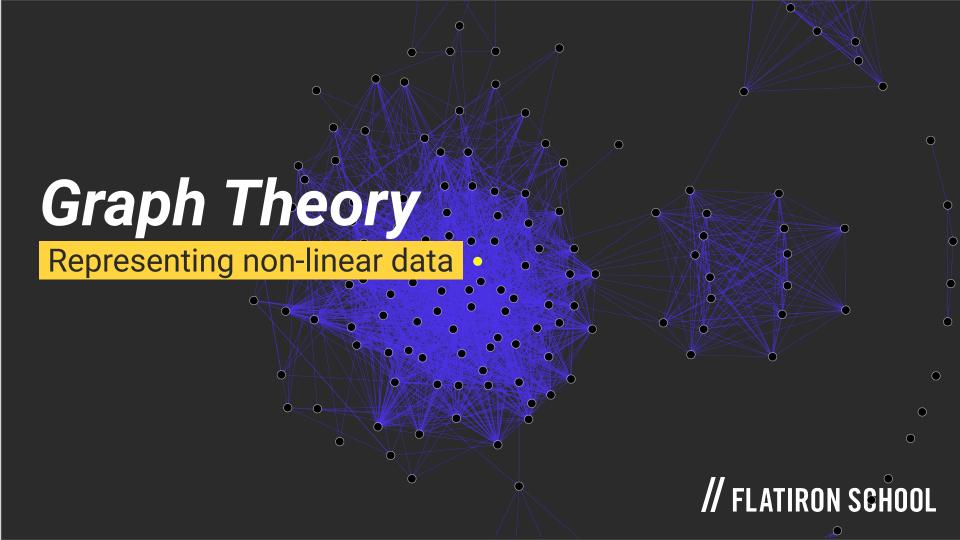
// FLATIRON SCHOOL

Graph Theory Presented by Wachira Ndaiga March 19, 2020



Outline

Introduction (30 min)

Breakout/TPS (10 mins)

Break (5 mins)

Practical (45 mins)

Learning Outcomes

- Data Structures
- Graph Representations
- Graph Terminology & Analysis
- NetworkX

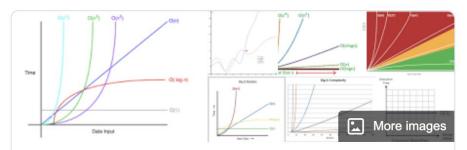
Data Structures

Definition

Data structures are a way of organizing and storing data so it can be accessed and modified *efficiently.

Breakout

- 1. What types of data structures exist in python?
- What limitations have you come across when using *native* data structures like lists and dictionaries?
- 3. Give an example of a custom data structure you might have seen used or heard of before.



Big O notation



Big O notation is a mathematical notation that describes the limiting behavior of a function when the argument tends towards a particular value or infinity. It is a member of a family of notations invented by Paul Bachmann, Edmund Landau, and others, collectively called Bachmann–Landau notation or asymptotic notation. Wikipedia

Feedback

LINEAR DATA STRUCTURES VERSUS

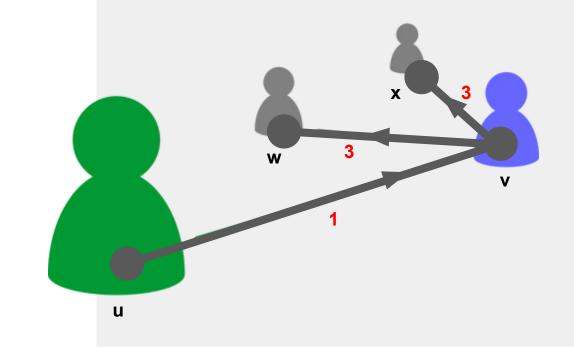
NON LINEAR DATA STRUCTURES

LINEAR DATA STRUCTURES	NON LINEAR DATA STRUCTURES	
A type of data structure that arranges the data items in an orderly manner where the elements are attached adjacently	A type of data structure that arranges data in sorted order, creating a relationship among the data elements	
Memory utilization is inefficient	Memory utilization is efficient	
Single-level	Multi-level	
Easier to implement	Difficult to implement	
Ex: Array, linked list, queue, stack	Ex: tree, graph Visit www.PEDIAA.com	

Definition

Types of Graphs:

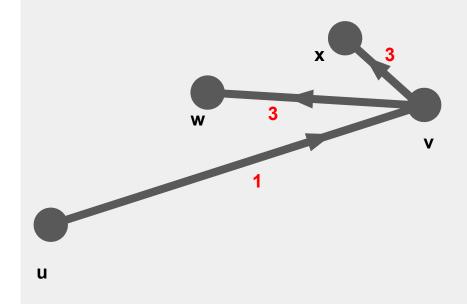
- 1. Undirected Graphs
- 2. Directed Graphs
- 3. Unipartite Graphs
- 4. Bipartite Graphs



Representations

There are a number of ways to represent graphs mathematically:

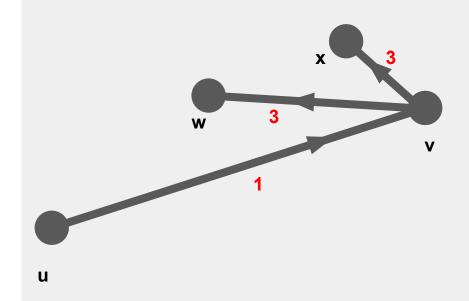
- Adjacency Matrix
- Adjacency List
- Incidence List
- Incidence Matrix



Representations

Adjacency Matrix

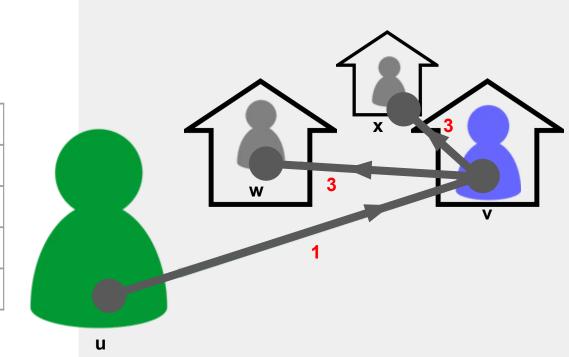
An adjacency matrix is a **2D** array of **size V x V** where V is the number of vertices in a graph.

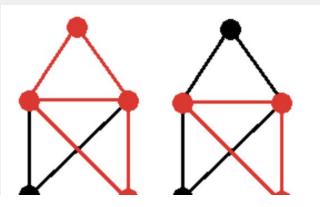


Graphs *Representations*

	u	v	w	x
u	0	1	0	0
V	0	0	3	3
w	0	0	0	0
x	0	0	0	0

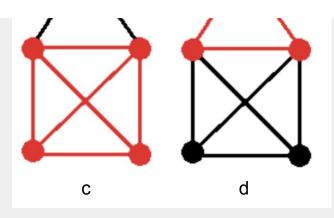
Breakout





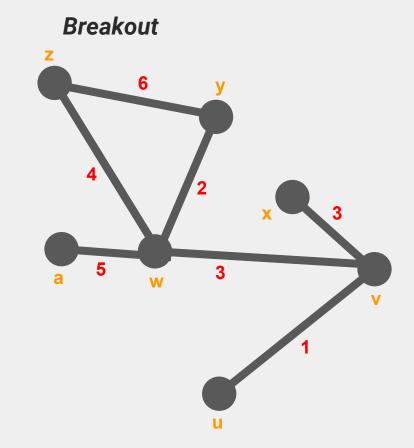
What is the shortest way to travel from Rotterdam to Groningen, in general: from given city to given city. It is the algorithm for the shortest path, which I designed in about twenty minutes. One morning I was shopping in Amsterdam with my young fiancée, and tired, we sat down on the café terrace to drink a cup of coffee and I was just thinking about whether I could do this, and I then designed the algorithm for the shortest path. As I said, it was a twenty-minute invention. In fact, it was published in '59, three years later. The publication is still readable, it is, in fact, quite nice. One of the reasons that it is so nice was that I designed it without pencil and paper. I learned later that one of the advantages of designing without pencil and paper is that you are almost forced to avoid all avoidable complexities. Eventually that algorithm became, to my great amazement, one of the cornerstones of my fame.

- Edsger Dijkstra, in an interview with Philip L. Frana, Communications of the ACM, 2001^[4]
 - Path
 - Clique
 - Centrality
 - Degree
 - Betweeness
 - Closeness
 - Travelling/Traversal



Analysis

- 1. Represent the graph to the right with an Adjacency Matrix.
- 2. How many cliques are there in the graph?
- 3. What is the shortest path from source **z** to target **u**?
- 4. What are the centrality measures for the graph to the right?



Recap

- What domains are represented well with graphs?
- 2. What are cliques and paths in what interesting ways can we use them?
- 3. How do we analyse the performance of data structures?
- 4. What are the popular graph traversal algorithms?

Q&A

Practical