## PARTIAL EVALUATION TRANSFORMATION

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## Partially Evaluate Non-Recursive Function

old function:  $f(x,y) \triangleq e(x,y)$ 

new function:  $f'(x) \triangleq e(x, \tilde{y})$ 

$$+\left[ff'\right]$$
  $y=\widetilde{y}=>f(x,\widetilde{y})=f'(x)$  — trivial, by  $S_f$  and  $S_{f'}$ 

optimize f' via successive transformations

$$\begin{array}{c}
\sqrt{f} \quad \chi_{8f}(\times, y) \\
\chi_{f}(\times) \stackrel{\triangle}{=} \chi_{f}(\times, y)
\end{array}$$

$$\chi_{f}(\times) \stackrel{\triangle}{=} \chi_{f}(\times, y)$$

$$\begin{array}{c} (x,y) = (x,y) \\ (x,y) = (x,y) \\ (x,y) = (x,y) \end{array}$$

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$$x \longrightarrow x_1,...,x_n$$
 $y \longrightarrow y_1,...,y_m$ 

generalization to more parameters  $(m \neq 0)$ 
 $y \longrightarrow y_1,...,y_m$ 

## Partially Evaluate Recursive Function

old function:  $f(x,y) \triangleq ... f...$ 

new function: 
$$f'(x) \triangleq f(x, \tilde{y})$$
 — non-recursive — preliminary simple approach

$$+\left[ff'\right] y=\widetilde{y} \Longrightarrow f(x,\widetilde{y})=f'(x)$$
 — trivial, by  $\delta f'$ 

optimize f' via successive transformations, which may unfold the recursion completely if driven by y

generalization to more parameters os in non-recursive case