





# Dynamic flowsheet simulation system Dyssol

**Architecture and Algorithms** 



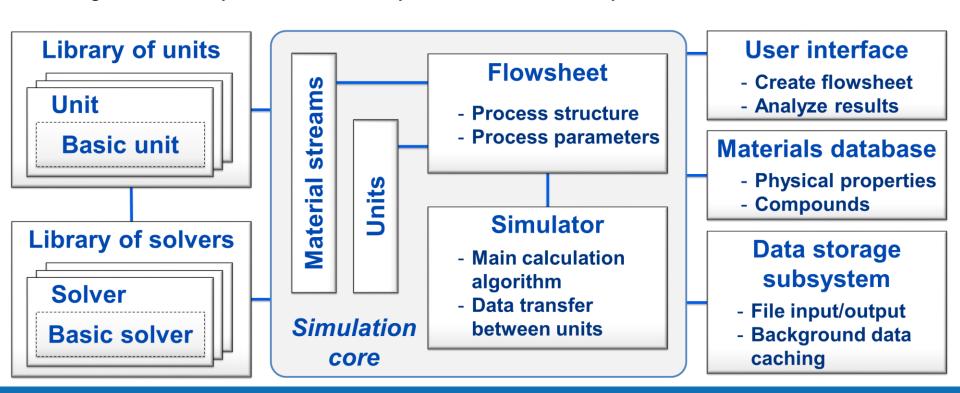
# Architecture of the simulation system

## **General architecture of Dyssol**



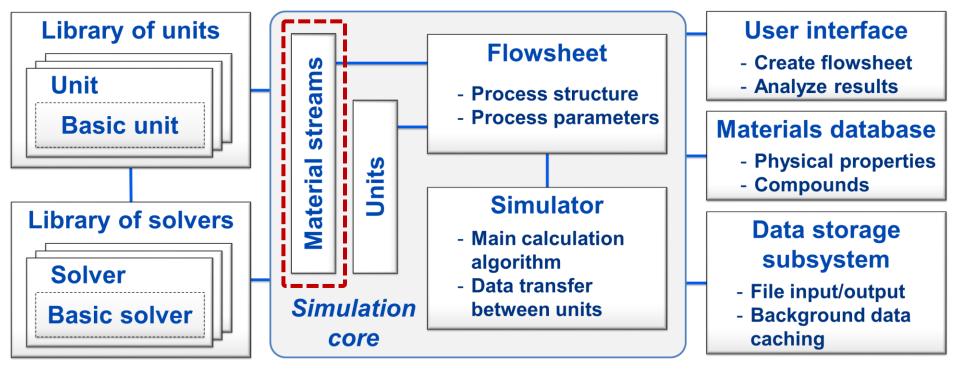


- The name of the system is Dyssol: DYnamic Simulation of SOLids Processes
- Modular architecture to increase the flexibility of the framework
- Models of units and solvers are not integrated directly into the simulation system
- Standardized interfaces and templates for the implementation of units and solvers
- Simplified user interface to setup simulations and to analyse results
- High modularity and extensibility of the simulation system







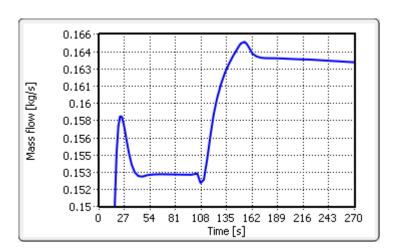


#### **Data discretization**

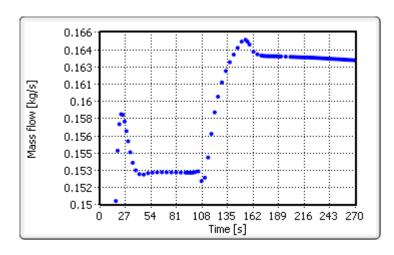




- A continuous process is discretized using time points
- Each time point is a snapshot of the process state







- All units are connected by material streams
- Material streams are described by a set of time points

#### **Material stream**

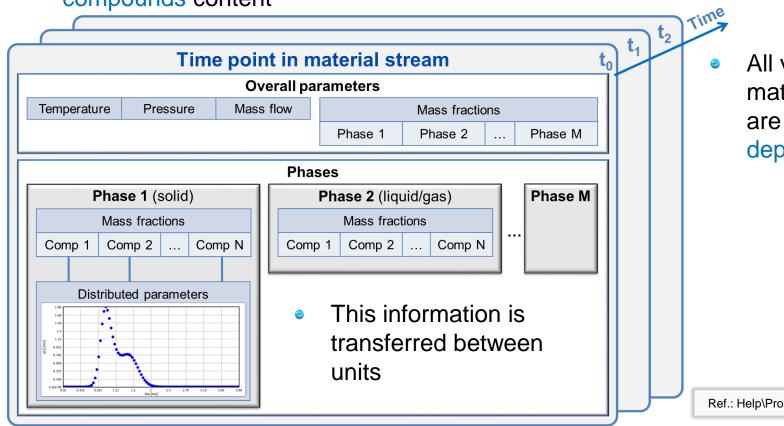
#### General structure





- Overall properties define parameters for all selected phases
- Solid, liquid and gas phases are available
- Each phase is distributed along compounds content

- Solid phase can be distributed along several multidimensional properties
- Each stream on the flowsheet has the same set of compounds, phases and multidimensional properties

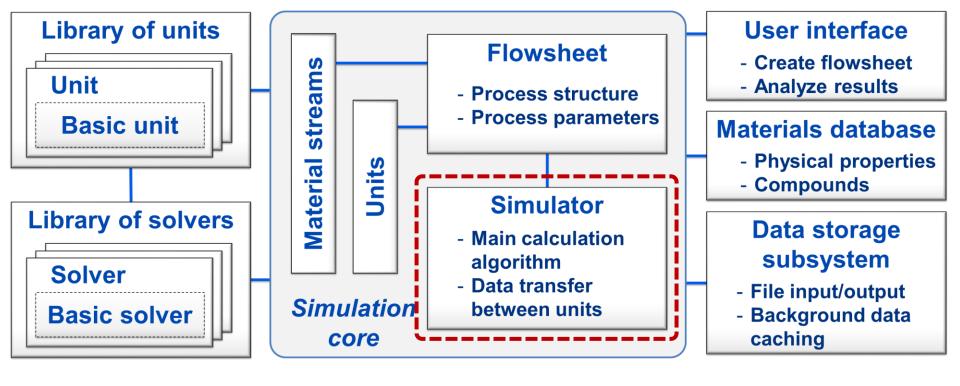


All variables in material streams are time-dependent

Ref.: Help\Program interfaces\Stream.pdf



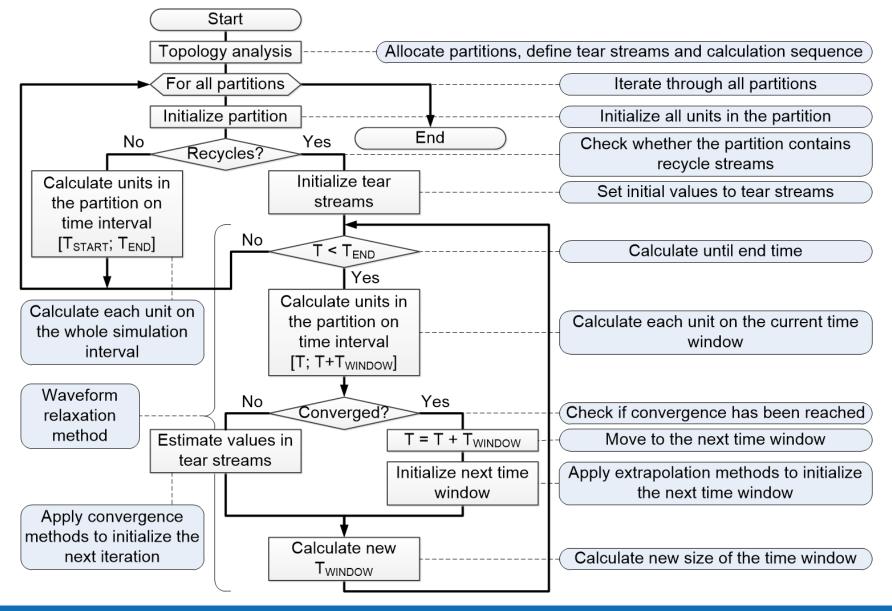




## General simulation algorithm







### Main methods and approaches





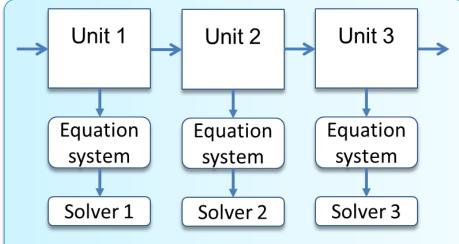
- Sequential-modular approach: each model is solved separately
- Dividing of a flowsheet into partitions and tearing of recycle streams
- Waveform relaxation method (WRM) for dynamic calculation of recycle streams: dividing simulation time into shorter intervals
- Data extrapolation to initialize each time window
- Convergence methods to initialize each iteration of WRM

V. Skorych et al. Novel system for dynamic flowsheet simulation of solids processes (2017)

## Modular vs. simultaneous approach

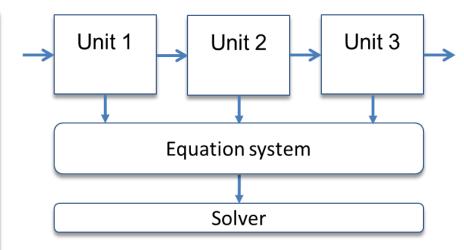






## Sequential-modular

- Conceptual simplicity
- Correspondence to the physical structure of processes
- Higher flexibility
- Possibility to use different numerical methods to calculate models
- Difficulties in processing flowsheets with recycle streams



#### **Equation-oriented**

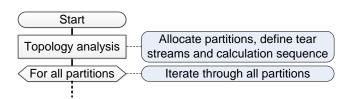
- Equations are homogenized and calculated by a single solver
- Better convergence rate, especially on complex flowsheets with recycles
- Difficulties with simultaneous stimulation of fast and slow changed components
- Usage with heterogeneous models is complicated

W. Marquardt. Dynamic process simulation - recent progress and future challenges (1991)

## Partitioning and tearing

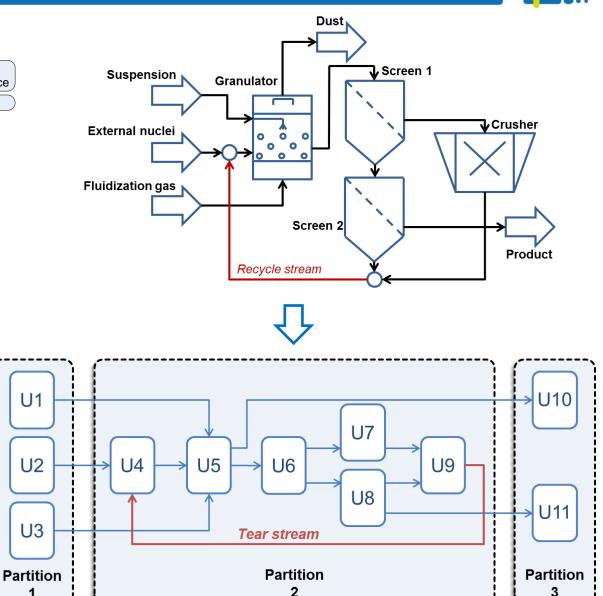






- Convert the process structure into a suitable sequential form
- Initialize recycle streams with some values
- Combine units in recycle loops into partitions
- Solve an entire partition

   (a recycle system)
   iteratively over the whole simulation time and separately from other partitions

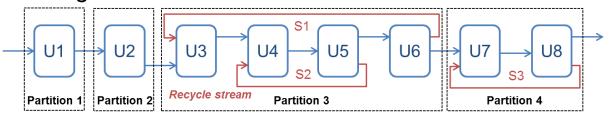


## Partitioning and tearing





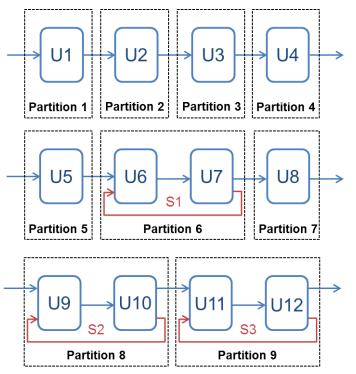
#### A single scheme on a flowsheet



#### Calculation sequence

- Partition 1: U1, U2
- Partition 2: U3, U4, U5, U6, S1, S2
- Partition 3: U7, U8, S3

#### Several schemes on a flowsheet



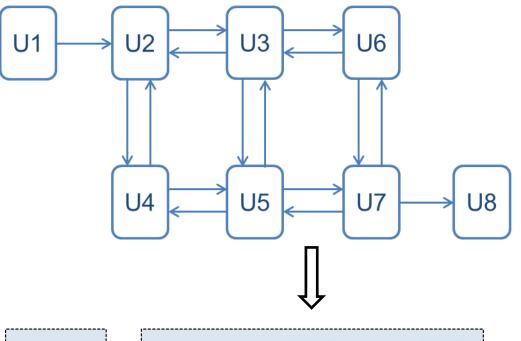
#### Calculation sequence:

- Partition 1: U1, U2, U3, U4
- Partition 2: U5
- Partition 3: U6, U7, S1
- Partition 4: U8
- Partition 5: U9, U10, S2
- Partition 6: U11, U12, S3

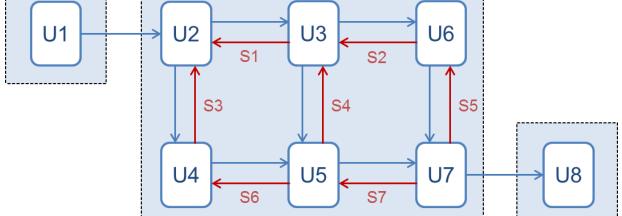
## Bi-directionally connected units







- Bi-directional connection can be represented in Dyssol as two independent material streams
- One of the streams will eventually be selected as a tear stream



#### Calculation sequence

- Partition 1: U1
- Partition 2: U2, U3, U4, U5, U6, U7, S1, S2, S3, S4, S5, S6, S7
- Partition 3: U8

#### Waveform relaxation method



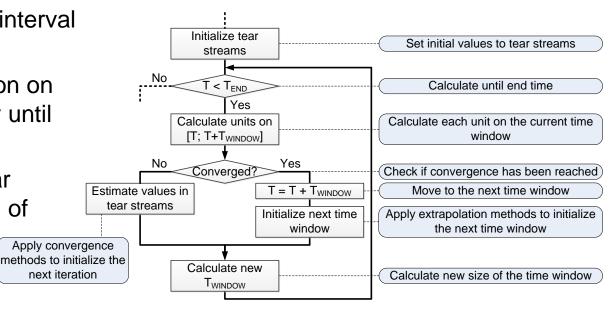


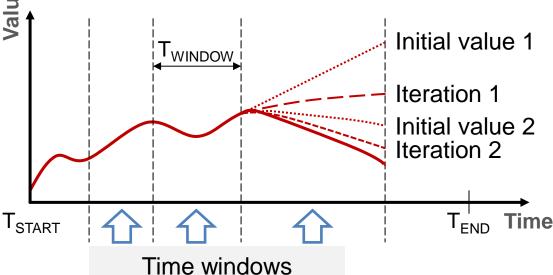
Split the whole simulation interval into smaller time windows

Calculate the entire partition on the time window iteratively until convergence

Initialize parameters of tear

streams before calculation of each time window





- Size of the time window varies depending on the convergence rate
- The convergence criterion is the difference between values on successive iterations

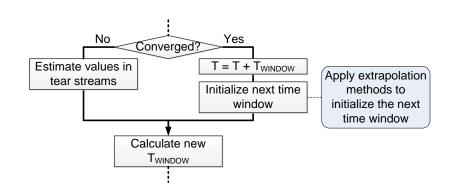
E. Lelarasmee. The waveform relaxation method for time domain analysis of large scale integrated circuits (1982)

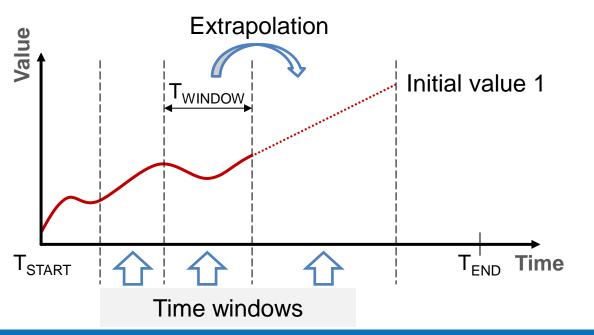
## Extrapolation methods





- Initialize all parameters of tear streams within the time window before its calculation
- Use extrapolated values from the previous time intervals as initial data
- Prediction accuracy affects the number of iterations required to achieve convergence





- Implemented methods:
  - Nearest- neighbour
  - Linear
  - Cubic spline

## Convergence methods





- Use convergence methods to initialize parameters of tear streams before each iteration
- Perform calculations iteratively
- Stop iterative calculations when the convergence is reached

## Implemented methods:

Direct substitution:

$$x_{k+1} = (1 - \lambda)F(x_{k-1}) + \lambda F(x_k)$$

Wegstein's method:

$$x_{k+1} = qx_k + (1-q)F(x_k)$$

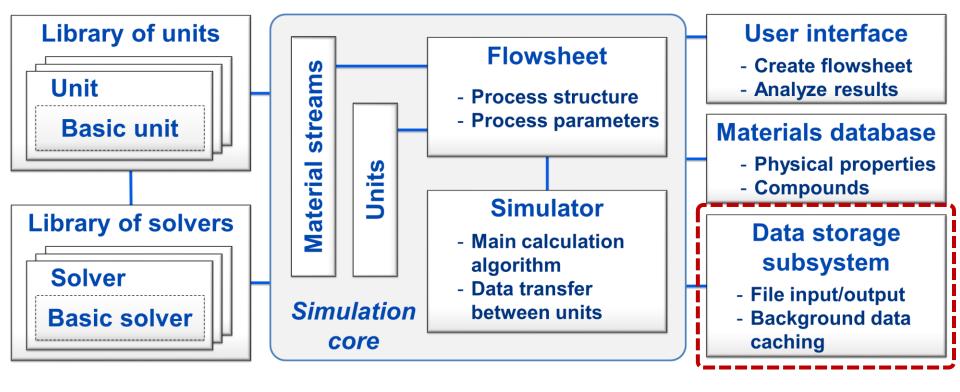
Steffensen's method:

$$x_{k+3} = x_k - \frac{(x_{k+1} - x_k)^2}{x_{k+2} - 2x_{k+1} + x_k}$$

Ref.: Help\Convergence.pdf Initial value 1 WINDOW Convergence Iteration 1 methods Initial value 2 Yes Converged  $\overline{T} = \overline{T} + T_{WINDOW}$ Estimate values in tear streams Initialize next time window T<sub>START</sub> Time Apply convergence methods to initialize the Calculate new next iteration  $\mathsf{T}_{\mathsf{WINDOW}}$ Time windows



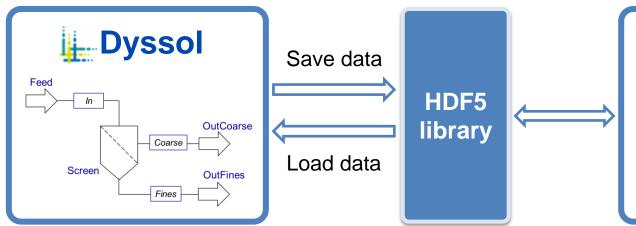




#### **HDF5** data format







- Dyssol uses HDF5 to store all data
- HDF5 is a hierarchical data format, library and data model for storing and organizing of large amounts of numerical data
- External programs can access saved data via HDF5 interfaces

## \*.dflw file on HDD

- Process structure
- Unit parameters
- Process parameters
- Simulation results



## **External program**

via MATLAB, Mathematica, C++, Python... HDF5 library

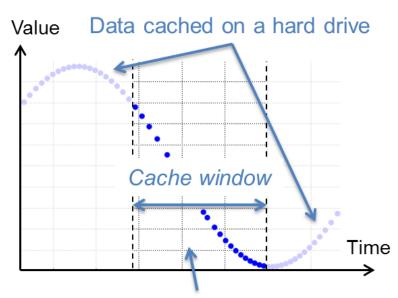
https://www.hdfgroup.org/solutions/hdf5/

## **Data caching**





- Only several time points of material stream are kept in memory at every moment
- The rest are temporary on disk
- Reduces memory consumption
- Slightly increases computation time (at default settings)



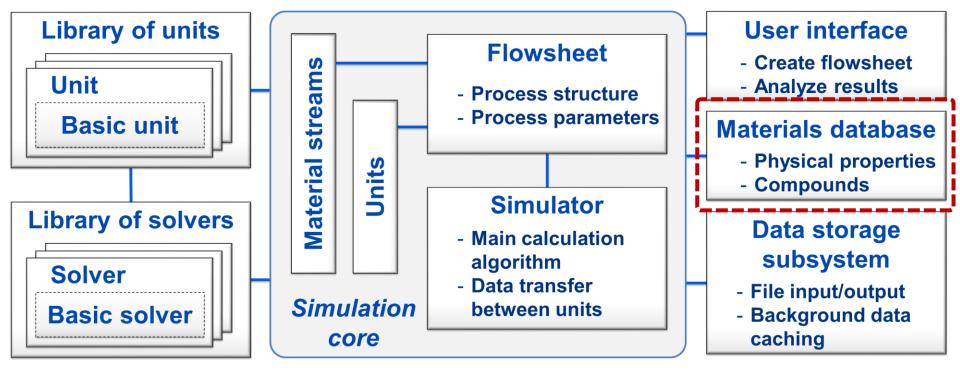
Data loaded into a working memory

V. Skorych et al. Novel system for dynamic flowsheet simulation of solids processes (2017)

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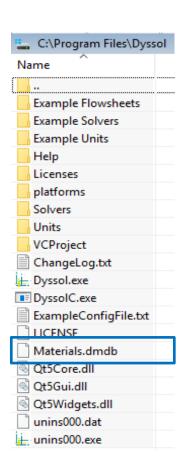








## **Materials.dmdb** – stores global list of **materials** and their **parameters**

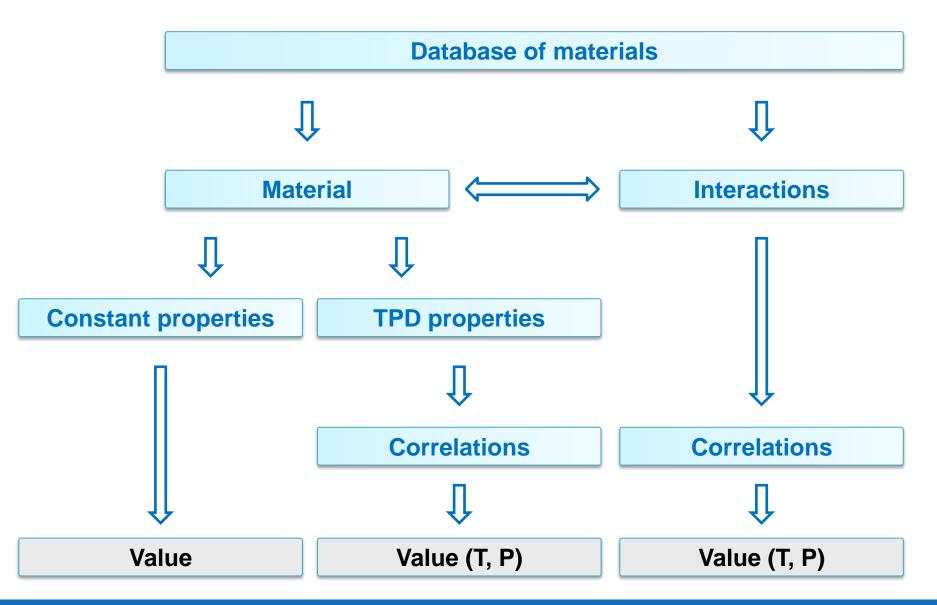


- Air
- Coal
- Sand
- Urea
- Water
- . . .

Can be freely extended with new materials







## **Constant parameters**





#### **Material**



#### **Constant properties**

- Critical pressure
- Critical temperature
- Heat of fusion
- Heat of vaporization
- Molar mass
- Normal boiling point
- Normal freezing point
- Reactivity type
- Formation enthalpy
- State of aggregation
- User defined properties

- 0 solid
- 1 liquid
- 2 gas
- 3 unknown

- Not all properties have influence on internal calculations
- Molar mass is mandatory, since many parameters can be calculated on mole-basis
- State of aggregation can be used to define several aggregation states of the same material
- Can be accessed through units and material streams

## **Dependent parameters**





#### **Material**



- Not all properties have influence on internal calculations
- Density is mandatory, since it participates in PSD transformations and Tequilibrium
- Enthalpy is mandatory, since it participates in T-equilibrium
- Can be accessed through units and material streams

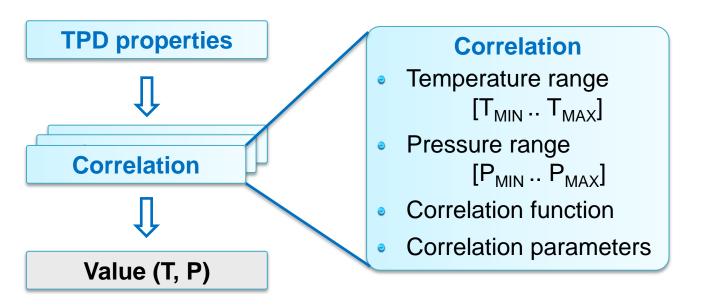
## Temperature- and/or Pressure-dependent properties

- Enthalpy
- Thermal conductivity
- Vapor pressure
- Viscosity
- Density
- Permittivity
- User defined properties

#### **Correlation search**







#### Value calculation algorithm:

- 1. Find the first correlation with **T & P** within
  - ✓ Calculate value according to the function
- 2. Find the first correlation with only **T** within
  - ✓ Calculate value according to the function
- 3. Find the nearest correlation, taking only **T** into account
  - ✓ Perform nearest neighbour extrapolation

#### **Correlation functions**





Constant

$$y = a$$

Linear

$$y = aT + bP + c$$

Exponential

$$y = ab^{c+dT + \frac{eT+f}{gT+h}} + i$$

Power function

$$y = aT^b$$

Polynomial

$$y = a + bT + cT^2 + dT^3 + eT^4 + fT^5 + gT^6 + hT^7$$

Shomate heat capacity

$$y = a + bT + cT^2 + dT^3 + \frac{e}{T^2}$$

Shomate standard enthalpy

$$y = aT + b\frac{T^2}{2} + c\frac{T^3}{3} + d\frac{T^4}{4} - \frac{e}{T} + f - g$$

Shomate standard entropy

$$y = a \cdot \ln(T) + bT + c\frac{T^2}{2} + d\frac{T^3}{3} - \frac{e}{2T^2} + f$$

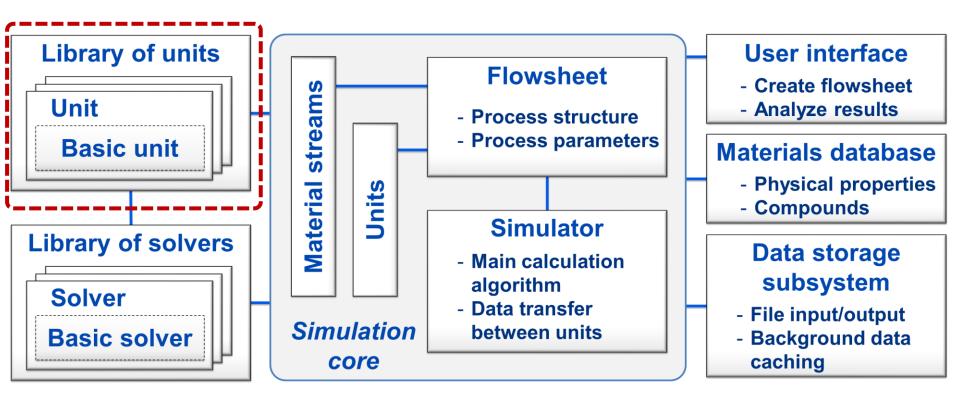
List of T-values

$$y = \{T1: val1, T2: val2, T3: val3, ...\}$$

List of P-values

$$y = \{P1: val1, P2: val2, P3: val3, ...\}$$

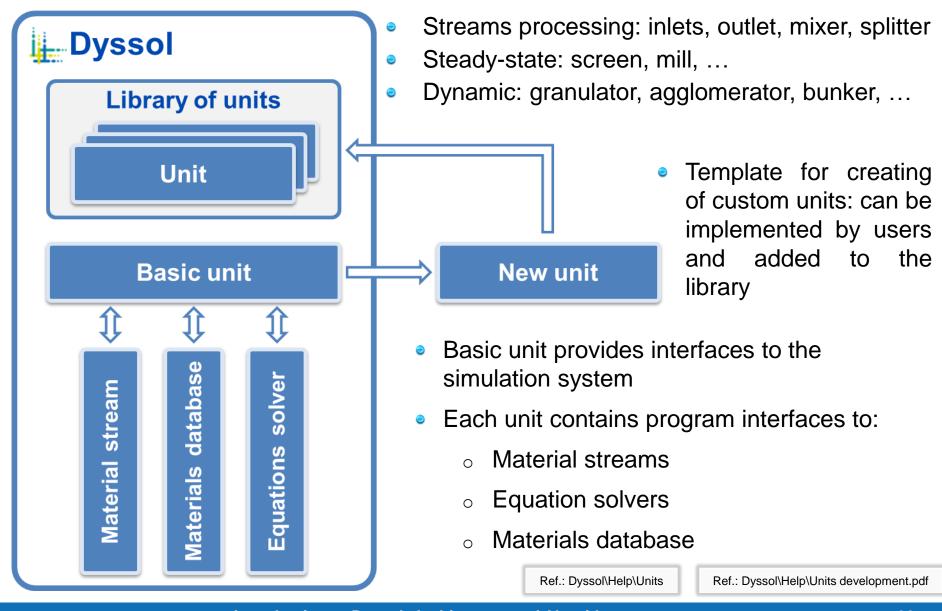




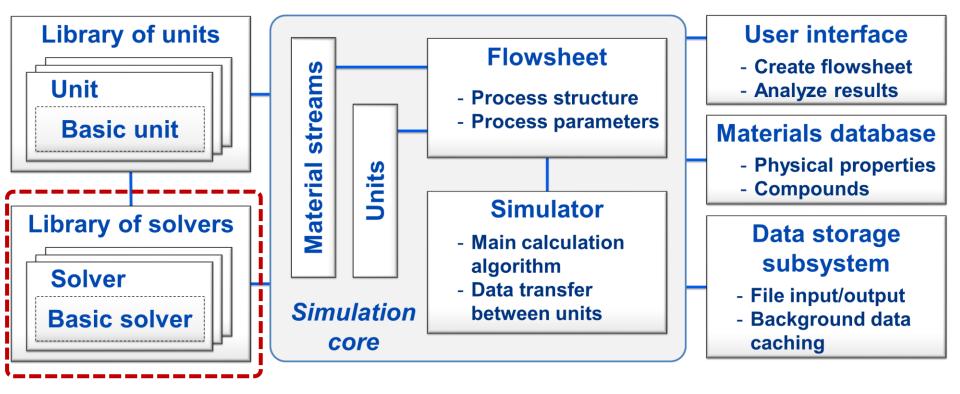
#### Interfaces of units





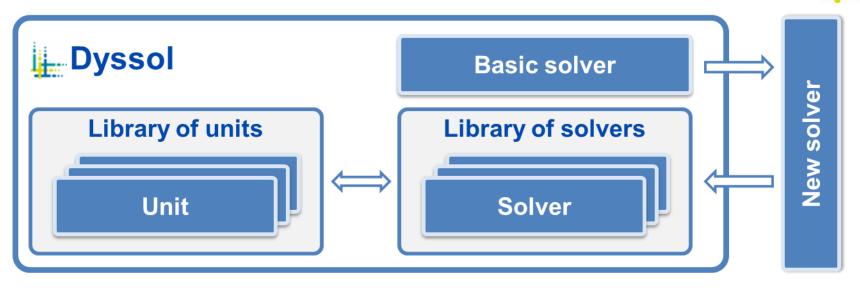












- Basic solver provides interfaces to the simulation system and to units
- New solvers can be implemented by users and added to the solvers library
- Can be added to a unit as a parameter
- Several aggregation solvers are available

Ref.: Dyssol\Help\Solvers.pdf

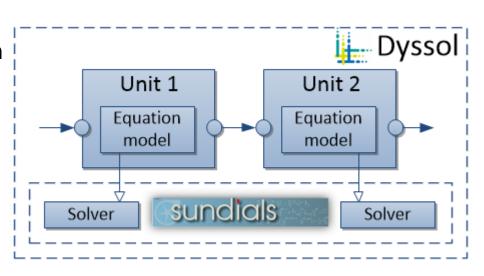
Ref.: Dyssol\Help\Solvers development.pdf

## **Build-in equation solvers**





- IDA solver from SUNDIALS package can be used for automatic calculation of DAE systems inside the units
  - Applies variable-order, variablecoefficient backward differentiation formulas, in fixedleading-coefficient form
- KINSOL solver from SUNDIALS package for calculation of nonlinear algebraic systems
  - Applies a fixed-point iteration with Anderson acceleration



Skorych et al. Investigation of an FFT-based solver applied to dynamic flowsheet simulation of agglomeration processes. Advanced Powder Technology 30 (2019)

https://computation.llnl.gov/projects/sundials



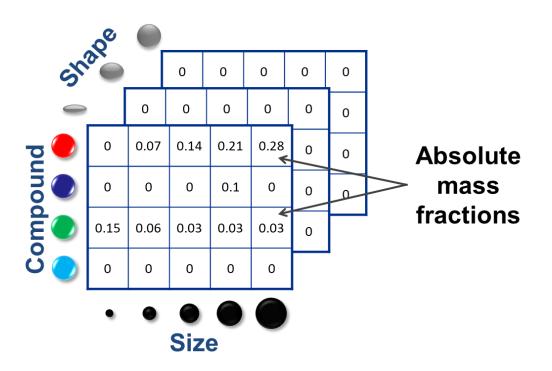
# Multidimensional distributed parameters of solids

## **Multidimensional distributed parameters**





- Solid phase is described with a set of distributed parameters
- Parameters can be interdependent
- All interdependent distributed parameters form a multidimensional matrix
- Each entry of the matrix describes mass fractions of the solid material with the specified combination of parameters



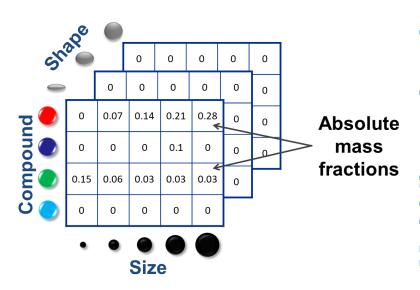
Currently available distributions:

- Compound
- Size
- Porosity
- Form factor
- Color
- User-defined

Example of a 3-dimensional distributed set of parameters

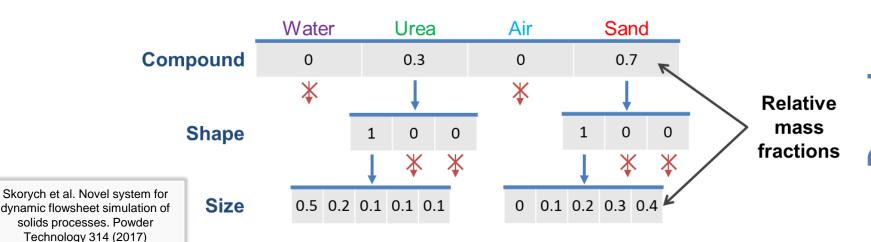


- Many entries of multidimensional matrices are equal to zero
- Amount of data can be reduced using sparse data formats
- Dyssol applies tree structures for data processing and storage
  - Reduction of memory consumptions
  - Improvement of computational 0 efficiency





distribution

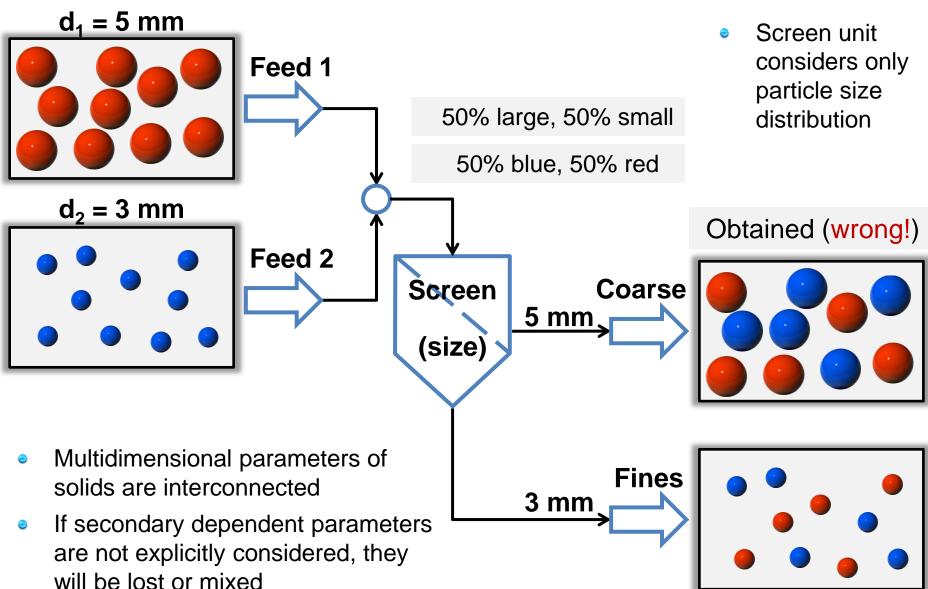


## **Treatment of dependent parameters**

## **Explicit calculation**







## **Treatment of dependent parameters**

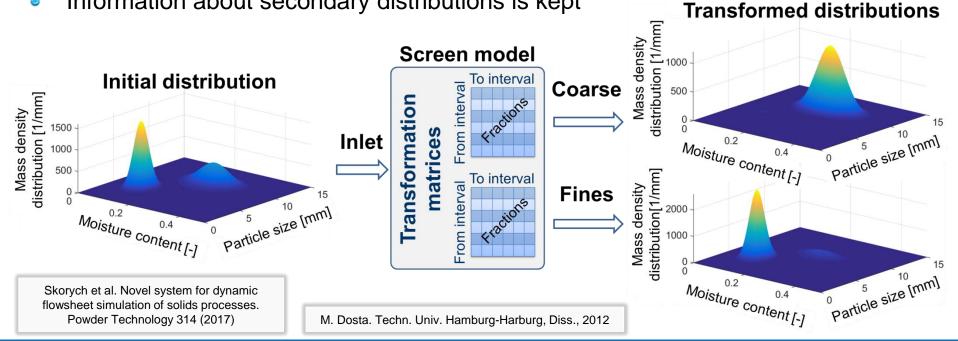
#### **Transformation matrices**





- Transformation matrices (TM) instead of direct calculation of unit's outlets
- TM describe laws of material transition between classes
- Each entry of TM describes a fraction of material that passes from one class to another
- Calculate transformation matrixes based on model functions
- Apply TM to get distributions in holdups and outlets
- All dependent parameters of solids are calculated automatically

Information about secondary distributions is kept



## **Application of transformation matrix**





$$TreeStructure(t) \otimes T(t + \Delta t) = TreeStructure(t + \Delta t)$$

$$Z^{1}_{j_{1}} = \sum_{i_{1}=1}^{n_{1}} X^{1}_{i_{1}} \cdot T_{i_{1},j_{1}}$$

$$Z^{2}_{j_{1}j_{2}} = \frac{\sum_{i_{1}=1}^{n_{1}} X^{2}_{i_{1}j_{2}} \cdot X^{1}_{i_{1}} \cdot T_{i_{1},j_{1}}}{Z^{1}_{j_{1}}}$$

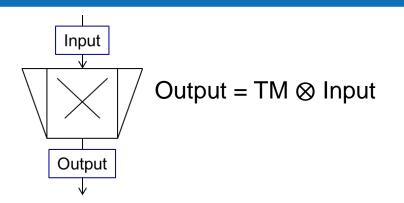
$$Z^{2}_{j_{1}j_{2}j_{3}} = \frac{\sum_{i_{1}=1}^{n_{1}} X^{2}_{i_{1}j_{2}} \cdot X^{2}_{i_{1}} \cdot T_{i_{1},j_{1}}}{Z^{2}_{j_{1}j_{2}} \cdot Z^{1}_{j_{1}}}$$

$$Z^{3}_{j_{1}j_{2}j_{3}} = \frac{\sum_{i_{1}=1}^{n_{1}} X^{3}_{i_{1}j_{2}j_{3}} \cdot X^{2}_{i_{1}j_{2}} \cdot X^{1}_{i_{1}} \cdot T_{i_{1},j_{1}}}{Z^{2}_{j_{1}j_{2}} \cdot Z^{1}_{j_{1}}}$$

## **Example of transformation matrix**







_	In	put	Particle size				
		1	2	3	4	5	6
Form factor	1	0.000	0.010	0.015	0.050	0.010	0.090
	2	0.030	0.025	0.030	0.070	0.030	0.100
	3	0.020	0.030	0.050	0.018	0.025	0.110
	4	0.030	0.040	0.034	0.010	0.010	0.080
	5	0.020	0.020	0.024	0.000	0.005	0.014

0.009 = 0.000 * 1.00	+ 0.010 * 0.50	+ 0.015 * 0.25
0.050 = 0.030 * 1.00	+ 0.025 * 0.50	+ 0.030 * 0.25
0.036 = 0.050 * 0.50	+ 0.018 * 0.25	+ 0.025 * 0.25

# Transformation matrix for size distribution

_		
$\Box$	interval	
10	II ILCI VAI	

	1	2	3	4	5	6
1	1.00	0.00	0.00	0.00	0.00	0.00
2	0.50	0.50	0.00	0.00	0.00	0.00
3	0.25	0.25	0.50	0.00	0.00	0.00
4	0.00	0.25	0.25	0.50	0.00	0.00
5	0.00	0.00	0.25	0.25	0.50	0.00
6	0.00	0.00	0.00	0.33	0.33	0.34
	2 3 4 5	1       1.00         2       0.50         3       0.25         4       0.00         5       0.00	1       1.00       0.00         2       0.50       0.50         3       0.25       0.25         4       0.00       0.25         5       0.00       0.00	1       1.00       0.00       0.00         2       0.50       0.50       0.00         3       0.25       0.25       0.50         4       0.00       0.25       0.25         5       0.00       0.00       0.25	1       1.00       0.00       0.00       0.00       0.00         2       0.50       0.50       0.00       0.00         3       0.25       0.25       0.50       0.00         4       0.00       0.25       0.25       0.50         5       0.00       0.00       0.25       0.25       0.25	1       1.00       0.00       0.00       0.00       0.00       0.00         2       0.50       0.50       0.00       0.00       0.00       0.00         3       0.25       0.25       0.50       0.00       0.00         4       0.00       0.25       0.25       0.50       0.00         5       0.00       0.00       0.25       0.25       0.50

#### Output Particle size

		1	2	3	4	5	6
Form factor	1	0.009	0.021	0.023	0.057	0.035	0.030
	2	0.050	0.038	0.040	0.076	0.048	0.033
	3	0.048	0.032	0.036	0.052	0.049	0.037
	4	0.059	0.031	0.022	0.034	0.032	0.027
	5	0.036	0.016	0.013	0.006	0.007	0.005



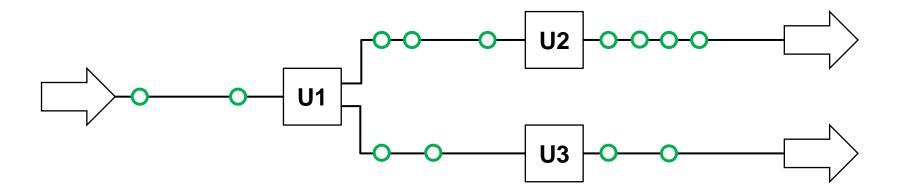
# Time points management

## **Time points in streams**





- Each stream may have unique combination of time points
- New time points may be generated during simulation
- Several sources of time points exist
  - Inlets
  - Dynamic units
  - Unit parameters



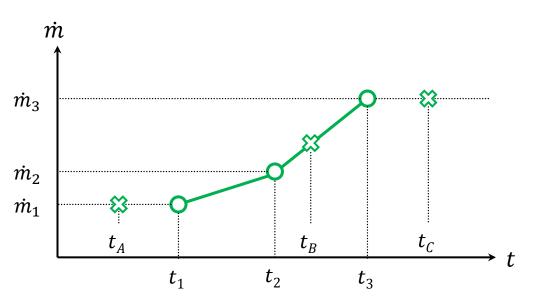
## Interpolation of data





Data interpolation for all time-dependent parameters:

- Linear interpolation of data between existing time points
- Nearest-neighbor extrapolation outside of existing interval
- If only one time point is defined, it is assumed to be constant on the whole interval



$$\dot{m}(t_A) = \dot{m}(t_1) = \dot{m}_1$$

$$\dot{m}(t_B) = \dot{m}_2 + \frac{\dot{m}_3 - \dot{m}_2}{t_3 - t_2} (t_B - t_2)$$

$$\dot{m}(t_C) = \dot{m}(t_3) = \dot{m}_3$$

## Interpolation of distributed parameters

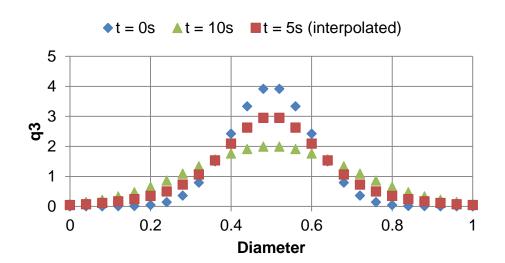


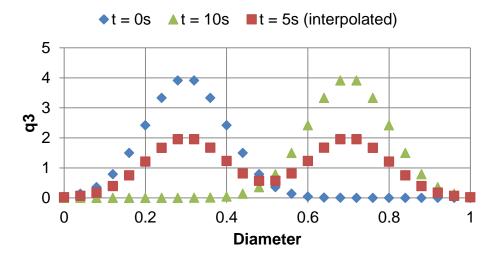


- Distributed parameters are represented as a set of classes
- Interpolation is applied for each class

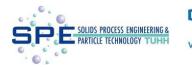
$$PSD_i = Interpol(PSD_{i-1}, PSD_{i+1})$$

 Linear interpolation and nearestneighbor extrapolation



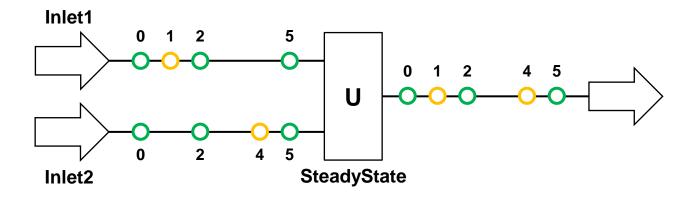


## **Steady state units**





- Steady state unit is calculated on a union of time points from all its inlets
- Steady state unit does not produce new time points
- Data interpolation is used to obtain values from not existing time points

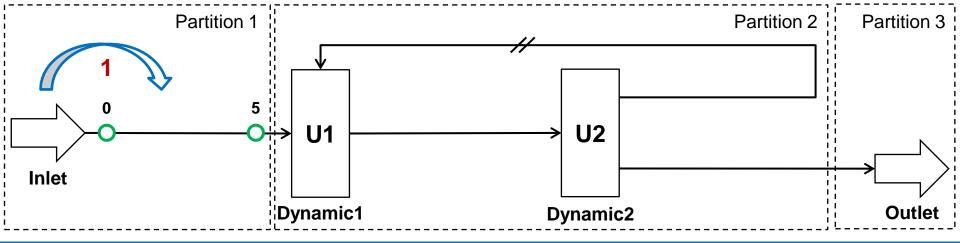






Simulate on the time interval [0..5] s

- Find recycle streams and split into partitions
- Simulate Partition 1 on the whole time interval [0..5] s
  - o Inlet::Simulate(0, 5)



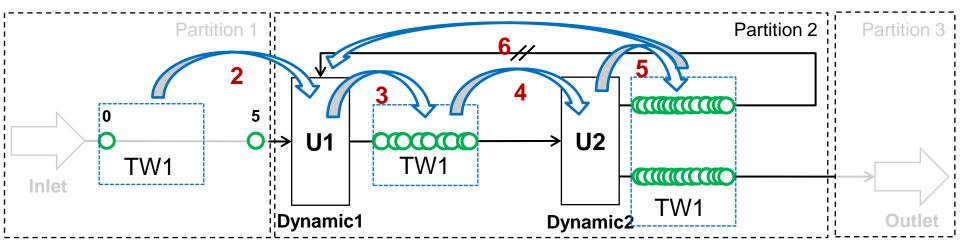




- Simulate Partition 2 on the whole time interval [0..5] s
  - Apply waveform relaxation method: T<sub>WINDOW</sub> (TW) = 3s
  - Simulate Partition 2 on the time interval [0..3] s
    - Dynamic1::Simulate(0, 3)
- o Dynamic1::Simulate(0, 3)

- o Dynamic2::Simulate(0, 3)
- o Dynamic2::Simulate(0, 3)

Repeat until convergence







- Simulate Partition 2 on the whole time interval [0..5] s
  - Apply waveform relaxation method: T<sub>WINDOW</sub> (TW) = 3s
  - Simulate Partition 2 on the time interval [0..3] s
    - o Dynamic1::Simulate(0, 3)
- Dynamic1::Simulate(0, 3)

Repeat until

Dynamic2::Simulate(0, 3)

o Dynamic2::Simulate(0, 3)

convergence

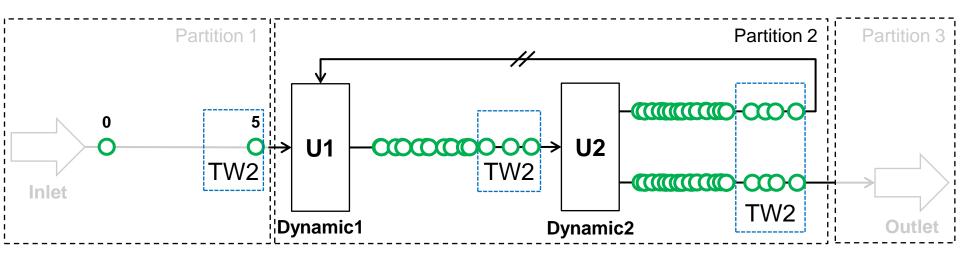
- Simulate Partition 2 on the time interval [3..5] s
  - o Dynamic1::Simulate(3, 5)

o Dynamic1::Simulate(3, 5)

Repeat until convergence

o Dynamic2::Simulate(3, 5)

o Dynamic2::Simulate(3, 5)







Simulate on the time interval [0..5] s

- Find recycle streams and split into partitions
- Simulate Partition 1 on the whole time interval [0..5] s
- Simulate Partition 2 on the whole time interval [0..5] s
  - Apply waveform relaxation method: T<sub>WINDOW</sub> = 3s
  - Simulate Partition 2 on the time interval [0..3] s
  - Simulate Partition 2 on the time interval [3..5] s
- Simulate Partition 3 on the whole time interval [0..5] s

