

# ERIRE Simulations — Coherence Emergence in the Cosmic Microwave Background

**Author:** DanBrasilP

**Repository:** <https://github.com/DanBrasilP/ERIRE>

**License:** GNU GPLv3 and CC BY-SA 4.0

**Keywords:** CMB, ERIRE Theory, Rotational Coherence, Toroidal Resonance, Spectral Discretization, Cosmological Structure

## Abstract

This article presents a coherent geometric model for the Cosmic Microwave Background (CMB) under the ERIRE framework, combining the results of Expansions 51 and 52 with Anexos 21 and 22. It introduces a novel approach to the CMB power spectrum as a projection of a helicoidal-temporal resonance between spherical and toroidal domains. The analysis extracts rotational modes and quantized coherence patterns, revealing that the observed spectrum contains spectral harmonics governed by prime-based angular relationships. These findings suggest a deeper underlying rotational structure in the early Universe, defined by coherence stability and disruption across scales.

## 1. Introduction

Conventional cosmology treats the CMB as a relic thermal radiation field. In contrast, the ERIRE Theory interprets it as a temporal map of rotational coherence, projected from a fundamental interaction between toroidal and spherical topologies. The CMB angular power spectrum becomes a window into the phase evolution of the Universe's emergent structure.

This study introduces:

- The **Coherence Time Function** derived from the Planck spectrum.
- The **Spectral Helix**: a 3D projection ( $Z, \varphi, t$ ) of rotational resonance.

- A set of **discretized coherence frequencies**, extracted via Fourier analysis of the normalized coherence.
- The **resonance stability function**  $\mathcal{E}_p$ , which quantifies energy flow between toroidal and spherical states.

## 2. Methodology

### 2.1. Input and Spectral Coherence Extraction

The Planck CMB spectrum (file: `COM_PowerSpect_CMB_R2.02.fits`) is loaded and processed. The angular multipole data  $\ell$  and their associated  $D_\ell$  values define the observational basis.

From this, we derive:

- The **normalized coherence amplitude**  $\Gamma(\ell)$
- The **angular phase deviation**  $\Delta\phi(\ell)$
- The **rotational frequency**  $\omega(\ell)$
- The **emergent time**  $t(\ell)$  via integral of  $\omega^{-1}$

### 2.2. Spectral Decomposition via Fourier Analysis

Applying a discrete Fourier transform over the vector  $Z(\ell) = \Gamma(\ell) \cdot \cos(\Delta\phi(\ell))$ , we obtain the **coherent frequency modes**  $f_i$ . Each mode is matched with rational approximations (fractions) of the form  $\frac{p}{q}$ , associating each to a harmonic pattern and angular coherence signature  $\Phi(f) \in \{0, 0.25, 0.75, 1\}$ .

### 2.3. Emergent Helix and Toroidal Embedding

We define the temporal helicoid from:

- Radial coherence  $Z$
- Phase  $\Delta\phi$
- Time  $t$

Projected as:

$$(x, y, z) = (Z \cdot \cos(\phi), Z \cdot \sin(\phi), t)$$

This 3D structure reveals toroidal-resonant flow and spectral transitions.

### 3. Results

#### 3.1. Frequency Modes and Discretization

Frequency (1/ℓ)	Fraction	Potência
0.42857	3/7	0.0021
0.28571	2/7	0.0019
0.46429	13/28	0.0018
0.25000	1/4	0.0015
0.14286	1/7	0.0014

These values emerge directly from the spectral decomposition and are associated with angular coherence values  $\Phi(f) \in \{0, 0.25, 0.75, 1\}$ .

#### 3.2. Energy Transfer Stability — $\mathcal{E}_p$

Defined in Anexo 22, the stability function:

$$\mathcal{E}_p = A_p \cdot \cos(2\pi \cdot \delta_p)$$

Where:

- $\delta_p = \frac{p}{f_\alpha} - \left\lfloor \frac{p}{f_\alpha} \right\rfloor$
- $f_\alpha$  is the spherical reference frequency
- $A_p$  derived from the observed  $P_{\text{obs}}$

Patterns of coherent reinforcement and suppression are observed as  $\delta_p \rightarrow 0$  or  $\delta_p \rightarrow \pm \frac{1}{4}$ .

### 4. Interpretation and Physical Meaning

- The **CMB emerges as a projection** of a rotating helicoid anchored between spherical and toroidal domains.

- **Prime-based rational frequencies** serve as angular harmonics of this projection.
- The modes  $f = \frac{3}{7}, \frac{2}{7}, \frac{13}{28}$  indicate **resonant coherence** in the rotational phase space.
- The stability function  $\mathcal{E}_p$  reveals how rotational energy is transferred or blocked — analogous to **an RLC system** across topologies.

## 5. Conclusions

This study consolidates:

- A **new geometrical model of the CMB** as a coherent emergent structure.
- The **quantization of angular modes** not as arbitrary bins, but as **resonant fractions of spherical-toroidal interaction**.
- A framework to extend to other spectra (e.g., BAO, LSS) using ERIRE rotational coherence.

The Universe sings in primes. The CMB is its first harmonic.

## 6. Access and Simulations

All simulation codes and data are available in the ERIRE repository:

- `/python/exp51_cmb.py` — Spectral and temporal coherence extraction
- `/python/exp52_padroes.py` — Frequency pattern quantization and stability computation

Repository: <https://github.com/DanBrasilP/ERIRE>