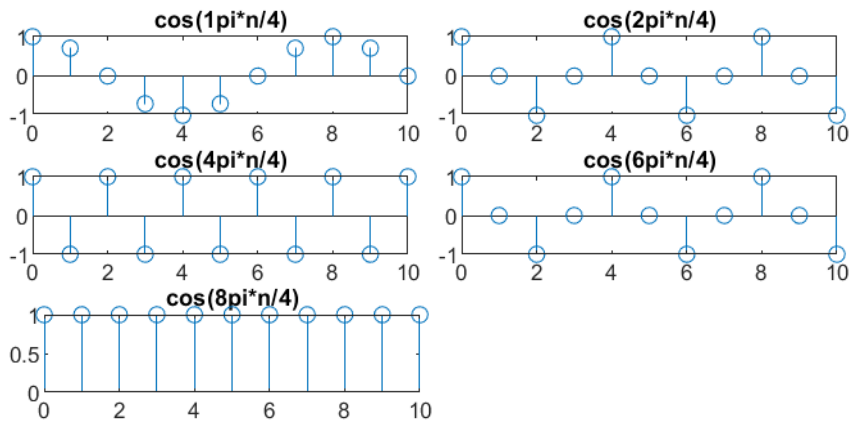


For plots with $z = -2$ and -0.5 , the graph shows the x values flopping between negative and positive. This is because z is negative and a negative raised to a power (in this case n) will alternate between positive and negative depending on the value. The plots are going in an inverse way from each other because $-1/2$ is the inverse of -2 .

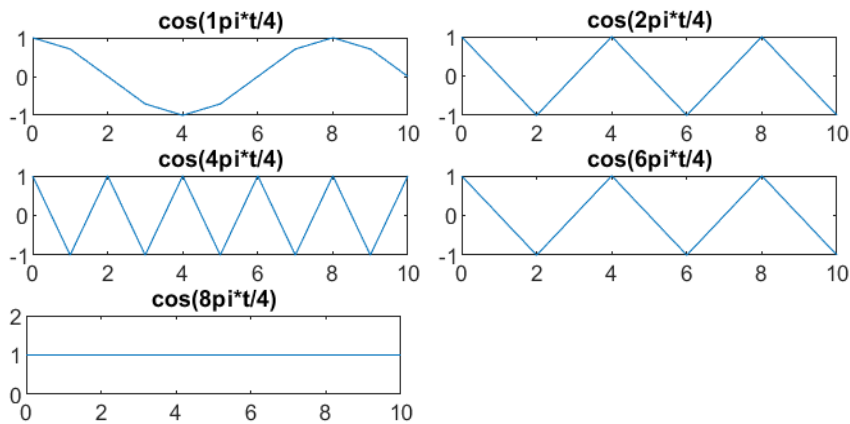
For plots with $z = 2$ and 0.5 , the graph shows the x values as positive. This is because z is positive and a positive number raised to a power is always positive. The plots are going in an inverse way from each other because $1/2$ is the inverse of 2 . The x values increase for 2 as n increases, but the x values for 0.5 decrease as n increases.

Part 3

DT:



CT:



In order for the period to increase when the frequency decreases, then the signal must be periodic. A discrete time signal faces more regulations in order to be classified periodic than continuous time signals. For a discrete time signal to be periodic $x(n) = x(n+N)$ and **then the ratio** of $(\text{fund freq})/(2\pi)$ must be a rational number (M/N) where M is number of full cycles and N is the number of samples. The ratio is irrational for the dt signals which is why they're not periodic.