

■ Anonymous evaluation requested

- ▣ TAs: 1 (worst) – 10 (best)
 - 서영석 (Young-seok Seo)
 - 임형인 (Hyungin Im)
- ▣ CS550 (by June 11th)
 - <http://portal.kaist.ac.kr> → Webcais → 학사 → 성적 → 각 수강과목에 대하여 클릭 → 설문항 체크 → 확인
 - Note that you cannot see your final grade if you do not finish course evaluation, which is a policy of KAIST

■ Safehome project 3rd part

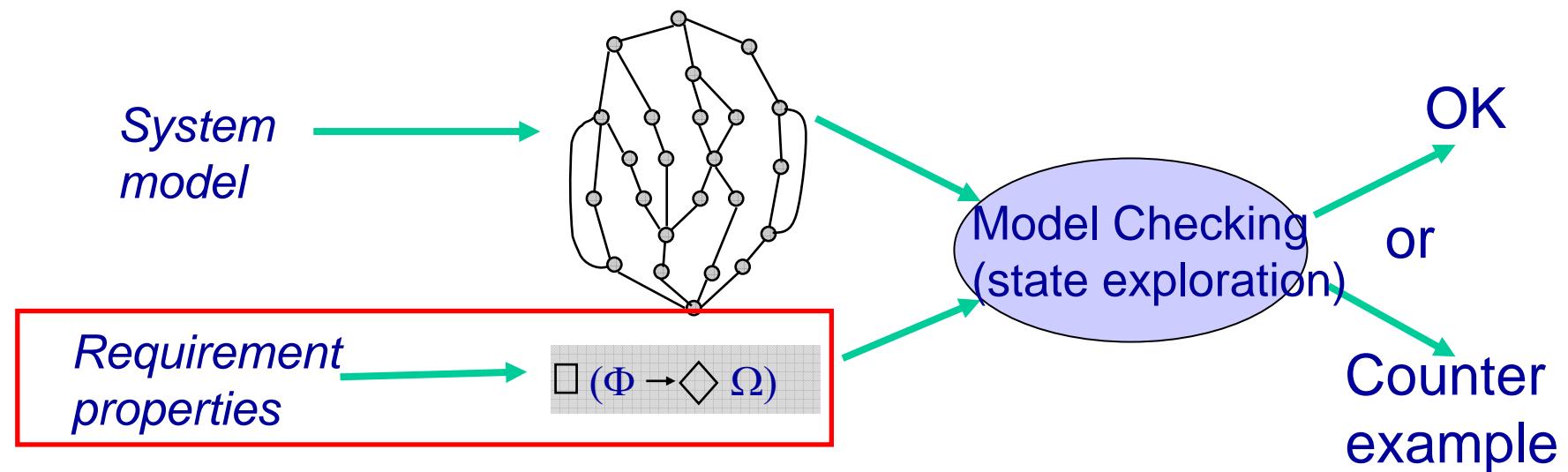
- ▣ Due is June 7th
- ▣ Demonstration is scheduled on June 8th afternoon in the class room
 - You should bring **your own notebook** to demonstrate your safehome system due to various execution environments
 - You **must** submit all your project material both hardcopy and softcopy by the **8:00 AM June 8.** **10% penalty** will be applied to late submission.

■ Final exam on 5:00 – 6:10 PM, June 12 (next Tuesday)

The Spin Model Checker : Part II/II

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- Specify requirement properties and build system model
- Generate possible states from the model and then check **exhaustively** whether given requirement properties are satisfied within the state space



Specification of Requirement Properties

- assert() is simple, but powerful enough to verify many practical properties
 - + Ex. assert() can express properties on invariance, critical section, mutual exclusion, etc
- However, assert() cannot express some popular properties such as eventuality
 - + Ex. Whenever a server receives a read request from a client, the server should send back an acknowledge message to the client **eventually**
- We need more powerful mechanism to describe requirement properties
 - + Linear temporal logic (LTL) can be a good solution

Linear Temporal Logic

Slides
from "Logic
Model Checking"
taught by
Dr.G.Holzmann
at Caltech
Spring 2005

semantics

given a state sequence (from a run σ):

$s_0, s_1, s_2, s_3 \dots$

and a set of propositional symbols: p, q, \dots such that

$\forall i, (i \geq 0)$ and $\forall p, s_i \models p$ is defined

we can define the semantics of the temporal logic formulae:

$[]f, <>f, Xf,$ and $\in U f$

$$\sigma \models f \quad \text{iff} \quad s_0 \models f$$

i.e., the property holds for the remainder of run σ , starting at position s_0

$$s_i \models []f \quad \text{iff} \quad \forall j, (j \geq i) : s_j \models f$$

$$s_i \models <>f \quad \text{iff} \quad \exists j, (j \geq i) : s_j \models f$$

$$s_i \models Xf \quad \text{iff} \quad s_{i+1} \models f$$



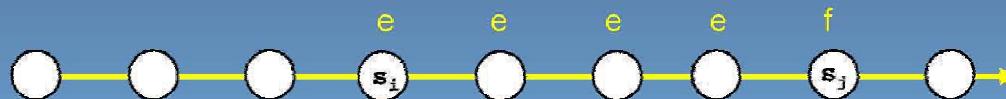
Linear Temporal Logic

weak and strong until

(cf. book p. 135-136)

weak
until

$$s_i \models e \text{ } U \text{ } f \quad \text{iff} \\ s_i \models f \vee (s_i \models e \wedge s_{i+1} \models (e \text{ } U \text{ } f))$$



strong
until
(Spin)

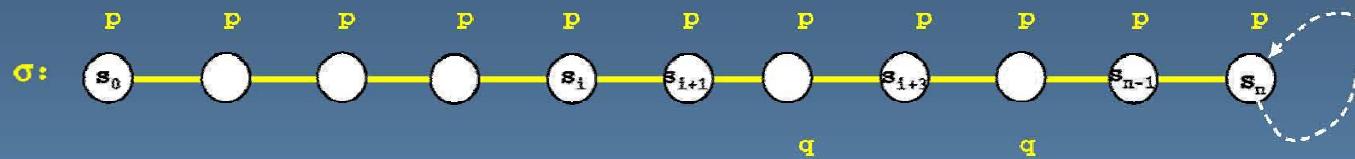
$$s_i \models e \text{ } U \text{ } f \quad \text{iff} \\ \exists j, (j \geq i) : s_j \models f \text{ and} \\ \forall k, (i \leq k < j) : s_k \models e$$

equivalences:

$$(e \text{ } U \text{ } f) == (e \text{ } U \text{ } f) \wedge (\neg f) \\ (e \text{ } U \text{ } f) == (e \text{ } U \text{ } f) \vee (\neg e)$$

Linear Temporal Logic

examples



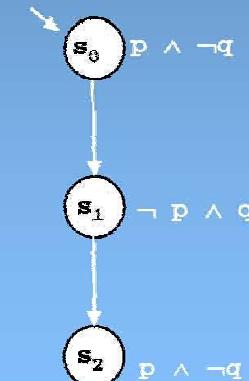
```
[]p is satisfied at all locations in σ  
<>p is satisfied at all locations in σ  
[]<>p is satisfied at all locations in σ  
<>q is satisfied at all locations except  $s_{n-1}$  and  $s_n$   
 $Xq$  is satisfied at  $s_{i+1}$  and at  $s_{i+3}$   
 $p \text{U} q$  (strong until) is satisfied at all locations except  $s_{n-1}$  and  $s_n$   
 $\text{<>} (p \text{U} q)$  (strong until) is satisfied at all locations except  $s_{n-1}$  and  $s_n$   
 $\text{<>} (p \text{U} q)$  (weak until) is satisfied at all locations  
[]<> (p \text{U} q) (weak until) is satisfied at all locations
```

in model checking we are typically only interested in whether a temporal logic formula is satisfied for all runs of the system, starting in the initial system state (that is: at s_0)

equivalences

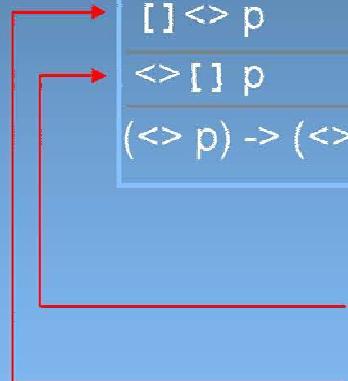
(cf. book p. 137)

- $\Box p \leftrightarrow (p \text{ U false})$ weak until
- $\Diamond p \leftrightarrow (\text{true U } p)$ strong until
- $\Box \Diamond p \leftrightarrow \Diamond \Box p$
 - if p is not invariantly true, then eventually p becomes false
- $\Diamond \Diamond p \leftrightarrow \Box \neg p$
 - if p does not eventually become true, it is invariantly false
- $\Box p \&& \Box q \leftrightarrow \Box (p \&& q)$
 - note though: $(\Box p \parallel \Box q) \rightarrow \Box (p \parallel q)$
 - but: $(\Box p \parallel \Box q) \not\rightarrow \Box (p \parallel q)$
- $\Diamond p \parallel \Diamond q \leftrightarrow \Diamond (p \parallel q)$
 - note though: $(\Diamond p \&& \Diamond q) \leftarrow \Diamond (p \&& q)$
 - but: $(\Diamond p \&& \Diamond q) \not\rightarrow \Diamond (p \&& q)$



some standard LTL formulae

$\Box p$	always p	invariance
$\Diamond p$	eventually p	guarantee
$p \rightarrow (\Diamond q)$	p implies eventually q	response
$p \rightarrow (q \wedge r)$	p implies q until r	precedence
$\Box \Diamond p$	always, eventually p	recurrence (progress)
$\Diamond \Box p$	eventually, always p	stability (non-progress)
$(\Diamond p) \rightarrow (\Diamond q)$	eventually p implies eventually q	correlation



} dual types of properties

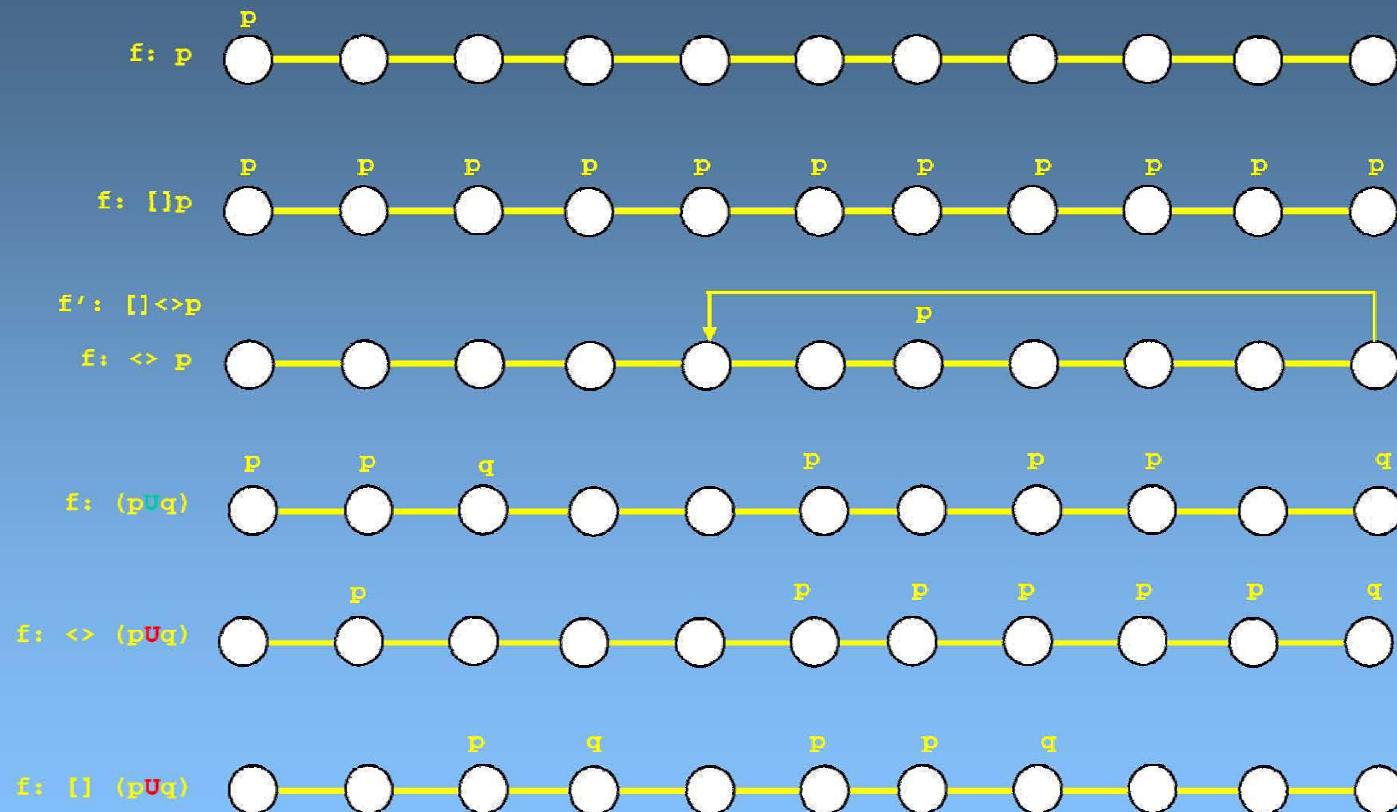
in every run where p eventually becomes true q also eventually becomes true (though not necessarily in that order)

the earlier informally stated sample properties

(vugraph 12 lecture 11)

- p is *invariantly true*
 $\Box p$
- p *eventually becomes invariantly true*
 $\Diamond \Box p$
- p *always eventually becomes false at least once more*
 $\Box \Diamond \neg p$
- p *always implies* $\neg q$
 $\Box (p \rightarrow \neg q)$
- p *always implies eventually q*
 $\Box (p \rightarrow \Diamond q)$

visualizing LTL formulae



■ Promela

- + The system specification language of the Spin model checker
- + Syntax is similar to that of C, but simplified
 - No float type, no functions, no pointers etc
- + Characteristics
 - Communication and concurrency
 - Formal operational semantics
 - Interleaved semantics
 - Asynchronous process execution
 - Two-way communication
- + Unique features not found in programming languages
 - Non-determinism (process level and statement level)
 - Executability

6 Types of Basic Statements

- Assignment: always executable

- + Ex. `x=3+x, x=run A()`

- Print: always executable

- + Ex. `printf("Process %d is created.\n", _pid);`

- Assertion: always executable

- + Ex. `assert(x + y == z)`

- Expression: depends on its value

- + Ex. `x+3>0, 0, 1, 2`

- + Ex. `skip, true`

- Send: depends on buffer status

- + Ex. `ch1!m` is executable only if `ch1` is not full

- Receive: depends on buffer status

- + Ex. `ch1?m` is executable only if `ch1` is not empty

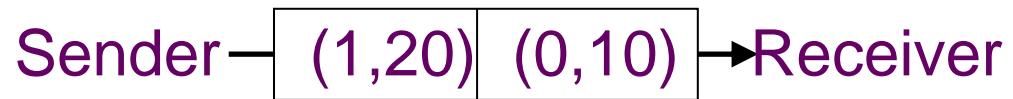
Communication Using Message Channels

- Spin provides communications through various types of message channels
 - + Buffered or non-buffered (rendezvous comm.)
 - + Various message types
 - + Various message handling operators

■ Syntax

- + `chan ch1 = [2] of { bit, byte};`

- `ch1!0,10;ch1!1,20`
 - `ch1?b,bt;ch1?1,bt`



- + `chan ch2= [0] of {bit, byte}`

■ Basic channel inquiry

- + `len(ch)`
- + `empty(ch)`
- + `full(ch)`
- + `nempty(ch)`
- + `nfull(ch)`

■ Additional message passing operators

- + `ch?[x,y]`: polling only
- + `ch?<x,y>`: copy a message without removing it
- + `ch?x(y) == ch?x,y` (for user's understandability)

■ Be careful to use these operators inside of expressions

- + They have side-effects, which spin may not allow

Faulty Data Transfer Protocol

(pg 27, data switch model proposed at 1981 at Bell labs)

mtype={ini,ack, dreq,data, shutup,quiet, dead}

chan M = [1] of {mtype};

chan W = [1] of {mtype};

active proctype Mproc()

{

 W!ini; /* connection */

 M?ack; /* handshake */

timeout -> /* wait */

 if /* two options: */

 :: W!shutup; /* start shutdown */

 :: W!dreq; /* or request data */

 do

 :: M?data -> W!data

 :: M?data-> W!shutup;

 break

 od

 fi;

 M?shutup;

 W!quiet;

 M?dead;

}

active proctype Wproc()

{ W?ini; /* wait for ini*/

 M!ack; /* acknowledge */

 do /* 3 options: */

 :: W?dreq-> /* data requested */

 M!data /* send data */

 :: W?data-> /* receive data */

 skip /* no response */

 :: W?shutup->

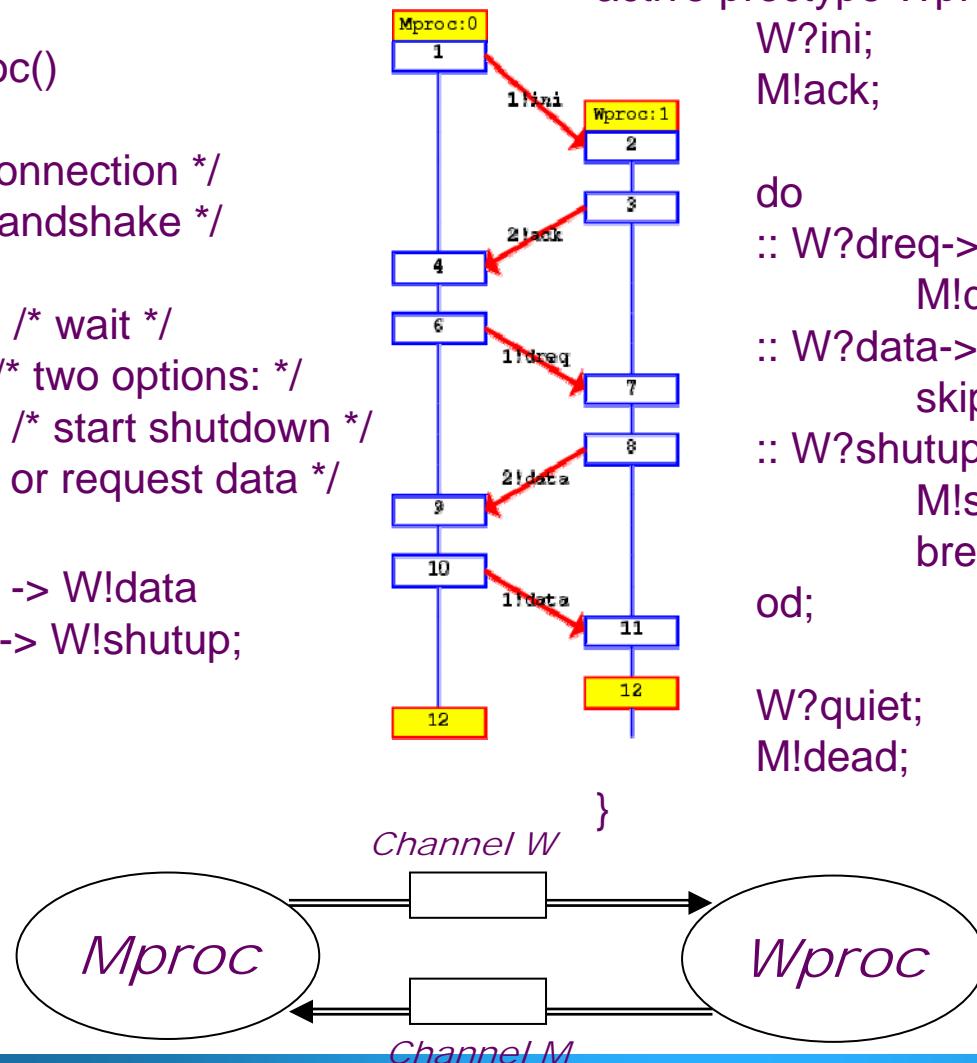
 M!shutup; /* start shutdown*/

 break

 od;

 W?quiet;

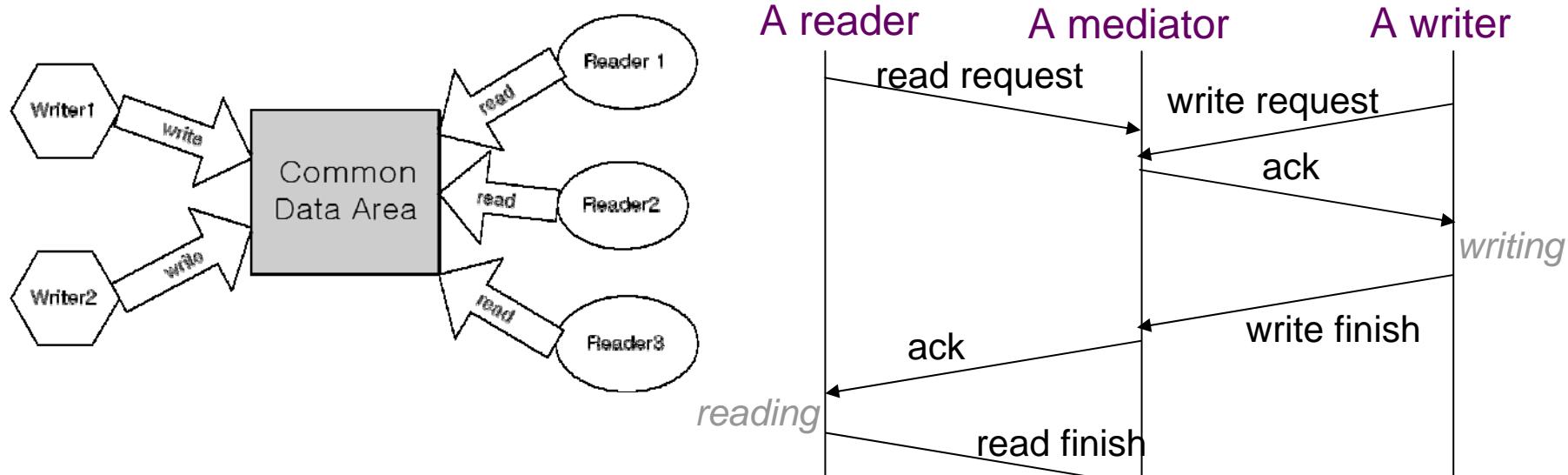
 M!dead;



Multiple reader/writer problems

Goal: model a system containing 3 readers and 2 writers sharing common data area

- Common data area has **a mediator** which receives **a read or write request message** from a reader or a writer through **a request channel**
- The mediator sends back **an acknowledge message** if a request can be allowed; if a request is not allowable now, the mediator waits to send the ack until the request becomes allowable
 - Hint: a mediator may have a queue to hold requests
- Once allowed, a reader starts its operation and sends a **finish message** to the mediator when it finishes



HW due June 19 (cont.)

+ System requirements

- Concurrency (CON)
 - Multiple readers can read data concurrently
- Exclusive writing (EW)
 - Only one writer can write into the data area at an instant with no readers
- High priority of a writer (HPW)
 - A writer's request should have a higher priority than that of a reader

+ Prove that your system design satisfies all the system requirements

- Submit your Promela code and your verification result screenshots

