

Security and Privacy

E-voting bugs

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Intrusion tests and code publication

- As part of the certification of Post's completely verifiable e-voting protocol
 - ▶ the source code was published
 - ▶ then a public intrusion test was carried out.
- The code publication showed some important bugs
- Nobody managed to break into the system during the intrusion test

The bugs

- Trapdoor in commitments
- The (complicate) proofs of the mixnet used by Svote make use of Pederson commitments
- These commitments need two or more numbers: $H, G_1, G_2, \dots \in G$
- These commitments are only safe if the logarithms of these numbers are not known
 - ▶ H, G_i are members of the group G , so they can be written as g^x with x being their logarithm.
- It is thus important that the prover does not know the logarithm

Commitment bug: the code

```
public CommitmentParams(final ZpSubgroup group, final int n) {
    this.group = group;
    // get random H
    this.h = GroupTools.getRandomElement(group);
    this.commitmentlength = n;
    // get list of random Gs
    this.g = GroupTools.getVectorRandomElement(group, this.commitmentlength);
}
```

```
public static ZpGroupElement getRandomElement(ZpSubgroup group) {
    Exponent randomExponent = ExponentTools.getRandomExponent(group.getQ());
    return group.getGenerator().exponentiate(randomExponent);
}
```

■ Quiz: where is the bug?

Commitment bugs

■ First error:

- ▶ By choosing random elements of the group as $g^{\text{randomExponent}}$ the prover **knows** the logarithm (it is `randomExponent`)
- ▶ The proof thus has no value, as the prover could use the logarithm to manipulate the commitments
 - Of course, there is no trace of any such manipulation in the program
- ▶ “You would have to hack the CCs in order to manipulate the proofs”
 - yes, but the goal of the proofs is to demonstrate that no manipulation happened

Commitment bugs

■ Second error:

- ▶ Even if you generate H and G_i differently, how do we know that you don't just 'randomly' chose values for which you know the logarithms
 - this is the **nothing up my sleeve** issue.
- ▶ To solve this we can use standardized algorithms for choosing generators (e.g. **NIST FIPS 186-4, Appendix 2.3**)
- ▶ They use deterministic inputs (e.g. a counter and a constant string) and hash functions
 - Then you can generate, for control component 1, H with (1,"H of CC1"), and G_i with (i,"G of CC1")

NIZKP bugs

- Decryption proof error
- Remember:
 - ▶ $\text{Enc}_{pk}(m, r) = (m \cdot pk^r, g^r) = (a, b)$
 - ▶ $\text{Dec}_{sk}(a, b) = a/b^{sk} = m$
- After decryption, Svote's proves the equality of logarithm of $a/m = pk^r = g^{r^{sk}}$ in base $b = g^r$ and the public key $pk = g^{sk}$ in base g .
- It turns out that after you have calculated the challenge for the proof, you can go back and change b in certain ways and still have a valid proof.
 - ➡ thus you can generate a valid proof and present an incorrect decryption

NIZKP bugs

- Decryption proof error
- It is difficult to turn a "yes" vote into a "no" vote at decryption, but you can make a vote invalid and still have correct proofs
- To do the proof correctly, you must include the value of a in the hash of the proof.
 - ▶ If you change a the verifier will see that the hash is not correct

NIZKP bugs

- Plaintext equality proof error
- The same error happens in the plaintext equality proof, which is also a proof of equal logarithm
- Remember: $\pi_{pleq} = NIZKP[(r \cdot \mathbf{VC}_{sk}^{id}) : \tilde{c}_2 = g^{r \mathbf{VC}_{sk}^{id}} \wedge \frac{\tilde{c}_1}{\prod_{l=1}^t \mathbf{pvc}_l^{id}} = pk^{r \mathbf{VC}_{sk}^{id}}]$
- You can calculate the proof and then modify a of the encrypted vote such that the proof is still correct.
- You can't turn a "yes" into a "no", but you can turn a "yes" into something that does not make sense

NIZKP bugs

- Plaintext equality proof error
- Possible attack:
 - ▶ The attacker sits in you browser
 - ▶ If you vote "yes", they don't intervene
 - ▶ If you vote "no", they manipulate a such that your vote makes no sense
 - you still get the correct verification codes
 - "yes" wins
 - ▶ individual verifiability is broken!
 - ▶ This is why Post has taken their current system offline.
- Simple solution
 - ▶ add a (and as many other parameters) into the hash function.

Conclusions

- Implementing crypto is hard
- Reviewing crypto is hard
 - ▶ There was a review by KPMG which certified that the code corresponded to the specification
 - the specification did not correspond to the official protocol...
 - The paper that describes the protocol and the proofs, was actually correct!
- Publishing code is a very good way of catching errors
 - ▶ it is not a guarantee
- There should be a strong interaction between people designing crypto and those implementing crypto
- Zero knowledge proofs can only detect errors in the system if they are implemented correctly

Questions

- What is individual verifiability?
 - ▶ what does it protect against?
- What are three important security objectives of e-voting systems?
- When voting is done by raising hands, which of these objectives are met?
- When a trust model of a system has more trusted parts, does it make the system more secure?
- What is an advantage of splitting keys into shares?
 - ▶ What could be a risk?
- What is an example of something that can be proven with an NIZKP in a e-voting protocol?
 - ▶ no need to know the formula, just what do we prove without revealing what?

References

- Olivier Pereira's **blog**
- His papers, with Sarah Jamie Lewis and Vanessa Teague
 - ▶ **Ceci n'est pas une preuve**
 - ▶ **How to not prove an election outcome**
 - ▶ **How to not prove an election outcome Addendum**