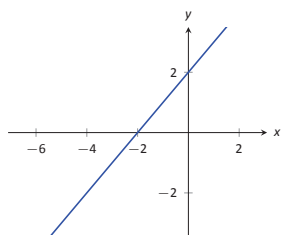


77. Horizontal asymptote at $y = -3/5$; vertical asymptote at $x = 3$.
 79. No horizontal asymptote; vertical asymptote at $x = 1$.
 81. Horizontal asymptote at $y = -1$; no vertical asymptotes
 83. 1

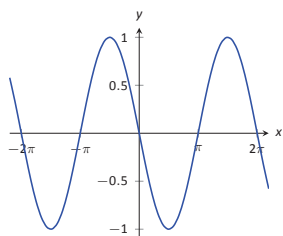
Chapter 2

Section 2.1

1. T
 3. Answers will vary.
 5. Answers will vary.
 7. $f'(x) = 2$
 9. $g'(x) = 2x$
 11. $f'(x) = 3x^2$
 13. $f'(x) = \frac{1}{2\sqrt{x}}$
 15. (a) $y = 6$
 (b) $x = -2$
 17. (a) $y = -3x + 4$
 (b) $y = \frac{1}{3}(x - 7) - 17$
 19. (a) $y = -7(x + 1) + 8$
 (b) $y = \frac{1}{7}(x + 1) + 8$
 21. (a) $y = -\frac{1}{4}(x + 2) - \frac{1}{2}$
 (b) $y = 4(x + 2) - \frac{1}{2}$
 23. (a) $y = -1(x - 3) + 1$
 (b) $y = 1(x - 3) + 1$
 25. $y = -0.099(x - 9) + 1$
 27. $y = -0.05x + 1$
 29. (a) Approximations will vary; they should match (c) closely.
 (b) $f'(x) = -1/(x + 1)^2$
 (c) At $(0, 1)$, slope is -1 . At $(1, 0.5)$, slope is $-1/4$.



31.



33.

35. Approximately 24.

37. (a) $(-\infty, \infty)$
 (b) $(-\infty, -1) \cup (-1, 1) \cup (1, \infty)$

(c) $(-\infty, 5]$

(d) $[-5, 5]$

Section 2.2

1. Velocity
 3. Linear functions.
 5. -17
 7. $f(10.1)$ is likely most accurate, as accuracy is lost the farther from $x = 10$ we go.
 9. 6
 11. ft/s^2
 13. (a) thousands of dollars per car
 (b) It is likely that $P(0) < 0$. That is, negative profit for not producing any cars.
 15. $f(x) = g'(x)$
 17. Either $g(x) = f'(x)$ or $f(x) = g'(x)$ is acceptable. The actual answer is $g(x) = f'(x)$, but is very hard to show that $f(x) \neq g'(x)$ given the level of detail given in the graph.
 19. $f'(x) = 10x$
 21. $f'(\pi) \approx 0$.

Section 2.3

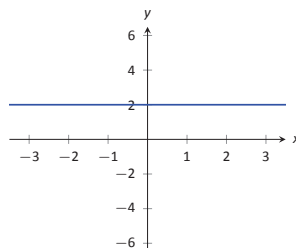
1. Power Rule.
 3. One answer is $f(x) = 10e^x$.
 5. Answers may vary.
 7. Answers will vary.
 9. No such function exists.
 11. $f'(x)$ is a velocity function, and $f''(x)$ is acceleration.
 13. $f'(x) = 14x - 5$
 15. $m'(t) = 45t^4 - \frac{3}{8}t^2 + 3$
 17. $f'(\theta) = 9 \cos \theta - 10 \sin \theta$
 19. $f'(r) = 6e^r$
 21. $g'(t) = 40t^3 + \sin t + 7 \cos t$
 23. $f'(x) = \frac{1}{2}x^{-1/2} - \frac{1}{2}x^{-3/2} = \frac{1}{2\sqrt{x}} - \frac{1}{2\sqrt{x^3}}$
 25. $f'(x) = -\frac{5}{4x^{5/4}}$
 27. $g'(t) = 0$
 29. $f'(x) = -5/x^2$
 31. $h'(t) = e^t - \cos t + \sin t$
 33. $g'(x) = 1 + 3/x^2$
 35. $f'(t) = 0$
 37. $f'(v) = \frac{9 \ln(1/2)}{2^v} = -\frac{9 \ln 2}{2^v}$
 39. $g'(t) = 18t + 6$
 41. $f'(x) = -3x^2 + 6x - 3$
 43. $f'(x) = 18x - 12$
 45. $f'(x) = 6x^5$, $f''(x) = 30x^4$, $f'''(x) = 120x^3$, $f^{(4)}(x) = 360x^2$
 47. $h'(t) = 2t - e^t$, $h''(t) = 2 - e^t$, $h'''(t) = -e^t$, $h^{(4)}(t) = -e^t$
 49. $p'(\theta) = 4\theta^3 - 3\theta^2$, $p''(\theta) = 12\theta^2 - 6\theta$, $p'''(\theta) = 24\theta - 6$, $p^{(4)}(\theta) = 24$
 51. $f'(x) = f''(x) = f'''(x) = f^{(4)}(x) = 0$

53. Tangent line: $y = t + 4$
Normal line: $y = -t + 4$
55. Tangent line: $y = 4$
Normal line: $x = \pi/2$
57. Tangent line: $y = 2x + 3$
Normal line: $y = -\frac{1}{2}(x - 5) + 13$
59. Tangent line: $y = -\frac{8}{243}(x - 3) + \frac{2}{81}$
Normal line: $y = \frac{243}{8}(x - 3) + \frac{2}{81}2$
61. The tangent line to $f(x) = e^x$ at $x = 0$ is $y = x + 1$; thus $e^{0.1} \approx y(0.1) = 1.1$.

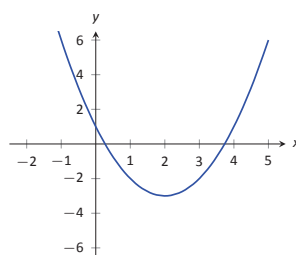
Section 2.4

- F
- T
- $f'(x) = (x^2 + 3x) + x(2x + 3)$
 - $f'(x) = 3x^2 + 6x$
 - They are equal.
- $h'(s) = 2(s + 4) + (2s - 1)(1)$
 - $h'(s) = 4s + 7$
 - They are equal.
- $f'(x) = \frac{x(2x) - (x^2 + 3)1}{x^2}$
 - $f'(x) = 1 - \frac{3}{x^2}$
 - They are equal.
- $g'(x) = \frac{\sqrt{x}(1) - (x+7)(\frac{1}{2}x^{-1/2})}{x}$
 - $g'(x) = \frac{1}{2\sqrt{x}} - \frac{7}{2\sqrt{x^3}}$
 - They are equal.
- $h'(s) = \frac{4s^3(0) - 3(12s^2)}{16s^6}$
 - $h'(s) = -\frac{9}{4}s^{-4}$
 - They are equal.
- $f'(x) = \frac{(x+2)(4x^3+6x^2) - (x^4+2x^3)(1)}{(x+2)^2}$
 - $f(x) = x^3$ when $x \neq -2$, so $f'(x) = 3x^2$.
 - They are equal.
- $f'(t) = \frac{-2}{t^3}(\csc t - 4) + \frac{1}{t^2}(-\csc t \cot t)$
- $g'(t) = \frac{(\cos t - 2t^2)(5t^4) - (t^5)(-\sin t - 4t)}{(\cos t - 2t^2)^2}$
- $h'(x) = -\csc^2 x - e^x$
- $h'(x) = e^x + xe^x$
- $f'(x) = 7$
- $f'(x) = \frac{e^x + 1 - xe^x}{(e^x + 1)^2}$
- $f'(t) = 5t^4(\sec t + e^t) + t^5(\sec t \tan t + e^t)$
- $m'(w) = \frac{2^w(\ln 3 \cdot 3^w - \ln 2 \cdot (3^w + 1))}{2^{2w}}$
- $g'(x) = 0$
- $f'(x) = \frac{(t^2 \cos t + 2)(2t \sin t + t^2 \cos t) - (t^2 \sin t + 3)(2t \cos t - t^2 \sin t)}{(t^2 \cos t + 2)^2}$
- $g'(x) = 2 \sin x \sec x + 2x \cos x \sec x + 2x \sin x \sec x \tan x = 2 \tan x + 2x + 2x \tan^2 x = 2 \tan x + 2x \sec^2 x$
- $f'(3) = 39$

41. Tangent line: $y = 2x + 2$
Normal line: $y = -1/2x + 2$
43. Tangent line: $y = 4$
Normal line: $x = 2$
45. $x = 3/2$
47. $f'(x)$ is never 0.
49. $f''(x) = 2 \cos x - x \sin x$
51. $f''(x) = \cot^2 x \csc x + \csc^3 x$



53.



55.

Section 2.5

- T
- F
- T
- $f'(t) = 15(3t - 2)^4$
- $h'(t) = (6t + 1)e^{3t^2 + t - 1}$
- $f'(x) = -3 \sin(3x)$
- $h'(t) = 8 \sin^3(2t) \cos(2t)$
- $f'(x) = -\tan x$
- $f'(x) = 2/x$
- $f'(m) = \frac{1}{2m\sqrt{\ln m}}$
- $g'(t) = -\ln 5 \cdot 5^{\cos t} \sin t$
- $f'(x) = 5x^2 \cos(5x) + 2x \sin(5x)$
- $f'(x) = \frac{2\sqrt{x}+1}{4\sqrt{x^2+x^3/2}}$
- $g'(t) = 5 \cos(t^2 + 3t) \cos(5t - 7) - (2t + 3) \sin(t^2 + 3t) \sin(5t - 7)$
- $f'(x) = \frac{e^x}{(2 - e^x)^2}$
 - $f'(x) = \frac{e^x}{(2 - e^x)^2}$
- Tangent line: $y = 15(t - 1) + 1$
Normal line: $y = -1/15(t - 1) + 1$
- Tangent line: $y = -5e(t + 1) + e$
Normal line: $y = 1/(5e)(t + 1) + e$
- In both cases the derivative is the same: k/x .
- $j'(3) = 3$
- $^\circ \text{ F/mph}$

- (b) The sign would be negative; when the wind is blowing at 10 mph, any increase in wind speed will make it feel colder, i.e., a lower number on the Fahrenheit scale.

Section 2.6

- Answers will vary.
- $\frac{dy}{dx} = \frac{-4x^3}{2y+1}$
- $\frac{dy}{dx} = \sin(x) \sec(x)$
- $\frac{dy}{dx} = \frac{y}{x}$
- $\frac{dy}{dx} = \frac{1}{e^y + x}$
- $-\frac{2 \sin(y) \cos(y)}{x}$
- $\frac{1}{2y+2}$
- $\frac{-\cos(x)(x+\cos(y))+\sin(x)+y}{\sin(y)(\sin(x)+y)+x+\cos(y)}$
- $-\frac{2x+y}{2y+x}$
- $y = 0$
 - $y = -1.859(x - 0.1) + 0.281$
- $y = 4$
 - $y = 0.93(x - 2) + \sqrt[4]{108}$
- $y = -\frac{1}{\sqrt{3}}(x - \frac{7}{2}) + \frac{6+3\sqrt{3}}{2}$
 - $y = \sqrt{3}(x - \frac{4+3\sqrt{3}}{2}) + \frac{3}{2}$
- $\frac{d^2y}{dx^2} = \frac{3}{5} \frac{y^{3/5}}{x^{8/5}} + \frac{3}{5} \frac{1}{yx^{6/5}}$
- $\frac{d^2y}{dx^2} = 0$
- $y' = (2x)^{x^2} (2x \ln(2x) + x)$
Tangent line: $y = (2 + 4 \ln 2)(x - 1) + 2$
- $y' = x^{\sin(x)+2} (\cos x \ln x + \frac{\sin x + 2}{x})$
Tangent line: $y = (3\pi^2/4)(x - \pi/2) + (\pi/2)^3$
- $y' = \frac{(x+1)(x+2)}{(x+3)(x+4)} (\frac{1}{x+1} + \frac{1}{x+2} - \frac{1}{x+3} - \frac{1}{x+4})$
Tangent line: $y = 11/72x + 1/6$

Section 2.7

- F
- The point $(10, 1)$ lies on the graph of $y = f^{-1}(x)$ (assuming f is invertible).
- Compose $f(g(x))$ and $g(f(x))$ to confirm that each equals x .
- Compose $f(g(x))$ and $g(f(x))$ to confirm that each equals x .
- $(f^{-1})'(20) = \frac{1}{f'(2)} = 1/5$
- $(f^{-1})'(\sqrt{3}/2) = \frac{1}{f'(\pi/6)} = 1$
- $(f^{-1})'(1/2) = \frac{1}{f'(1)} = -2$
- $h'(t) = \frac{2}{\sqrt{1-4t^2}}$
- $g'(x) = \frac{2}{1+4x^2}$
- $g'(t) = \cos^{-1}(t) \cos(t) - \frac{\sin(t)}{\sqrt{1-t^2}}$
- $h'(x) = \frac{\sin^{-1}(x) + \cos^{-1}(x)}{\sqrt{1-x^2} \cos^{-1}(x)^2}$
- $f'(x) = -\frac{1}{\sqrt{1-x^2}}$

- $f(x) = x$, so $f'(x) = 1$
 - $f'(x) = \cos(\sin^{-1} x) \frac{1}{\sqrt{1-x^2}} = 1$
- $f(x) = \sqrt{1-x^2}$, so $f'(x) = \frac{-x}{\sqrt{1-x^2}}$
 - $f'(x) = \cos(\cos^{-1} x) (\frac{1}{\sqrt{1-x^2}}) = \frac{-x}{\sqrt{1-x^2}}$
- $y = -4(x - \sqrt{3}/4) + \pi/6$
- $y = -4/5(x - 1) + 2$

Chapter 3

Section 3.1

- Answers will vary.
- Answers will vary.
- F
- A: abs. min B: none C: abs. max D: none E: none
- $f'(0) = 0$, $f'(2) = 0$
- $f'(0) = 0$, $f'(3.2) = 0$, $f'(4)$ is undefined
- $f'(0)$ is not defined
- min: $(-0.5, 3.75)$
max: $(2, 10)$
- min: $(\pi/4, 3\sqrt{2}/2)$
max: $(\pi/2, 3)$
- min: $(\sqrt{3}, 2\sqrt{3})$
max: $(5, 28/5)$
- min: $(\pi, -e^\pi)$
max: $(\pi/4, \frac{\sqrt{2}e^{\pi/4}}{2})$
- min: $(1, 0)$
max: $(e, 1/e)$
- min: $(-1, -1/e)$
max: $(1, e)$
- No. The function $f(x)$ is not defined at $x = 0$ and therefore not continuous on $[0, 10]$.
- No. The interval $[1, \infty)$ is not a closed interval $[a, b]$.
- Yes
- $y = -4/5(x - 1) + 2$

Section 3.2

- Answers will vary.
- Any c in $[-1, 1]$ is valid.
- $c = -1/2$
- Rolle's Thm. does not apply.
- Rolle's Thm. does not apply.
- $c = 0$
- $c = 3/\sqrt{2}$
- The Mean Value Theorem does not apply.
- $c = e^{5 \ln(5)/4-1} = \sqrt[4]{3125}/e$
- $c = -2/3$
- $c = \frac{\pm \sqrt{\pi^2-4}}{\pi}$
- $c = \frac{4 + \sqrt{31}}{3}$
- Yes.