



# Behavior Programming

*Group Members:*

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# Overview

Connect 4

Fuzzy Control for Breakout

Self Organizing Map

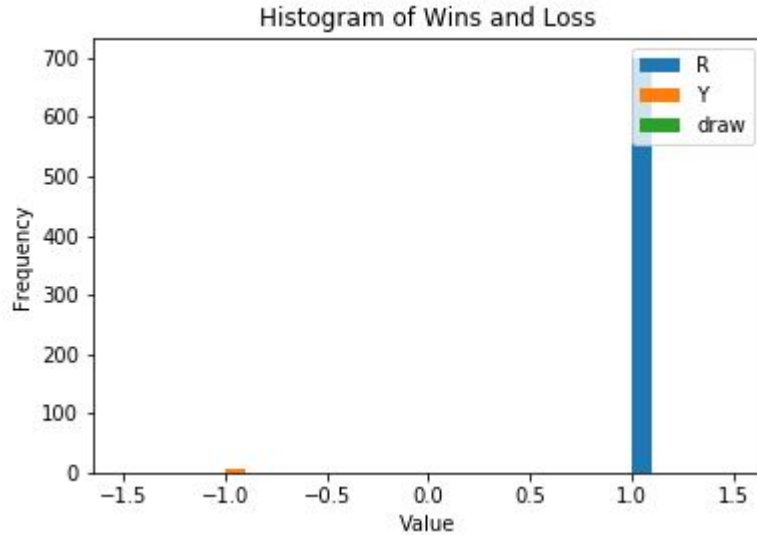
Bayesian Learning & Trajectory Planning



# Connect 4

- Three experiments ran in parallel.
- Connect4 board size: 19x19
- Algorithm: Recursive DFS MinMax with depth restriction
- Total System RAM usage at any time: 3.4GB
- System:
  - 16GB RAM
  - Intel(R) Core(TM) i5-3230M CPU @ 2.60GHz
  - (two cores, four threads)

# Connect 4



## 3 vs Random

Red plays MinMax with a depth of three.  
Yellow moves at random.

Games: 708

Red: 700

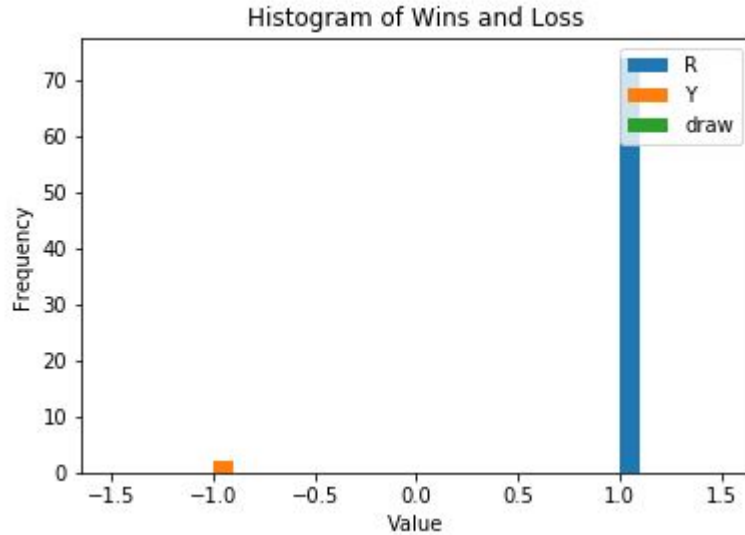
Yellow: 8

Draw: 0

Total time: 18h

Average time per Game: 92s = 1.5min

# Connect 4



## 3 vs 1

Red plays MinMax with a depth of three.  
Yellow plays MinMax with a depth of one.

Games: 76

Red: 74

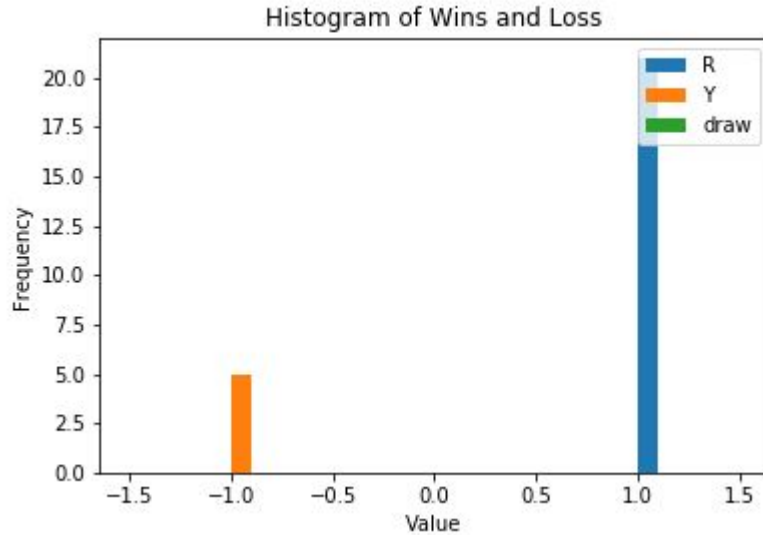
Yellow: 2

Draw: 0

Total time: 18h

Average time per Game: 855s = 14.25min

# Connect 4



## 3 vs 3

Red and Yellow play MinMax with a depth of three.

Games: 26

Red: 21

Yellow: 5

Draw: 0

Total time: 17.7h

Average time per Game: 2455s = 41min



# Breakout

- Rules fire with certain degree of acceptance. Define membership functions.
  - Antecedent: Distance of the ball from the paddle.
  - Consequent: Movement of Paddle.
- SciKit-Fuzzy (<https://pythonhosted.org/scikit-fuzzy/>)

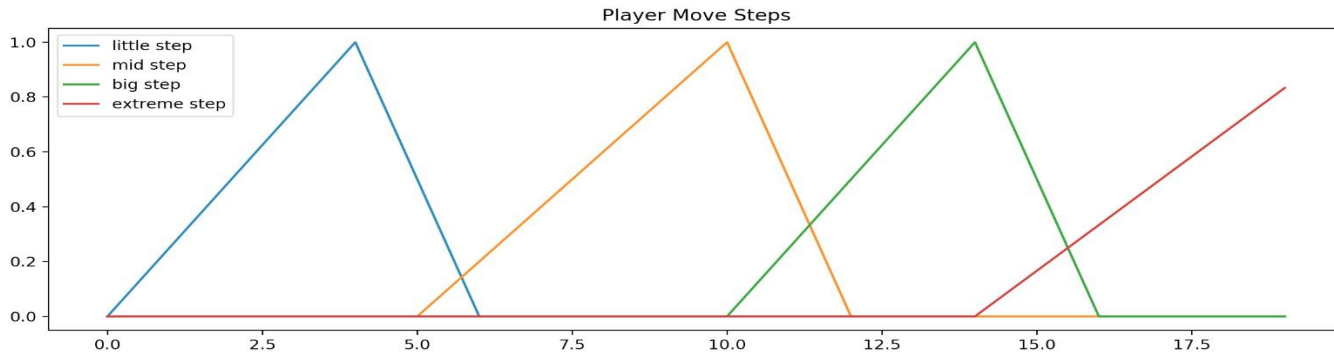
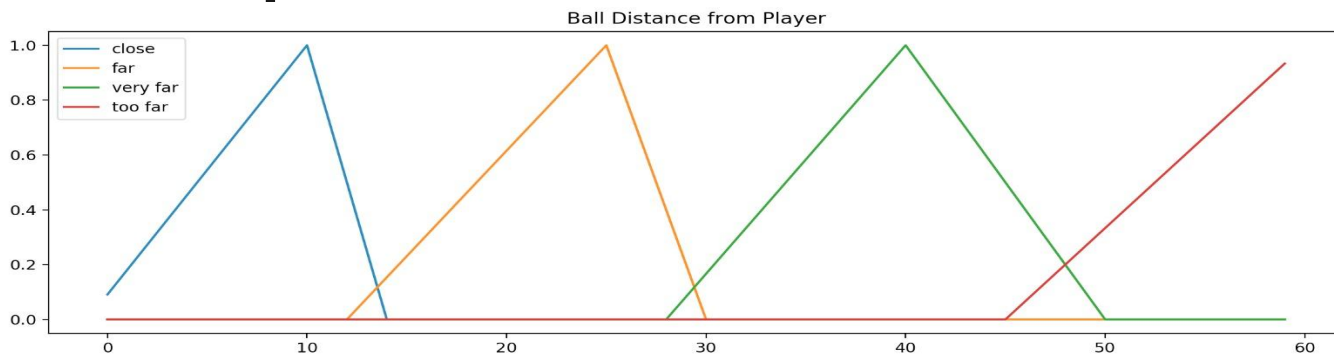


# Breakout

Rules	Antecedent (Distance)	Consequent (Paddle movement)
<i>R0</i>	Close	Little steps
<i>R1</i>	Far	Medium steps
<i>R2</i>	Very Far	Big steps
<i>R3</i>	Too Far	Extreme steps

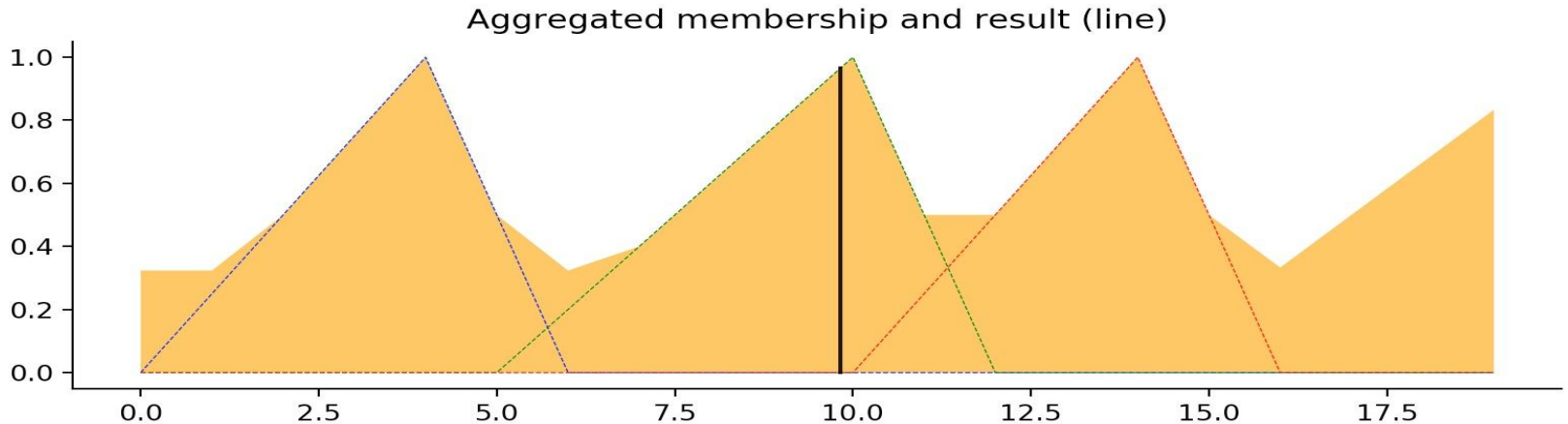


# Membership Functions



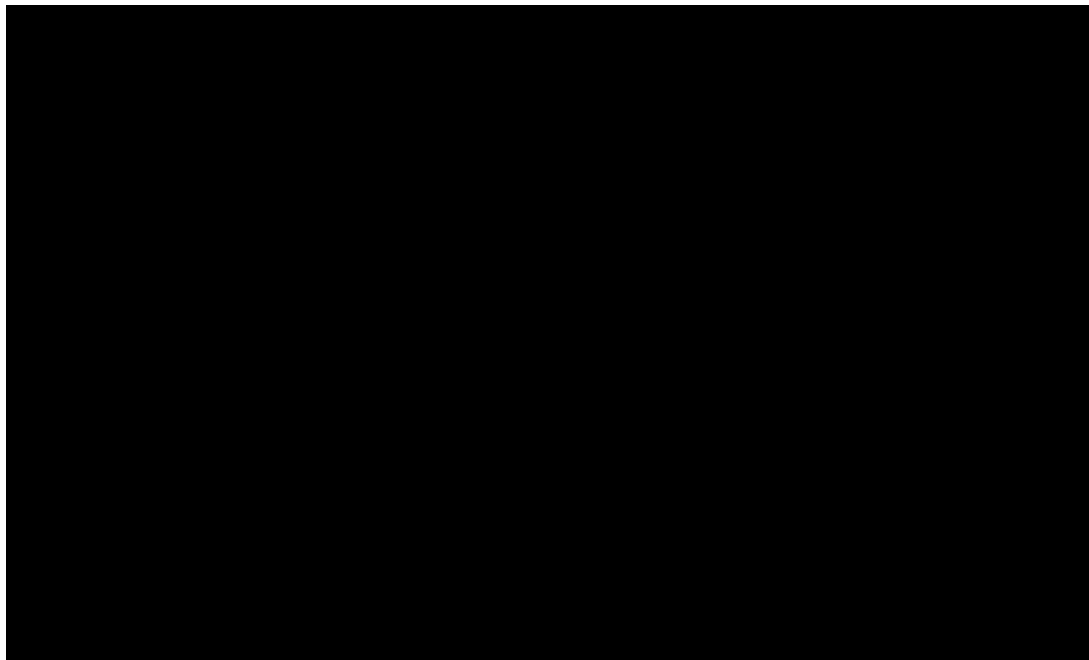
# Defuzzification

- Used centroid method to perform defuzzification.
- For an input value of 2.56 as distance of ball from paddle, the movement of paddle to the left or right would be 9.8 steps





# Video



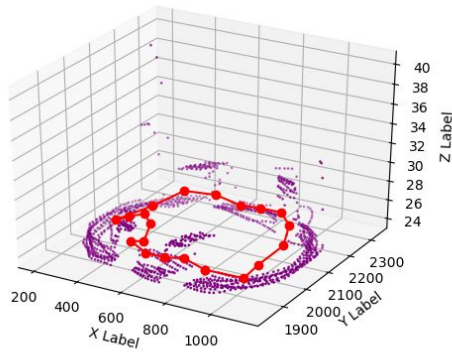


# SOM:Self Organizing Map

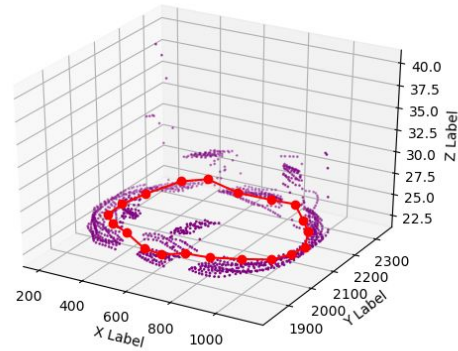
Learning topology of data.

**Performance Metric:** Quantization Error, Topological Error

# SOM

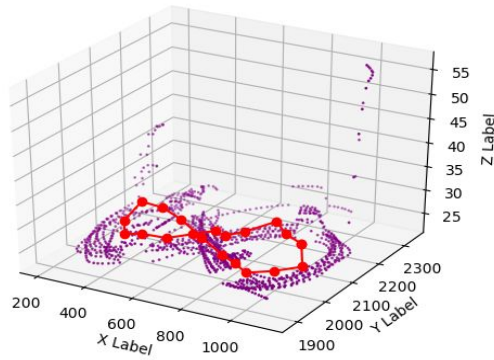


Random Initialization

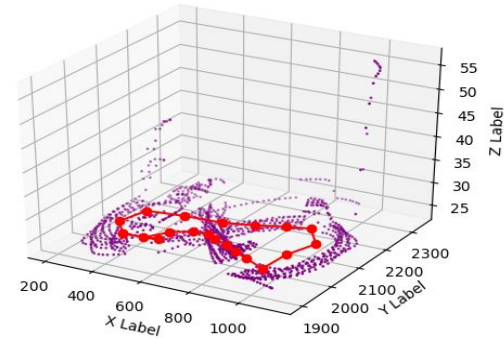


PCA Initialization

# SOM



Random Initialization



PCA Initialization



# SOM

	Quantization Error	Topological Error
Path 1, Random Initialization	64.9778	0.0941
Path 1, PCA Initialization	<b>47.2564</b>	<b>0.0339</b>
Path 2, Random Initialization	64.5626	0.1343
Path 2, PCA Initialization	<b>59.2096</b>	<b>0.1166</b>

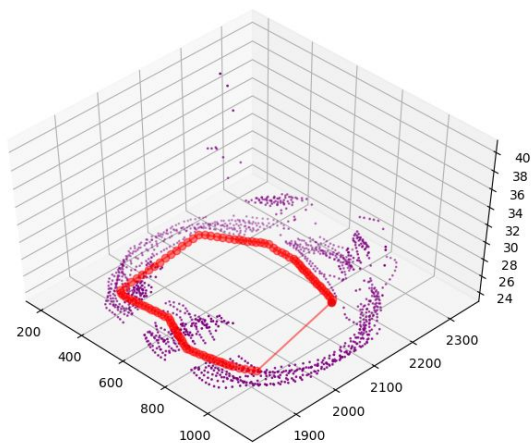


# Bayesian Imitation Learning

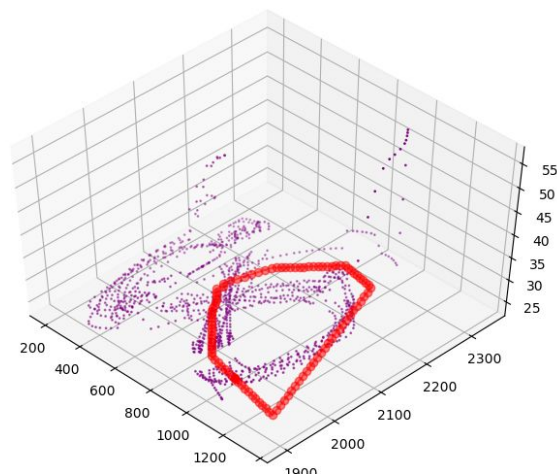
Behaviour as a sequence of motor primitives.



# Bayesian Imitation Learning



Map 1



Map 2



# Bayesian Imitation Learning

Why trajectory differs for map 2?



# Bayesian Imitation Learning

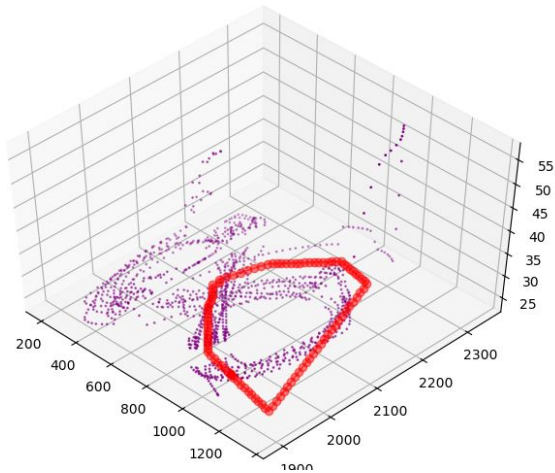
Why trajectory differs for map 2?

Solution:

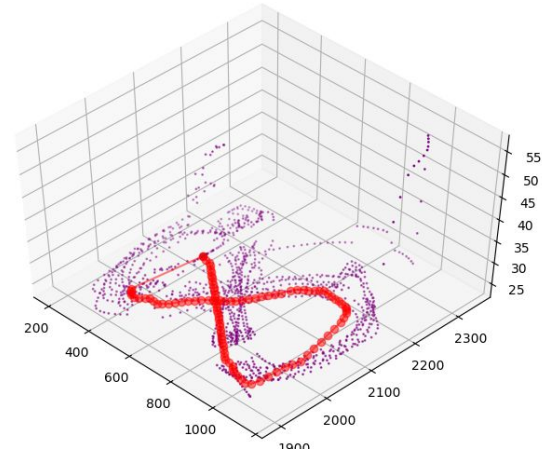
Probability of action dependent on previous actions. We used first order markov dependency following [Thuran et. al.]

$$a_t = \underset{r_j}{argmax} \frac{p(r_j | s_i) p(r_j | r_{j-1})}{\sum_{k=1}^n p(r_k | r_j) p(r_k | s_i)}$$

# Bayesian Imitation Learning



Map 2



Map 2 with priors



# Conclusion

- Connect 4
  - Exponential state space complexity. Use depth limited search.
- Breakout:
  - Smooth control with simple interpretable rules.
- SOM
  - Dependent on initial weights.
    - Using PCA can help.
  - Can capture topology of data.
  - Challenges: How to determine the topology?
    - Possible Solution: Looking at the Betti Numbers (Algebraic Topology).
- Bayesian Learning
  - Human like control for trajectory planning.
  - Challenges: Environmental difficulties.
  - Possible Solution: More conditional probabilities expressing greater variety of dependency.



# Questions



**Thank you!**